

---

---

**Name: Sajawal Khan**

**ID: 14756**

**Department: BS(cs) 4<sup>th</sup>**

**Paper: DESIGN & ANALYSIS OF ALGORITHM**

---

---

Date: \_\_\_\_\_

①

Q1:-

① Vertex

② Multiple / Parallel Edge

③ Adjacent edges

④ Simple Path

⑤ Cycle

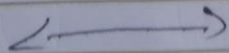
⑥ Source Node

⑦ Sink

⑧ Isolated or Null Graph

⑨ Regular Graph

⑩ Labeled Graph



Q

Q2:-

$$\textcircled{1} D-y^*(F/G)$$

Sol:-

Pre fix:-

$$\underline{D-y} \times (F/G)$$

$$-D \underline{y} \times (F/G)$$

$$-D \times \underline{y} (F/G)$$

$$= D \times y (F/G)$$

Post - fix:-

$$\underline{D-y} \times (F/G)$$

$$\underline{D} \underline{y} \times (F/G) -$$

$$\underline{D} \underline{y} (F/G) \underline{x} -$$

$$D y (F/G) x -$$

(3)

(ii)  $T/W^R + S^*M - y^k$   
Sol:-

Pre fix:-

$$\underline{T/W^R + S^*M - y^k}$$

$$+ \underline{T/W^R} \quad \underline{S^*M} - \underline{y^k}$$

$$+ \underline{T/W^R} - \underline{S^*M} \quad \underline{y^k}$$

$$+ \underline{T/W^R} - \underline{S^*M} \quad \underline{y^k}$$

$$+ \underline{T/W^R} - x \underline{S^*M} \quad \underline{y^k}$$

$$+ \underline{T/W^R} - x \underline{S^*M} \quad \underline{y^k}$$

$$+ \underline{T/W^R} - x \underline{S^*M} \quad \underline{y^k}$$

$$+ \underline{T/W^R} - x \underline{S^*M} \quad \underline{y^k}$$

Post fix:-

$$\underline{T/W^R} + \underline{S^*M - y^k}$$

$$\underline{T/W^R} \quad \underline{S^*M - y^k} +$$

$$\underline{T/W^R} \quad \underline{S^*M} \quad \underline{y^k} - +$$

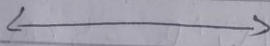
④

$$\underline{I} \underline{W}^R / \underline{S} \times \underline{M} \underline{y}^k - +$$

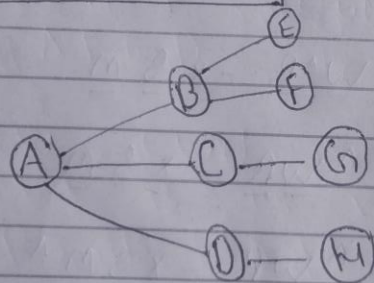
$$\underline{I} \underline{W}^R / \underline{S} \times \underline{M} \underline{y}^k - +$$

$$\underline{I} \underline{W}^R / \underline{S} \times \underline{M} \underline{y}^k - +$$

$$\underline{I} \underline{W}^R / \underline{S} \times \underline{M} \underline{y}^k - +$$



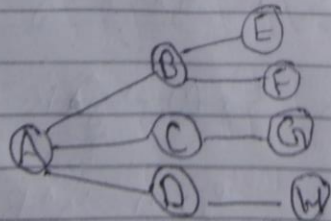
Question 3:-



① Add Root A.

\* Mark A

A is CWN



output

sequence

A

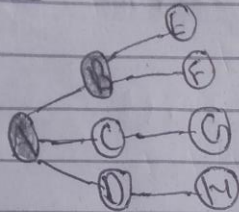
5

2 A is adjacent to B, C, D

• Push B into sequence

• mark B visited

[B]



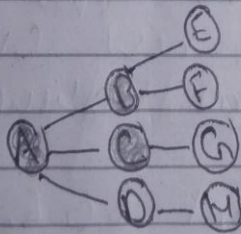
3 The adjacent node is now

• C is pushed into the queue

• mark C as visited

• C is added to output sequence

[B|C]



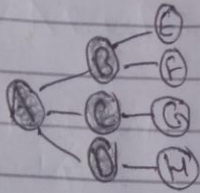
output sequence

A, B, C

(6)

- (4) Now 2(D) is adjacent to A
- Push D into queue
  - Mark D visited
  - Add D to output sequence

B | C | D

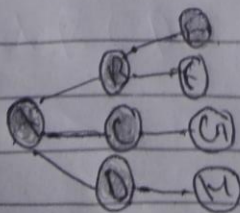


Output Sequence  
A, B, C, D

- Now CWN is updated
- Now B is new CWN
- Pop B from queue.

- (5) B is adjacent to E, F
- Push E into queue
  - Mark E as visited
  - Add E to output sequence

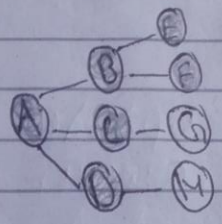
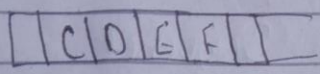
| C | D | E



Output Sequence  
A, B, C, D, E

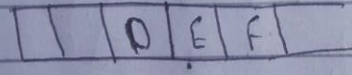
⑦

- ⑥ Select the adjacent node "f"
- \* Push f into queue
- \* mark f as visited
- \* Add f to output sequence

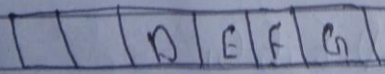


Output Sequence  
A, B, C, D, E, F

Update CWN to 'C'  
Pop C from queue

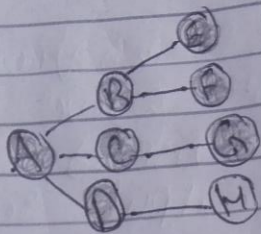


- ⑦ Adjacent node is 'G' now
- \* G is pushed in queue
- \* mark 'G' as visited
- \* Add G in output sequence





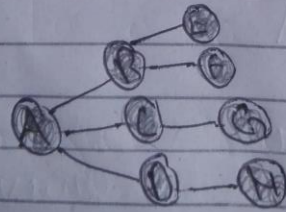
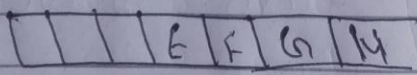
⑧



Output Sequence  
A, B, C, D, E, F, G

→ Now CWN is updated to 'D'  
→ POP D from Queue

- ⑧ 'M' is adjacent to 'D'
- ▶ Push M into Queue
- ▶ Mark M as visited
- ▶ add M to output sequence



Output Sequence

A, B, C, D, E, F, G

(9)

→ Now update CWN is E

→ Pop E from Queue

[ ][ ][ E ][ G ][ M ]

→ No adjacent to E

→ Update CWN to F

→ Pop F

[ ][ ][ ][ G ][ M ]

→ No adjacent to F

→ Update CWN 'G'

→ Pop G from queue.

[ ][ ][ ][ ][ M ]

→ No adjacent to G

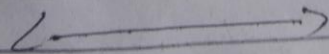
→ Update CWN 'M'

→ Pop M from queue

[ ][ ][ ][ ]

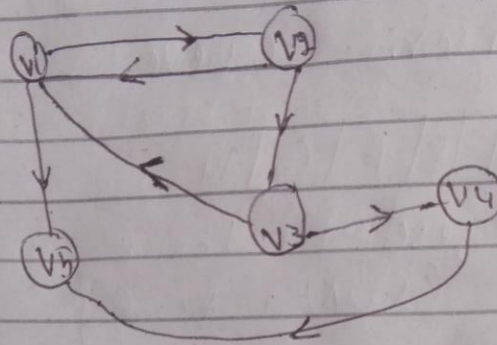
→ No adjacent to M

→ Queue is empty. BFS stops.



(10)

Question (4)



number of nodes =  $m = 5$

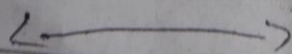
order of  $A = m \times m$

$= 5 \times 5 = 25$

	$v_1$	$v_2$	$v_3$	$v_4$	$v_5$	
$v_1$	0	1	0	0	1	2
$v_2$	1	0	1	0	0	2
$v_3$	1	0	0	1	0	2
$v_4$	0	0	0	0	1	1
$v_5$	0	0	0	0	0	0

in degree: 2 1 1 1 0

out degree: 7



Q5

11

$$A = \begin{bmatrix} 0 & 1 & 0 & 1 & 1 \\ 1 & 1 & 1 & 0 & 0 \\ 0 & 0 & 1 & 1 & 0 \\ 0 & 1 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 1 \end{bmatrix}$$

order of  $A = m \times n$   
 $= 5 \times 5$   
 $= 25$

Number of Nodes = 5

Let Nodes be  $v_1, v_2, v_3, v_4, v_5$

