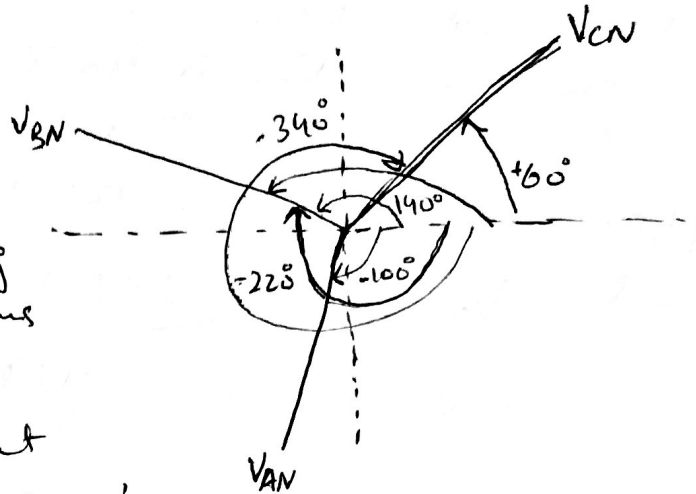


12.1: Find phase sequence of a three-phase motor for which $V_{AN} = 220 \angle -100^\circ V$ and $V_{BN} = 220 \angle 140^\circ V$.

Solution:-

If we draw it roughly, we can see that V_{AN} is leading V_{BN} and which in turn is leading V_{CN} .

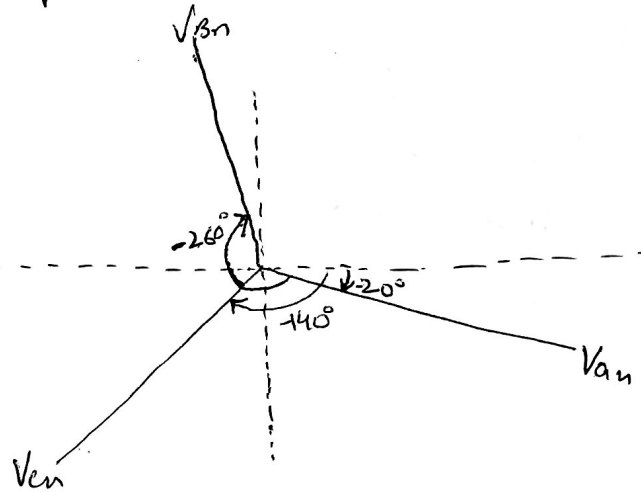
So we can say that the phase sequence is 'abc'.



12.2: If in an 'acb' phase sequence, $V_{an} = 100 \angle -20^\circ$, then find V_{cn} and V_{bn} .

Solution: $V_{an} = 100 \angle -20^\circ$

when we draw V_{an} and plot V_{cn} and V_{bn} w.r.t 'acb' phase sequence we can see that value of $V_{cn} = 100 \angle -140^\circ$ and $V_{bn} = 100 \angle -260^\circ$ or $V_{bn} = 100 \angle 100^\circ$



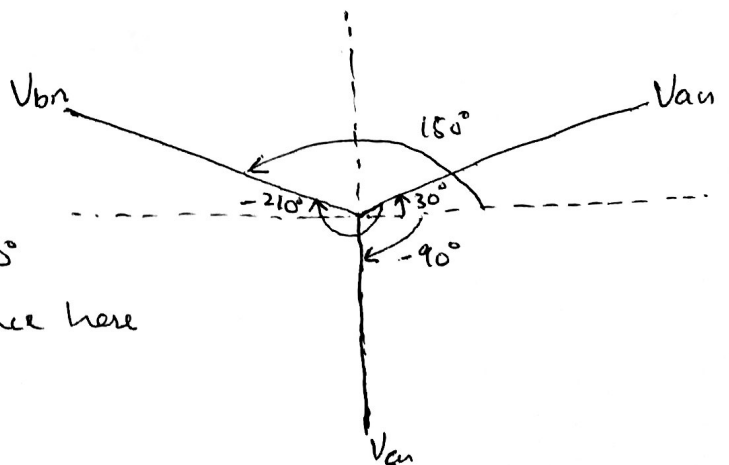
Problems:

12.2: Find phase sequence? $V_{an} = 120 \angle 30^\circ V$, $V_{cn} = 120 \angle -90^\circ V$
Find $V_{bn} = ?$

Solution: After drawing the given V_{an} and V_{cn} we can easily say that V_{cn} is lagging V_{an} by 120° . So, the phase sequence here is 'acb'.

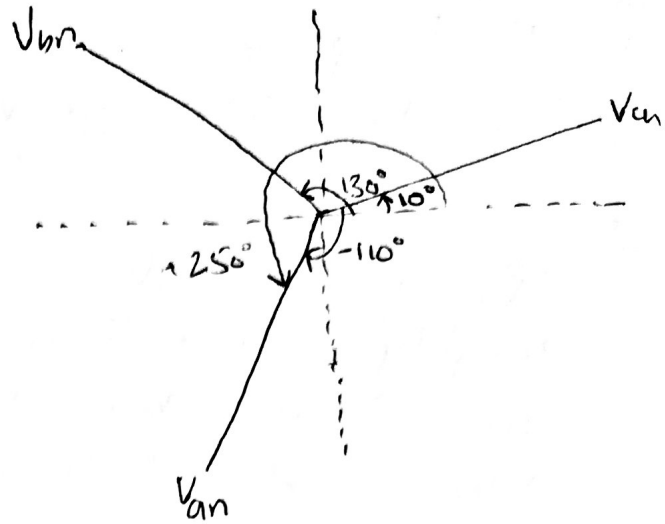
$$V_{bn} = 120 \angle 150^\circ V$$

$$\text{or } V_{bn} = 120 \angle -210^\circ V$$



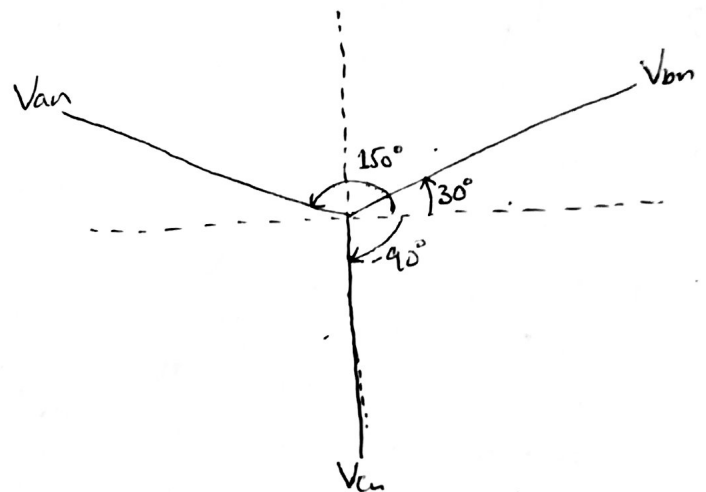
12.3 Find phase sequence, $V_{bn} = 440 \angle 130^\circ \text{ V}$, $V_{cn} = 440 \angle 10^\circ \text{ V}$.
Find $V_{an} = ?$

Solut. From plotting the V_{bn} and V_{cn} we can see the V_{bn} is leading V_{cn} by 120° , so, the phase sequence is 'abc' and $V_{an} = 440 \angle 250^\circ \text{ V}$
or $V_{an} = 440 \angle -110^\circ \text{ V}$.



PP. 12.1 Find V_{an} and V_{cn} , assume 'abc' phase sequence.
 $V_{bn} = 110 \angle 30^\circ \text{ V}$

Solut. From the plot of V_{bn} we can find $V_{an} = 110 \angle 150^\circ \text{ V}$
 $V_{cn} = 110 \angle -90^\circ \text{ V}$.



⇒ Importance of Power Factor:-

* As discussed earlier that power factor is the ratio of active power to the apparent power.

$$PF = P/S$$

* e.g. if PF is 0.8 : it means that induction motor will consume 80% of active power and 20% of reactive power.

* Loads with low PF are costly to serve because they require large currents.

Exp: 11.7: A factory consumes 200 MWh in one month.

Max demand is 16,000 kW, calculate the electricity bill based on the following two-part rate:

Demand charges: \$5.00 per month per kW of billing demand.

Energy charges: 8 cents per kWh for the first 50,000 kWh, 5 cents per kWh for remaining energy.

Solution: The demand charge is:

$$\$5.00 \times 16,000 = \$8,000$$

$$\boxed{\begin{array}{l} 200 \text{ MWh} \\ = 200,000 \text{ kWh} \end{array}}$$

The energy charge for first ~~the~~ 50,000 kWh is:

$$\$0.08 \times 50,000 = \$4,000$$

The remaining energy is $200,000 \text{ kWh} - 50,000 \text{ kWh} = 150,000 \text{ kWh}$

and its energy charges is:

$$\$0.05 \times 150,000 = \$7,500$$

Finally Total bill of month is:

$$= 8000 + 4000 + 7500 = \$19,500$$

Exp. 11.8: A 300kW load supplied at 13KV (rms) operates 520hrs a month at 80% PF. Calculate average cost per month based on this simplified tariff:

Energy charge: 6 cents per kWh

PF penalty: 0.1% of energy charge for every 0.01 that PF falls below 0.85.

PF credited: 0.1% of energy charge for every 0.01 that PF exceeds 0.85.

Solution: The energy consumed is.

$$W = 300\text{kW} \times 520\text{h} = 156,000\text{kWh}.$$

The operating PF = 80% is $\therefore = 0.8$ is 5×0.01 below the tariff of 0.85. \therefore the PF penalty charges is 0.5 percent.

This amount to an energy of:

$$\Delta W = 156,000 \times \frac{5 \times 0.1}{100} = 780\text{kWh}$$

Total energy is:

$$W_t = W + \Delta W = 156,000 + 780 = 156,780\text{kWh}.$$

The cost per month is:

$$\text{Cost} = 6\text{cents} \times W_t = 0.06 \times 156,780 = \$9,406.80$$