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Section : B (civil-engineering)

Q:-

$$\text{Sol} = P_1 = 200 + 16312 = 16512$$

$$P_2 = 500 + 16312 = 16812$$

$$R_A = ?$$

$$R_B = ?$$

clock wise torque = +ve  $= \sum M = 0$

Anti clock wise = -ve

$$\Rightarrow 16812 \text{ kN} \times 3 + 16512 \times 9 - R_B \times 18 = 0$$

$$= 16812 \times 3 + 16512 \times 9 = 18 R_B$$

$$= 50436 + 148608 = 18 R_B$$

$$= 199044 = 18 R_B$$

$$R_B = \frac{199044 \text{ kN}}{18 \text{ m}}$$

$$R_B = 11058 \text{ kN}$$

Now solving for  $R_A$ .

$$\sum R_B = 0 \quad +ve \text{ } \leftarrow \text{ve}$$

~~0.5~~

$$= R_A \times 18 - 15(16.812) - 9(16.512)$$
$$18 R_A = 252.18 \text{ kNm} + 148.608$$
$$18 R_A = 400.788 \text{ kNm}$$

$$R_A = \frac{400.788 \text{ kNm}}{18 \text{ m}}$$

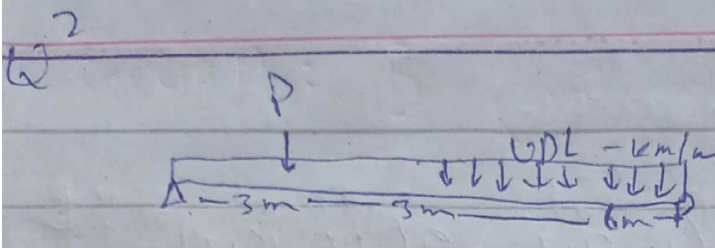
$$\Rightarrow R_A = 22.226 \text{ kN}$$

$$R_A + R_B = P_1 + P_2$$

$$R_A + R_B = 22.226 + 11.058 = 33.284$$

$$P_1 + P_2 = 16.512 + 168.812 = 33.324$$

QJ



Sol =

$$P = 100 + \text{Student ID}$$

$$UDL = 150 + \text{Student ID}$$

$$\text{Student ID} = 16312$$

$$P = 100 + 16312 = 16412 \text{ N}$$

$$= 16.412 \text{ kN}$$

$$UDL = 150 + 16312 = 16462 \text{ N}$$

$$= 16.462 \text{ kN/m}$$

The uniform distributed load can be replaced by a single load by a simple calculation.

$$UDL = 16.462$$

The distance at which load is distanques d

So, Point ~~load~~ load =  $16.462 \frac{\text{kN} \times 6\text{m}}{2}$

$$\text{point load} = 98.772$$

Now

finding reaction at support A & B

$$R_A = ?$$

$$R_B = ?$$

clock wise torque = +ve

Anti clock wise torque = -ve

$$\sum M_A = 0$$

$$16.412 \times 3 + 98.772 \times 9 - R_B \times 12 = 0$$

$$49.236 \text{ kNm} + 888.948 \text{ kNm} = 12 R_B$$

$$12 R_B = 938.22$$

$$R_B = \frac{938.22 \text{ kNm}}{12 \text{ m}} = 78.185 \text{ kN}$$

Now

$$\sum M_O = 0$$

clock wise torque = +ve

Anti clock wise torque = -ve

→

$$12 R_A - 16.412 \times 9 - 98.772 \times 3 = 0$$

$$12 R_A = 16.412 \times 9 + 98.772 \times 3 = 0$$

$$12 R_A = 144.780 + 296.316 \text{ kNm}$$

$$12 R_A = 441.096 \text{ kNm}$$

~~RA~~

$$RA = \frac{444.096 \text{ (2N/m)}}{12 \times}$$

$$= RA = 37.008$$

$$RA + RB = P_1 + P_2$$

$$= 37.008 + 78.185 = 115.193$$

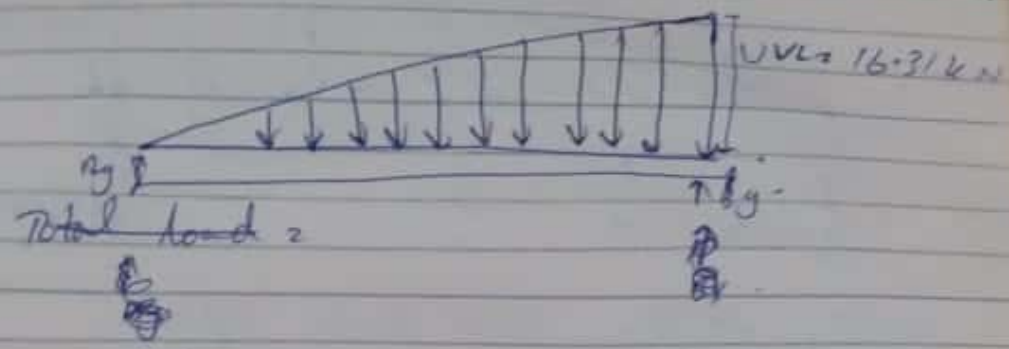
$$= 115.008 = 115.184 \quad (98.772)$$

Ans

D

Q3

①



total load = area of triangle

$$\text{Total load} = \frac{1}{2} \times L \times UVL$$

$$\text{Total load} = \frac{1}{2} \times 12 \times 16.31$$

$$\text{Total load} = 97.86 \text{ kN}$$

Now

$$\sum F_y = 0$$

$$\boxed{A_y + B_y = 97.86 \text{ kN}} \quad \text{--- } \textcircled{1}$$

$$\sum M_A = 0$$

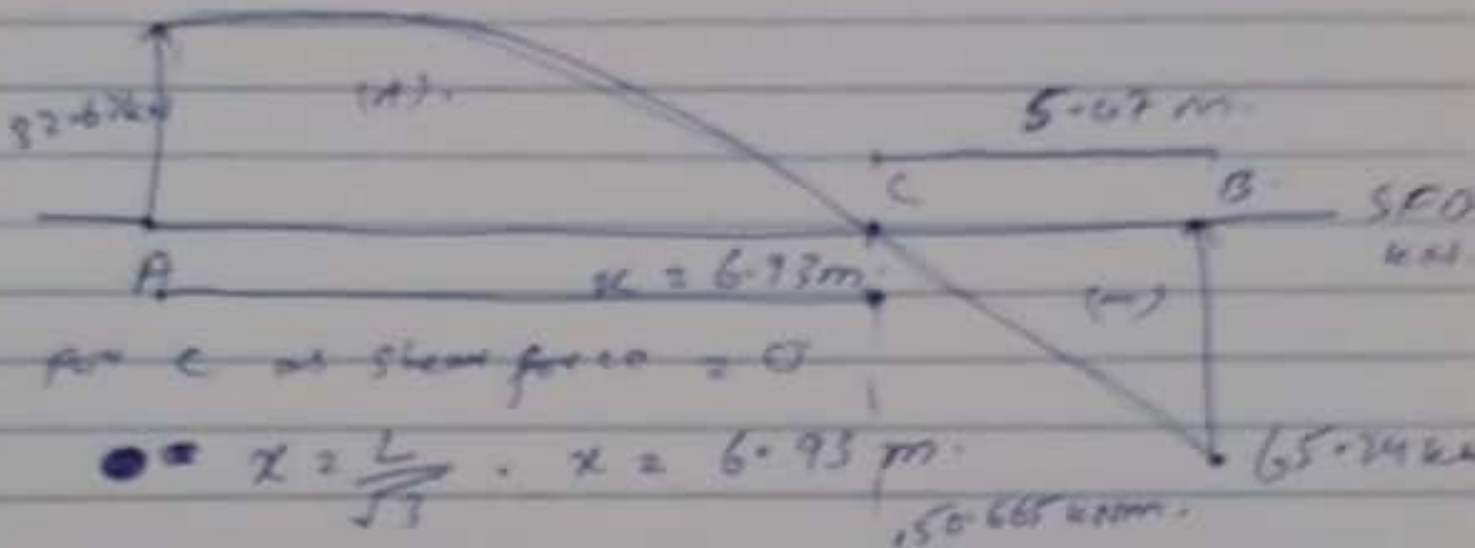
$$B_y \times 12 - 97.86 \times \frac{2}{3} \times 12 = 0$$

$$B_y \times 12 - 97.86 \times 8 = 0$$

$$B_y = 65.24 \text{ kN}$$

putting into  $\textcircled{1}$

$$\textcircled{1} \Rightarrow \boxed{A_y = 32.62 \text{ kN}}$$







$$\bar{y}_c = \frac{A_1 y_1 + A_2 y_2 + A_3 y_3}{A_1 + A_2 + A_3}$$

$$= \frac{6400(175) + 6400(67.5) + 6400(100)}{6400 + 6400 + 6400}$$

Given Data

①

$$\text{area} = 65 \text{ cm} \times 35 \text{ cm}$$

Required?

Moment of Inertia? ?

Radius of Gyration? ?

Section of Moduli? ?

For moment of Inertia

$$I_x = \cancel{\frac{1}{12}} \frac{1}{3} bh^3$$

$$= \frac{1}{3} (65)(35)^3$$

$$= \frac{1}{3} (65)(35)^3 = 928958 \text{ mm}^4$$

$$I_y = \frac{1}{3} b^3 h$$

$$\frac{1}{3} (65)^3 (35) = 3203958 \text{ mm}^4$$

$$\bar{I}_x' = \frac{1}{12} bh^3 \quad (2)$$

$$= \frac{1}{12} (65)(35)^3 = 6635.41 \text{ mm}^4$$

$$\bar{I}_y' = \frac{1}{12} b^3 h$$

$$= \frac{1}{12} (65)^3 (35) = 800989 \text{ mm}^4$$

$$\bar{J}_c = \frac{1}{12} bh(b^2 + h^2)$$

$$= \frac{1}{12} (65)(35)(65^2 + 35^2)$$

$$= 1033229.16 \text{ mm}^4$$

2275

$$r = 21.31 \text{ mm}$$

① section moduli

$$S = \frac{bh^2}{6}$$

$$S = \frac{(65)(35)^2}{6}$$

$$S = 1327$$

by that force though both force and displacement are vector quantities work has no direction due to nature of a scalar product is vector.

Example of work There are many many examples of work in every day life. Few of them are ; a father pushing grocery cart down the aisle of a grocery store; a student lifting a bag full of books on his shoulder

⇒ Power = work/time ( $P = W/t$ )

Unit of power:

The unit of for standard metric work is Joule and the standard metric unit for time is second, so the standard metric unit of power is Joule/second defined as a watt and abbreviated as W.

## Work

Work is defined as a force causing the movement or displacement of an object. In the case of product of force and displacement caused by that force is the product of the force acting on force and displacement are vector quantities work has no direction due to nature of a scalar product is vector.

Example of works There are many work in every day life. Few of them are; a father pushing grocery cart down the aisle of a grocery store; a student lifting a bag full of books on his shoulder. A horse pulling a plow through a field and an Olympian launching the shot put.

In general for work to occur a force has to be exerted causing it to move. So a frustrated person pushing against a wall only to exhaust himself is doing any work because the wall doesn't move.

Mathematical form of work:  $\Rightarrow W = F \cdot d$   
 $\Rightarrow W = FN \cdot \cos \theta$   
 $\Rightarrow \text{work} = 200 \text{ joules}$