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## Summer-20 Mid Term Assignment

Subject: Probability and Statistics

Note: Please attempt all Questions in sequence. All questions carry equal marks.
Q1: Construct a grouped frequency distribution table and cumulative frequency curve (Ogive) for the observations below.
$423,369,387,411,393,394,371,377,389,409,392,408,431,401,363,391$, $405,382,400,381,399,415,428,422,396,372,410,419,386,390$

## Grouped frequency distribution table:

| Class Interval | Frequency | Class-Boundries | C.f < | C.f > |
| :---: | :---: | :---: | :---: | :---: |
| $360-374$ | 4 | $359.5-374.5$ | 4 | 30 |
| $375-389$ | 6 | $374.5-389.5$ | 10 | 26 |
| $390-404$ | 9 | $389.5-404.5$ | 19 | 20 |
| $405-419$ | 7 | $404.5-419.5$ | 26 | 11 |
| $420-434$ | 4 | $419.5-434.5$ | 30 | 4 |

$C . B=\Delta=L C L$ of $2^{\text {nd }}$ clan-UCL of $1^{\text {st }}$ clan
$=375-374$
$=1$
C. $B=\Delta / 2=>1 / 2$
$=0.5$

## Ogive Diagram:

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OGTVE DIAGRAM 8-

C. $B$

Q2: For the observations given in Q1 calculate Mean and Geometric Mean.

| Classes | frequency | Class-Boundries | Mid-Point x | F.m | $\log x$ | f.log(x) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $360-374$ | 4 | $359.5-374.5$ | 367 | 1468 | 2.56 | 10.24 |
| $375-389$ | 6 | $374.5-389.5$ | 382 | 2292 | 2.58 | 15.48 |
| $390-404$ | 9 | $389.5-404.5$ | 397 | 3573 | 2.59 | 23.31 |
| $405-419$ | 7 | $404.5-419.5$ | 412 | 2884 | 2.61 | 18.27 |
| $420-434$ | 4 | $419.5-434.5$ | 427 | 1708 | 2.63 | 10.52 |
| Total | 30 |  |  |  |  |  |

Mean $=\sum(\mathrm{f} . \mathrm{mid})$

$$
\sum f
$$

$=11925$

30
Mean=397.5

## Geometric Mean:

Antilog $(\Sigma \operatorname{flog}(x))$

## $\Sigma f$

$=$ Antilog (77.82)
30
$=$ Antilog (2.594)
G.M = 392.6 Answer

## Q3: Define the following terms

a) Population and Sample

## Population:

A population or a statistical population is a collection or set of all possible observations whether finite or infinite, relevant to some characteristics of interest.

* A statistical population may be real such as the heights of all the college students or hypothetical such as all the possible outcomes from the toss of a coin.
* The number of observations in a finite population is called the size of the population denoted by the letter "N".


## Sample:

A sample is a part or a subset of a population. The number of observations included in a sample is called the size of the sample and is denoted by the letter " n ".
The information derived from a sample data is used to draw conclusions about the population
b) The Range

## Range:

The range, the difference between the largest value and the smallest value, is the simplest measure of variability in the data. The range is
determined by only the two extreme data values. The variance $\left(s^{2}\right)$ and the standard deviation (s). For example $\ln \{4,6,9,3,7\}$ the lowest value is 3 , and the highest is 9 , so the range is $9-3=6$. Range can also mean all the output values of a function.
c) The Weighted Arithmetic Mean

## Weighted Arithmetic Mean

The weighted arithmetic mean, denoted by $\overline{X w}$ of a set on $n$ values $X_{1}, X_{2} \ldots \ldots . . . . X_{n}$ with corresponding weights $W_{1}, W_{2}, \ldots \ldots . . . . W_{n}$ is defined as

$$
\frac{\overline{X_{w}}=x_{1} w_{1}+x_{2} w_{2}+\ldots \ldots+x_{n} w_{n}}{w_{1} w_{2}+\ldots \ldots .+w_{n}}
$$

$$
\frac{\sum x_{i} w_{i}}{\sum w_{i}} \quad(i=1,2,3, \ldots \ldots . n)
$$

