

Department of Electrical Engineering

Assignment

B.tech(E)

Date: 14/04/2020

Course Details



Course Title: Electromagnetic Fields
Instructor: Perniya akram

Module: 4th
Total Marks: 30

Student Details

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Q1.	(a)	State the relationship between potential and electric field intensity with relevant example.	Marks 5
	(b)	Consider a point A(1,-2.2), Find a unit vector extending from point A.	Marks 5
Q2.	(a)	Three charged particles are arranged in a line as shown in figure below. Charge A = $-3 \mu\text{C}$, charge B = $+8 \mu\text{C}$ and charge C = $-9 \mu\text{C}$. Calculate the net electrostatic force on particle B due to the other two charges. 	Marks 10
Q3.	(a)	a) A uniform electric field $E = 6000 \text{ N/C}$ passing through a flat square area $A = 10 \text{ m}^2$. Determine the electric flux. 	Marks 5
	(b)	'Electric flux density is a function of charge', Comment how and explain the effect of charge on flux density.	Marks 5

Question 1(a)

Relationship between Potential and Electric field Intensity

- * Electric field is a vector quantity while Electric potential is a scalar quantity
- * Electric field is described as the amount of force per charge while the electric potential is described as the amount of energy or work per charge
- * Electric field is measured in Newton's per Coulomb or volt per meter while electric potential is measured in unit volts or joules per coulomb.

Question 1 (b)

Given Data

point A (1, -2, 2)

Required data

unit vector $\vec{a}_A = ?$

Solution

First we construct the vector extending from the origin to point A

$$A = a_x - 2a_y + 2a_z$$

we can first find magnitude of A

$$|A| = \sqrt{(1)^2 + (-2)^2 + (2)^2}$$
$$= \sqrt{1+4+4}$$

$$|A| = 3$$

unit vector $\vec{a}_A = \frac{A}{|A|} \rightarrow (A)$

$$\vec{a}_A = \frac{a_x - 2a_y + 2a_z}{3}$$

$$= \frac{1}{3} a_x - \frac{2}{3} a_y + \frac{2}{3} a_z$$

$$\vec{a}_A = 0.333a_x - 0.667a_y + 0.667a_z$$

Question 2

Given data

$$\text{charge A} = -3 \mu\text{C} = -3 \times 10^{-6} \text{ C}$$

$$\text{charge B} = +8 \mu\text{C} = 8 \times 10^{-6} \text{ C}$$

$$\text{charge C} = -9 \mu\text{C} = -9 \times 10^{-6} \text{ C}$$

Distance between point A and B = 6 cm = 0.06 m

Distance between point B and C = 4 cm = 0.04 m



Required data

Net electrostatic force on particle B due to the other two charges. = ?

Solution

As we know

$$F_B = F_{AB} - F_{BC} \rightarrow \text{1)}$$

Now we ist find F_{AB} and F_{BC}

$$F_{AB} = \frac{k q_A q_B}{(r_{AB})^2} \rightarrow \text{A)}$$

Put value in equation A)

age
4

$$= \frac{9 \times 10^9 \times -3 \times 10^{-6} \times 8 \times 10^{-6}}{(0.06)^2}$$

$$= \frac{-216 \times 10^{-3}}{0.0036}$$

$$= -60,000 \times 10^{-3}$$

$$F_{AB} = -60 \text{ N}$$

So

$$F_{BC} = \frac{k q_B q_C}{(r_{BC})^2} \rightarrow (13)$$

put value in equation 13

$$F_{BC} = \frac{9 \times 10^9 \times 8 \times 10^{-6} \times -9 \times 10^{-6}}{(0.04)^2}$$

$$= \frac{-648 \times 10^{-3}}{0.0016}$$

$$= -405 \text{ N}$$

put value of F_{AB} and F_{BC} in equation

$$F_B = F_{AB} - F_{BC} \rightarrow (14)$$

$$= -60 - (-405)$$

$$= -60 + 405$$

$$= 345 \text{ N}$$

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Question 3(a)

Given Data

$$E = 6000 \text{ N/C}$$
$$A = 10 \text{ m}^2$$

Required data

Electric flux = ?

Solution

The formula of electric flux

$$\Phi = E A \cos \theta$$

Φ = electric flux (Nm²/C)

E = Electric field (N/C)

θ = angle between electric field line with the normal line.

Now putting value in formula

$$\Phi = E A \cos \theta$$

$$= (6000)(10)(\cos \theta)$$

$$\Phi = 60,000 \text{ Nm}^2/\text{C}$$

$$\Phi = 6 \times 10^4 \text{ Nm}^2/\text{C}$$

Question 3(b)

Answer

Electric flux density assigned the symbol D is an alternative to dielectric field intensity (E) is a way to quantify an electric field. This alternative description offers some actionable insights as we shall point out at the end of this section.

first what is electric flux density?

Recall that ~~charge~~ and R^{\wedge} points

particle charge q give rise to the

electric field intensity = $R^{\wedge} \frac{1}{4\pi R^2} E = R^{\wedge} \frac{1}{4\pi R^2} q$

R is distance from charge. R^{\wedge} point away from charge. E is inversely proportional to $4\pi R^2$. integrating both side of

Equation over a Sphere S and R .

we know that $ds = R^{\wedge} ds$ in this case and also that $R^{\wedge} = 1$ R.H.S simplifies

$$q \frac{1}{4\pi R^2} \int_E \oint_S ds$$