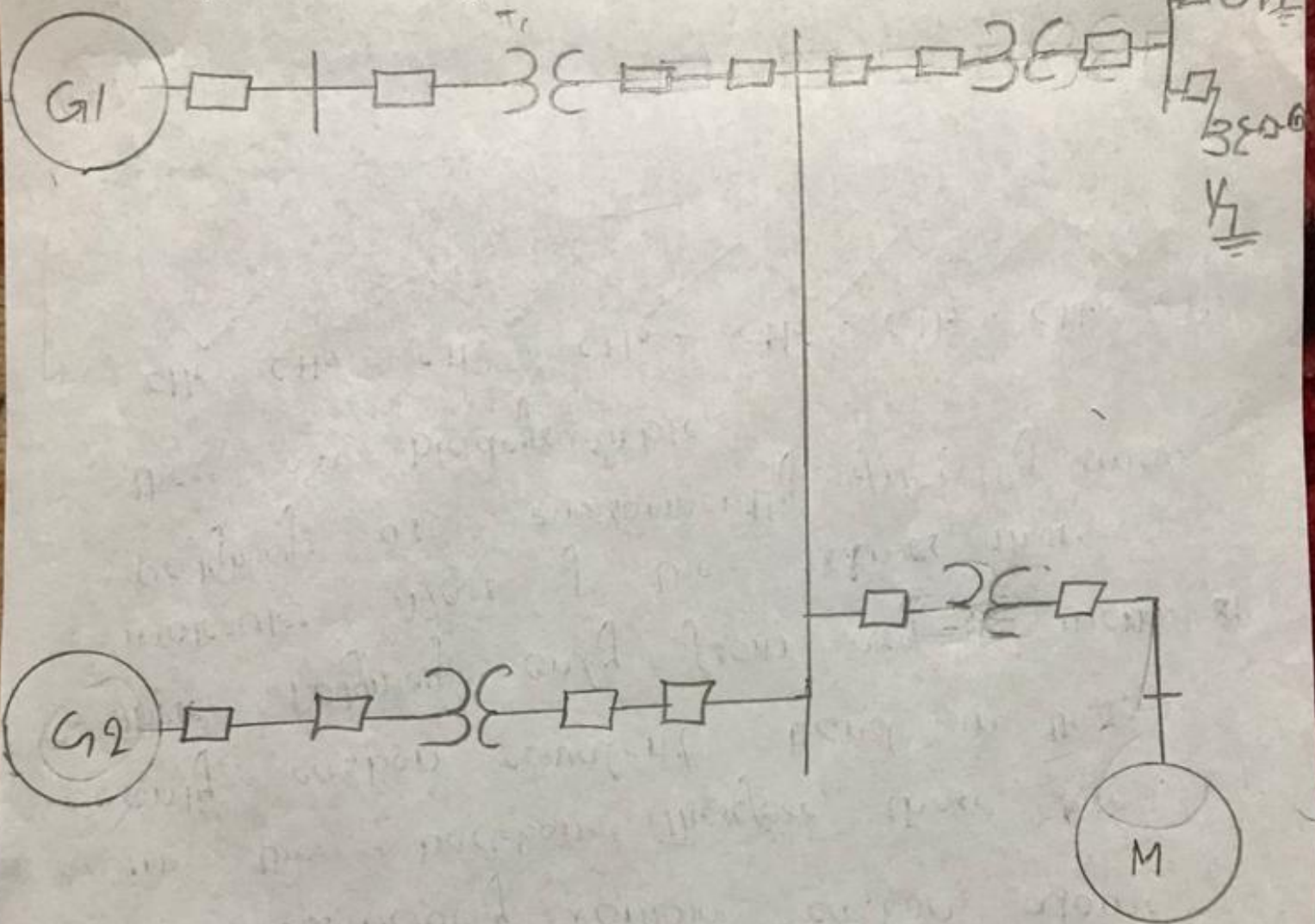
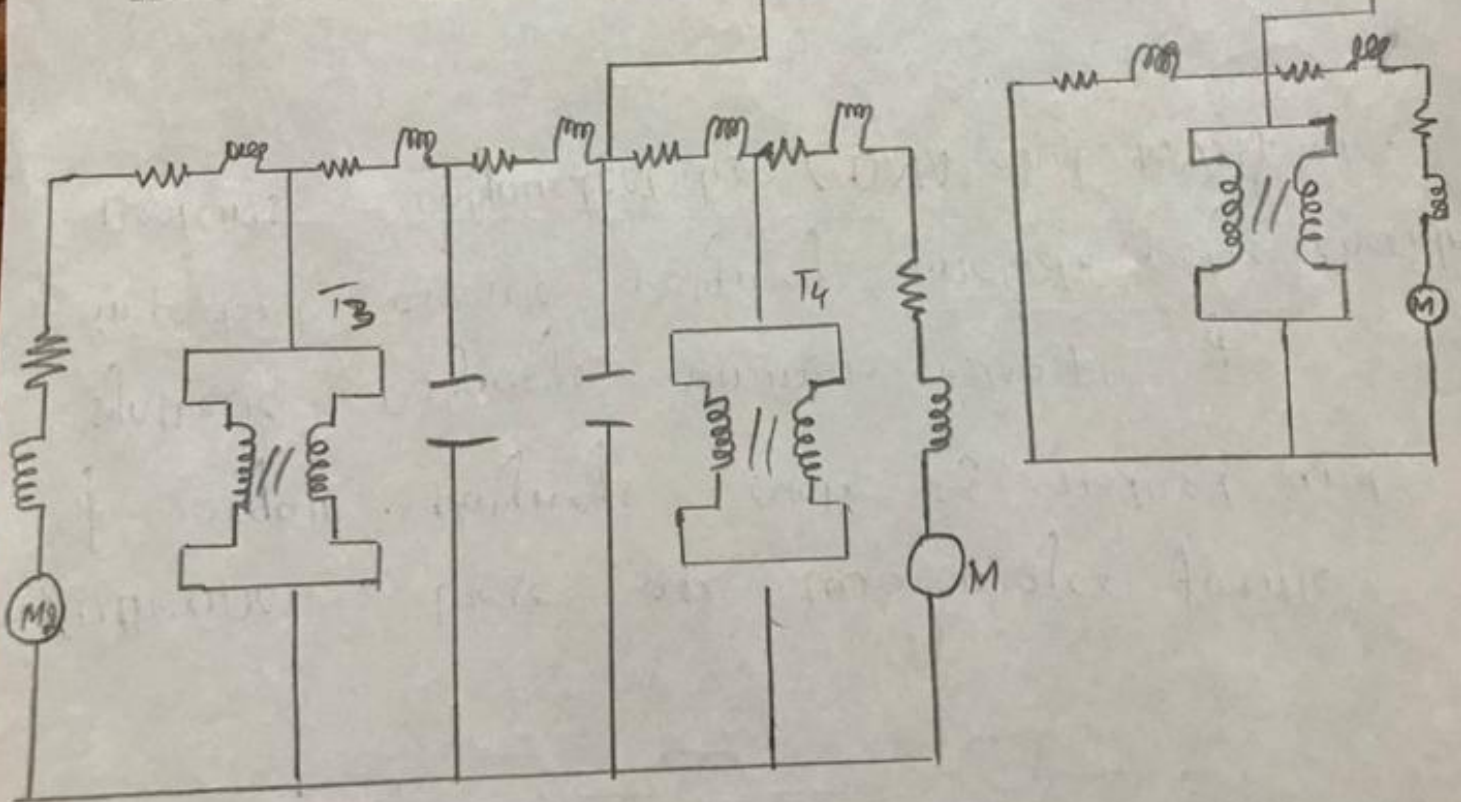
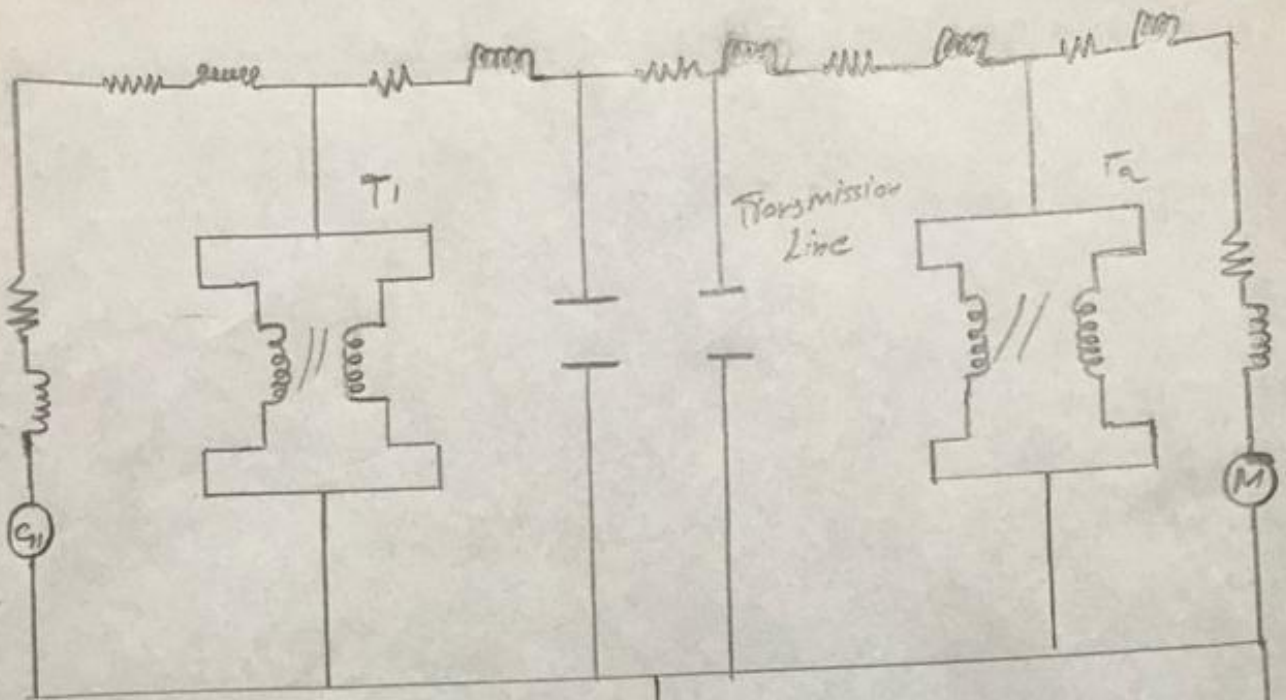
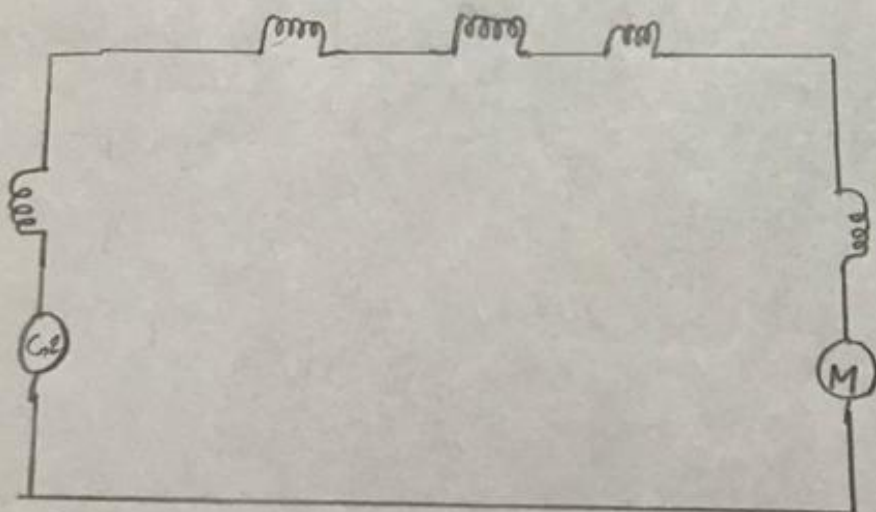
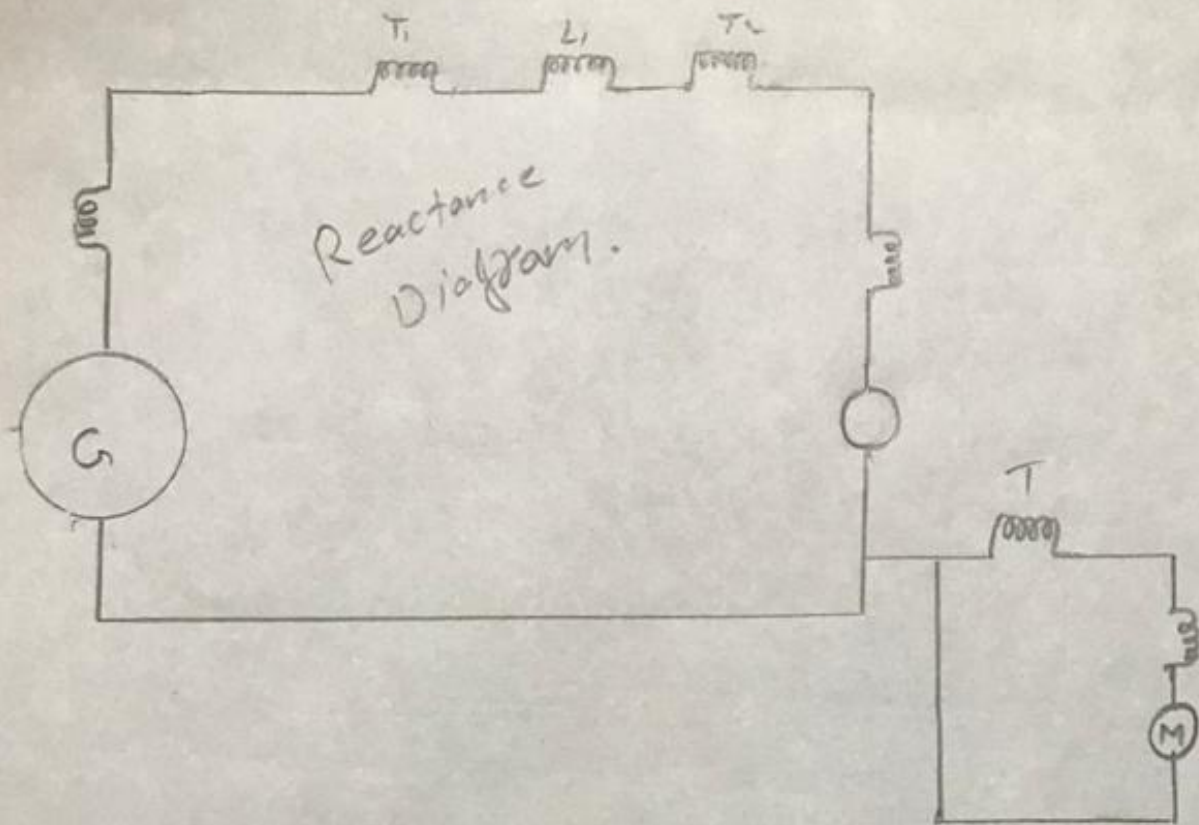


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Subject = Power-system Analysis
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Semester = 6th
Program = B-Tech-(E)

Q1 Single line Diagram Convert into Reduce & Impedance







Q2 A T/F is Rated 20 kV/220 kV
300 MVA and

Sol:

$$V_{PV} = Z_{PU} \times I_{P.U}$$

$$= 6.4 \times 350 = 2.240$$

$$S_{P.U} = V \times I$$

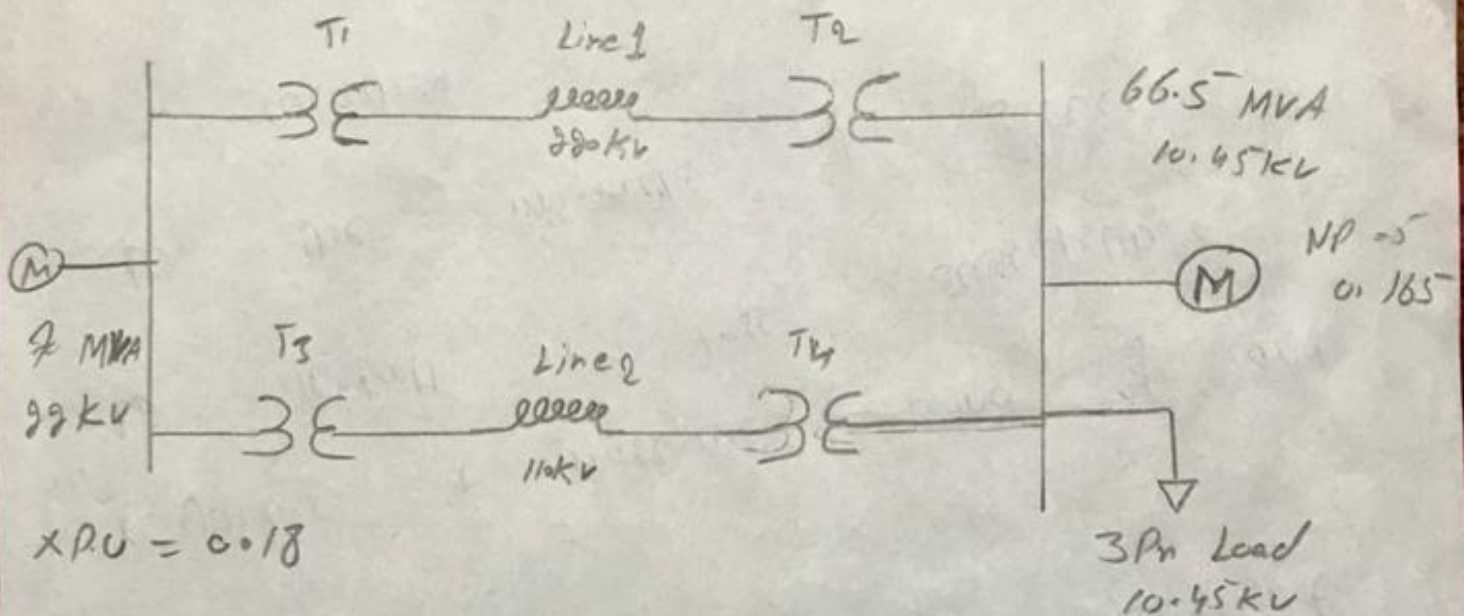
$$22 \times 350$$

$$S = 7700$$

$$Z_{P.U} = \frac{V^2_{base}}{S_{base}}$$

$$\frac{(22)^2}{7700} = \frac{484}{7700}$$

$$= \boxed{0.0628}$$



$$x p.u. = 0.18$$

$$T_1 = 50 \text{ MVA } 92/990 \text{ kV } x p.u. = 0.10$$

$$T_2 = 40 \text{ MVA } 220/11 \text{ kV } x p.u. = 0.06$$

$$T_3 = 40 \text{ MVA } 92/11 \text{ kV } x p.u. = 0.064$$

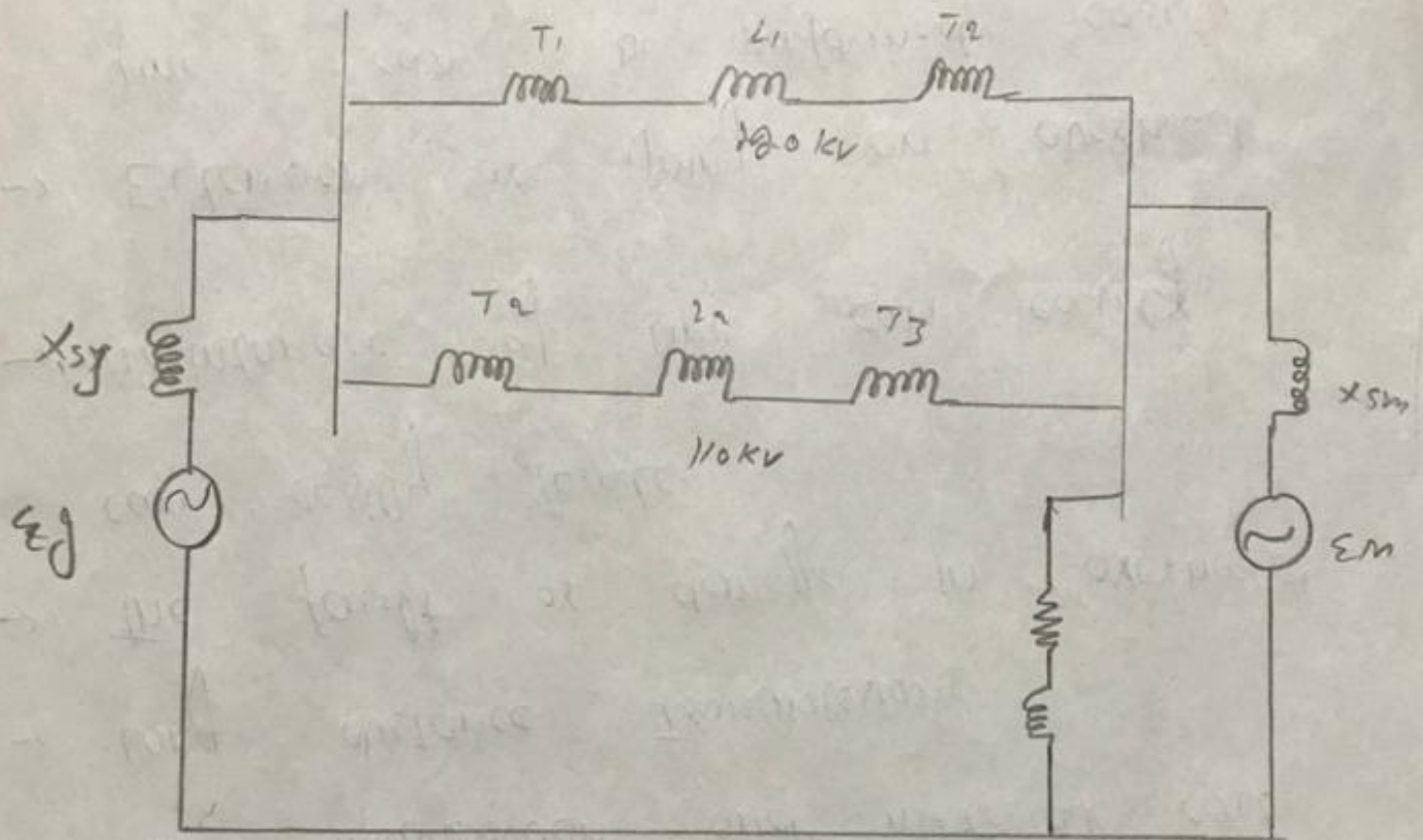
$$T_4 = 40 \text{ MVA } 110/11 \text{ kV } x p.u. = 0.08$$

$$\text{Line 1} = 48.4 \text{ ohm (Total)}$$

$$\text{Line 2} = 65.43 \text{ ohm (total)}$$

⇒ The equivalent impedance diagram of the above system.

Impedance Diagram



Assume a system S_{base} of 100 MVA -
 This is random occupation ω chosen to
 make a calculation easy when per unit
 impedance -

$$\text{So } S_{base} = 100 \text{ MVA.}$$

Calculation :-

$$Z_{base} = \frac{kV_{base}^2}{Z_{base} \text{ MVA}}$$

$$\Rightarrow \text{For T-Line 1 } Z_{base} = \frac{(990)^2}{100} = 484 \text{ ohm}$$

$$\Rightarrow \text{For T-Line 2 } Z_{base} = \frac{(110)^2}{100} = 121 \text{ ohm}$$

$$\text{For 3-Phase Load } Z_{base} = \frac{(11)^2}{100} = 1.21 \text{ ohm}$$

$$\Rightarrow Z_{P.U} = \frac{Z_{actual}}{Z_{base}}$$

$$Z_{P.U. \cdot new} = Z_{P.U. \cdot old} \left(\frac{S_{base \text{ new}}}{S_{base \text{ old}}} \right) \left(\frac{V_{base \text{ old}}}{V_{base \text{ new}}} \right)$$

The ratio of the T/F voltage rating on the primary side & secondary side to the system normal voltage on the same side.

$$\text{For T Line 1 using } X_{11} \text{ P.U} = \frac{48.4}{484} = 0.1 \text{ P.U}$$

$$\text{For T Line 2 using } (2) \times 28 \text{ P.U} = \frac{65.43}{121}$$

$$0.5 \text{ P.U}$$

For 3-Phase Load

$$\text{Power factor } \cos^{-1}(0.6) = 53.13$$

$$\text{Thus } S_{3\phi} (\text{Load}) = 57 \angle 53.13$$

$$Z_{ad} \left(\frac{(V_{\text{rated}})^2}{S^2} \right) = \frac{10 \cdot 45^2}{57 \angle 53.13}$$

$$\Rightarrow 1.1415 + j 1.53267 \text{ ohm}$$

$$\frac{1.1495 + j 1.5326}{1.21}$$

$$0.95 + j 1.2667 \text{ P.U}$$

For generator The new per unit
Reactance equation -

$$X_{sf} = 0.18 \left(\frac{100}{90} \right) \left(\frac{22}{22} \right)^2$$

$$= 0.2 \text{ P.U}$$

For Transformer T_1 : $x_{t1} = 0.1 \left(\frac{100}{50} \right) \left(\frac{22}{22} \right)^2 = \boxed{0.2 \text{ P.U}}$

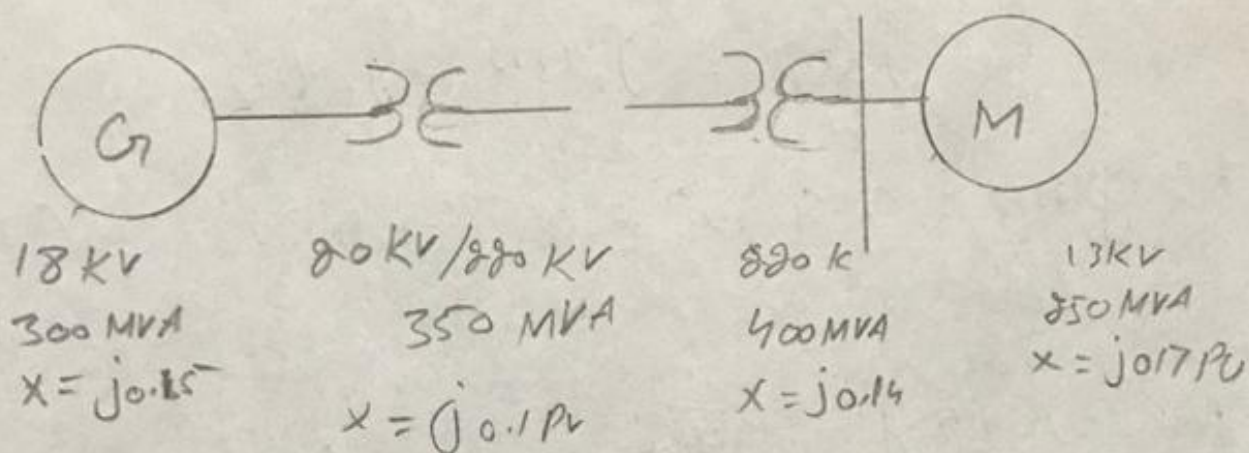
For // T_2 : $x_{t2} = 0.06 \left(\frac{100}{4} \right) \left(\frac{220}{220} \right)^2 = \boxed{0.15 \text{ P.U}}$

For // T_3 : $x_{t3} = 0.064 \left(\frac{100}{40} \right) \left(\frac{220}{220} \right)^2 = \boxed{0.16 \text{ P.U}}$

For T/F T_4 : $x_{t4} = 0.08 \left(\frac{100}{40} \right) \left(\frac{110}{110} \right)^2 = \boxed{0.2 \text{ P.U}}$

For Motor. $X_{sm} = 0.185 \left(\frac{100}{66.5} \right) \left(\frac{10.45}{11} \right)^2$

$$\boxed{0.25 \text{ P.U}}$$



Solution:-

$$V_0 = \frac{17.8 \text{ kV}}{12.66} = 0.140$$

All ~~resistance~~ resistance are give in base
 80 MVA and apparent voltage

Load = 800 MVA, 0.80 Power factor Leading.

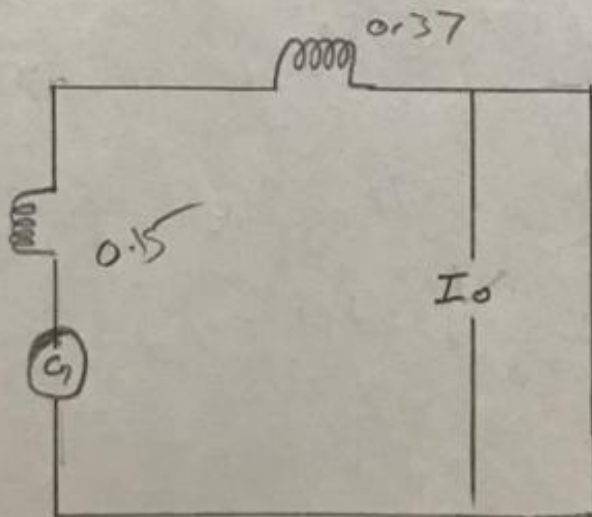
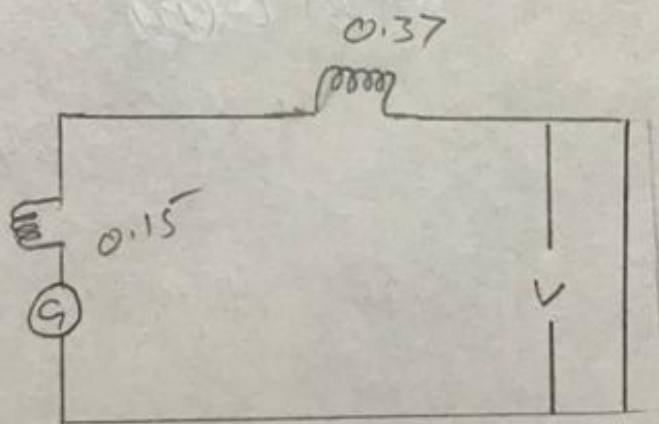
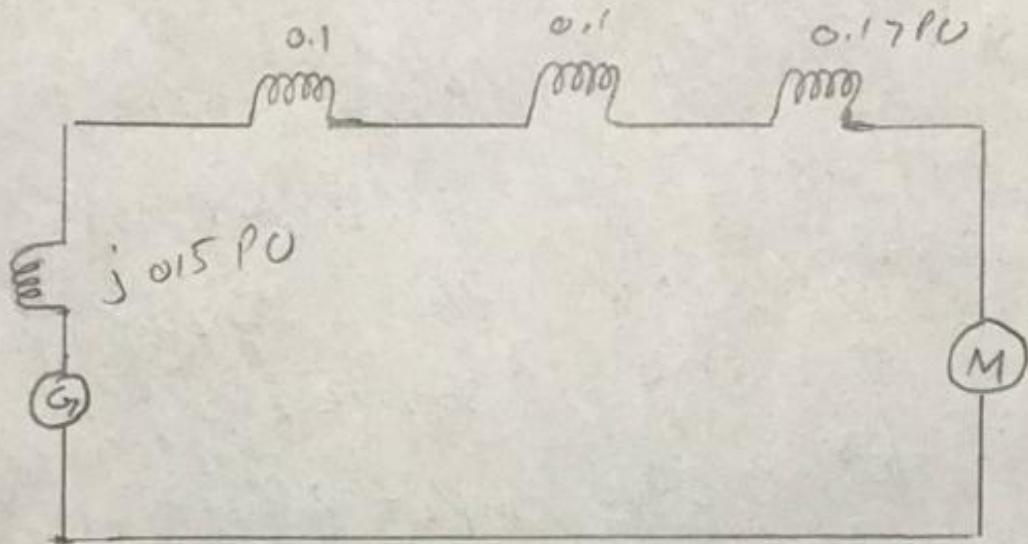
~~$$\frac{800}{800} = 10 \text{ p.u.}$$~~

$$\frac{800}{10} = 10 \text{ p.u.}$$

Per fault current

$$I_0 = \frac{10}{0.112 \times 0.80} = \frac{10}{0.112} = \boxed{89.2857}$$

Per fault equivalent ckt :-



Q = 6

Ans

over current protective devices must operate to isolate short ckt fault safely minimize damage to circuit element ~~and~~ avoid if possible of shut-down of plant and An accurate knowledge prospective fault current through out the system is essential for the correct application of protective device and Thermal arrangement to withstand consequential mechanical and Thermal stresses.

