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ASSIGNMENT. THEORY OF AUTOMATA.

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Q 1) Keeping in the view the Kleens theorem. Proof for any language S.

$S^+ = (S^+)^+$ .

$S = (a b)$

$S = (a b \ a a \ ab \ bb \ ba \ a a a \ a a b \ a b a \ a b b \ b b b \ b b a \ b a b \ b a a \ \dots)$

$S^+ = (a b \ a a \ ab \ bb \ ba \ a a a \ a a b \ a b a \ a b b \ b b b \ b b a \ b a b \ b a a \ \dots)$

$(S^+)^+ = (a b \ a a \ ab \ bb \ ba \ a a a \ a a b \ a b a \ a b b \ b b b \ b b a \ b a b \ b a a \ \dots)$

Here the  $(S^+)^+$  gives all those strings which are gained by the concatenation of the strings of  $S^+$ .  
So it is proved that  $S^+ = (S^+)^+$ .

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Q2) How many words does  $S^*$  will have the of length 3, 4 and 5. If  $S = (ab \ ba)$

Design  $S^*$  and then write answer on the basis of words of  $S^*$ .

$S = \{ab \ ba\}$

Here we have 2 words In the language S. So the total number of words of length  $=n=2$

So total words of length  $2=2^2=4$

total words of length  $3=2^3=8$

total words of length  $4=2^4=16$

Now we will design  $S^*$  for the length of 3 4 5

$S^* = \{ \backslash ab \ ba \ abab \ abba \ baba \ baab \ ababab \ ababba \ abbaab \ abbaba \ bababa \ babaab \ baabba \ baabab \ abababab \ \dots \ Babababa \dots \}$

SO, Total words of length 3= 0.

Total words of length 4 = 4.

Total words of length 5=0.

Q3) Fill in the blanks.

1. A dictionary is arranged in **ALPHABATIC** order.
2. + Is called **1/MORE** instances
3. \* Is called **0/MORE** instances
4. ? Is called **0/1** instances
5. A formal language is a game of **SYMBOLS** on paper.
6.  $\wedge$  is included in **KLEEN STAR** closure.
7. **DAD** Is a word whose reverse is equal to itself.
8. **CONCATENATION** Is an operation in which symbols are placed side by side.
9.  $\{a b\}=\{b a\}$ for **REVERSE** operation.
10. Two words having same symbols in same order called **LEXICOGRAPHIC** words.