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Section (A) BSSE) 4

Operations Research

## MAJOR ASSIGNMENT

### Question (2)

- \* The MD of the company has the following goals which are arranged in order of priority
- \*  $P_1$  No under utilization of plant production capacity.
- \*  $P_2$  Sells maximum number of products A and B. The "MD" has twice as much desire to sell product "A" as far as product "B", because the net profit of product "A" from the sale is twice the amount from that of product B.
- \*  $P_3$  Maximise overtime operation of the plant.

We are formulating the above as goal programming problem and solving it -

Let  $x_1$  and  $x_2$  be the number of product A and B. Since :-

$$x_1 + x_2 + z_1^- - z_1^+ = 500 -$$

where  $z_1^-$  = under utilization of product capacity variable

$z_1^+$  = overtime production operation capacity variable -

goal is the maximization of sales :-

$$\text{Then } x_1 + z_2^- = 150 -$$

and

$$x_2 + z_3^- = 200 -$$

where  $z_2^-$  = under achievement of sale goals of Product "A" -

$z_3^-$  = under achievement of the sale goal of product "B" -

Minimise

$$V = P_1 d_1^- + 2P_2 d_2^- + P_2 d_3^- + P_3 d_1^-$$

(3)

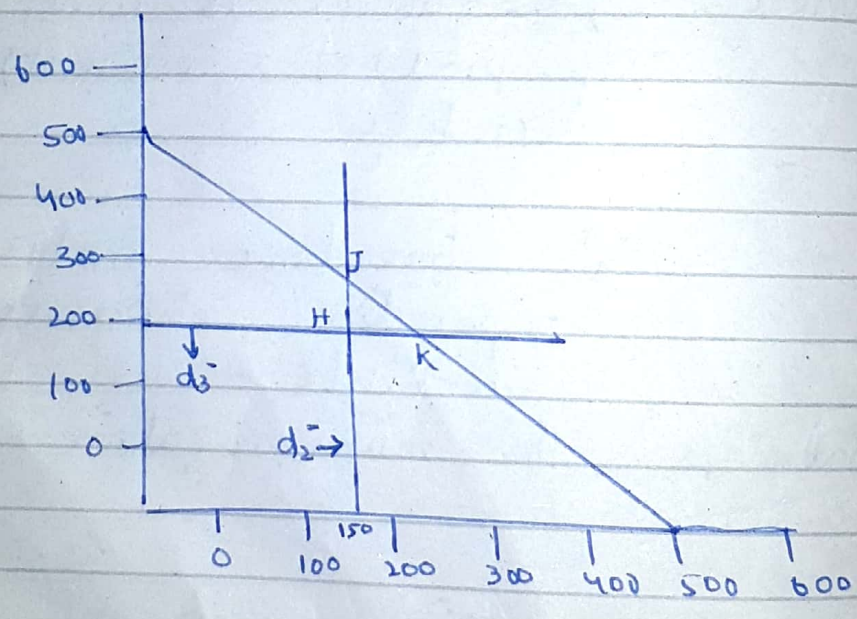
subjected to constraints

$$x_1 + x_2 + d_1^- - d_1^+ = 500$$

$$x_1 + d_2^- = 150$$

$$x_2 + d_3^- = 200$$

and  $x_1, x_2, d_1^-, d_2^-, d_3^-, d_1^+ \geq 0$



## Question 3 (Answer)

(4)

Research paper -

Summary

Introductions -

\* The CPM (critical path Method) technique is used to search out the longest path to do required activities -

This has been done to reduce the restriction and enhance the computing potency of classic CPM analysis.

→ It will replicate all of the various interaction communications, and defects of a path within the kind of project network diagram.

\* This technique is used to hunt down the longest path to perform activities which ends up the creation of an intensive network of prsi dency activities.

- (5)
- \* In CPM network calculations inside the targeted surroundings, it is assumed that each interaction occurs at a specific time.
  - \* By plotting the curve supporting the time-cost line, the gradient obtained throughout this curve may be used to do specific calculations.

### Literature Review :-

- CPM can be useful in many aspects of life. In the past many authors have been succeeded in exploiting CPM to calculate the time, resources and value required for projects and events.

### Dragon fly ALGORITHM :-

These creature perform task expeditiously in groups and this can be the most purpose of the study said (SI) Swarm Intelligence -

Researchers throughout this field attempt to resolve the native rules for interaction.

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The Particle Swarm Improvement formula is, in addition another well-regarded SI paradigm -

The Substitute Bee colony is another recent and trendy SI based formula. This formula another time stimulate the social behavior of honey bees once hunt nectar and has been projected by Karaboga.

### CPM STIMULATIONS:-

\* The classic CPM analysis is easy and effective for straight forward, and small-scale CPM network. While facing complicated large scale CPM network CPM formula becomes inefficient.

### Research METHODOLOGY :-

The benefit of these kind of approaches are to use the dragonflies to achieve goals such as environmental identifications and many more -

The pattern of dragon flies  
are below -

\* Splitting, settings, coherence  
Search food, Deviation from  
the enemy -

$$E_i = X^- + X$$

$X$  = positive of the current  
individual -

$X^-$  = shows the position of  
the enemy -

The method of calculating  
the dragon fly algorithm.

$S$  shows the separation rate -

$S_i$  shows the separation of  $J^{\text{th}}$

$C_i$  is the coherence of  
the person  $J^{\text{th}}$  -

$A_j$  is the  $J^{\text{th}}$  settings.

$E_i$  - the position of enemy is  
the  $J^{\text{th}}$  -

$$X_{t+1} = X_t + \Delta X_{t+1}$$

$$C_i = \sum_{j=1}^n \frac{X_j}{N} - V$$

$$A_i = \sum_j = \frac{1 \sqrt{J}}{N}$$

$$x_{t+1} = \begin{cases} -x_t & \text{if } x_t < T \quad (\Delta x_{t+1}) \\ x_t & \text{if } x_t > T \quad (\Delta x_{t+1}) \end{cases}$$

Results &

We consider a Suitable weight for each dragon fly ~~fly~~ to adjust their behaviour and to find the appropriate solution. We have considered

20 nodes in the network for example cost of connecting A to G is 4.5 we can use the longest route with the lowest cost

The process of implementing the proposed algorithm is

step 1 :- Data entry

step 2 :- Determine and define the status -

step 3 :- Determine the attributes of communication nodes -

step 4 :- find the best route -



## Discussion:-

These methods support the principals of Socio-psychology - Swarm Intelligence, they observe and understand their environment and can act to maximize the chances of success.

This paper provide a new methodology for improving time cost which can be a new Swarm Intelligence technique -

Actually this study uses all the sensory activity behaviours and intelligence of the dragonfly.

\* CPM Simulation model is valid through the comparison with the classic CPM and is well tried to be much more economical -

## Can Question 1 Solution

Production	progress	finishing	T-amount
P <sub>1</sub>	12	03	1000
P <sub>2</sub>	06	08	800
P <sub>3</sub>	08	06	400
	3000	15000	

Converting into linear programming

$$\Rightarrow 12x_1 + 6x_2 + 8x_3 \leq 3000 \quad \text{--- (i)}$$

$$\Rightarrow 3x_1 + 8x_2 + 6x_3 \leq 1500 \quad \text{--- (ii)}$$

Maximize  $Z = 1000x_1 + 800x_2 + 400x_3$

$\Rightarrow$  put  $x_2 = 0$  and  $x_3 = 0$

$$\Rightarrow 12x_1 + 6x_2 + 8x_3 = 3000$$

$$\Rightarrow 12x_1 + 6(0) + 8(0) = 3000$$

$$\Rightarrow x_1 = \frac{3000}{12} = 250$$

$$\Rightarrow P_1 (250, 0, 0)$$

$\Rightarrow$  Now for  $x_2$

put  $x_1 = 0, x_3 = 0$

$$\Rightarrow 12(0) + 6x_2 + 8(0) = 3000$$

$$\Rightarrow x_2 = \frac{3000}{6} = 500$$

~~$$= P_2 (0, 0, 375)$$~~

$$\Rightarrow = P_2 (0, 500, 0) -$$

Now for  $x_3$

put  $x_1 = 0, x_2 = 0$

$$3(0) + 8(0) + 6x_3 = 1500$$

$$x_3 = \frac{1500}{6} = 250$$

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$$P_3 (0, 0, 250)$$

putting all in eq (2)

$$Z = 1000x_1 + 800x_2 + 400x_3$$

$$Z = 1000(250) + 0 + 0 = 250000$$

$$Z = 1000 + 800(500) + 0 = 400000$$

$$Z = 0 + 0 + 400(375) = 150000$$

$$Z = 1000(500) + 0 + 0 = 500000$$

$$Z = 0 + 800(187.5) + 0 = 150000$$

$$Z = 0 + 0 + 400(250) = 100000$$

The maximum point

$$P_4 (500, 0, 0) = 500000$$

$$Z = 500000 -$$