

# Final Term

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Subject : PRCD-1

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Section : B

## Stirrup:-

Stirrups are close-loop bars tied at regular intervals in beam to hold the bars in position.

## Types of Stirrups:-

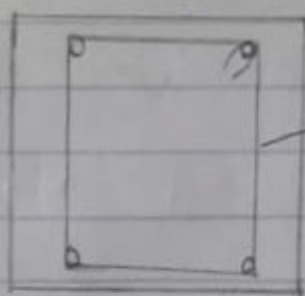
### 1) Single legged Stirrup:-

The single-leg stirrups have rarely been used because they are mostly used when binding only two rods.



### 2) Two legged Stirrup:-

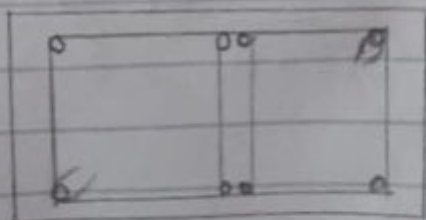
It is most commonly and widely used stirrup. Minimum 4 bars are required for providing this stirrup.



→ 2 legged stirrup

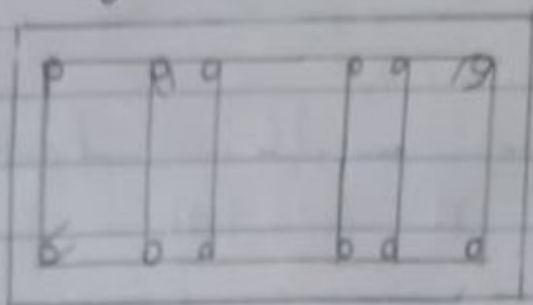
### 3) Four legged stirrup:-

These stirrups are used in case of web reinforcement.



→ 4 legged stirrup

#### (4) Six legged Stirrup:-



#### ACI Codes for shear Design of a Beam:-

According to ACI-318, following are the formulas used for the shear design of a Beam-

##### 1) Critical section:-

Critical section at  $45^\circ$  and equal to effective depth.

##### (2) Shear strength capacity of concrete is:-

$$V_c = 2 \times \sqrt{f'_c} \times b_w \times d$$

##### (3) Minimum Web Reinforcement:-

$$A_{\min} = 0.75 \times \frac{\sqrt{f'_c} \times b_w \times s}{f_y} \quad \text{or} \quad \frac{50 \times b_w \times s}{f_y} \quad \left[ \begin{array}{l} \text{Higher} \\ \text{value is} \\ \text{Selected} \end{array} \right]$$

By interchanging the above formulas we can obtain the formula for maximum spacing.

$$s_{\max} = \frac{A_u \times f_y}{0.75 \times \sqrt{f'_c} \times b_w} \quad \text{or} \quad \frac{A_u \times f_y}{50 \times b_w} \quad \left[ \begin{array}{l} \text{Lesser} \\ \text{value} \\ \text{is selected} \end{array} \right]$$



(4) No Web-reinforcement is required if

$$V_u < \frac{1}{2} \phi V_c$$

→ B/w Critical section " $V_u$ " and " $\phi V_c$ "  
Spacing b/w Web reinforcement can be find as

$$s = \frac{\phi \times A_u \times f_y \times d}{V_u - \phi V_c}$$

(5) if  $V_s \leq 4 \times \sqrt{f'_c} \times b_w \times d$ , then Max  
Spacing for stirrups will be smallest of the  
following:

1) 24"

2)  $d/2$

(3)  $s_{\max} = \frac{A_u \times f_y}{0.75 \times \sqrt{f'_c} \times b_w}$

(4)  $s_{\max} = \frac{A_u \times f_y}{s_o \times b_w}$

⇒ If  $V_s > 4 \times \sqrt{f'_c} \times b_w \times d$

Max: Spacing will be have

⇒ If  $V_s > 8 \times \sqrt{f'_c} \times b_w \times d$

Then either increase cross-sectional  
dimensions or increase  $f'_c$ .