

1335. The T section shown in Fig. P-1335 is the cross section of a simply supported beam 16 ft long that carries a central concentrated load inclined at  $60^\circ$  to the  $y$  axis. The centroidal  $x$  axis is 3.07 in. below the top of the section;  $I_x = 112.6 \text{ in.}^4$  and  $I_y = 18.7 \text{ in.}^4$ . If  $\sigma_c \leq 12\,000 \text{ psi}$  and  $\sigma_t \leq 5000 \text{ psi}$ , what is the maximum load that will not overstress the beam?

Ans.  $P = 803 \text{ lb}$

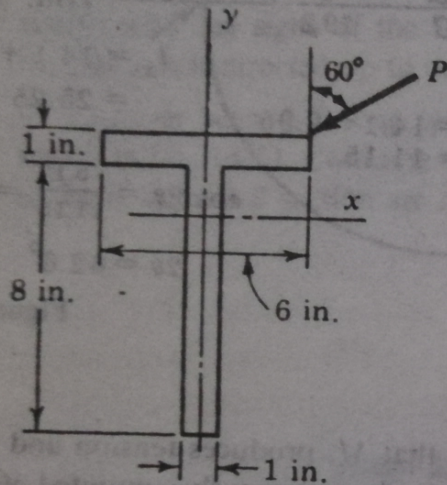


Figure P-1335

1336. A cantilever beam 10 ft long with the same T section as in Prob. 1335 carries two concentrated loads applied as shown in Fig. P-1336. Compute the inclination of the neutral axis at the wall, and the maximum compressive and tensile stresses.

Ans.  $\alpha = 70.1^\circ$ ; max.  $\sigma_c = 11.9 \text{ ksi}$ ; max.  $\sigma_t = 18.5 \text{ ksi}$

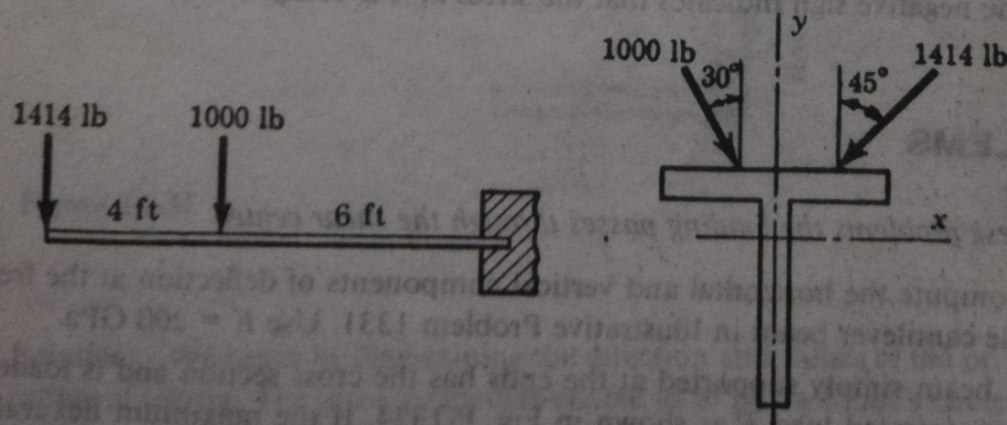


Figure P-1336

### 13-10 CURVED BEAMS

1338. A  $200 \times 100 \times 20 \text{ mm}$  I beam is supported by a  $20 \text{ mm}$  leg vertical. It supports a load  $P$  at the free end. Compute the maximum stress in the beam to determine the point of failure.

Members subjected to bending of crane hooks, they are curved members. If a member is sharply curved, the stress is given by the flexure formula initially straight.

For example, a sharply curved member is shown in Fig. 13-33. It is used after bending. Although not

agree closely with actual strain distribution, bending causes section position. Consequently, the surface, will have equal deflection  $\delta = \sigma L/E$ , we have