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SECTION

A .

SUBJECT PAPER

FLUID MECH .

SUBMITTED  
TO

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Ans: Viscosity :- Viscosity is the property of fluid which opposes the relative motion b/w the two surface of the fluid. Different fluid have different viscosity depends upon the intermolecular forces in fluid. for example: Honey has greater viscosity than water.

NEWTON EQUATION OF VISCOSITY :-

This equation states that shear stress in a fluid is directly proportional to shear strain.

→ The unit of viscosity is poise.

MATHEMATICALLY:-  $\tau \propto \frac{du}{dy}$

$\tau \rightarrow$  shear stress

$$\tau \propto \frac{du}{dy}$$

change the sign

$$\tau = \mu \frac{du}{dy}$$

$\mu =$  viscosity (dynamic viscosity)

$$\mu = \tau \frac{dy}{du}$$

→ Newton law of viscosity also called Newton fluids.

## PART B :-

(P2)

DENSITY :- Define as "Mass per unit volume"  
known as density

$$\text{Density} = \frac{\text{Mass}}{\text{Volume}}$$

Denoted as

$$\rho = m/V$$

$$\text{unit} = \text{kg/m}^3$$

⇒ Specific weight :- Also known as unit weight  
Is the weight per unit volume of material.

Specific weight of water on earth at  $4^\circ\text{C}$   
while is  $9.807 \text{ kN/m}^3$  or  $62.43 \text{ lb/ft}^3$ .

Also used for relative density

Denoted by  $w$

$$w = \frac{\text{weight}}{\text{Volume}}, \text{ N/m}^3$$

⇒ Relationship b/w Density & Specific weight

Density is simply mass per unit volume of a  
body where Specific weight per unit volume  
of a body.

e.g: A body will have same density in  
space but will have different specific  
weight.

$$W = w/v$$

We know that  $w = mg$ .

$$w = mg/v$$

As we know that

$$w = \rho g$$

$$\rho = \frac{m}{V} \quad \therefore \rho \text{ is known as density.}$$

⇒ SPECIFIC VOLUME  $\Rightarrow$  Reciprocal of density

Stated as  $\rightarrow$  Volume of a fluid occupied per unit mass.

$$V = \frac{V}{m}$$

$$V = m^3$$

$$m = \text{kg}$$

$$V = m^3/\text{kg}$$

$$\left( V = \frac{1}{\rho} \right)$$



## PART c

Given data

$$V = 0.72 \text{ m}^3/\text{kg}$$

Required data

Specific weight in  $\text{N/m}^3$ ?

Solution: As we know that

$$V = \frac{1}{\rho}$$

So density  $\rho = \frac{1}{V}$

Put the given the data.

$$\rho = \frac{1}{0.72} = 1.389 \text{ kg/m}^3$$

As we know that

$$\text{Specific weight } w = \rho \times g$$

$$1.389 \times 9.8$$

$$13.62 \text{ N/m}^2 \quad \underline{\quad}$$

ANSWER TO QUESTION NO 2 :-

(P5)

## PART A PRESSURE :-

Pressure means force per unit area exerted by a fluid on the surface of the container

$$P = F/A$$

where  $F =$  Force (in newton)

$A =$  Area (meter).

→ The force applied perpendicular to the surface of an object per unit area over which that force is distributed.

→ There are two types of Pressure :-

- \* static pressure.
- \* dynamic pressure.

→ UNIT :- Pascal (Pa)

Dimension :  $ML^{-1}T^{-2}$

⇒ GUAGE PRESSURE :- (i) Gauge pressure is the relative of atmospheric pressure.

(ii) Gauge pressure is zero referenced against ambient air pressure. So it is equal to absolute pressure minus atmospheric pressure. Negative signs are usually omitted.

(iii) Gauge pressure is positive for above atmospheric pressure but negative in below atmospheric pressure.

→ Total pressure or absolute pressure is the P<sub>6</sub>  
Sum of gauge pressure & atmospheric pressure.

$$P_{ab} = P_g + P_{atm}$$

Where

$P_{abs}$  : Absolute pressure.

$P_g$  : Gauge pressure

$P_{atm}$  : Atmospheric pressure.

### ABSOLUTE PRESSURE :-

Total pressure at a point  
in a fluid equals the sum of gauge  
pressure & the atmospheric pressure.

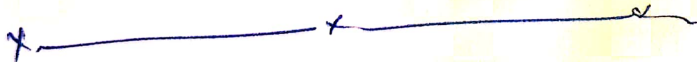
→ Absolute pressure is zero referenced  
against a perfect vacuum.

MATHMATICALLY :-

$$P_{abs} = P_g + P_{atm} \rightarrow \text{atmospheric pressure}$$

absolute pressure      ↓      Gauge pressure.

Example: if your tire gauge reads 39psi (P<sub>g</sub>)  
Then the absolute pressure is 39psi plus  
14.7psi or 53.7 psi equivalent to 337kPa.





ANSWER TO QUESTION NO 2 :

(P8)

PART B :-

Given:

$$\text{Length} = 1500\text{mm} = 1.5\text{ m}$$

$$\text{Breadth} = 1500\text{mm} = 1.5\text{ m}$$

$$\text{height or depth} = 7907^{\text{mm}} = 7.907\text{ m}$$

$$\text{Density of water} = 1000\text{ kg/m}^3$$

SOLUTION As we know that

$$P = \gamma gh$$

$$P = \gamma h$$

$$P = \gamma h$$

$$\Rightarrow P = 9.81 \times 7.907$$

$$P = 77.567\text{ KPa.}$$

Per unit width

$$P_1 = \frac{P}{\text{width}}$$

$$P_1 = \frac{77.567}{1.5}$$

$$= 51.711\text{ kN/m.}$$

## LOCATION OF FORCE :-

(19)

$$y' = \frac{h}{3}$$

$$y' = \frac{7.907}{3}$$

$$y' = 2.655$$

## RESULTANT FORCE :-

$$\text{Resultant force} = \frac{1}{2}bh$$

$$= \frac{1}{2}(52.110)(7.906)$$

$$\text{Resultant force} = 206.016 \text{ kN}$$

→ Water level half at half height :-

$$h = \frac{7.907}{2} = 3.963$$

## AET PRESSURE :-

$$P = \gamma \frac{h}{2}$$

$$= 9.81 \times \frac{7.907}{2}$$

$$P = 9.81 \times 3.963$$

$$P = 38.778 \text{ kPa.}$$

PRESSURE P/UNIT WEIGHT:-

$$P = P/\text{width}$$

$$P = \frac{38.778}{1.5}$$

$$P = 25.825 \text{ KN/m}$$

RESULTANT FORCE:

$$R.F = \frac{1}{2} bh$$

$$= \frac{1}{2} (38.778) (3.953)$$

$$= 76.6447 \text{ KN}$$

RESULTANT:-

$$P_1 = 76.6447 \text{ kPa}$$

$$P_L = 38.778 \text{ kPa}$$

$$P'_1 = 51.70 \text{ KN/m}$$

$$P'_L = 25.825 \text{ KN/m}$$

$$y' = 2.635 \text{ m}$$

$$R.R = 205.99 \text{ kN}$$

$$y' = 1.992$$

Location force.

$$y' = \frac{3.95b}{2} = 1.976$$

x \_\_\_\_\_ y.