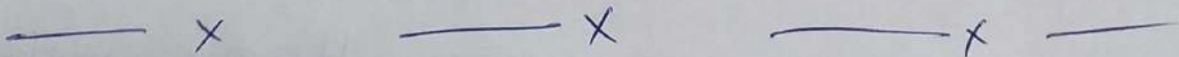


④ Characterization of Power Flow Equations:-

- ① Power flow equations are Algebraic equation b/c these are dealing with a static system.
- ② These equations since they involve \cos and \sin term as well as they have the multiplication of voltages involved therefore these equations are non linear equations and therefore in general we need iterative methods to solve this. (i.e Gauss Siedal & Newton Raphson method.)

③ Power flow equations relate the injections i.e Real & Reactive Power injections at the bus in terms of Voltage magnitude and angle at various bus bars in the system and the admittance matrix of the system.

i.e $P, Q \rightarrow f(V, \delta)$



④ Characterization of Variables:-

① Load, (P_L, Q_L) \rightarrow Uncontrolled
(Disturbance Variables) i.e. no control
from the operator.

② Generation (P_G, Q_G) \rightarrow Controlled
Variables (i.e. control from the operators)

(Real and Reactive Power can always
balance with the load)

③ The voltage at various bus bars

Form the state variable i.e. I_f

We know the voltage magnitude

and angle of the bus bar we can

easily find out the power flow in

each and every line and the power

injections in different bus bars.

So:

\Rightarrow For a given operating conditions

the loads and generations at all

buses are known (specified). Then

to find voltage magnitude and angle

(V, δ) at all the bus bars.

⊛ Problems in Power Flow Solutions:-

There is one problem in doing Power Flow solution that we cannot know all the generations. All the loads are known to us but generations are in our control and one can say, that all generations are known to us but there is one problem. The problem is still

all the generations are available.

We don't know what is the

loss in the system? Since we

cannot know the loss in the system,

we cannot know how much generation

b/c the sum of load and the

no of losses must be equal to

the total generation.

Solution:-

To overcome the problem,

⇒ We choose one bus as a reference

bus which takes up all these
~~buses~~ losses which can find after
the solution. So at one bus we
cannot specify the generation. Generally,
this is a bus which have very large
generation available so, that there
will be no problem for it to
take a losses. This bus in power
system terminology is called a
"Slack bus".

④ Classification of Busbars:-

In Power System Network we have different types of Bus bars.

The solution of Power flow equations depends on the type of busbars.

① Swing Bus or Slack bus:-

(V and δ specified)

We do not specify the generation but we specify the voltage magnitude and angle. Since this bus is a reference bus and the angle is

is specified normally zero. Since it is a generating bus which have its own voltage magnitude so the voltage level is fixed. i.e. mostly 1 P.U. So, swing bus has voltage magnitude & angle specified.

② PV Bus (Voltage Control Bus)

(P and V specified)

The Bus bars in which we have voltage magnitude and a Real Power is specified. Voltage regulators are

are installed which regularly check the voltage levels.

③ PQ Bus (Load Bus)

(P and Q specified)

Where both the Real and Reactive Powers are specified.

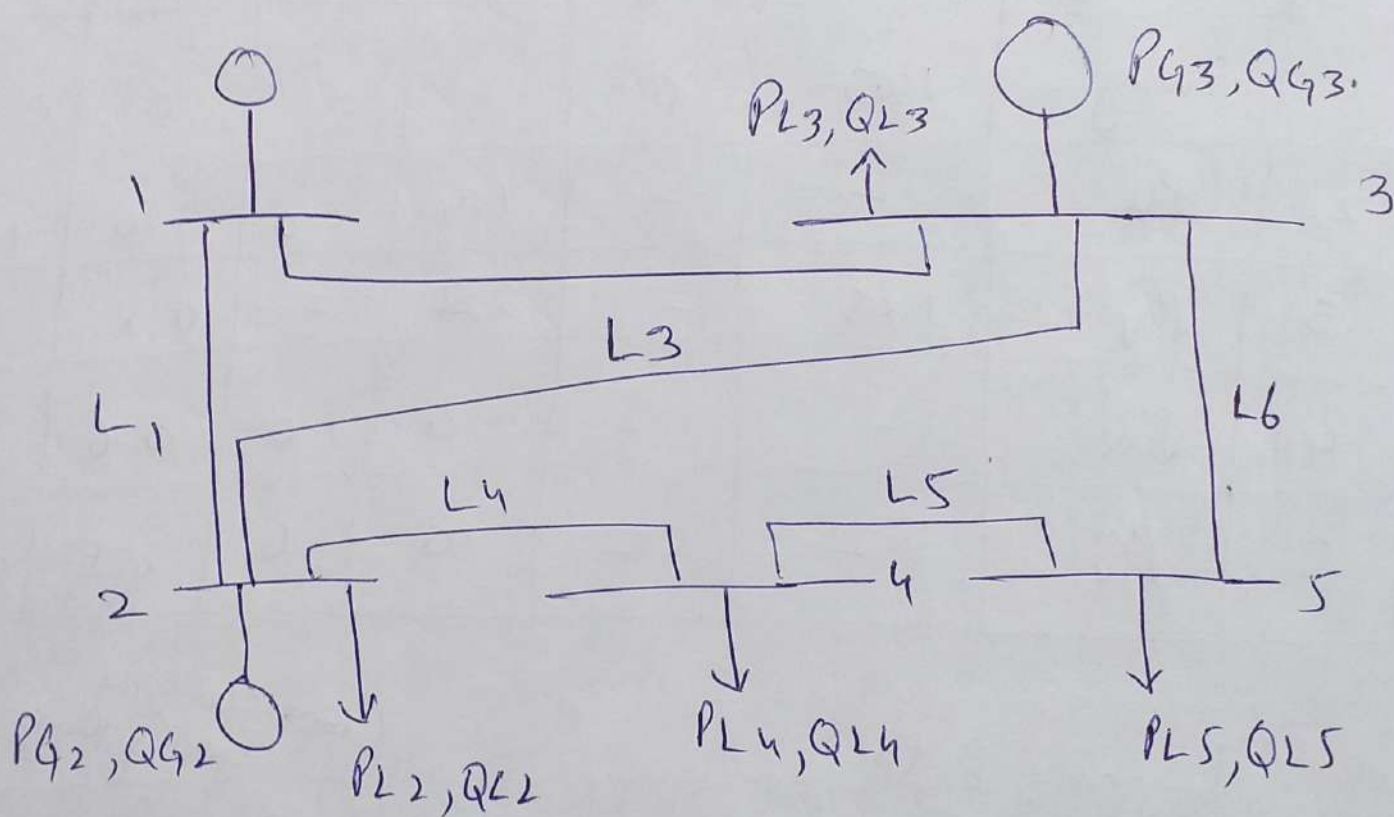
⇒ So each bus, 4 variables

(P, Q, V and δ) are associated.

Depending on the type of bus two variables are known and

two unknown variables are obtained from Power flow solution.

⑤ 5 Bus Power System:-



We have normally two types of data provided.

- (1) Bus Data
- (2) Line Data.

e.g. The Bus Data provided for this system is

Bus Data

S. no	Bus Type	V P.U	δ Deg	PG P.U	QG P.U	PL P.U	QL P.U
1	Swing	1.03	0	-	-	0	0
2	PQ	-	-	1.4	0.8	3.0	1.2
3	PV	1.05	-	2.2	-	0.8	0.4
4	PQ	-	-	0	0	0.6	0.3
5	PQ	-	-	0	0	0.5	0.2

Line Data

Bus to Bus	R P.U	X P.U	B P.U	Maximum MVA P.U
2-4	0.0090	0.100	1.79	12.0
2-5	0.0045	0.050	0.88	12.0
4-5	0.00225	0.025	0.44	12.0
1-5	0.00150	0.02	0	6.0
3-4	0.00075	0.01	0	10.0

Line charging susceptance

This data is used for finding the Y_{bus} Matrix.

If we look at the system

we find that.

Bus Type	No of Buses	Specified Quantities	No of Eqns	No of (V, δ) State variables
1. Swing	1	V, δ	0	0
2. PQ	3	P, Q	$2 \times 3 = 6$	$2 \times 3 = 6$
3. PV	1	P, V	1	1
Total	5	10	7	7