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Section B

Semester 6th

Subject - "Geotechnical Engineering"

Submitted To,

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Q.1

(1) Plastic Equilibrium :-

part
(a)

It can be define as; A body of a soil is said to be in plastic Equilibrium if every points of it on the verge of Failure. And other word plastic Equilibrium is the state of stress with in a Soil mass or portion where of that has been deformed to such an extent that its ultimate shearing resistance is mobilized.

(2) Angular Distortion :- (B)

Angular distortion is the ratio of differential settlement of 'b' and the discharge dischance 'l' b/w two points.

For Example;

When two Foundations support walls/columns settle

Unequally it means the
Structure is subjected
to Angular distortion.

(3) Compressive Index :-

Compressive
index is use to
Find the Settlement in
the normally Consolidated
clay. The total stress
applied is larger than
the stress in the field
to which the soil
Sample has been undergone

Mathematical Form;

$$C_c = \frac{\Delta e}{\log_{10} \left(\frac{P_2}{P_1} \right)}$$

⊙ Δe = change in void Ratio.

⊙ P_1 = Is the Pressure when
the void Ratio is ' e_1 '

⊙ P_2 = Is the Pressure
when void Ratio is ' e_2 '

⊙ C_c denoted Compressive Index

(4) Ultimate bearing Capacity :-

It is define as,

The maximum pressure at the base of footing that causes shear failure it is called ultimate bearing capacity

① It is denoted by " q_u "

Mathematical Form

$$q_u = q_{nu} + \bar{q}$$

① q_{nu} = Net ultimate bearing capacity.

① \bar{q} = Over burden pressure

$$\therefore \bar{q} = \gamma \times D_f$$

① γ = Unit wt of soil

① D_f = Depth of Footing.

(5) Poisson Ratio of Soil :-

Poisson Ratio is the negative ratio of transverse to axial strain.

⊙ The Poisson Ratio of Stable, Isotropic and a linear material can not be less than -1.0 nor greater than 0.5 with the latter being a value typically associated with a perfectly incompressible material.

part
(b)Given Data :-

$$\odot \text{ Height of wall} = 'H' = 6\text{m}$$

$$\odot C = 0$$

$$\odot \phi = 30^\circ$$

$$\odot \gamma = 19.2 \text{ kN/m}^3$$

$$\odot \text{ Slops } \odot H = 3$$

$$\odot V = 1$$

Required :-

$$\odot \frac{Pa}{b} = ?$$

$$\odot \frac{Va}{b} = ?$$

Solution :-

We know that,

$$\frac{Pa}{b} = \frac{\gamma \times H^2 \times Ka}{2} \quad \text{--- eq (i)}$$

Also we know

$$\tan \beta = \frac{1}{3}$$

$$\beta = \tan^{-1} \left(\frac{1}{3} \right)$$

$$\boxed{\beta = 18^\circ}$$

As

$$K_a = \cos\beta * \frac{\cos\beta - \sqrt{\cos^2\beta - \cos^2\phi}}{\cos\beta + \sqrt{\cos^2\beta - \cos^2\phi}}$$

put $\beta = 18^\circ$ & $\phi = 30^\circ$

$$K_a = \cos(18) * \frac{\cos(18) - \sqrt{\cos^2(18) - \cos^2(30)}}{\cos(18) + \sqrt{\cos^2(18) - \cos^2(30)}}$$

$$K_a = 0.3948 \text{ (Rounding off)}$$

$$\boxed{K_a = 0.395}$$

Now ev (i)

$$\frac{P_a}{b} = \frac{\gamma * H^2 * K_a}{2}$$

$$\frac{P_a}{b} = \frac{19.2 * (6)^2 * 0.395}{2}$$

$$\boxed{P_a/b = 136.512 \text{ KN/m}} \text{ --- (ii)}$$

And

$$\odot \frac{N_a}{b} = \frac{P_a}{b} * \cos\beta \text{ --- (iii)}$$

put ev (ii) in (iii)

$$\frac{N_a}{b} = 136.512 * \cos(18)$$

$$\boxed{\frac{N_a}{b} = 129.83 \text{ KN/m}}$$

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$$\odot \frac{V_a}{b} = \frac{P_a}{b} \sin \beta \quad \text{---(iv)}$$

put values in eq (iv)

$$\frac{V_a}{b} = 136.152 \times \sin(18)$$

$$\boxed{\frac{V_a}{b} = 42.18 \text{ KN/m}}$$

thus the Required results
of $\frac{V_a}{b}$ and $\frac{N_a}{b}$

Q.2
part
(a)

Bearing Capacity :-

It is a engineering property of soil due to which the soil resist the applied load.

© It is also called the internal strength of soil.

© It is denoted by " ϕ "

Factors Effecting bearing Capacity:

(1) Relative Density of Soil :-

If the relative density of a soil is greater than their value will be higher value of angle of internal friction " ϕ ". As high value of angle of internal friction as a result higher value of Terzaghi bearing factors (N_c , N_q , and N_γ)

© (N_c , N_q and N_γ) is higher

value as a result
high value of bearing
capacity.

⊙ Soil having enough
relative density will
have enough bearing capacity.

$$\therefore \gamma_{\text{relative}} = \frac{e_{\text{max}} - e}{e_{\text{max}} - e_{\text{min}}}$$

(2) Depth of Footing :-

The bearing
capacity is increase with
increase the footing i.e
when we increase footing
as a result higher
value of bearing capacity.

-∴ Df ↑

-∴ σ ↑

⊙ This increase will be
maximum for dense soil
as compared with loose
soil.

(3) Width of Footing :-

The bearing capacity is increased with the footing. when we increase the width of the footing.

⊙ if the base of the footing increases then it sustained more load because area (width) is increased.

(4) Unit weight of Soil :-

As unit weight of soil increases then the bearing capacity also increased.

(5) Cohesion of Soil :-

If the soil is more cohesive then the bearing capacity also more value.

(6) Water table :-

If water table rises then bearing capacity reduced to half.

part
(b)Given Data:-

- ⊙ Dimension = $B \times L$
= $2\text{m} \times 3\text{m}$
- ⊙ Depth of footing = $D_f = 1.6\text{m}$
- ⊙ F.O.S = 3
- ⊙ Unit wt of Soil $\gamma = 18\text{KN/m}^3$
- ⊙ Angle of Shear Resistance $\phi = 20^\circ$
- ⊙ Cohesion $C_u = 20\text{KN/m}^2$
- ⊙ used Meyerho Analysis.

Required:-Maximum Safe load = $V_s = ?$ Solution:-

We know that:

$$V_u = C N_c S_c d_c i_c + \gamma N_s S_d i_s + 0.5 \gamma B N_r S_r d_r i_r$$

As

$$i_c = i_s = i_r = 1$$

Then

$$Q_u = C N_c s_e d_c + \gamma N_q s_q d_q + 0.5 \gamma B - \frac{N_r s_r d_r}{N_r s_r d_r}$$

First we will Find

Slope Factors:-For Slope $\alpha = ?$

$$\alpha = 45 + \frac{\phi}{2} = 45 + \frac{20}{2}$$

$$\boxed{\alpha = 55^\circ}$$

Now

$$S_c = 1 + 0.2 \left(\frac{B}{e} \right) \tan^2 \alpha$$

$$S_c = 1 + 0.2 \left(\frac{2}{3} \right) \tan^2 (55)$$

$$\boxed{S_c = 1.3}$$

 $\phi > 10$ So

$$S_d = S_q = 1 + 0.1 \left(\frac{B}{e} \right) \tan^2 \alpha$$

$$S_d = S_q = 1 + 0.1 \left(\frac{2}{3} \right) \tan^2 (55)$$

$$\boxed{S_d = S_q = 1.14}$$

Now Depth Factors:-

$$d_s = d_w = 1 + 0.1 \left(\frac{D}{B} \right) \tan \alpha$$

$$d_s = d_w = 1 + 0.1 \left(\frac{1.6}{2} \right) \tan (55)$$

$$\boxed{d_s = d_w = 1.11}$$

$$d_c = 1 + 0.2 \left(\frac{D}{B} \right) \tan \alpha$$

$$d_c = 1 + 0.2 \left(\frac{1.6}{2} \right) \tan (55)$$

$$\boxed{d_c = 1.23}$$

As

$$q_u = C N_c S_c d_c + \gamma N_q S_q d_w + 0.5 \gamma B N_q S_d d_r$$

put values

$$\therefore B = 2m$$

$$q_u = (20 \times 14.8 \times 1.3 \times 1.23) + (18 \times 1.6) \times (6.4 \times 1.1 \times 1.14) + 0.5 \times 20 \times 2 \times 2.9 \times 1.11 \times 1.14$$

$$\boxed{q_u = 762 \text{ kN/m}^2}$$

$$q_{n.u} = q_u - \frac{\gamma}{2} \quad \therefore \frac{\gamma}{2} = \gamma \times D_f$$

$$q_{n.u} = 762 - (18 \times 1.6)$$

$$q_{n.d} = 733.2 \text{ KN/m}^2$$

We know that

$$q_{n.s} = \frac{q_{n.d}}{F.O.S} = \frac{733.2}{3}$$

$$q_{n.s} = 244.4 \text{ KN/m}^2$$

As Safe bearing Capacity

$$q_s = q_{n.s} + \hat{\sigma}$$

$$q_s = 244.4 + (18 \times 1.6)$$

$$q_s = 273.2 \text{ KN/m}^2$$

Total Safe load on Rectangular Footing

$$= q_s \times \text{Area} \quad \because A = 2 \times 3$$

$$= 273.2 \times (2 \times 3)$$

$$= 1639.2 \text{ KN}$$

Thus the Required Result:

Q.3
part
(a)

Settlement :-

When a load is applied on the ground surface this will produce effective vertical stresses due to which the effective vertical strain will be produce as a result of which the movement will occur in downward direction. This downward movement is called Settlement.

Types of Settlement :-

On the bases of movement of structure it is divided into two type.

1. Total Settlement or uniform Settlement

2. Differential Settlement.

(1) Total Settlement :-

⊙ In this types of settlement each part of structure will settlement equally.

⊙ In Failure in total Settlement not much danger as compare to Differential Settlement. Because total Settlement Sink. in equal magnitude.

⊙ Mostly Occure in rigid footing.

⊙ It effect the following utility Services.

- ⊙ water Supply
- ⊙ electricity.
- ⊙ Sewage line
- ⊙ Telephone
- ⊙ also may be decrease and Structure will remain Sound (Beam, column, slab settle in same magnitude)

Limitation For Total Settlement:-

⊙ The soil layer to which the load is to be transfer should be sufficient in bearing to resist the load which is to be applied on it.

⊙ To Spread the Coming load over larger area.

(2) Differential Settlement :-

⊙ In differential Settlement each parts of a Structure settle "unequally".

⊙ More danger than total Settlement.

Because it cause more damage to a Structure as compared to total Settlement.

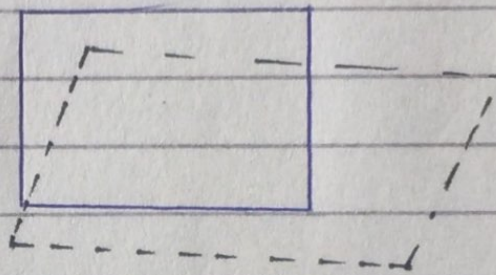
"Types OF Differential Settlement"

There are two types of Differential Settlement.

1. Tilt
2. Angular Distortion

(1) Tilt :-

If the entire structure rotates due to unequal settlement is called tilt.



Tilt Fig (a)

(2) Angular Distortion :-

When the two structures wall/column settle unequally it means that the structure is subjected to Angular Distortion.

part
(b)Given Data :-

- ⊙ Compressive Index = $C_c = 0.31$
- ⊙ $P_1 = 130 \text{ kN/m}^2$
- ⊙ $e_0 = 1.02$
- ⊙ $P_2 = 170 \text{ kN/m}^2$
- ⊙ thickness = $H = 5 \text{ m}$

Required :-

$$e_1 = ?$$

$$S_c = ?$$

Solution :-

we know that:

$$C_c = \frac{\Delta e}{\log_{10} \left(\frac{P_2}{P_1} \right)} \quad \therefore \Delta e = e_0 - e_1$$

$$C_c = \frac{1.02 - e_1}{\log_{10} \left(\frac{170}{130} \right)} \quad \therefore C_c = 0.31$$

$$0.31 = \frac{1.02 - e_1}{\log \left(\frac{170}{130} \right)}$$

$$\boxed{e_1 = 0.983}$$

$$\textcircled{a} S_c = ?$$

We have

$$S_c = \frac{H}{1 + e_0} * C_c \log_{10} \left(\frac{P_2}{P_1} \right)$$

$$S_c = \frac{5}{1 + 0.02} * 0.31 \log_{10} \left(\frac{170}{130} \right)$$

$$S_c = 0.0893 \text{ m}$$

$$\because 1 \text{ m} = 1000 \text{ mm}$$

$$\boxed{S_c = 89.3 \text{ mm}}$$

Thus the Required Results //