## **Department of Electrical Engineering**

**Course Title: Electromagnetic Field** 

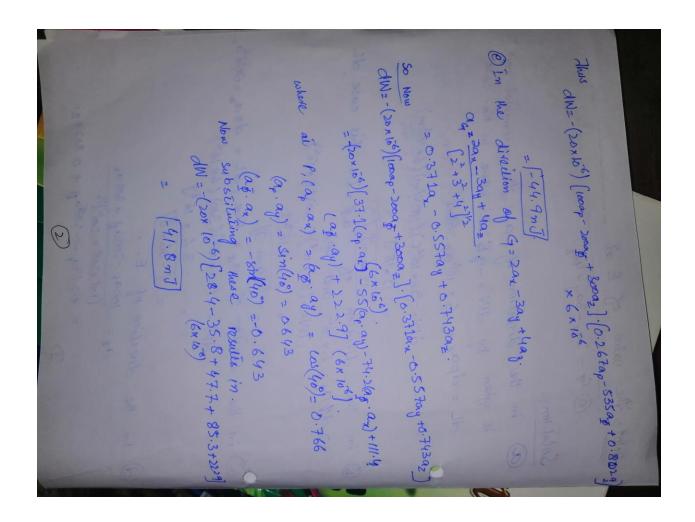
Module: 4<sup>th</sup> semester

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ano1: The value of E at @ 9 = 2ax - 3ay + 4az. Solution: a in the direction of ap = the incremental work is given by dW = -9, Ei. dL, where in this case dL = dpap = 6 x 16bap. Thus. dW=-(20x10-6C)(100V/m)(6x16-6m) = -12 × 159J 1) in the direction of ag=In this case dL = 2 dp ag = 6 x 106 and so, dW=-(20x106) (-20) (6x166) = 2.4 x 158 J = (24n J) O in the direction of az = Here, dL = dzaz=6xlobaz. dW = - (20 x 106) (300) (6x 106) = -3.6 x 158J = [-36nJ] @ In the direction of E. ag = 100ap - 200aj + 300 az [100 + 200 + 300 ] 1/2 = 0.267ap -0.535ap + 0.802az.



QNO2 let B=10[8in76) an + 5 sin 7/6 ay + 60 605 (7) a2].

Solution

(B) 
$$dW_{x} = -9.8.dLa_{x}$$
  
=  $-2 \times 10^{9} (-5)(10^{3}) = 10^{11} J.$   
=  $10 PJ$ 

a of az

$$dW_{z} = -9 \cdot \text{E} \cdot dLa_{z} \cdot \frac{10^{3}}{2} \cdot \frac{10^{3}}{3} \cdot \frac{10^{3}}{$$

$$dW_{xyz} = -9E.dL(a_{x} + a_{y} + a_{z})$$

$$= 10 + 50 + 100.43$$

$$= 135pJ$$

$$= 135pJ$$



Solution:

@ P(1,2,3) toward Q(2,14)
The vector along this direction will be Q-P=(1,-1,1)
From which  $a_{pq} = [a_x - a_y + a_z]/\sqrt{3}$ 

 $dW = -9E \cdot dL$   $= -(50 \times 10^{6}) \left(120 \alpha_{p} \cdot (\alpha_{x} - \alpha_{y} + \alpha_{z})\right) (2 \times 10^{3})$   $= -(50 \times 10^{6}) (120) \left[(\alpha_{x} \cdot \alpha_{p}) - (\alpha_{p} \cdot \alpha_{y})\right] \frac{1}{12} (2 \times 10^{3})$ 

AT P, \$\overline{\pi} = \tan^{-1}(\frac{1}{1}) = 63.4°, Thus (ap. an) = \cos(63.4°)
= 0.447

(ap. ay) = sin (63.4°) = 0.894 Substituting these, we obtain

dW = 3.1 MJ.

(b)  $G_2(2,1,4)$  Coward P(1,2,3) A little thought is in order ture: Note that the field has only a radical component and does not depend on  $\overline{D}$  or  $\overline{D}$ . And P and  $\overline{D}$  are at the same radius  $\overline{D}$  or  $\overline{D}$ . And  $\overline{D}$  are at the same radius  $\overline{D}$  or  $\overline{D}$  aris. Thus the answer is  $\overline{D}$  of  $\overline{D}$  aris is also Found by going as in part  $\overline{D}$  a. This is also Found by going as in part  $\overline{D}$  as in part  $\overline{D}$ , but with the through the procedure as in part  $\overline{D}$ , but with the direction (Roles of  $\overline{D}$  of  $\overline{D}$  revensed.

9NO4 Compule le value 5°G. dL. @ Straight line segments  $\{A(1,-1,\lambda)\}$  to  $B(1,1,\lambda)$  to  $P(\lambda,1,\lambda)$ : In general we would have. Solution: -J. G.dL = 5 2ydn. The change in & occurs when moving b/w B & P, during which y=1. JG.dL = Jzydx  $\int_{1}^{\infty} 2(1) dn$ . To P(2, 1, 2): In this case change in x occurs when moving from A Eo C during which y=-1 2 S G. dL = 5 24dx = 52(-1) dx

QN05 let 9 = 32 yan + 22 ay. Jind.

Solution: - let  $G = 3\pi y^3 a_x + 2 \neq a_y$ .

a) Straight line y = x - 1, z = 1  $= \int_{3}^{4} (x - 1)^2 dx + \int_{3}^{3} z(1) dy$   $= \int_{3}^{4} (x - 1)^2 dx + \int_{3}^{3} z(1) dy$ 

(b) Parabola  $6y = x^{2} + 2$ , 2 = 1  $= \int_{2}^{4} (1 - x^{2})^{2} + \int_{2}^{3} (1 -$ 

= [82]