

(12)

$$\frac{1}{R_T} = \frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \dots + \frac{1}{R_n} \quad (B)$$

eq (B) put in (A)

$$G_T = \frac{1}{\frac{1}{R_T}}$$

$$G_T = R_T = R_{eq}$$

$$G_T = R_1 + R_2 + \dots + R_n$$

This eq show/describe if the number of Resister increases in parallel combination of Resister Then ~~conductance~~ conductivity of a conductor will be increases

It means That in parrall combination of Resister conductance is directly propotional to Resistance is compare to series combination b/c in series combination conductance is inversly propotional to Resistance.

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Q: 1

Part (b)

As we know that the relation b/w conductance & resistance is inverse relation

$$\text{i.e. } G = 1/R$$

Similarly in series combination

Total conductance is in inverse with Total Resistance

$$G_T = 1/R_T \quad \text{--- (1)}$$

because in series combination

Total resistance is

$$R_T = R_{eq} = R_1 + R_2 + R_3 + \dots + R_n$$

**But**

in parallel combination

As we know that the above equation

$$G_T = 1/R_T \quad \text{--- (A)}$$

Now we find 'R<sub>T</sub>' for parallel combination.

we already find out the value of R<sub>T</sub> for parallel combination in (Question No (1) in part A)

(9)

charge of a system to correspond  
change in its electric potential.

Mathematically:  $\rightarrow$

$$C = V/Q$$

The SI unit of 'C'  
is (Farad)

(5) Synchronous Motor & Asynchronous motor

Synchronous Motor:  $\rightarrow$

A.C motor in which in ~~As~~  
steady state the rotation of  
the shaft of synchronized  
~~rotor~~ with the frequency of  
supply current the rotation  
period is exactly equal to  
in  $\cdot$  integral no of A.C cycle.

Asynchronous Motor:  $\rightarrow$

Asynchronous motor  
is an AC electric motor  
in which the electric  
current in the rotor

of The opposition flow of current an electric circuit is called resistance

Resistance is represented by 'R' and The SI unit of Resistance is ohm ( $\Omega$ ).

### Conductance:->

A measure of The ability of a substance to allow electric current to pass through to the applied voltage is called conductance.

Conductance is represented by 'G' and conductance is inversely proportional to Resistance

$$i.e. G = 1/R$$

### (3) Energy & Power

#### Energy:->

The ability of a body to do work is called Energy.

The SI unit of Energy is (Joule)

Power :->

The power is defined as  
The rate of power of energy.  
OR The rate of work done

Mathematically

$$P = W/t = F \cdot d/t = F \cdot v$$

The SI unit of power is watt

(4) Inductance & Capacitance

Inductance :->

Inductance is the tendency of electrical conductor, to oppose a change in electric current flowing through it.

Mathematically

$$L = N \Phi / I$$

The SI unit of 'L' is (Henry)

Capacitance :->

Capacitance is the ratio of the charge in electric

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Q: 2: →

Given data: →

$$R_1 = 1\Omega$$

$$R_2 = 2\Omega$$

$$R_3 = 3\Omega$$

$$V = 24V$$

Required data: →

$$I_1 = ?$$

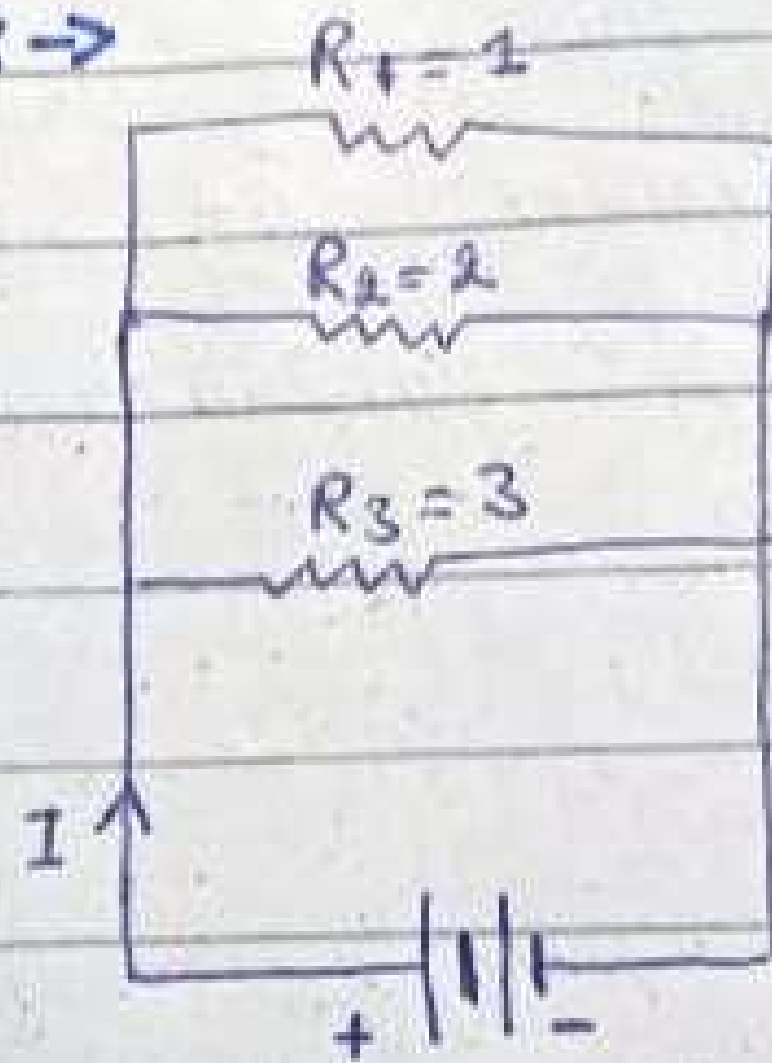
$$I_2 = ?$$

$$I_3 = ?$$

$$P_1 = ?$$

$$P_2 = ?$$

$$P = ?$$



Sol: → According to ohm's law

$$V = IR \Rightarrow I = V/R$$

$$I_1 = V/R_1 \Rightarrow I_1 = \frac{24V}{1\Omega}$$

$$I_1 = 24A$$

Similarly  $I_2$

$$I_2 = V/R_2 \Rightarrow I_2 = \frac{24V}{2\Omega}$$

$$I_2 = 12A$$



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needed to produce torque  
is obtained by electron  
-magnetic induction from  
magnetic field of the  
stator.

2

Putting the value of  $I, I_1, \text{ \& } I_2$   
in eq (2)

$$V/R_{eq} = V/R_1 + V/R_2$$

$$V/R_{eq} = V (1/R_1 + 1/R_2)$$

$$\Rightarrow 1/R_{eq} = 1/R_1 + 1/R_2 \rightarrow (A)$$

$$\Rightarrow 1/R_{eq} = (R_2 + R_1) / R_1 R_2$$

$$R_{eq} = R_{12} = R_1 R_2 / R_1 + R_2$$

This formula is only work  
for two Resister.

**For n number of Resistance**

As we know that about eq (A)

$$\text{as } 1/R_{12} = 1/R_1 + 1/R_2 \rightarrow (B)$$

for 3 resister eq (B) can be  
written as

$$1/R_{123} = 1/R_1 + 1/R_2 + 1/R_3$$



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Similar  $I_3$

$$I_3 = V/R_3 \Rightarrow I_3 = 24/3$$

$$I_3 = 8 \text{ A}$$

As we know that

$$P = W/t = U/t = \frac{q}{t} \frac{U}{t} = \frac{q}{t} \frac{U}{q} = \frac{q}{t} U$$

$$\Rightarrow P = IV$$

$$P_1 = I_1 V$$

$$P_1 = (24)(24)$$

$$P_1 = 576 \text{ W}$$

Similarly for  $P_2$

$$P_2 = I_2 V = (12)(24)$$

$$P_2 = 288 \text{ W}$$

Similarly for  $P_3$

$$P_3 = I_3 V = (8)(24)$$

$$P_3 = 192 \text{ W}$$

Q:03:->

(1) Current & voltage

current:->

The rate of flow of charge through a conductor is called current.

Mathematically

$$I = Q/t$$

The SI unit of current is (Ampere)

voltage :->

voltage is representation of the electric potential energy per unit charge is called voltage.

Mathematically:->

$$V = U/q$$

The SI unit of voltage is (Volt)

(2) Resistance & conductance

Resistance:->

Resistance is measure

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Similarly For a number of Resistance

$$\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \dots + \frac{1}{R_n}$$

$$\Rightarrow \boxed{\frac{1}{R_{eq}} = \sum_{z=1}^n \frac{1}{R_z}}$$

This is the general formula for 'n' number of Resisters connected in Parallel combination.

Q: No: 2

Part (A)

Ans: →

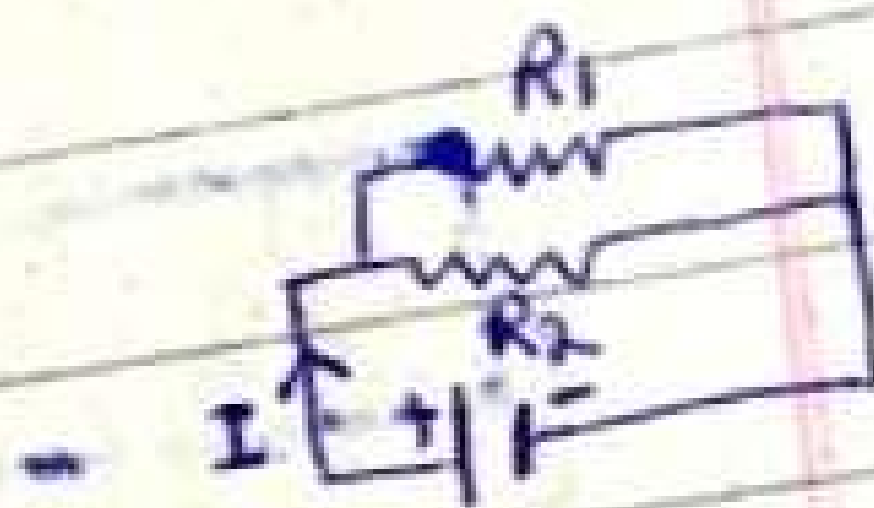
**Parallel combination of Resistor: →**

In parallel combination current is different for different resistor b/c path is different but potential drop remain same.

**For two resistor**

According to ohm's law

$$V = IR$$
$$\Rightarrow I = V/R \quad \text{--- (1)}$$



Here  $I$  is different for different resistor & voltage will be same

So total current will be equal

$$I_{\text{ev}} = I_1 + I_2 \quad \text{--- (2)}$$

current for resistor (1)

$$I_1 = V/R_1 \quad \text{--- (3)}$$

current for resistor (2)

$$I_2 = V/R_2 \quad \text{--- (4)}$$