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SUBJECT Structure Analysis.

# Q1 Different Types of Loads: (1)

## ① Dead Loads:

- ⇒ Dead loads are those loads which are considered to act permanently.
- ⇒ They are "dead" stationary and unable to be removed.
- ⇒ The self-weight of the structure members normally provides the largest portion of the dead loads of a building.

## ② Live Loads:

- ⇒ Live loads are not permanent and can change in magnitude.
- ⇒ They include items found within a building.

### ⇒ Types of Live Loads:-

A) WIND LOAD:- The wind's relatively large projected areas can develop substantial forces in the structure.

### B) EARTHQUAKE LOADS:-

- ⇒ Earthquake loads are another lateral live load.
- ⇒ They are very complex, uncertain and potentially more damaging than wind loads.

### C) HYDROSTATIC AND SOIL PRESSURE:-

- ⇒ This pressure will consist of two elements.



1) ⇒ Soil pressure: (2)  
the soil depth and Type ⇒ which is a function of

2) ⇒ Hydrostatic pressure:-  
the depth of the wall times the density of water. ⇒ which will be simply

3) ⇒ Snow loads:-  
considered only on the structure which receives snowfall during monsoon. ⇒ This type of loads is

⇒ Some other types of loads:-

of loads that act on the structure. ⇒ Some other types which are taken into account in case they are liable to effect material, the safety or serviceability of structure are.

⇒ foundation Movement.

⇒ Erection load.

⇒ Vibration, fatigue

⇒ stress concentration effect due to point of application of loads and the like.

⇒ Types of Structure: . .

① Trusses: Trusses consist of slender elements in triangular form. Due to geometrical arrangement of its members loads are converted into tensile or compressive forces in members.



⇒ Planar trusses <sup>(3)</sup> are composed of members lies in same plane and used for bridges and roof support.

⇒ Space trusses have members extending in three dimensions and used for towers.

## 2) CABLES AND ARCHES :-

⇒ Cable are flexible and carry loads in tension they are commonly used to support bridges, and roofs.

⇒ Arches achieves strength in compression and has a reverse curvature to cable. It must be rigid to maintain its shape. Consist of shear and moment. They are used in bridges structures, some roofs and openings.

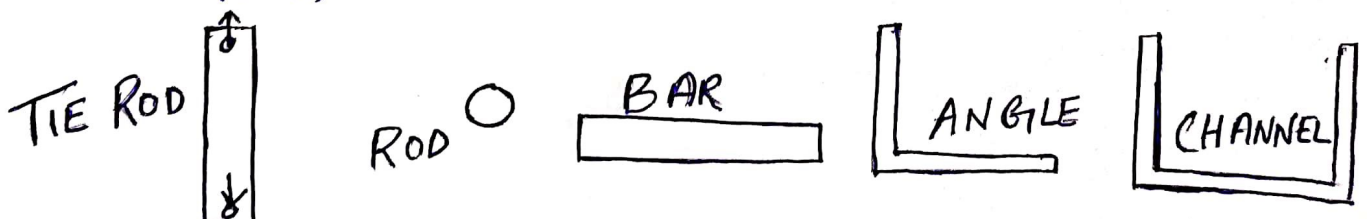
## 3) FRAMES :-

⇒ Type of structure which are used in buildings and consist of beam and column, which are fixed or pin connected. The loads on frames causes bending of its members and has rigid joint connections.

## ⇒ STRUCTURAL ELEMENTS :-

### 1) TIE RODS :-

⇒ Consist of tensile force. These members are slender, bars or rods.

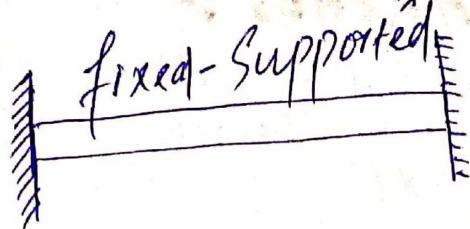
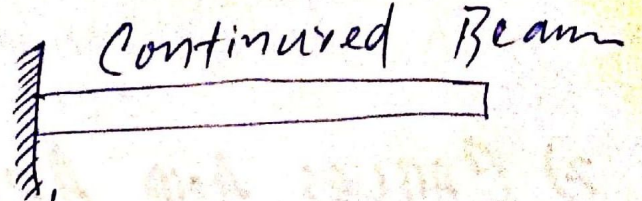
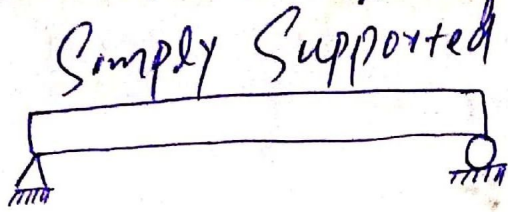


(4)

1)

### 2) BEAMS:-

They are horizontal members and support vertical loads. They resist bending moments. Short beams carry large loads.



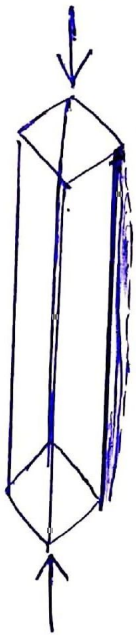
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### 3) Columns:-

members  $\Rightarrow$  They consist of vertical compressive loads and resist loads.

Column

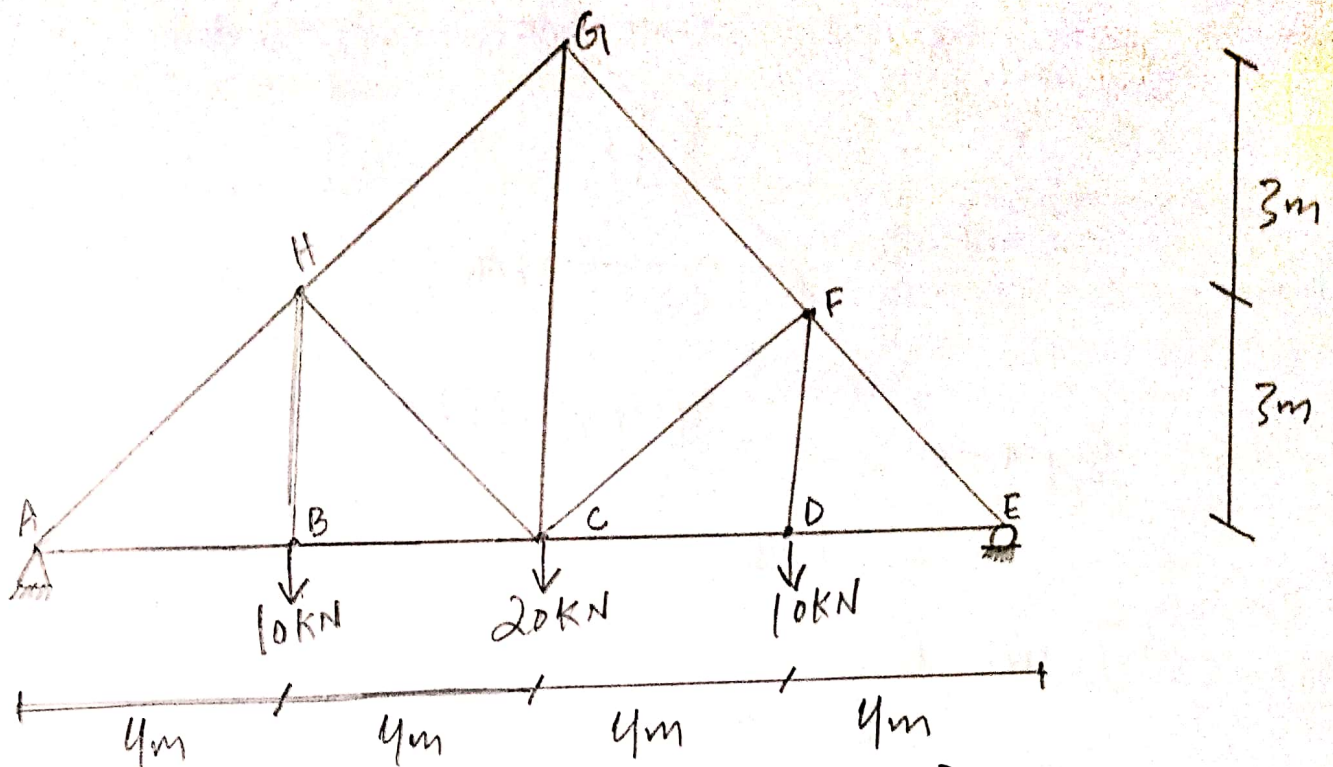


Beam-Column





# Question No 2 :- (5) "



⇒ force in each member = ?

Solution ::

Support Reaction ::

$$\sum F_y = 0 \quad \begin{matrix} + \\ \uparrow \\ - \\ \downarrow \end{matrix}$$

$$R_A + R_E = 40 \quad \rightarrow \textcircled{A}$$

$$\sum M_A = 0 \quad \left( \begin{matrix} \text{Anti-clockwise } \ominus \\ \text{Clockwise } \oplus \end{matrix} \right)$$

$$R_E(16) + 10(12) + 20(8) + 10(4) = 0$$

$$\boxed{R_E = 320/16 = 20\text{ kN}}$$

Put in eq (A)

$$R_A = 40 - 20 \Rightarrow \boxed{R_A = 20\text{ kN}}$$

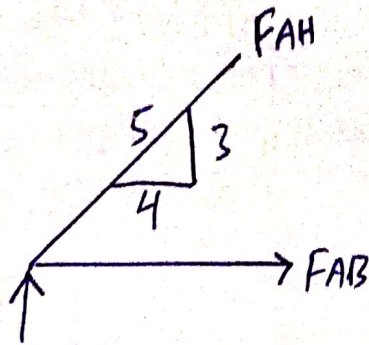
⇒ Now Determining force in each member?

⇒ JOINT A ::

$$\begin{aligned} \sum F_y = 0; \quad & -\frac{3}{5}(F_{AH}) + 20\text{ kN} = 0 \\ & = -0.6(F_{AH}) = -20\text{ kN}. \end{aligned}$$

$$F_{AH} = 33.33 \text{ kN} \text{ (Compressive)}$$

⇒ JOINT A ∴



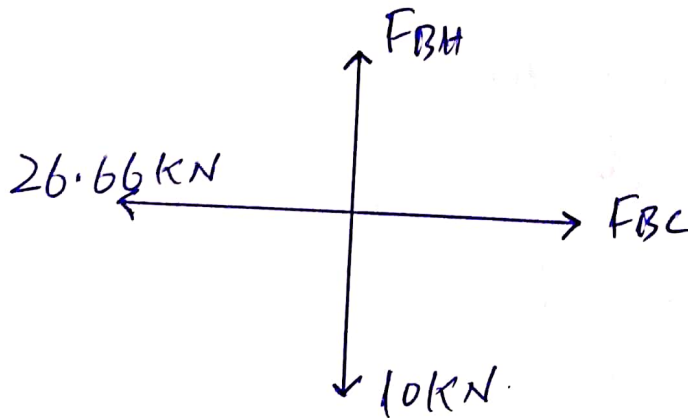
$$\sum f_x = 0; \quad -\frac{4}{5}(33.33) + F_{AB} = 0$$

$$\Rightarrow F_{AB} = 26.66 \text{ kN (Tensile)}$$

⇒ JOINT B ∴

$$\Rightarrow \sum f_x = 0; \quad F_{BC} = 26.66 \text{ kN (Tensile)}$$

$$\Rightarrow \sum f_y = 0; \quad F_{BH} = 10 \text{ kN (Tensile)}$$



⇒ JOINT G ∴

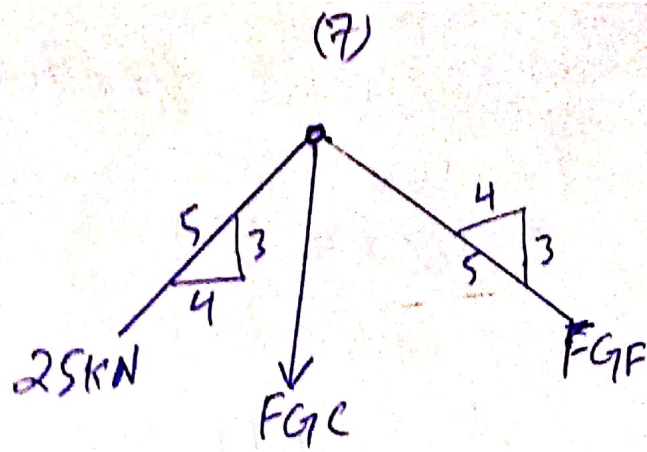
$$\Rightarrow \sum f_x = 0; \quad \frac{4}{5}(25) - \frac{4}{5}(F_{GF}) = 0$$

$$F_{GF} = 25 \text{ kN (Compressive)}$$

$$\Rightarrow \sum f_y = 0; \quad \frac{3}{5}(25) + \frac{3}{5}(25) - F_{GC} = 0$$

$$F_{GC} = 30 \text{ kN (Compressive)}$$





⇒ JOINT H :

$$\Rightarrow \sum F_y = 0; \quad \frac{3}{5}(33.33) - 10 \text{ kN} + \frac{3}{5}(F_{HC}) - \frac{3}{5}(F_{HG}) \rightarrow \textcircled{A}$$

$$\Rightarrow \sum F_x = 0; \quad \frac{4}{5}(33.33) - \frac{4}{5}(F_{HC}) - \frac{4}{5}(F_{HG}) \rightarrow \textcircled{B}$$

Solving eq ① and ②

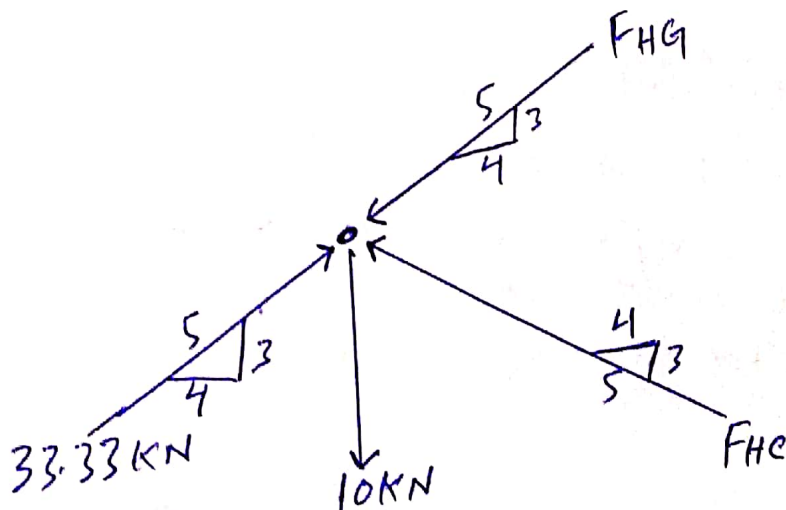
$$19.98 - 10 + 0.6 F_{HC} - 0.6 F_{HG} = 0 \rightarrow \textcircled{Aa}$$

$$26.66 - 0.8 F_{HC} - 0.8 F_{HG} = 0 \rightarrow \textcircled{Bb}$$

Multiplying eq ① by 1.34 and then add with eq ② we get.

$$F_{HG} = 25 \text{ kN (Compressive)}$$

$$F_{HC} = 8.34 \text{ kN (Compressive)}$$





(8)  
Due to Symmetrical Loading And Geometry-

$$F_{AB} = F_{ED} = 26.66 \text{ kN (T)}$$

$$F_{BC} = F_{DC} = 26.66 \text{ kN (T)}$$

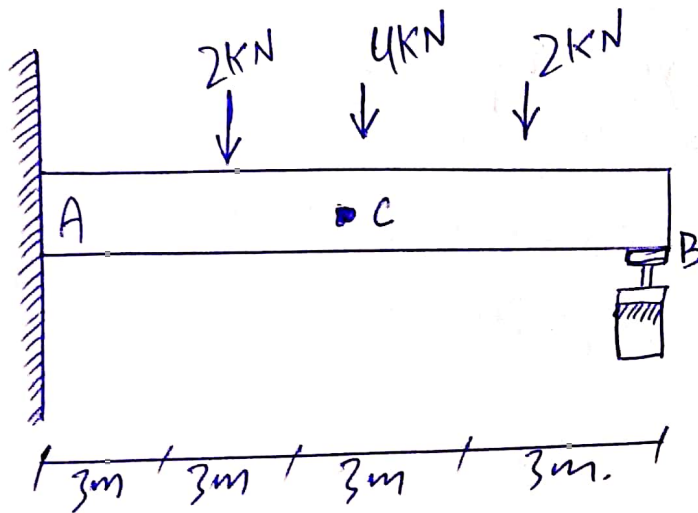
$$F_{BH} = F_{DF} = 10 \text{ kN (T)}$$

$$F_{HG} = F_{FG} = 25 \text{ kN (C)}$$

$$F_{He} = F_{Fc} = 8.34 \text{ kN (C)}$$

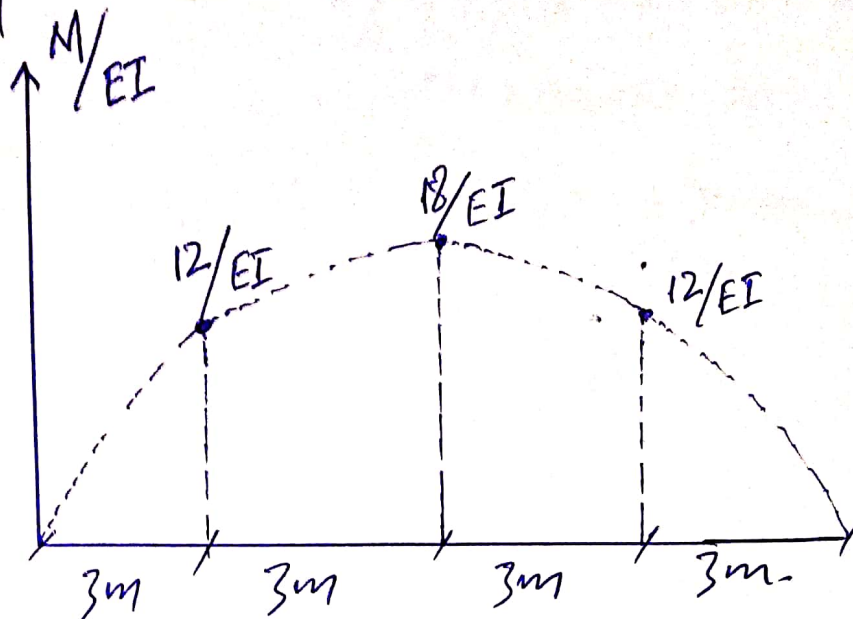
$$F_{AH} = F_{EF} = 33.33 \text{ kN (C)}$$

Question No 3:-

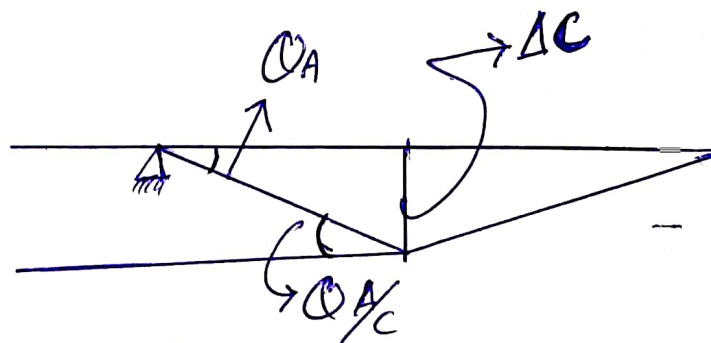


Given:  $E = 200 \text{ GPa}$ ,  $I = 6 \times 10^6 \text{ mm}^4$   
Determine slope at point "A" and displacement at "C" using Moment Area Theorem

(9)  
Solution ⇒ finding out  $M/EI$  Diagram of elastic Curve.



⇒ Elastic Curve :-



$$\theta_{A/C} = \frac{1}{2} \left( \frac{12}{EI} \right) (3) + \left( \frac{12}{EI} \right) (3) + \frac{1}{2} \left( \frac{6}{EI} \right) (3)$$

$$\theta_{A/C} = \frac{18}{EI} + \frac{36}{EI} + \frac{9}{EI} = \frac{63}{EI}$$

$$\theta_{A/C} = \frac{63}{(200 \times 10^6)(6 \times 10^6)(1000)^{-4}}$$

$$\theta_{A/C} = 0.0525 \text{ rad.}$$

$$\theta_A = 0.0525 \text{ rad.}$$



$$t_{A/C} = \left[ \frac{1}{2} \left( \frac{12}{EI} \right) (3) \right] \left( \frac{2}{3} (3) \right) + \left[ \frac{12}{EI} (3) \right] \left( 3 + \frac{1}{2} (3) \right) \\ + \left[ \frac{1}{2} \left( \frac{6}{EI} \right) (3) \right] \left( 3 + \frac{2}{3} (3) \right) \\ = 0.202m$$

So  $\Delta C = t_{A/C} = 0.202m$  Ans.