

Assignment

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Section "A"
Subject PRCD-I
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Sir

Question#02:

A Simply supported rectangular beam 14" wide having an effective depth of 22" to carry a lateral load of 6.5 k/ft on a 18' Simple Span. It is reinforced with 7 in² of tensile steel area. If $f'_c = 4 \text{ ksi}$ and $f_y = 60 \text{ ksi}$, then design the beam for shear.

Given data:

Breadth of web of Beam = $b_w = 14''$

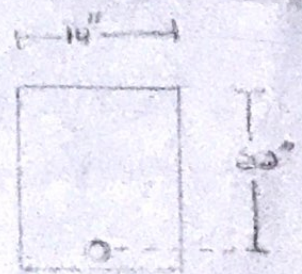
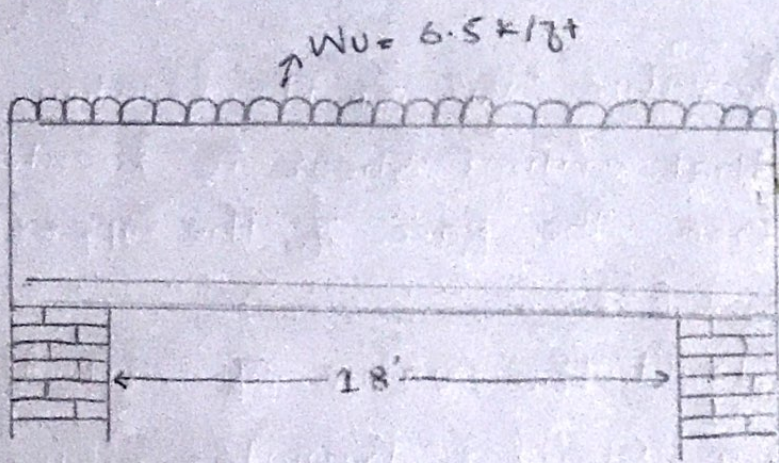
Effective depth = $d = 22''$

Load = $W_u = 6.5 \text{ k/ft}$

Area of steel = 7 in²

$f'_c = 4 \text{ ksi}$ or 4000 psi

$f_y = 60 \text{ ksi}$ or 60,000 psi

Solution:

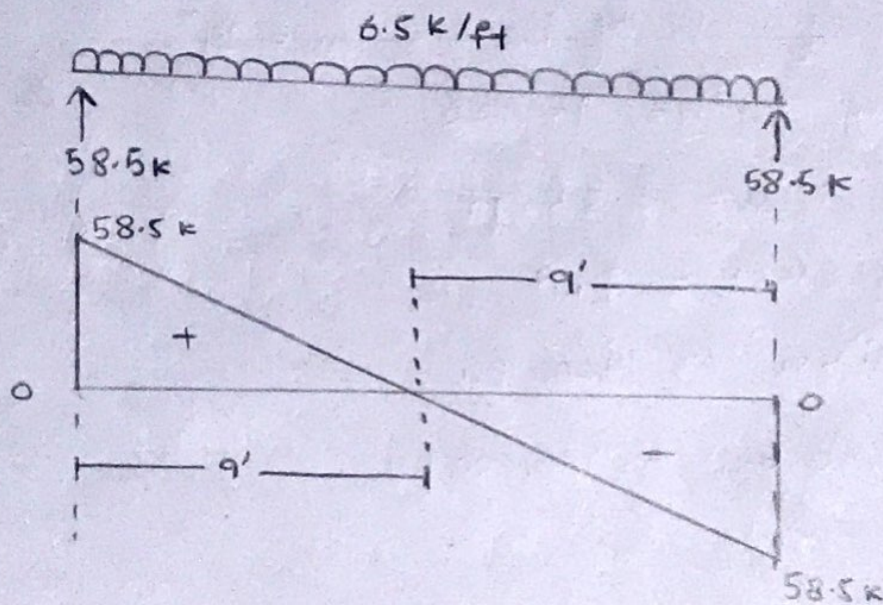
Step #01: To find reactions on the Supports.

$$\text{Total load} = 6.5 \times 18 = 117 \text{ kips}$$

As the beam is simply supported and having a UDL So both the Support will have same reactions. So,

$$R_A = R_B = \frac{117}{2} = 58.5 \text{ kips}$$

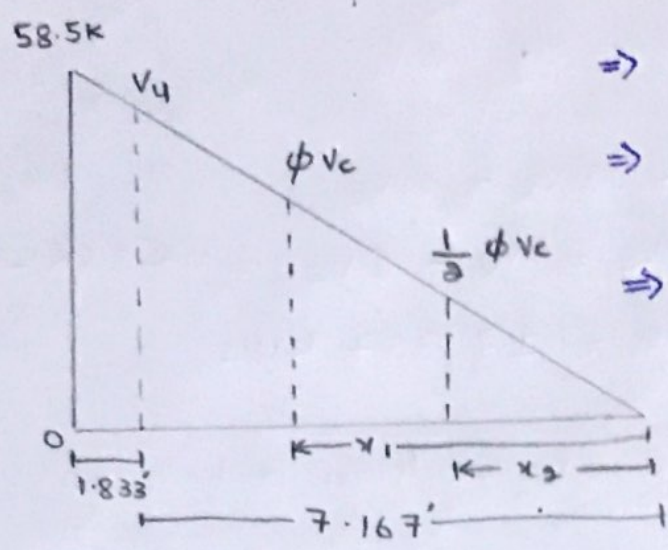
Step #02: To draw SFD of the beam



Step #03: Critical ^{shear} value " V_u " & its location

As we all know that critical shear is located at distance " d " from the face of the Support. which is $d = 22'' = 1.833'$

So we can find out the value of critical Shear by using similar triangles method.



$$\Rightarrow \frac{58.5}{9} = \frac{V_u}{7.167}$$

$$\Rightarrow V_u = \frac{58.5 \times 7.167}{9}$$

$$\Rightarrow V_u = 46.586 \text{ k}$$

Step#04: To find values and distances of " ϕV_c " & " $\frac{1}{3} \phi V_c$ "

As we know by formula

$$\phi V_c = \phi \times 2 \times \sqrt{f_c} \times b_w \times d$$

$$= 0.75 \times 2 \times \sqrt{4000} \times 14 \times 22$$

$$= 29219.446 \text{ lbs}$$

$$\Rightarrow \phi V_c = 29.219 \text{ kips}$$

For its location,

$$\frac{58.5}{9} = \frac{29.219}{x_1} \Rightarrow x_1 = \frac{29.219 \times 9}{58.5}$$

$$\Rightarrow x_1 = 4.495' \text{ kips}$$

For " $\frac{1}{3} \phi V_c$ ",

$$\text{As } \phi V_c = 29.219 \Rightarrow \frac{1}{3} \phi V_c = \frac{1}{3} \times 29.219$$

$$\Rightarrow \frac{1}{3} \phi V_c = 14.61 \text{ kips}$$

Location \rightarrow

$$\frac{58.5}{9} = \frac{14.61}{x_2} \Rightarrow x_2 = \frac{14.61 \times 9}{58.5}$$

$$x_2 = 2.248'$$

Step #05: value of ϕV_s

As we know

$$V_u = \phi V_s + \phi V_c$$

$$\Rightarrow \phi V_s = V_u - \phi V_c = 46.586 - 29.219$$

$$\Rightarrow \phi V_s = 17.367 \text{ kips}$$

Step #06:

check on section adequacy

So

$$\begin{aligned} & \phi \times 8 \times \sqrt{f'_c} \times b_w \times d \\ &= 0.75 \times 8 \times \sqrt{4000} \times 14 \times 22 \\ &= 116.878 \text{ kips} \end{aligned}$$

As we see that

$$\phi \times 8 \times \sqrt{f'_c} \times b_w \times d > \phi V_s$$

So the section is adequate.

Step #07:

check on maximum spacing for stirrups

$$\begin{aligned} & \phi \times 4 \times \sqrt{f'_c} \times b_w \times d \\ &= 0.75 \times 4 \times \sqrt{4000} \times 14 \times 22 \\ &= 58.439 \text{ kips} \end{aligned}$$

As

$$\phi \times 4 \times \sqrt{f'_c} \times b_w \times d > \phi V_s$$

So maximum spacing will be selected from the four conditions

$$1 \Rightarrow S_{\max} = 24''$$

$$2 \Rightarrow \frac{d}{2} = \frac{22}{2} = 11''$$

$$3 \Rightarrow S_{max} = \frac{A_u \times f_y}{0.75 \times \sqrt{f'_c} \times b_w}$$

$$= \frac{0.22 \times 60,000}{0.75 \times \sqrt{4000} \times 14} = 19.877''$$

$\therefore A_u = 0.22 \text{ in}^2$
for two leg stirrup using #3 bar.

$$4 \Rightarrow S_{max} = \frac{A_u \times f_y}{50 \times b_w} = \frac{0.22 \times 60,000}{50 \times 14}$$

$$= 18.857''$$

As $S_{max} = 11''$ is the smallest value in the above four conditions, so

$$S_{max} = 11'' \text{ c/c}$$

Step#08, stirrups spacing at critical section

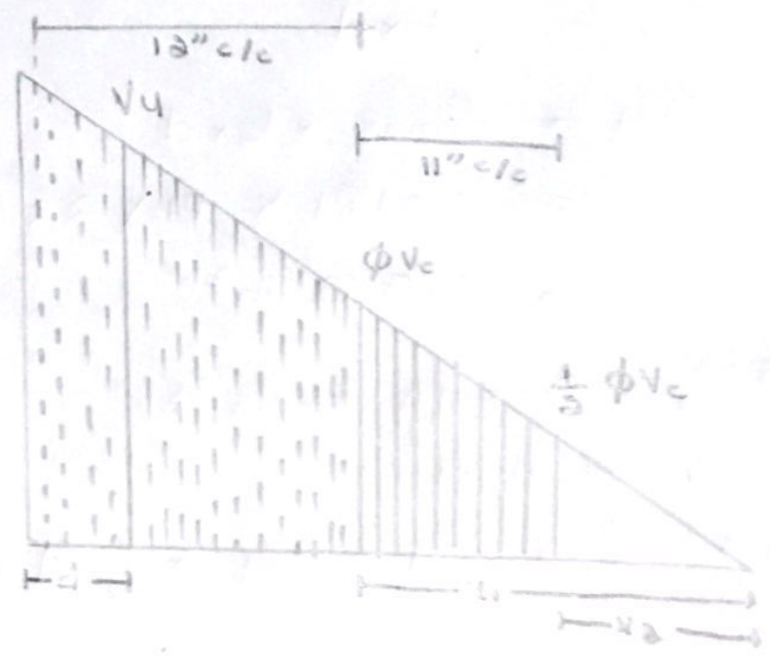
$$S = \frac{\phi \times A_u \times f_y \times d}{V_u - \phi V_c} = \frac{0.75 \times 0.22 \times 60 \times 22}{46.586 - 29.219}$$

$$S = 12.541'' \approx 12'' \text{ c/c}$$

Step#09: Final sketch

1st stirrup

$$\Rightarrow \frac{S}{2} = \frac{12}{2} = 6''$$



Question # 06:

A beam is revised to developed and ultimate moment of 6000 k-inches limited to 14 x 26 inch size, use $f'_c = 4 \text{ ksi}$ & $f_y = 60 \text{ ksi}$. Determine flexural reinforcement assume two rows of tensile reinforcement and effective depth is 22 inch.

Solution:

Step #01: Reinforcement Ratio

$$\begin{aligned} \rho_{max} &= 0.85 \times \beta \times \frac{f'_c}{f_y} \times \left(\frac{\epsilon_u}{\epsilon_u + \epsilon_y} \right) \\ &= 0.85 \times 0.85 \times \frac{4}{60} \times \left(\frac{0.003}{0.003 + 0.005} \right) \\ \rho_{max} &= 0.0181 \end{aligned}$$

Step #02: Area of Steel

$$\begin{aligned} A_s \quad \rho_{max} &= \frac{A_{st}}{b \times d} \\ \Rightarrow A_{st} &= \rho_{max} \times b \times d \\ &= 0.0181 \times 14 \times 22 \\ A_{st} &= 5.563 \text{ in}^2 \end{aligned}$$

Step #03: Design moment

As we know that

$$M_u = \phi \times A_{st} \times f_y \times \left(d - \frac{a}{2} \right)$$

$$A_s \quad a = \frac{A_{st} \times f_y}{0.85 \times f'_c \times b} = \frac{5.563 \times 60}{0.85 \times 4 \times 14}$$

$$a = 7.012''$$

$$So \quad M_{U_2} = 0.90 \times 5.563 \times 60 \times \left[22 - \frac{7.012}{2} \right]$$

$$M_{U_2} = 5555.635 \text{ kip-inch}$$

A_s $M_{U_2} < M_U$, so we have to design the beam as doubly reinforced.

Step # 04: M_{U_1}

$$M_{U_1} = M_U - M_{U_2} = 6000 - 5555.635$$

$$M_{U_1} = 444.365 \text{ kip-inch}$$

Step # 05: A_{st} in compression zone

$$A_s \quad M_{U_1} = \phi \times A'_{st} \times f_y \times (d - d')$$

$$\Rightarrow A'_{st} = \frac{M_{U_1}}{\phi \times f_y \times (d - d')}$$

$$= \frac{444.365}{0.90 \times 60 \times (22 - 2.5)}$$

$\therefore d' = 2.5''$
Assumed

$$A'_{st} = 0.422 \text{ in}^2$$

Step#06: Total steel area

$$A_s = A_{st} + A'_{st}$$

$$= 5.563 + 0.422$$

$$A_s = 5.985 \text{ in}^2$$

Step#07: No of bars

1) For tension zone:

lets use/try #8 bar

$$\text{Area of \#8 bar} = \frac{\pi}{4} \left(\frac{8}{8}\right)^2 = 0.785 \text{ in}^2$$

So,

$$\text{No of bars} = \frac{A_s}{\text{Area of bar}} = \frac{5.985}{0.785}$$

$$= 7.62 \approx 8 \text{ bars}$$

\Rightarrow 8 #8 bars

2) For Compression zone:

lets try #4 bar

$$\text{Area of \#4 bar} = \frac{\pi}{4} \times \left(\frac{4}{8}\right)^2 = 0.196$$

So,

$$\text{No of bars} = \frac{A'_{st}}{\text{Area of Single bar}} = \frac{0.422}{0.196}$$

$$= 2.153 \approx 2 \text{ bars}$$

So,

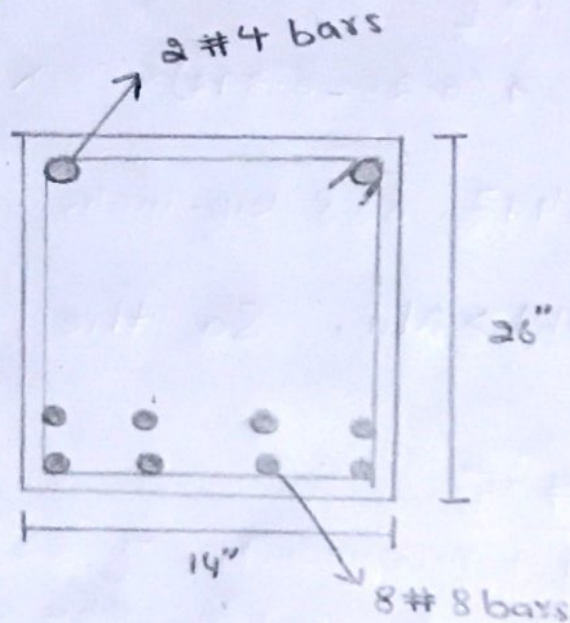
2 #4 bars

Step#8 ∴ b_{min}

$$b_{min} = (2 \times 1.5") + (2 \times \frac{3}{8}") + (8 \times \frac{8}{8}") + (7 \times \frac{8}{8})$$

$$= 18.75" > 14"$$

So the bars will be in two layers in tension zone



$$d = 26" - 1.5" - \frac{3}{8}" - \frac{8}{8}" - \frac{1}{2} \left(\frac{8}{8} \right)"$$

$$d = 22.625"$$

$$d' = 1.5" + \frac{3}{8}" + \frac{1}{2} \times \frac{4}{8}"$$

$$d' = 2.125"$$

Step#09: Design moment

$$M_d = \phi \times [A'_{st} \times b_y \times (d + d') + (A_{st} - A'_{st}) \times b_y \times (d - \frac{a}{2})]$$

$$a = \frac{(A_{st} - A'_{st}) \times f_y}{0.85 \times f'_c \times b}$$

$$= \frac{[(8 \times 0.785) - (2 \times 0.196)] \times 60}{0.85 \times 4 \times 14}$$

$$a = 7.422''$$

$$M_d = 0.90 \left[0.392 \times 60 \times (22.625 - 2.125) \right. \\ \left. + \phi (6.28 - 0.392) \times 60 \times \left(22.625 - \frac{7.422}{2} \right) \right]$$

$$M_d = 6447.688 \text{ kip-inches}$$

As $M_d > M_u$, So the design is OK!

Question #05

A floor system consists of 3.5" concrete slab supported by 16' simple span spaced at 9' c/c, the beam having web width of 10" and effective depth of 18" and total height is 23". Calculate the necessary flexural reinforcement if the factored applied moment is 5800 kip-inch.

Use $f'_c = 3 \text{ ksi}$ and $f_y = 60 \text{ ksi}$.

Given data:-

$$\text{Height of flange} = H_f = 3.5''$$

$$\text{Span of the beam} = L = 16'$$

$$\text{c/c distance} = 9'$$

$$\text{web width} = b_w = 10''$$

$$\text{Effective depth} = d = 18''$$

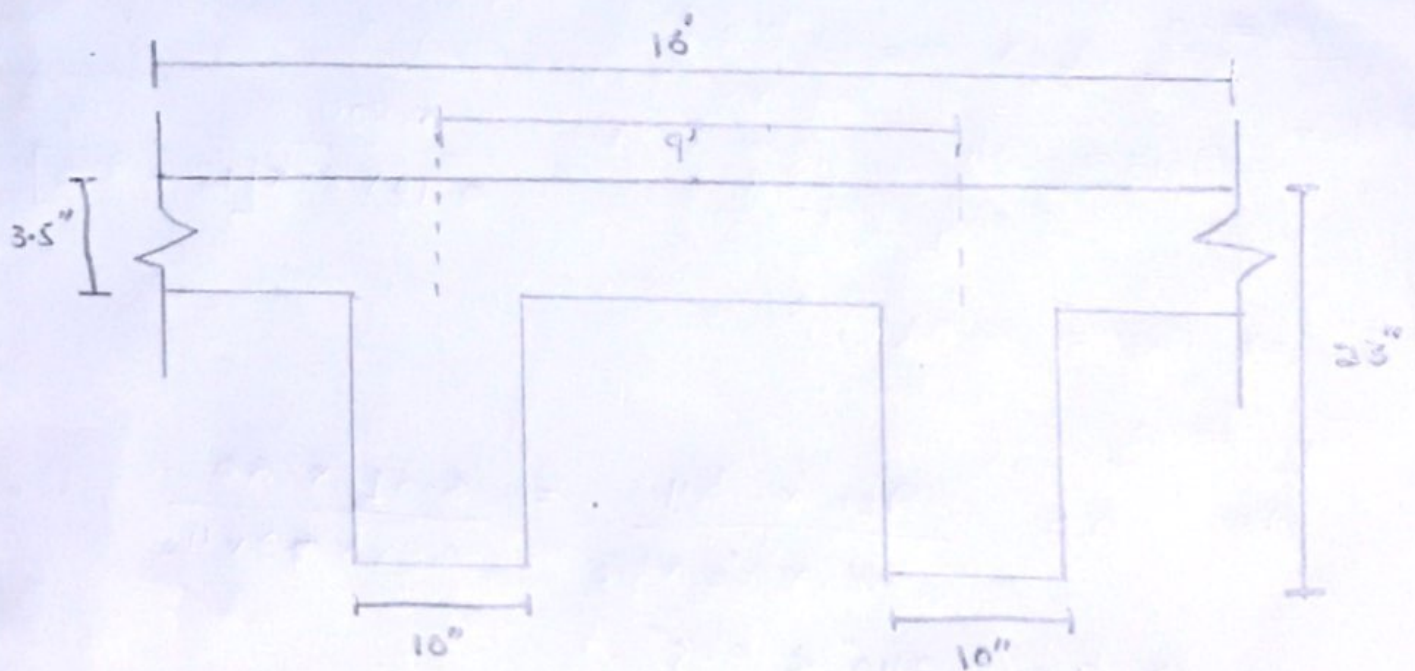
$$\text{Total height} = h = 23''$$

$$\text{Total factored moment} = M_u = 5800 \text{ kip-inch}$$

$$f'_c = 3 \text{ ksi or } 3000 \text{ psi}$$

$$f_y = 60 \text{ ksi or } 60,000 \text{ psi}$$

Solution:



Step #01

To calculate the effective width (b_e) for the T beam. So,

- 1) $16(h_f) + b_w = 16(3.5) + 10 = 66''$
- 2) c/c distance = $9 \times 12 = 108''$
- 3) $\frac{\text{Span}}{4} = \frac{16}{4} \times 12 = 48''$

As $48''$ is the least value we have So,
 $b_e = 48''$

Step #02:

To check either rectangular or T-beam analysis is required.

Trial #01: Let $a = h_f = 3.5''$

$$\text{then } A_{st} = \frac{M_u}{\phi \times b_y \times [d - \frac{a}{2}]} = \frac{5800}{0.90 \times 60 \times [18 - 3.5/2]}$$

$$\Rightarrow A_{st} = 6.61 \text{ in}^2$$

Trial #02:

$$\text{As } a = \frac{A_{st} \times b_y}{0.85 \times f'_c \times b_e} = \frac{6.61 \times 60}{0.85 \times 3 \times 48}$$

$$\Rightarrow a = 3.240'' < 3.5''$$

So Rectangular beam design is required

Now

$$A_{st} = \frac{5800}{0.90 \times 60 \times \left[18 - \frac{3.24}{2}\right]}$$

$$\Rightarrow A_{st} = 6.557 \text{ in}^2 \neq 6.61 \text{ in}^2$$

Trial #03:

$$a = \frac{6.557 \times 60}{0.85 \times 3 \times 48} = 3.214''$$

$$\Rightarrow A_{st} = \frac{5800}{0.90 \times 60 \times \left[18 - \frac{3.214}{2}\right]}$$

$$\Rightarrow A_{st} = 6.552 \neq 6.557$$

Trial #04:

$$a = \frac{6.552 \times 60}{0.85 \times 3 \times 48} = 3.212''$$

$$A_{st} = \frac{5800}{0.90 \times 60 \times \left(18 - \frac{3.212}{2}\right)}$$

$$A_{st} = 6.552 = 6.552$$

So Area of steel is 6.552 in^2 Step #03: δ_{max} and δ_{min}

$$\delta_{max} = 0.85 \times \beta \times \frac{f'_c}{f_y} \left(\frac{\epsilon_u}{\epsilon_u + \epsilon_y} \right)$$

$$\Rightarrow \delta_{max} = 0.0135$$

$$\delta_{\min} = \frac{200}{f_y} = \frac{200}{60,000}$$

$$\delta_{\min} = 0.0033$$

$$\delta = \frac{A_{st}}{b \times d} = \frac{6.552}{10 \times 18} = 0.0364$$

$$\delta_{\min} < \delta < \delta_{\max}$$

$$\Rightarrow 0.0033 < 0.0364 < 0.0135$$

So we have to design it as "Doubly reinforced beam"

Now we will find the Area of Steel against δ_{\max} .

$$\delta_{\max} = \frac{A_{st}}{b \times d}$$

$$\Rightarrow A_{st} = \delta_{\max} \times b \times d = 0.0135 \times 10 \times 18$$

$$A_{st} = 2.43 \text{ in}^2$$

Step#04: M_{u2}

$$M_{u2} = \phi \times A_{st} \times f_y \times \left(d - \frac{a}{2} \right)$$

$$= \phi \times A_{st} \times f_y \times \left(d - \frac{a}{2} \right)$$

$$As \quad a = \frac{A_{st} \times f_y}{0.85 \times f'_c \times b} = \frac{2.43 \times 60}{0.85 \times 3 \times 10}$$

$$\Rightarrow a = 5.718''$$

Hence

$$M_{u2} = 0.90 \times 2.43 \times 60 \times \left(18 - \frac{5.718}{2}\right)$$

$$M_{u2} = 1986.802 \text{ Kip-inch} < 5800 \text{ Kip-inch}$$

Step #05: M_{u1} & A'_{st} .

A_s

$$M_u = M_{u1} + M_{u2}$$

$$\Rightarrow M_{u1} = M_u - M_{u2}$$

$$= 5800 - 1986.802$$

$$M_{u1} = 3813.188 \text{ Kip-inch}$$

A_s

$$A'_{st} = \frac{M_{u1}}{\phi \times b_y \times (d - d')}$$

$$= \frac{3813.188}{0.90 \times 60 \times (18 - 2.5)}$$

$$\Rightarrow A'_{st} = 4.556 \text{ in}^2$$

Step #06: Total steel area

$$A_s = A_{st} + A'_{st}$$

$$= 2.43 + 4.556$$

$$A_s = 6.986 \text{ in}^2$$

Step#07:Bar selection

i) For tension zone:

let use #10 bar,

$$\text{dia of bar} = \left(\frac{10}{8}\right)'' , \text{ Area of bar} = \frac{\pi}{4} \times \left(\frac{10}{8}\right)^2 = 1.227 \text{ in}^2$$

So,

$$\begin{aligned} \text{No of bars} &= \frac{\text{Area of steel}}{\text{Area of a bar}} \\ &= \frac{6.552}{1.227} \\ &= 5.34 \approx 5 \end{aligned}$$

5 # 10 bars

ii) For compression zone,

let use #8 bar.

$$\text{dia} = \left(\frac{8}{8}\right)'' = 1'' , \text{ Area} = \frac{\pi}{4} \times (1)^2 = 0.785 \text{ in}^2$$

$$\begin{aligned} \text{So, No of bars} &= \frac{4.556}{0.785} \\ &= 5.8 \approx 6 \end{aligned}$$

6 # 8 bars

Step# 8 :

$$b_{min} = (2 \times 1.5) + (2 \times 3/8) + (5 \times 10/8) + (4 \times 10/8)$$

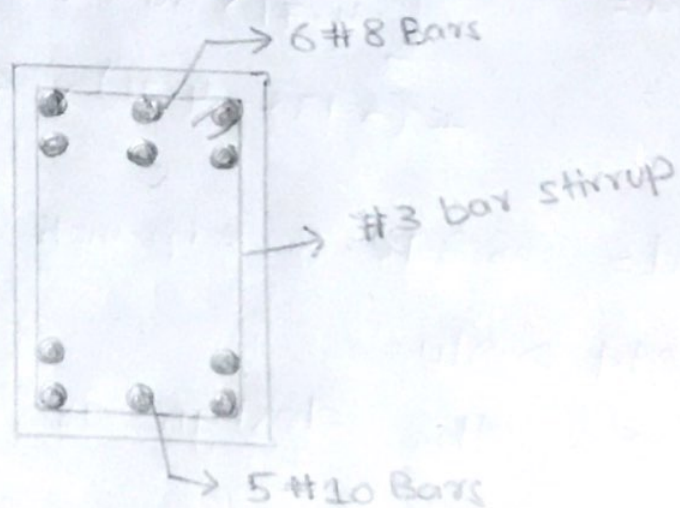
$$b_{min} = 15'' > 10''$$

So, the bars in tension zone will be in two layers.

$$b_{min} = (2 \times 1.5) + (2 \times 3/8) + (6 \times 8/8) + (5 \times 8/8)$$

$$b_{min} = 14.75'' > 10''$$

So the steel bars in compression zone will also be in two layers



$$\text{Effective depth} = d = 23 - 1.5 - \frac{3}{8} - \frac{10}{8} + \frac{1}{2} \left(\frac{10}{8} \right)$$

$$= 19.25''$$

$$\text{Effective cover} = d' = 1.5 + \frac{3}{8} + \frac{8}{8} + \frac{1}{2} \left(\frac{8}{8} \right)$$

$$= 3.375''$$

Step#09: Design moment

$$M_d = \phi \left[A'_s \times f_y \times (d - d') + (A_s - A'_s) \times f_y \times \left(d - \frac{a}{2} \right) \right]$$

For this

$$a = \frac{(A_s - A'_s) f_y}{0.85 \times f'_c \times b}$$

$$= \frac{(6.136 - 4.71) 60}{0.85 \times 3 \times 10}$$

$$a = 3.355 \text{ in}$$

$$\Rightarrow M_d = 0.90 \left[\cancel{4.71} \times 60 \times (19.25 - 3.375) + (6.136 - 4.71) \times 60 \times \left(19.25 - \frac{3.355}{2} \right) \right]$$

$$M_d = 6390.8 \text{ kip-inch}$$

$$M_d > M_u$$

So the design is OKay!

$$\#10 \text{ bar area} = 1.227$$

$$A_s = 5 \times 1.227$$

$$A_s = 6.136 \text{ in}^2$$

$$\#8 \text{ bar area} = 0.785$$

$$A'_s = 4.71 \text{ in}^2$$

Q1) Explain in detail types of stirrups with figures and also explain ACI codes for Shear design.

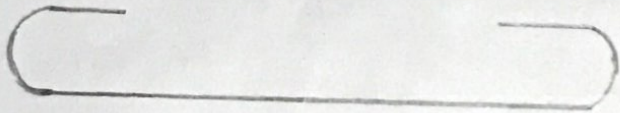
Ans: STIRRUP:

Stirrups are closed-loop bars tighed at regular intervals in beam reinforcement to hold the bars in position.

TYPES OF STIRRUPS:

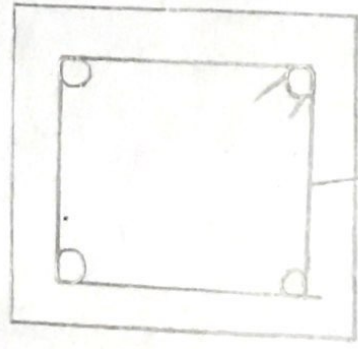
1) Single Legged Stirrup:-

The single-leg stirrups have rarely been used because they are mostly used when binding only two rods.



2) Two Legged stirrup:-

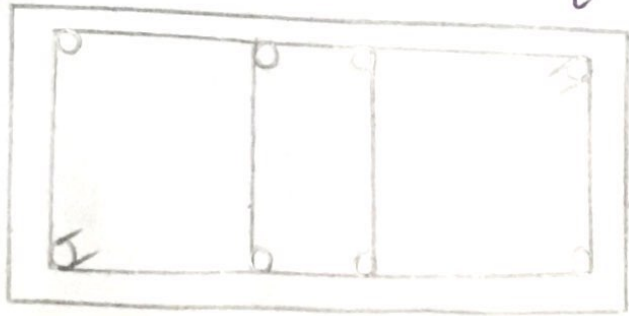
It is most commonly and widely used stirrup. Minimum 4 bars are required for providing this stirrup.



2 legged stirrup

3) Four Legged stirrup:-

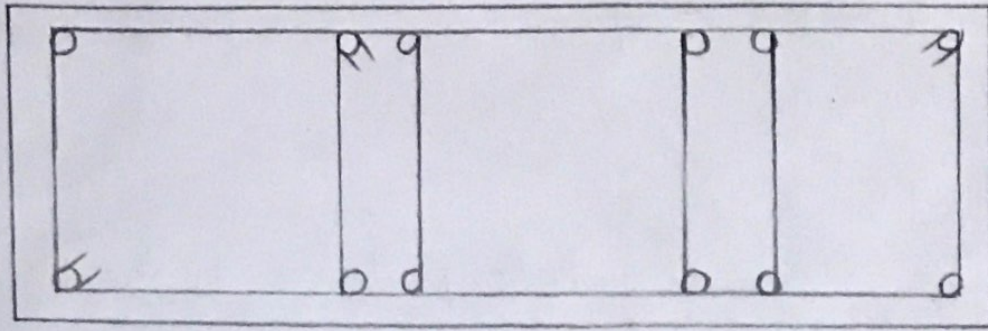
These stirrups are used in case of web reinforcement.



4 legged stirrup

4) Six Legged Stirrup:-

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ACI CODES FOR SHEAR DESIGNS OF A BEAM

According to ACI-318, following are the formulas used for shear design of a beam.

1) Critical Section:-

Critical section occurs at 45° and is at distance (d) from the face of support which is equal to effective depth.

2) Shear strength capacity of concrete is:-

$$V_c = 2 \times \sqrt{f'_c} \times b_w \times d$$

3) Minimum Web Reinforcement:-

If $V_u \leq \phi V_c$, then theoretically no web reinforcement is required. However ACI code require provision of at least a minimum area of web reinforcement equal to,

$$\phi = 0.75 \rightarrow \text{For shear design}$$

($\because V_u = \text{Total factored shear applied at a given section}$)

\Rightarrow For minimum Reinforcement Area:-

$$A_{u \min} = \frac{0.75 \times \sqrt{f'_c} \times b_w \times s}{f_y} \quad \text{or} \quad \frac{50 \times b_w \times s}{f_y} \rightarrow \left[\begin{array}{l} \text{Higher value} \\ \text{is selected} \end{array} \right]$$

By interchanging the above formulas, we can obtain the formula for minimum spacing.

$$s_{\max} = \frac{A_u \times f_y}{0.75 \times \sqrt{f'_c} \times b_w} \quad \text{or} \quad \frac{A_u \times f_y}{50 \times b_w} \rightarrow \left[\begin{array}{l} \text{Lesser value} \\ \text{is selected} \end{array} \right]$$

4) No web-reinforcement is required if :-

$$V_u < \frac{1}{2} \phi V_c$$

→ Between critical section " V_u " and " ϕV_c ", spacing between web reinforcement can be fixed by,

$$s = \frac{\phi \times A_u \times f_y \times d}{V_u - \phi V_c}$$

5) If $V_s \leq 4 \times \sqrt{f'_c} \times b_w \times d$:-

Then more spacing for stirrups will be the smallest of the following:

1) 24"

2) $d/2$

3) $S_{max} = \frac{A_u \times f_y}{0.75 \times \sqrt{f'_c} \times b_w}$

4) $S_{max} = \frac{A_u \times f_y}{50 \times b_w}$

∴ (V_s = shear force carried by web reinforcement)

⇒ If $V_s > 4 \times \sqrt{f'_c} \times b_w \times d$



Max-spacing will be halved

⇒ If $V_s > 8 \times \sqrt{f'_c} \times b_w \times d$

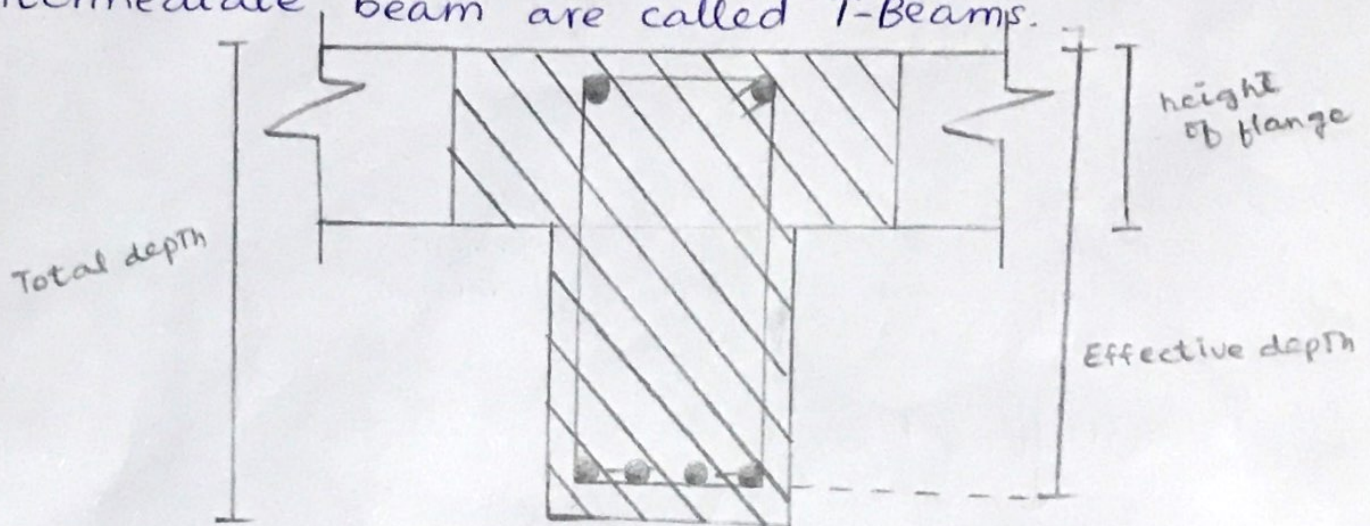


Then either increase cross-sectional dimensions or increase f'_c .

Q3) Define both the T-Beam and L-Beam with the help of diagram. Also explain flexural analysis of T-Beam.

T-Beam :-

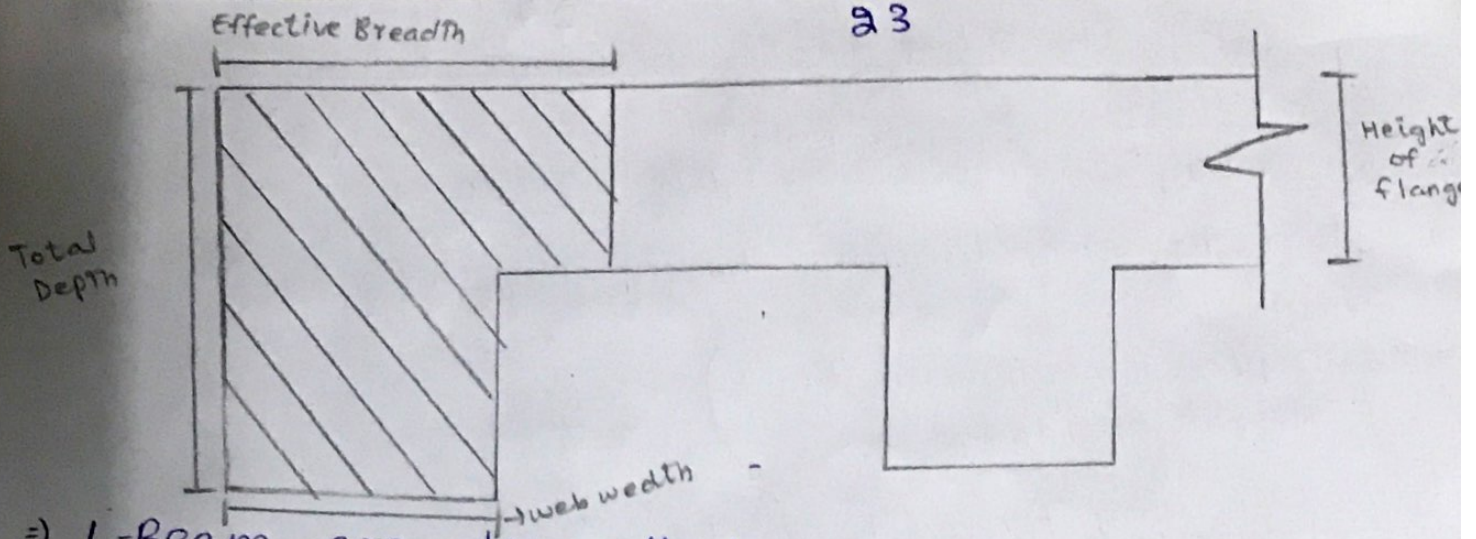
⇒ In most of the reinforced concrete structures, concrete slabs are cast monolithically with the slab so, in this case the beam that act as an intermediate beam are called T-Beams.



- ⇒ Because of their T-shape, these beams are called T-Beams.
- ⇒ It is provided that at the center of the slab to resist the loads.
- ⇒ The upper most area of the beam attached to the slab is called Flange.
- ⇒ The bottom rectangular portion of the beam is called web of the beam.

L-Beam :-

⇒ L-shaped structure that is in contact with the slab and present at the corner of the floor is called L-Beam.



- ⇒ L-Beam are also called Edge Beams.
- ⇒ It is always provided at the corners of the slab.
- ⇒ L-Beams are typical floor beams because of their reduced overall structural depth, the beams are in prestressed or reinforced concrete.

FLEXURAL ANALYSIS OF T-BEAM:-

Flexural analysis of T-Beam consists of the following steps:-

1- For finding the ultimate factored moment, we use the following formula,

$$M_u = \frac{W_u \times L^2}{3} \quad \left\{ \begin{array}{l} W_u = \text{Total Factored Load} \\ L = \text{Total Span of the beam} \end{array} \right.$$

2- Effective width (b_{ef}) for T-Beam is calculated as:-

- 1- $16(h_f) + b_w$
 - 2- c/c distance
 - 3- $\text{span}/4$
 - 4- $\frac{CTS}{2} + b_w$
- (h_f = height of flange
CTS = Clear Transverse span)

- We have to select the least value from above formulas
 - If c/c distance is given, then there is no need of $\frac{CTS}{2} + b_w$

3- Checking wheather Rectangular or T-Beam Analysis is required:-

- i) If $a > hf \rightarrow$ Special analysis is required.
- ii) If $a < hf \rightarrow$ Rectangular beam analysis is required.

where

$$\left(\begin{array}{l} a = \text{Depth of compression block} \\ hf = \text{Height of flange} \end{array} \right)$$

4- For Finding Area of steel, we have to use

$$A_{st} = \frac{M_u}{\phi \times f_y \times (d - a/2)}$$

where

$$a = \frac{A_{st} \times f_y}{0.85 \times f'_c \times b_w}$$

- ϕ = strength reduction factor
- d = Effective depth
- a = compression block depth
- b_w = web width of beam

5- For checking the range of reinforcement Ratio,

$$\rho_{max} = 0.85 \times B \times \frac{f'_c}{f_y} \times \left(\frac{\epsilon_u}{\epsilon_u + \epsilon_y} \right)$$

$$\rho_{min} = \frac{200}{f_y}$$

$$\rho = \frac{A_{st}}{b \times d}$$

6- Formula for Finding No. of bars required is,

$$\text{No. of bars} = \frac{\text{Area of steel}}{\text{Area of single bar}}$$

7- For checking minimum width for bars accomodation :-

$$b_{min} = 2(\text{clear cover}) + 2(\text{dia of stirrup}) + \text{No. of bars} \left(\frac{\text{dia of bar}}{\text{bar}} \right) + \text{spacing} \left(\frac{\text{dia of bar}}{\text{bar}} \right)$$

8- Design Moment is given by,

$$M_d = \phi \times f_y \times A_{st} \times (d - a/2) \rightarrow \text{if } a < hf$$

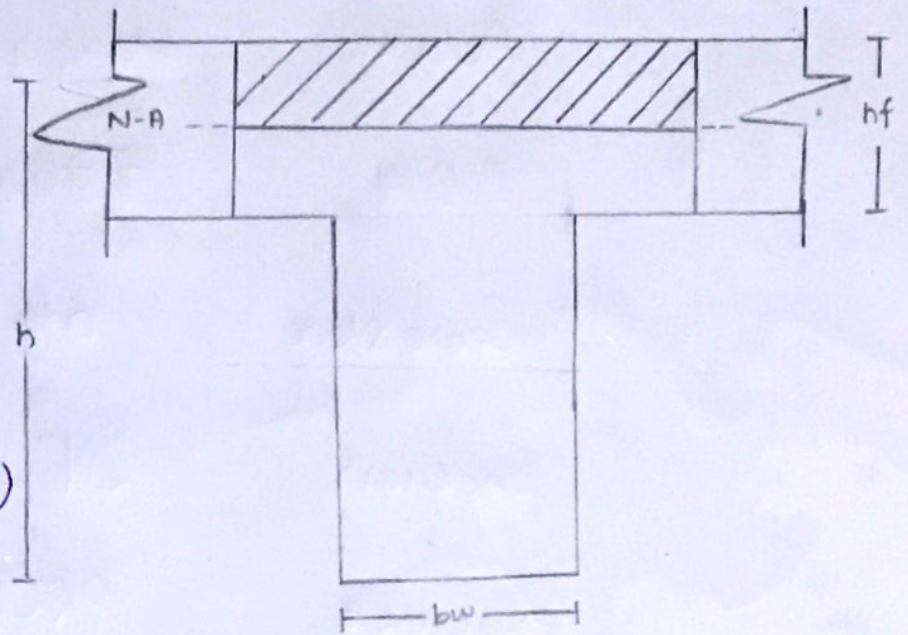
$$M_d = \phi \times [A_s \times f_y \times (d - hf/2) + (A_s - A_{st}) \times f_y \times (d - 0/2)] \rightarrow \text{if } a > hf$$

Q4) What is the difference b/w CASE-I and CASE-2 in the design of T-Beam? (25)

CASE-I :-

From the figure
 $a < hf$
 so in this case,
 Rectangular Beam
 Analysis is Required.

So,
 The Design Moment
 formula will be
 $M_d = \phi \times f_y \times A_{st} \times (d - a/2)$



CASE-II :-

From the figure,
 $a > hf$
 so in this, special
 beam analysis i.e.,
 T-Beam analysis is
 required.

So
 the required Design
 Moment will be,

$$M_d = \phi \times [A_s \times f_y \times (d - \frac{hf}{2}) + (A_s - A_{st}) \times f_y \times (d - a/2)]$$

