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I.D # 7902

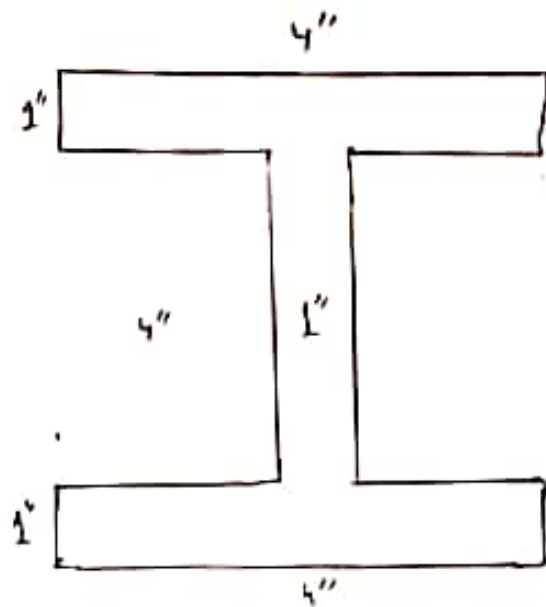
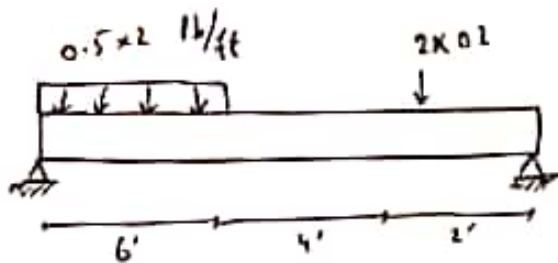
Section :- A

II Paper :- MOS II

Date :- 18-4-2020

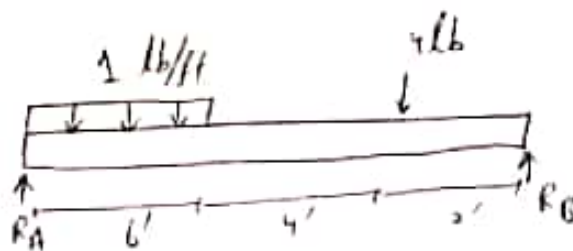
# Question No 1

Ans:



$$\Rightarrow 2P = 2 \times 0.2 = 4$$

$$\Rightarrow 0.5 \times 2 = 0.5 \times 2 = 1$$



Support Reactions:-

As

$$\sum F_y = 0 \quad \uparrow \quad \downarrow$$

$$R_A + R_B = 4$$

$$\sum M = 0 \quad \curvearrowright \quad \curvearrowleft$$

$$(R_B \times 12) - (4 \times 6) - (1 \times 3) = 0$$

$$12 R_B = 43$$

$$R_B = \frac{43}{12} \Rightarrow \boxed{R_B = 3.583}$$

As

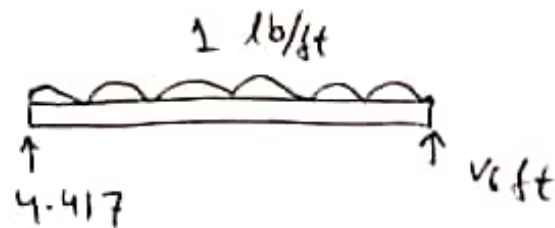
$$R_A + R_B = 8$$

$$R_A + 3.5833 = 8$$

$$R_A = 8 - 3.5833$$

$$R_A = 4.417$$

Now shear force at change point.



$$\sum F_y = 0 \quad \uparrow^+ \quad \downarrow^+$$

$$V_{6ft} - 4.417 + 1 \times 6 = 0$$

$$V_{6ft} - 4.417 + 6 = 0$$

$$V_{6ft} = 4.417 - 6 =$$

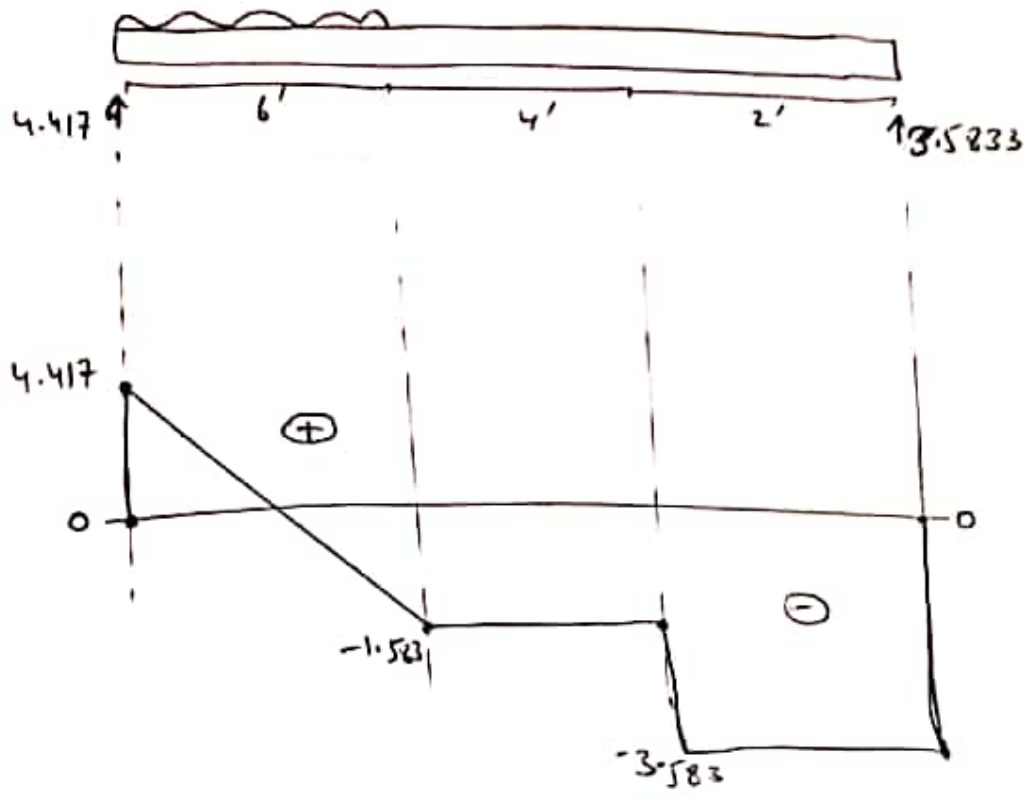
$$V_{6ft} = -1.583$$

Now shear force at point  $V_{10ft}$ .

$$-4.417 + 6 + 4 + V_{10ft} = 0$$

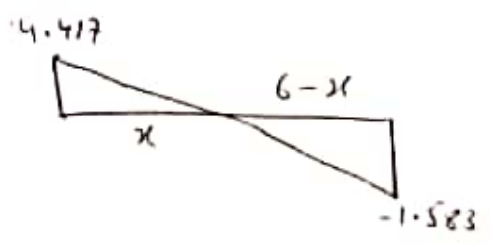
$$V_{10ft} = 4.417 - 6 - 4$$

$$V_{10} \text{ ft} = -5.583$$



Now moment at change point  
Find zero shear force.

$$\frac{4.417}{x} = \frac{1.583}{6-x}$$



$$4.417(6-x) = 1.583x$$

$$26.502 - 4.417x = 1.583x$$

$$26.502 = 1.583x + 4.417x$$

$$\frac{26.502}{6} = \frac{6x}{6}$$

$$x = 4.417$$

Now moment at 4.417.

$$\sum M_{4.417} = 0 \quad \curvearrowright \oplus \quad \curvearrowleft \ominus$$

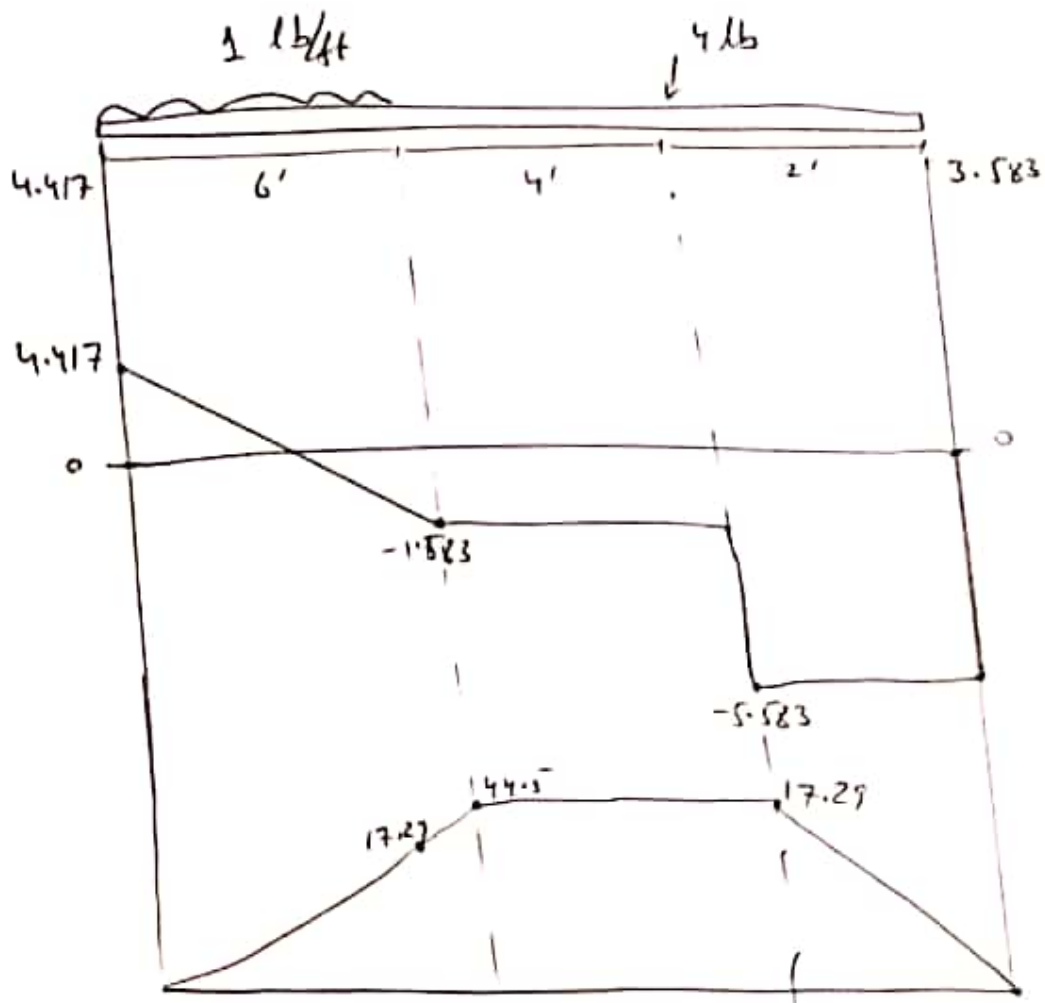
$$M_{4.417} + 4.417 \times 4.417 - 1 \left( \frac{4.417^2}{2} \right) = 0$$

$$M_{4.417} + 19.50 - 2.2085$$

$$M_{4.417} = 2.2085 - 19.50$$

$$M_{4.417} = 17.29$$

$$M_{6ft} = 44.5$$



Now shear stress :-

$$\tau = \frac{VQ}{IT}$$

$$\tau = \frac{(4.417)(10)}{(55.9)(4)}$$

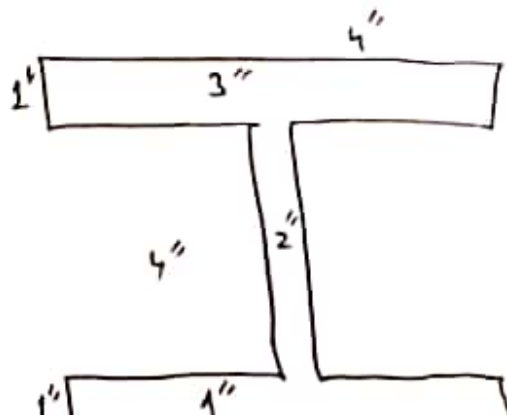
$$\tau = 0.197$$

Now Flexural stress :-

$$\delta = \frac{Mv}{F}$$

$$\delta = \frac{44.5 \times 2}{55.976}$$

$$\delta = 1.589 \text{ Psi}$$



As we know that to find centroid we have the following formula.

$$\bar{y} = \frac{A_1 y_1 + A_2 y_2 + A_3 y_3}{A_1 + A_2 + A_3}$$

$$A_1 = 4 \times 1 = 4$$

$$A_2 = 4 \times 1 = 4$$

$$A_3 = 4 \times 1 = 4$$

$$\bar{y} = \frac{(4 \times 0.5) + (4 \times 3) + (4 \times 6.5)}{4 + 4 + 4}$$

$$\bar{y} = 3''$$

Now moment of Inertia.

| No | A (in <sup>2</sup> ) | I <sub>x</sub> (in)                 | d = ( $\bar{y} - y_1$ )<br>( $\bar{y} - y_1$ )( $\bar{y} - y_2$ ) |
|----|----------------------|-------------------------------------|---|
| ①  | 4                    | $\frac{4 \times (1)^3}{12} = 0.333$ |   |
| ②  | 4                    | $\frac{1 \times 4^3}{12} = 5.333$   |   |
| ③  | 4                    | $\frac{4 \times 1^3}{12} = 0.333$   |   |

$$P - \bar{r} = 0$$

(Now "d")

- ①  $d = (\bar{y} - y_1) = (3 - 0.5) = 2.5$
- ②  $d = (\bar{y} - y_2) = (3 - 3) = 0$
- ③  $d = (3 - 5.5) = -2.5$

(Now  $Ad^2$ )

- ①  $4 \times (2.5)^2 = 25$
- ②  $4 \times (0)^2 = 0$
- ③  $4 \times (-2.5)^2 = 25$

Now

$$I_x = I_x + Ad^2$$

- ①  $0.333 + 25 = 25.333$
- ②  $5.333 + 0 = 5.333$
- ③  $0.333 + 25 = 25.333$

Total

$$I = I_{x_1} + I_{x_2} + I_3$$

$$I = 25.333 + 5.333 + 25.333$$

$$I = 55.999 \text{ in}^2$$



Now we can find the stress state condition:-

$$\sigma_x = -1.584$$

$$\sigma_y = 0$$

$$\tau_{xy} = 0.196$$

Solution

For  $\sigma_x$

$$\sigma'_x = \frac{-1.584}{2} + \left( \frac{-1.584}{2} - 0 \right) \cos 2(-20) + (0.196) \sin 2(-20)$$

$$\sigma'_x = -1.397 \text{ (compression)}$$

Now

For  $\sigma_y'$

$$\sigma'_y = \frac{-1.584}{2} - \left( \frac{-1.584}{2} - 0 \right) \cos 2(-20) - (0.196) \sin 2(-20)$$

$$\sigma'_y = -0.184$$

For  $\tau_{x'y}'$

$$\begin{aligned} \tau_{x'y}' &= -\sigma_x' - \sigma_y' \sin 2\theta + 2\tau_{xy} \cos 2\theta \\ &= \left( \frac{-1.584}{2} \right) \sin 2(-20) + 0.196 \cos 2(-20) \end{aligned}$$

$$\tau_{x'y}' = 0.1507$$

To Draw Moh's Circle for the  
Given Problem:-

(7)

The condition is a circle.

$$\left( \frac{S_x + S_y}{2}, 0 \right)$$

Centre coordinates.

$$(h, k) = \left( -\frac{1.5784}{2}, 0 \right) \\ = (-0.792, 0)$$

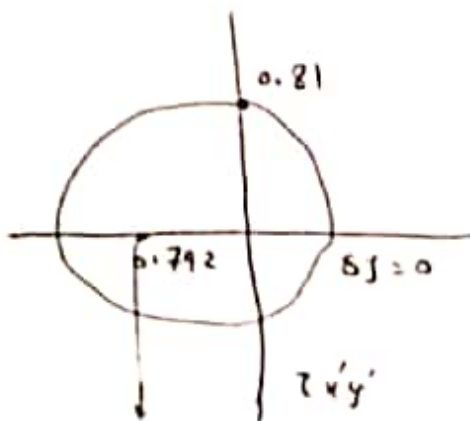
Now Radius

$$r = \sqrt{\left( \frac{S_x + S_y}{2} \right)^2 + 7xy^2}$$

$$r = \sqrt{\left( -\frac{1.5784}{2} \right)^2 + (0.156)^2}$$

$$r = \sqrt{0.627 + 0.0248}$$

$$r = 0.8134$$



D

This is the centre point