

IQRA NATIONAL UNIVERSITY

PESHAWAR

BACH 2015

ID 12430

NAME DANISH KHATTAK

B.Tech CIVIL

Date : 24/08/2020

Time : 2 chlock

Q No 1 :

Solution :

Given Data

$$\text{span length} = l = 30 \text{ ft.}$$

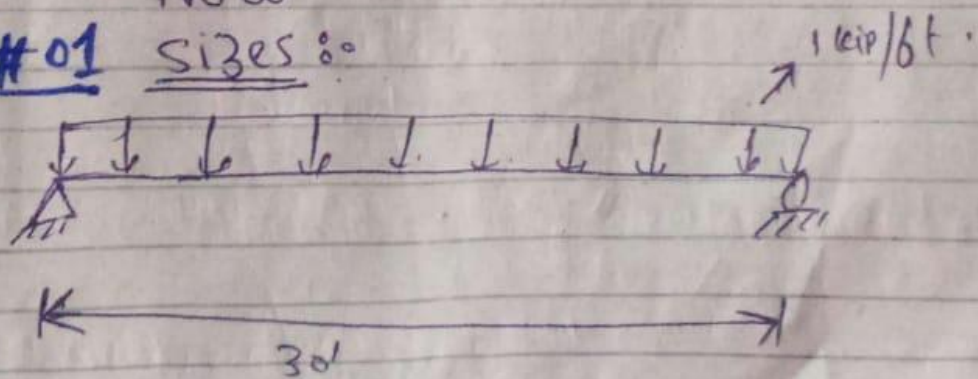
$$\text{Service live load} = 1000 \text{ lb/ft} = 1 \text{ kip/ft.}$$

$$\text{Uniform live load} = 1100 \text{ lb/ft} = 1.1 \text{ kip/ft.}$$

$$f_y = 60,000 \text{ psi} = 60 \text{ ksi}$$

$$f_c' = 40,000 \text{ psi} = 4 \text{ ksi.}$$

Now
Step #01 Sizes :



For 30',

$$h_{\min} = l/16 = 30' / 16 = 22.5'' \quad \text{OK}$$

$$\text{Now width of beam} = 22.5'' - 1'' = 21.5'' \quad \text{Case 2}$$

Step # 02

$$\begin{aligned}\text{self weight of beam} &= \gamma_c \cdot b_w \cdot h \\ &= 0.15 \times \left(21.5 \times \frac{30}{144}\right) \\ &= 0.671 \text{ kip/ft}\end{aligned}$$

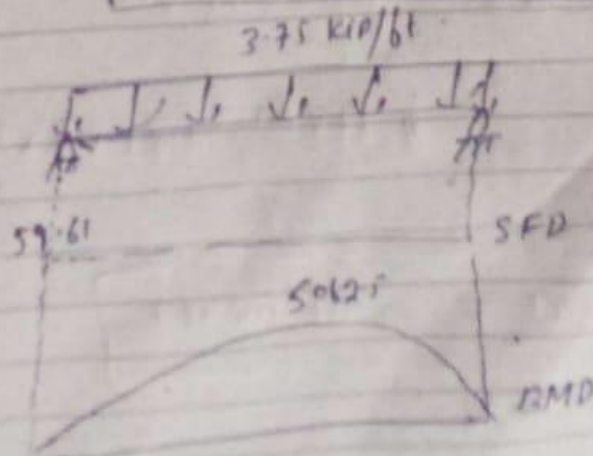
$$\begin{aligned}W_u &= 1.2W_D + 1.6W_L \\ &= 1.2(1 + 0.671) + 1.6(1.1) \\ &= 2.005 + 1.75 \\ W_u &= 3.75 \text{ kip/ft}\end{aligned}$$

Step # 03

Flexural Analysis.

$$M_u = \frac{W_u L^2}{8} = \frac{3.75 \times (30)^2 \times 12}{8}$$

$$M_u = 5062.5 \text{ in-kips}$$



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Step #04

Design of flexure:

$$\phi M_n \geq M_u \quad (\phi M_n \text{ is in design})$$

For $\phi M_n = M_u$

$$\phi A_s f_y \left(d - \frac{a}{2}\right) = M_u$$

$$A_s = M_u / \left\{ \phi f_y \left(d - \frac{a}{2}\right) \right\}$$

Let $a = 4''$

$$A_s = 5062.5 / 0.9 \times 60 \times \left\{ 27.5 - \frac{4}{2} \right\}$$

$$A_s = 3.67 \text{ in}^2$$

Now

$$a = A_s f_y / 0.85 f_c' b w$$

$$= 3.67 \times 60 / 0.85 \times 4 \times 21.5$$

$$a = 3.01 \text{ inches}$$

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2nd trial

$$A_s = 3.75 \text{ in}^2$$

$$a = 3.11$$

3rd trial

$$A_s = 3.77 \text{ in}^2$$

$$a = 3.12 \text{ in} < 5.0 \text{ in} \quad \text{So } \underline{\text{OK}}$$

$$\rho_{\min} = 3\sqrt{f'_c/f_y} \geq 200/f_y$$

$$3 \times \sqrt{4000/60000} = \text{~~0.0031~~ } 0.0031$$

$$\frac{200}{60000} = \text{~~0.0033~~ } 0.003$$

$$\rho_{\min} = 0.0031$$

$$A_{s\min} = \rho_{\min} \times b \times d$$

$$= 0.0031 \times 21.5 \times 27.5$$

$$A_{s\min} = 1.77 \text{ in}^2$$

$$A_{s\max} = 5.9 \text{ in}^2$$

$$\text{So } A_{s\min} < A_{s\max} \quad \underline{\text{OK}}$$

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Step # 05

No of Bar.

10 # 6 bar will provide

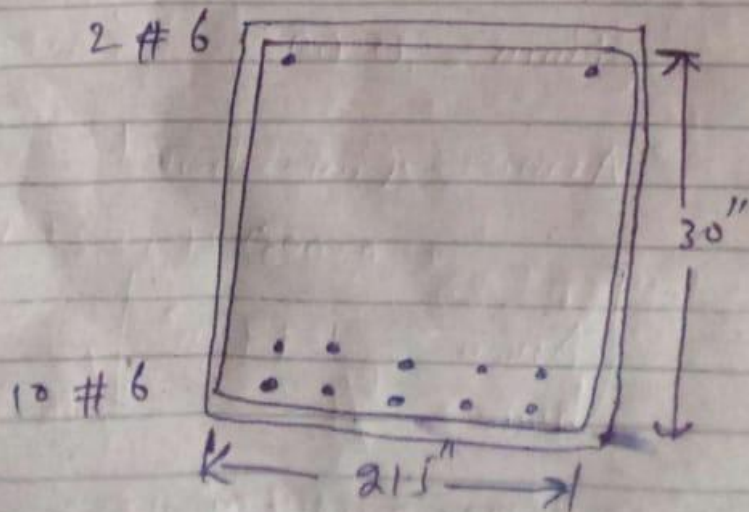
for 4.40 in^2 of steel area which is slightly greater than required.

So

8 # 7 (4.80 in^2) or

6 # 8 (4.74) may be used.

Step # 05 ∴ ~~Rein~~ Drafting.



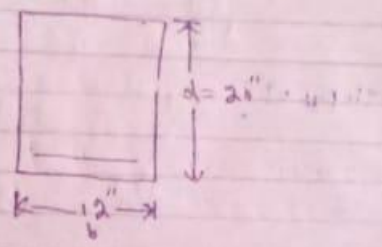
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QNO #02

Solution:

Given Data

flexure demand = 3500 in kip
 $f'_c = 3 \text{ KSI}$
 $f_y = 40 \text{ KSI}$



Required

Design doubly reinforcement beam

Now for solution

Step #01

For ϕM_n

$$\begin{aligned} \rho_{max} &= 0.0203 \\ A_{smax(singly)} &= \rho_{max(singly)} \times b \times d \\ &= 0.0203 \times 12 \times 20 \\ &= 4.87 \text{ in}^2 \end{aligned}$$

$$\phi M_{n(\max)}(\text{singly}) = \phi A_{s(\max)} f_y \left(d - \frac{a'}{2}\right) =$$

$$\phi M_{n(\max)}(\text{singly}) = 2948.88 \text{ in kip}$$

Step # 02

$$M_{u(\text{crit})} = M_u - \phi M_{n(\max)}(\text{singly})$$

$$= 3500 - 2948.88$$

$$M_{u(\text{crit})} = 2551.12 \text{ in kip}$$

Step # 03

From table

$$d = 20'' > 12.5'' \text{ and } d' = 2.5'' \text{ so}$$

$$d'/d = 0.125 < 0.20 \text{ for } f_y' = 40 \text{ ksi}$$

So it exist in yield

$$\text{stress in compression steel} = f_s' = f_s$$

Also

$$\epsilon_s' = (0.003 - 0.008 d'/d) \quad \text{--- (1)}$$

$$\epsilon_s' = \left(0.003 - 0.008 \times \frac{2.5}{20}\right) = 0.002 > \epsilon_y$$

$$\text{where } \epsilon_y = 40/29000 = 0.00137$$

As ϵ_s' is greater than ϵ_y

So compression steel will yield

(3)

Step # 04

calculation of A_s & A_{st}

$$A_s = M_{\text{extra}} / \left\{ \phi \rho_s (d-d') \right\}$$
$$= 955112 / \left\{ 0.9 \times 40 (20-2.5) \right\}$$

$$A_s = 4.04 \text{ in}^2$$

$$A_{st} = A_{s \text{ max (sup)}} + A_s$$
$$= 4.87 + 4.04$$

$$A_{st} = 8.91 \text{ in}^2 \quad (\text{Tension reinforcement})$$

Now using of # 8 bars with area A_b
 $A_b = 0.79 \text{ in}^2$

$$\text{No of bar} = \frac{8.91}{0.79} = 11.2 \approx 12$$

No of bar to provided on compression side

$$is = \frac{4.04}{0.79} = 5.56 \approx 6$$

Concluded. provide 12 # 8 (in 3 layer) on tension side

provide 6 # 8 (in 1 layer) on compression side

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Step #05

Ensure that $d'/d < 0.2$ (Per grade 40)
How to check

$d = 19.625''$
 $d' = 2.375''$

$d'/d = 2.375/19.625 = 0.12 < 0.2$ o.k.

Step #06

Ductility

$A_{st(max)} = A_{st(max)(single)} + A_s f_s' / F_y$

$A_{st(max)(single)} = 4.87 \text{ in}^2$

$A_s' = 6 \times 0.79 = 4.76 \text{ in}^2$

$A_{st(max)} = 4.87 + 4.76 = 9.63 \text{ in}^2$

$A_{st} = 7.9 \text{ in}^2$

so

$A_{st} = 7.9 \text{ in}^2 < A_{st(max)}$ o.k.

because

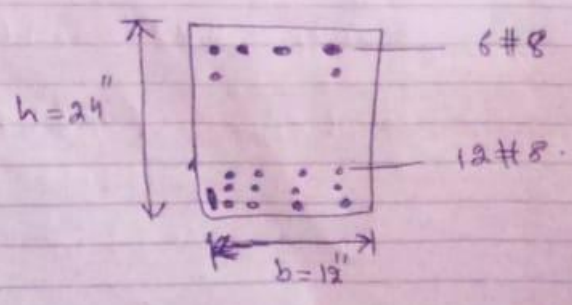
$7.9 \text{ in}^2 < 9.635$

$\Rightarrow A_{st} < A_{st(max)}$ so o.k.

Step #07

Drafting:

Provide 12 #8 (3 layer) _{tension} & 6 #8 (1 layer) _{compression}



Question No "3"

Mechanics of RC Beams under Gravity load.

1:- un-cracked concrete - Elastic stage.

* At loads much lower than the ultimate concrete remains un-cracked in compression as well as tension and the behavior of steel and concrete both is elastic.

2:- Cracked concrete (tension zone) - Elastic stage.

* with increase in load concrete cracked in compression. Concrete in compression and steel in tension both behave in elastic manner.

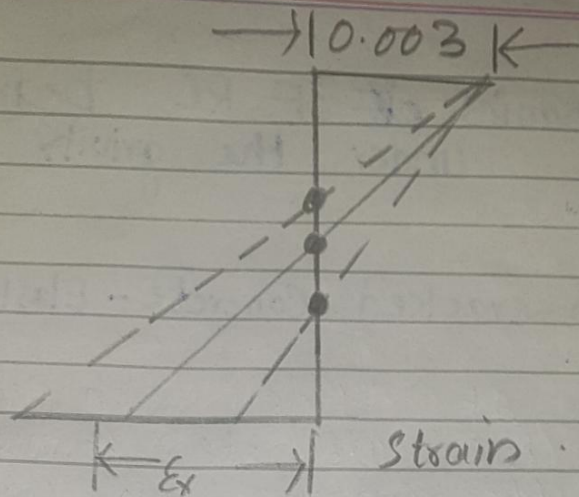
3:- Cracked concrete (tension zone) - Inelastic (ultimate strength) stage.

* Concrete is cracked in concrete in compression and steel in tension both enters into inelastic range. At collapse, steel

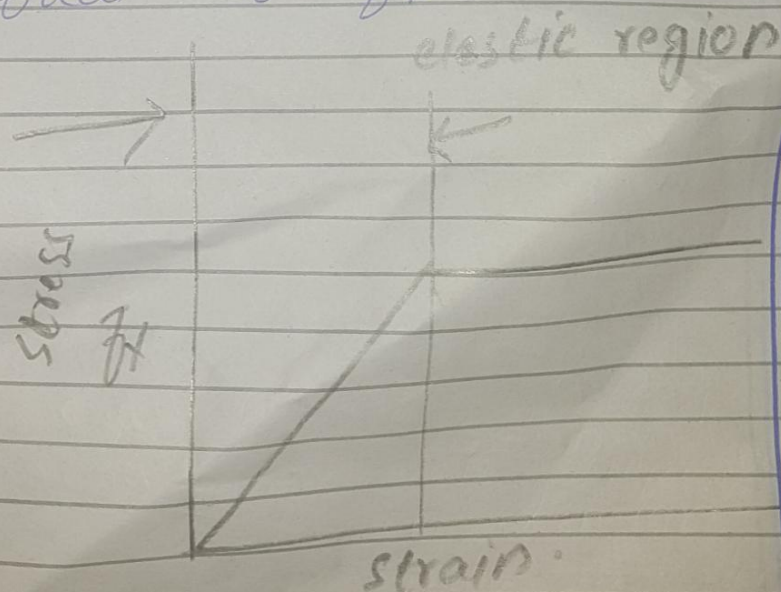
Compression crushes.

* Basic Assumptions:

- A plane section before bending remains plane after bending.
- stress and strain are approximately proportional up to moderate load (concrete stress $\leq 0.5 f_c$) when the load P_s increased the variation in the concrete stress is no longer linear.
- Tensile strength of concrete is neglected in the design of reinforced concrete beam.
- The bond b/w the steel concrete is perfect and no slip occurs.
- strain in concrete and reinforcement shall be assumed proportional to the distance from neutral axis.
- The maximum usable concrete compressive strain at extreme fiber is assumed to be 0.003.



→ The steel is assumed to be uniformly strained to the strain exists at the level of the centroid of the steel also of the strain in the steel ϵ_s is less than yield strain of the steel ϵ_y the stress in the steel is $E_s \epsilon_s$. If $\epsilon_s \geq \epsilon_y$ the stress in steel will be equal to f_y .



idealized stress-strain curve.