

**Lab # 5**  
**Some Basic Signals**  
**Unit Impulse, Unit Step, Exponential Signals, Unit Ramp, Rectangular**  
**Pulse (Rect Signals).**

**Objective:**

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**Unit Impulse**

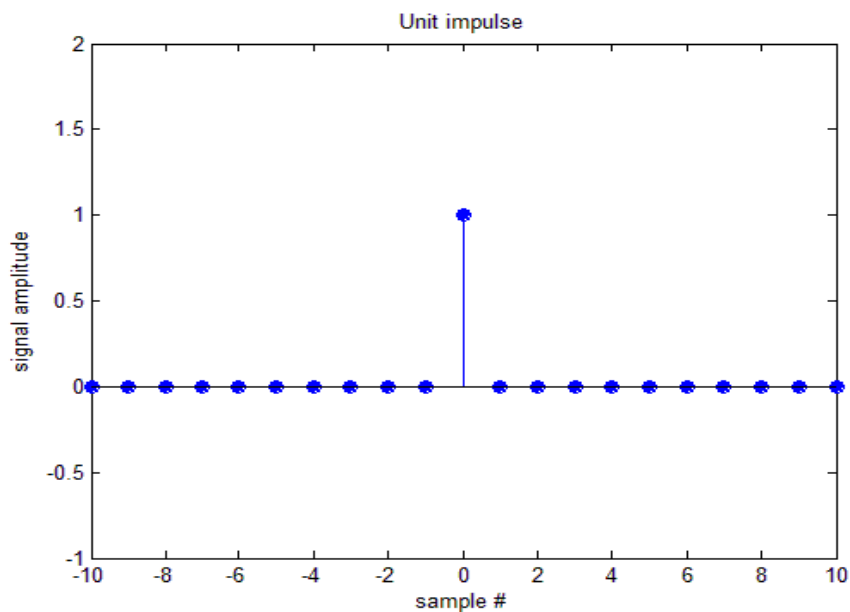
Unit Impulse is defined as follow

$$\delta(n) = \begin{cases} 1 & n = 0 \\ 0 & n \neq 0 \end{cases}$$

The impulse exists only on the origin point (zero<sup>th</sup> index) and is zero elsewhere. In Matlab we implement the sequence as follows.

**Example:**

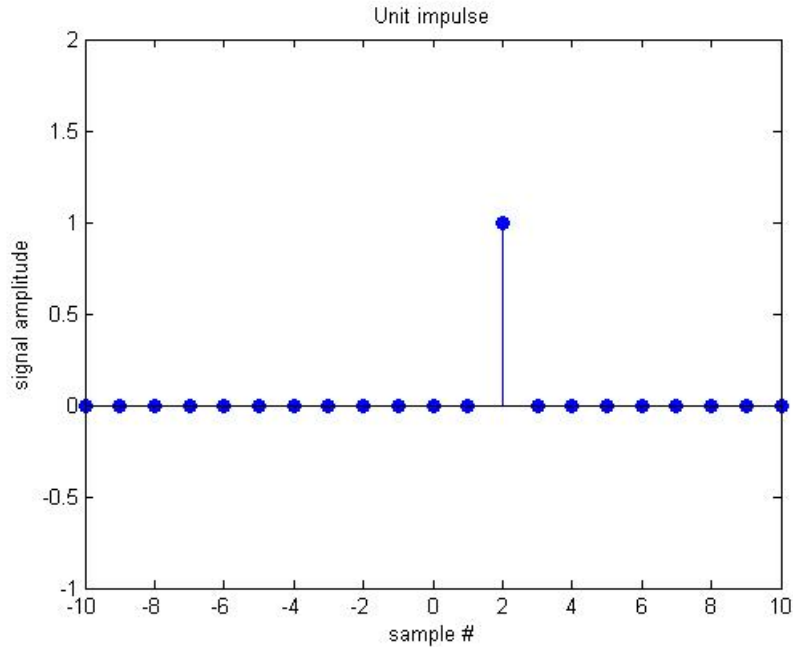
```
n=-10:10  
x1=[zeros(1,10) 1 zeros(1,10)];  
stem(n,x1,'filled');
```



**Example:**

**Generate an impulse sequence  $\delta[n-2]$ , for  $-10 \leq n \leq 10$**

```
n=-10:1:10;  
x=[zeros(1,12) 1 zeros(1,8)];  
stem(n,x,'filled');
```



**Unit Step Sequence**

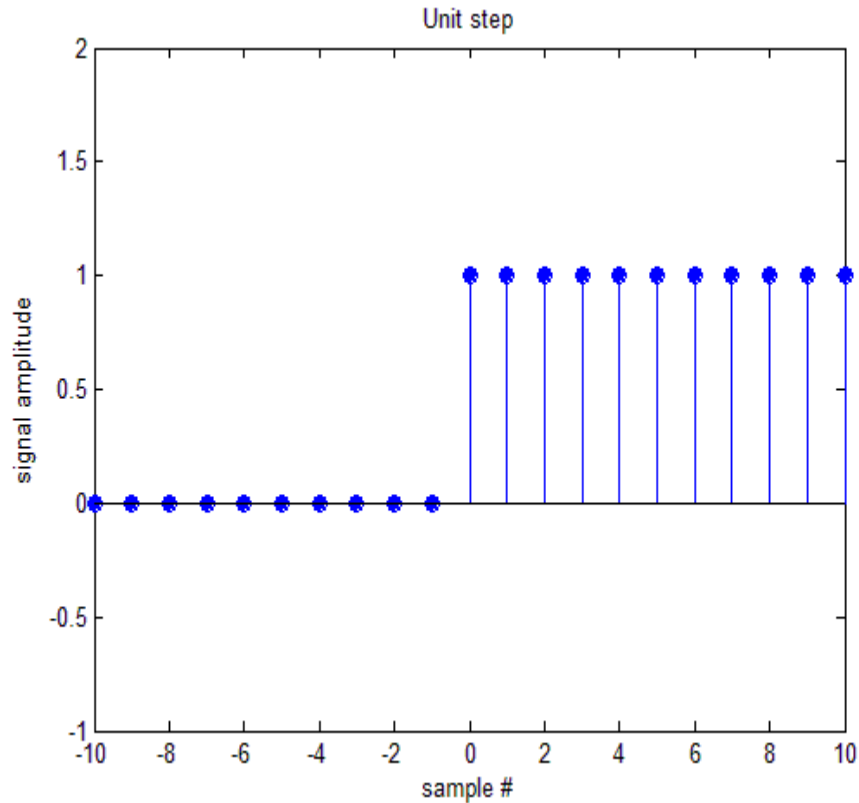
Unit Step signal is defined as follows

$$\mu(n) = \begin{cases} 1 & n \geq 0 \\ 0 & n < 0 \end{cases}$$

The signal has one amplitude on positive axis starting from zeroth index. Matlab code for the said signal is given below.

**Example:**

```
x1=[zeros(1,10) ones(1,11)];  
stem(n,x1,'filled');
```



**The built-in function Heaviside can also be used.**

### **Exponential Signals**

Exponential signal vary with respect to some exponent that may be real or imaginary. Two types of exponential signals are there.

#### **1. Real exponential signal**

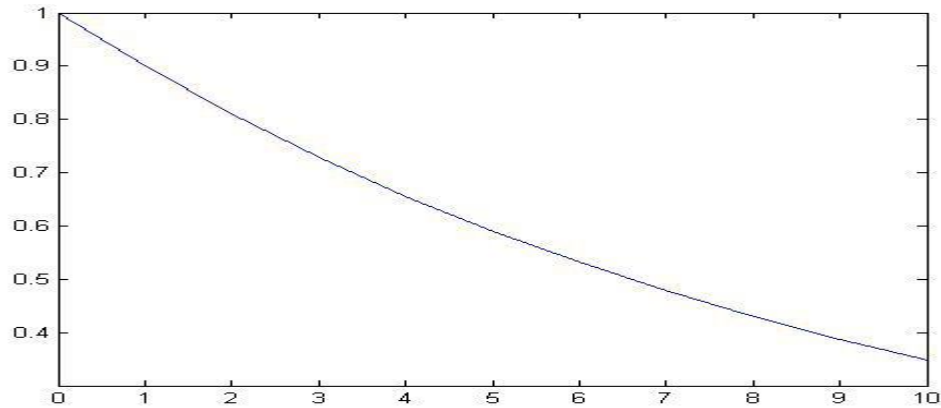
A real exponential is defined as follows.

$$X(n)=a^n$$

Example:  $X(n)=0.9^n$

We do it in Matlab as

```
n=0:10;
x=0.9.^(n);
plot(n,x)
```



The shape of the real exponential varies as decaying or rising exponentials. Depending upon the real constant, signal decays or rises.

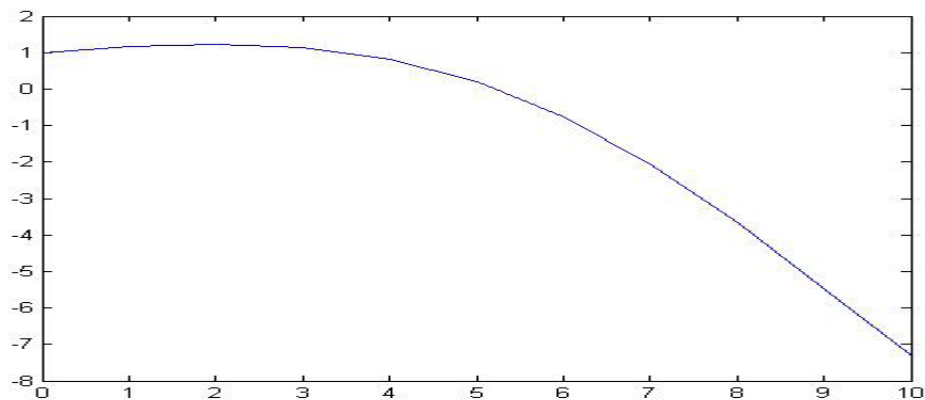
## **2. Complex Exponential signals**

Complex valued exponential signal is defined as

$$X(n)=e^{(a)n}$$

Matlab function for plotting the complex valued exponential is given below.

Example:  $x(n)=e^{an}$   $a=0.2+0.3j$   
 $n=0:10;$   
 $a=0.2+0.3j;$   
 $x=\exp(a*n);$   
 $\text{plot}(n,x)$



- The purpose of the command `real` is – to extract the real part of a Matlab vector.

### Real (x)

- The purpose of the command `imag` is – to extract the imaginary part of a Matlab vector.

### Imag(x)

### Unit Ramp:

Ramp signal is defined as

$$r(t) = \begin{cases} t & t \geq 0 \\ 0 & t = \textit{otherwise} \end{cases}$$

The amplitude values vary as domain increases. Ramp signals exists on positive side only.

Matlab Code for Unit ramp is given below.

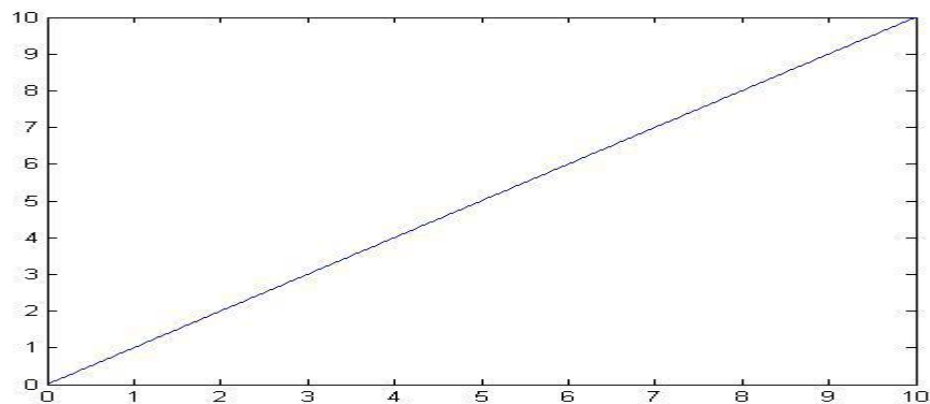
### Example:

```
t=0:0.01:10;
```

```
x=t;
```

```
plot(t,x)
```

Output signal is given below.



Another approach is to generate a ramp signal on shifted point or interval. Function for the shifted ramp is given below.

### Rectangular Pulse:

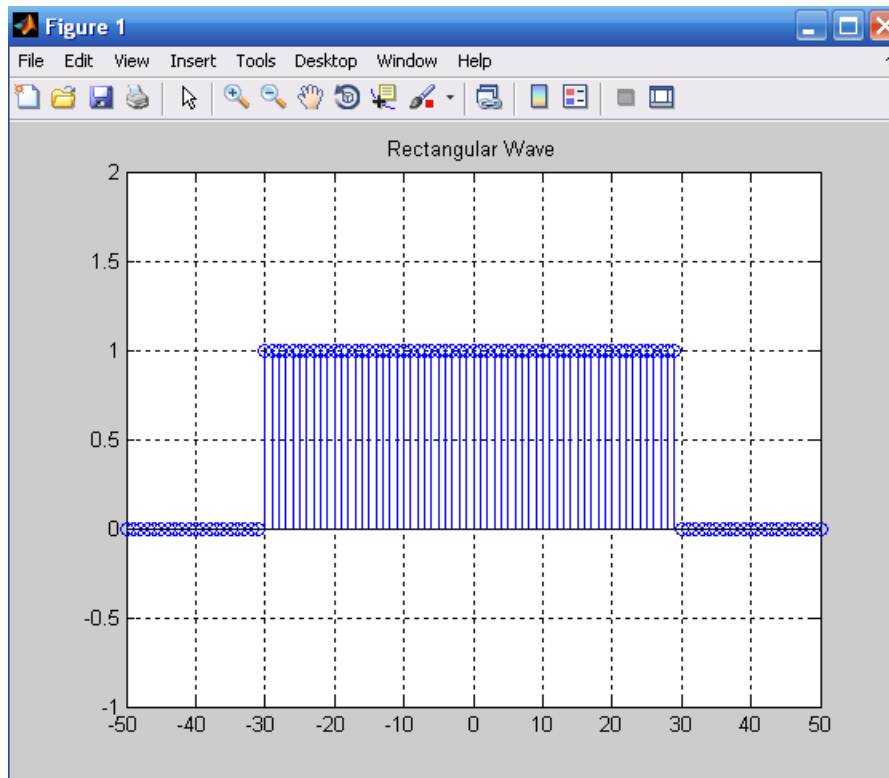
Rect signal is defined as

$$rect = \begin{cases} 1 & -1/2 \leq t \leq 1/2 \\ 0 & t = \textit{otherwise} \end{cases}$$

Rect signal produces a rectangular pulse of the width equal to the time interval with half of the width lying on negative side and half on positive side.

**Matlab code is given below.**

```
n=-50:50;  
Rect=[zeros(1,20) ones(1,60) zeros(1,21)];  
stem(n,Rect);  
axis([-50 50 -1 2]);  
grid on;  
title('Rectangular Wave')
```



## Post Lab Questions

a) What is a ramp signal?

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b) Differentiate between Unit impulse and Unit step.

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c) What is Dirac used for ?

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d) Write the following equation as you would write in Matlab.

$$f(x) = \begin{cases} a \cdot \exp(-\pi a^2 t^2), & x \leq t \leq Ts \\ 0, & \text{else} \end{cases}$$

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## Lab Tasks

### Task 1

- a) Use the impulse function to implement the following :

$$\underline{\mathbf{x[n] = 2\delta[n] + 5\delta[n-1] + 8\delta[n-2] + 4\delta[n-3] + 3\delta[n-4]}}$$

- b) Generate a unit step sequence.(other than the one done in Lab )

### Task 2

- a) Plot continuous and discrete signal of the following unit exponential signal

$$\mathbf{x(t)= e^{at}}$$

- b) Use the functions Heaviside and dirac to plot unit step and impulse respectively.

### Task 3

- a) Plot a ramp and a time reversed ramp function.
- b) Plot the real part and imaginary part of the following complex exponential signal.

$$\mathbf{x(n)=e^{(-0.1+0.3j)n}}$$