

Name: Mo Hamza Iksam

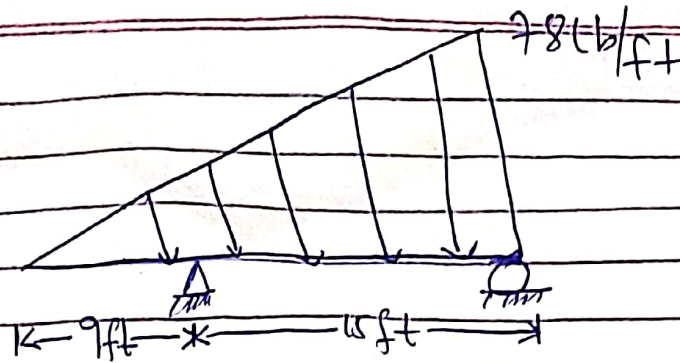
ID: 7278

Paper: Structural Analysis - 1

Submitted to: Engr. Muhammad Saqib

Dated: 26-09-2020

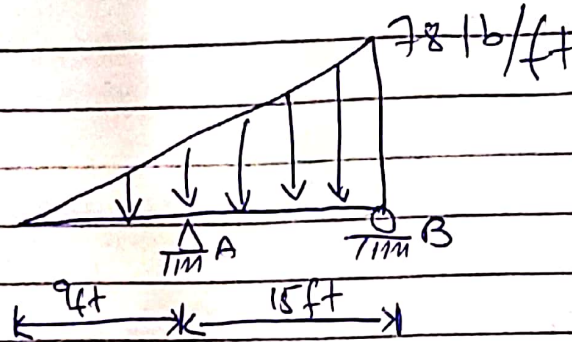
Q1)



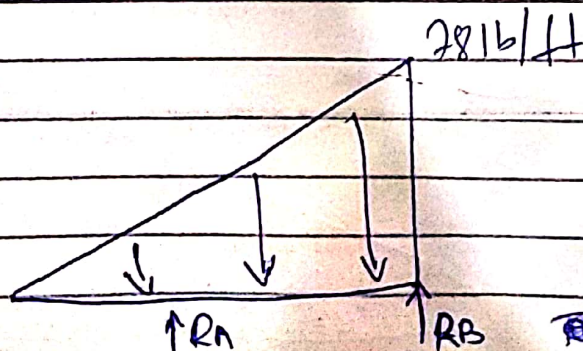
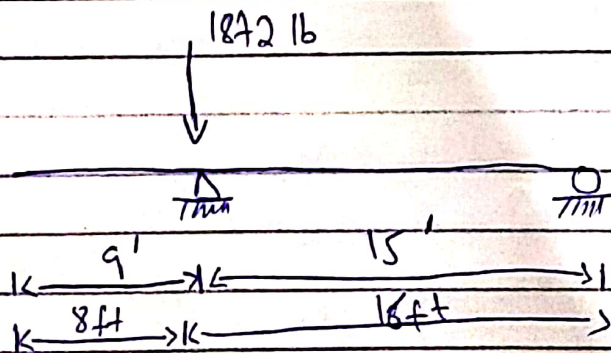
Sol: →

To find shear force & Bending moment Diagram

F.B.D



To find out the point load of uniform varying load.



Pg (2)

To find out the support location

$$\begin{matrix} \curvearrowright \text{-ive} \\ \curvearrowleft \text{+ive} \end{matrix} \sum M_B = 0$$

$$-15R_A + 1872(16) = 0$$

$$R_A = \frac{(1872)(16)}{15}$$

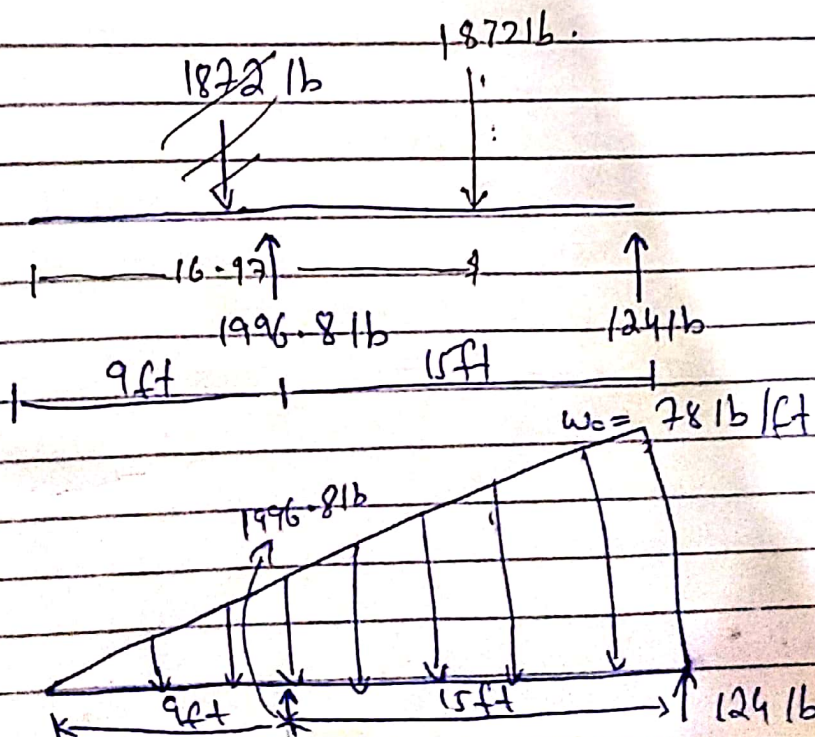
$$R_A = 1996.8 \text{ lb}$$

$$-\downarrow \uparrow \sum f_y = 0$$

$$-1872 + R_A + R_B = 0$$

$$-1872 + 1996.8 + R_B = 0$$

$$\Rightarrow R_B = +124 \text{ lb}$$



Q 3

Now the Applicable loads is be

$$\frac{w_0 l}{4} - \frac{1}{2} \left(\frac{w_0 x}{l} \right) (x) = 0$$

$$468 - \frac{1}{2} \frac{78 x^2}{l}$$

$$\frac{39 x^2 - 468}{l} = 0$$

$$1.625 x^2 - 468 = 0$$

$$\sqrt{x^2} = \sqrt{288}$$

$$\Rightarrow x = 16.97$$

(ive ting) $\sum m = 0$;

$$m + \frac{1}{2} \left(\frac{w_0 x}{l} \right) x \left(\frac{x}{3} \right) - \frac{w_0 l}{4} \left(x - \frac{l}{3} \right) = 0$$

$$m = - \frac{1}{2} \left(\frac{78 (16.97)}{24} \right) (16.97) \left(\frac{16.97}{3} \right) +$$

$$\frac{78 (24)}{4} \left(\frac{16.97}{x} - \frac{l}{3} \right) = 0$$

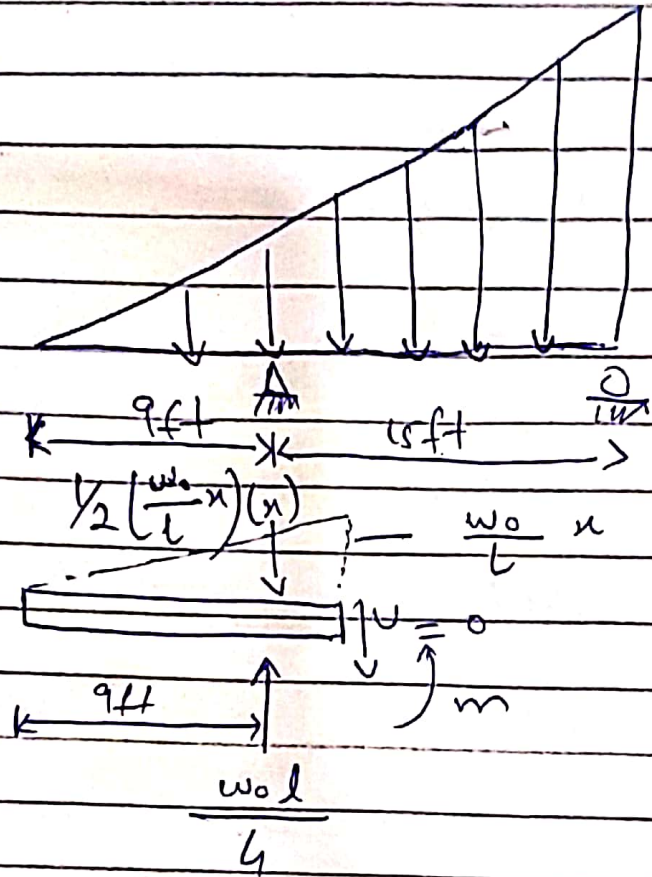
$$m = -7941.4 + 4197.96$$

$$m = -3743.44 \text{ lb-ft}$$

The -ive sign shown that

The moment reaction is in clock-wise direction

Now a section



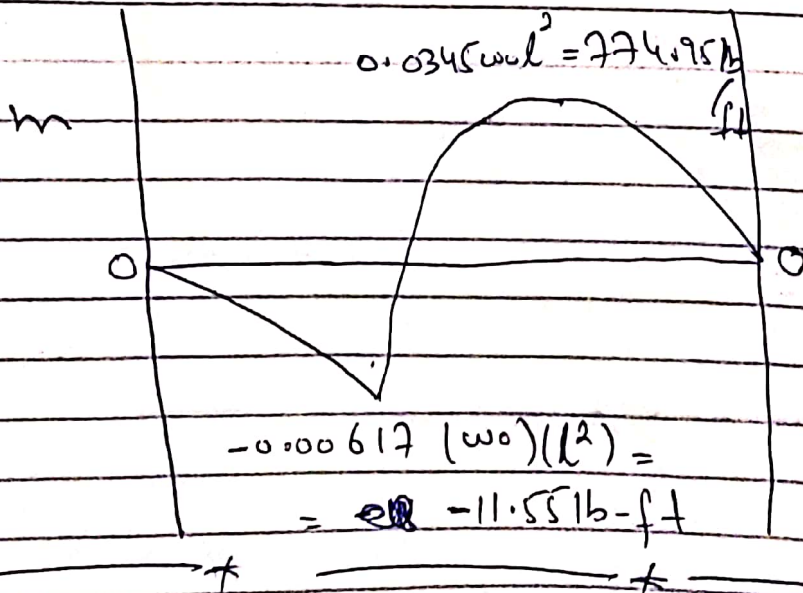
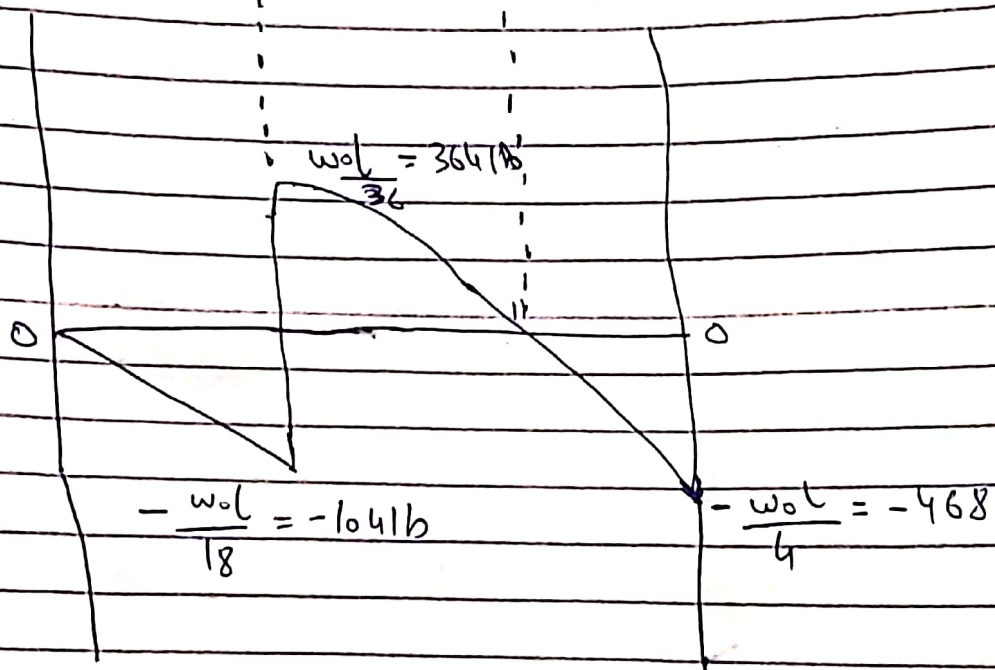
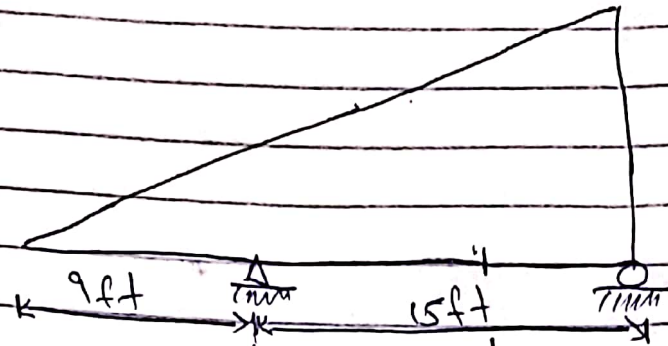
$$\frac{1}{2} \left(\frac{78 (16.97)}{24} \right) (16.97)$$

$$= 467.96 \text{ lb}$$

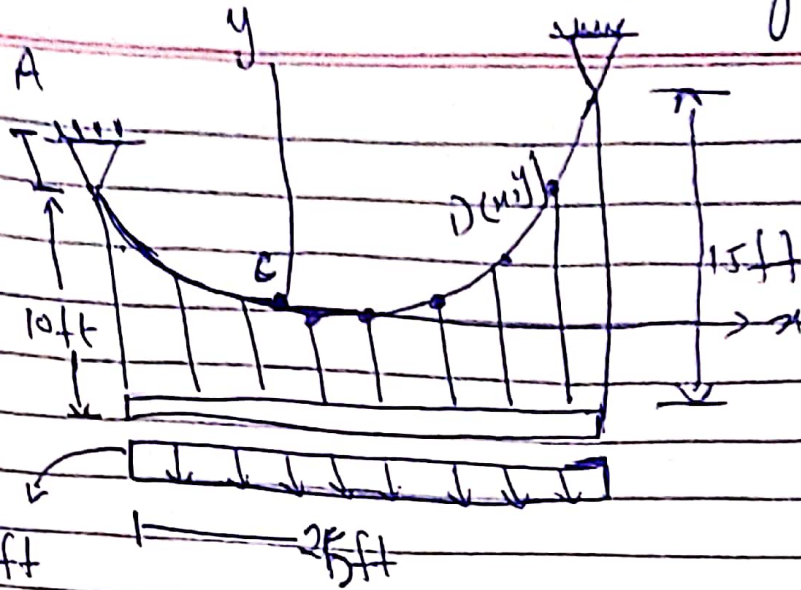
$$\frac{w_0}{l} x = \frac{78}{24} (16.97)$$

$$= 55.15 \text{ lb/ft}$$

Now shear force & bending moment



Q2: →



Sol: →

Consider the cable supporting a uniform, horizontally distributed load per support cable for a suspension bridge

Consider the lowest point C on cable

Consider an other point D on diagram of parabolic arch

D point is given by $w = wx$

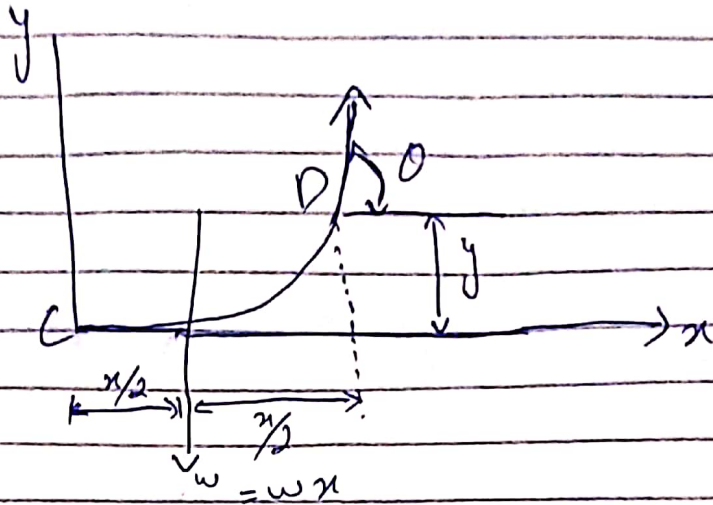
The Internal force magnitude & direction are

$$T = \sqrt{T_0^2 + w^2 x^2}$$

$$\frac{dy}{dx} = \frac{wx}{T_0}$$

Summing moment about point D.

Take a section C, D



$w =$ last two digit of st. ID

$$w = 78 \text{ lb/ft}$$

$$\sum m_D = 0$$

$$\Rightarrow wx \frac{x}{2} - T_0 y = 0$$

$$\frac{78x^2}{2} - T_0 y = 0$$

$$\Rightarrow y = \frac{78x^2}{2T_0}$$

So the cable form a parabola curve

at point C,

$$x = \frac{3}{4}L, \quad y = h_2 - h_1$$

Applying the general cable Theorem yields the following.

$$A_{xy} = \left(\frac{x}{l} \right) \left(\frac{wl^2}{2} \right) - \left(\frac{wx^2}{2} \right)$$

$$= \frac{w}{2} (x)(l-x)$$

$$\left(\frac{wl^2}{8h} \right) y = \frac{w}{2} (x)(l-x)$$

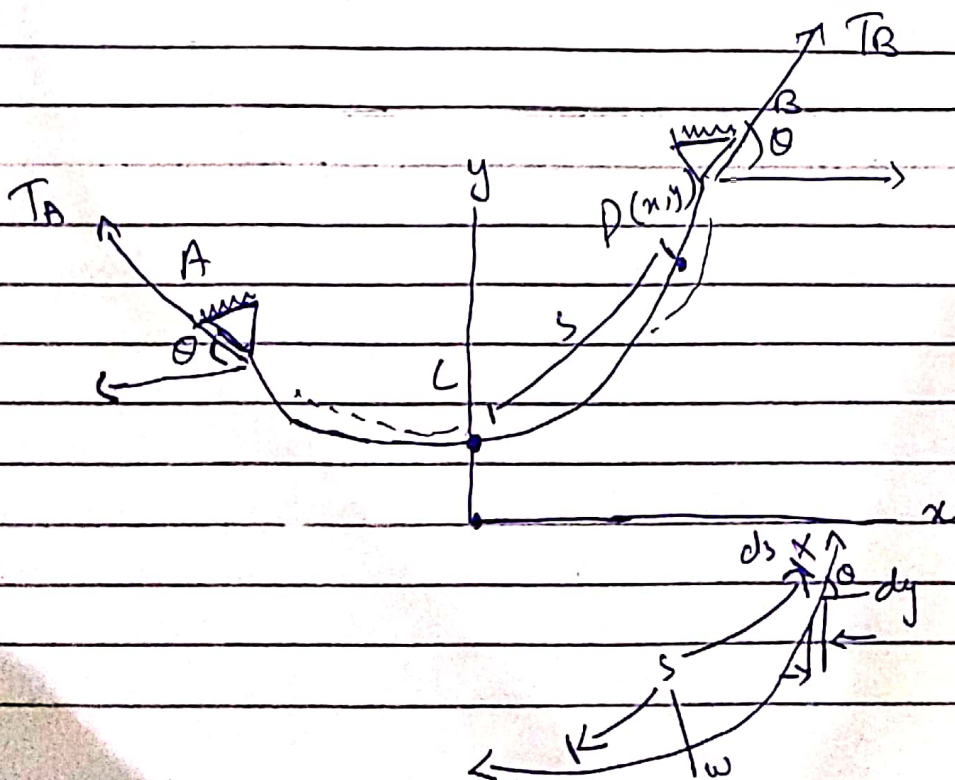
$$\Rightarrow y = \frac{4h}{l^2} x(l-x)$$

$$(ds)^2 = (dx)^2 + (dy)^2$$

$$(ds)^2 = (dx)^2 \int 1 + \left(\frac{dy}{dx} \right)^2$$

$$S = 2(25) \left[\frac{1}{3} \left(\frac{4}{25} \right)^2 - \frac{2}{5} \left(\frac{4}{25} \right)^4 \right]$$

$$S = 18.67 \text{ ft}$$



so by x & y co-ordinate

$$y = (c) \cosh\left(\frac{x}{c}\right)$$

$$y = (4) \cosh\left(\frac{5}{4}\right) (18.76)$$

$$y = 71.05 \text{ ft}$$

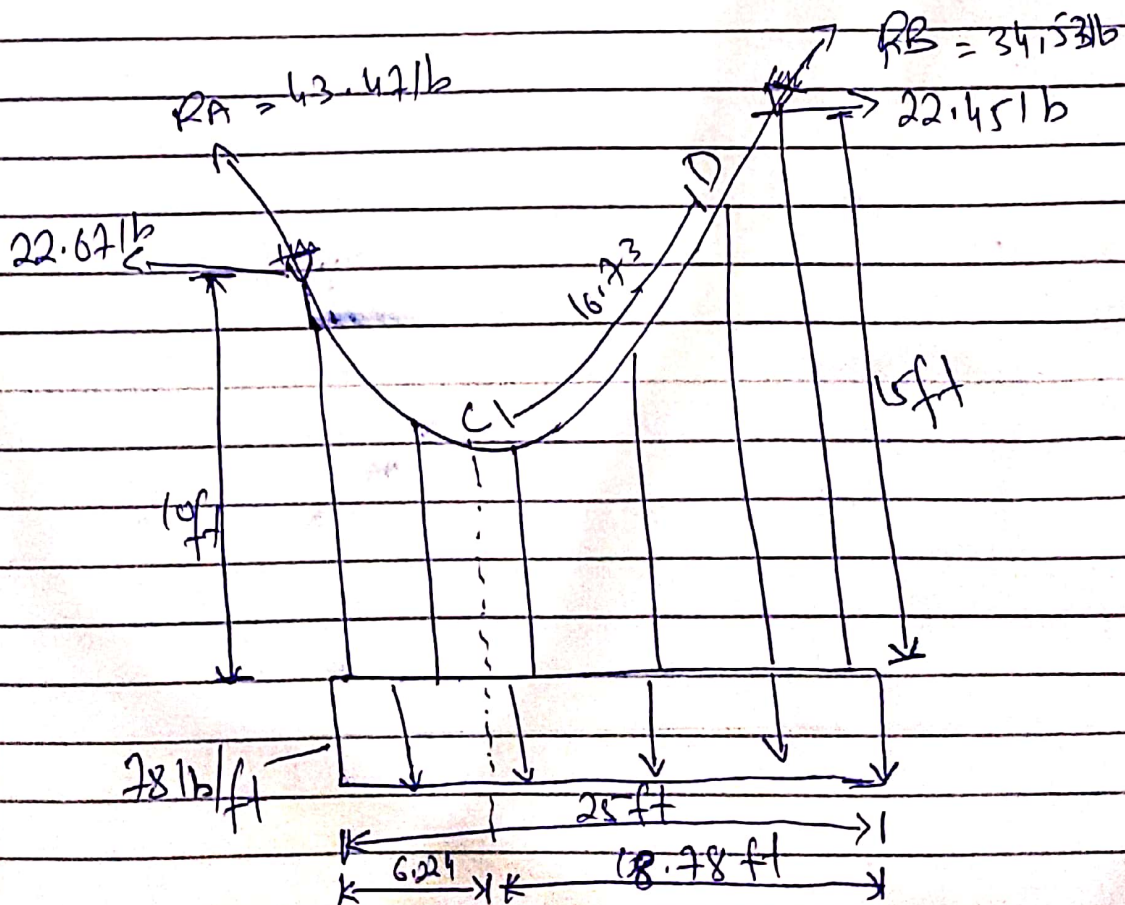
$$\sum M_B = 0$$

$$0.6 T_0 (25) - T_0 (5) = 0$$

$$\Rightarrow 10 T_0 = 71$$

$$\Rightarrow T_0 = 7.32 \text{ kip}$$

so the point reaction are

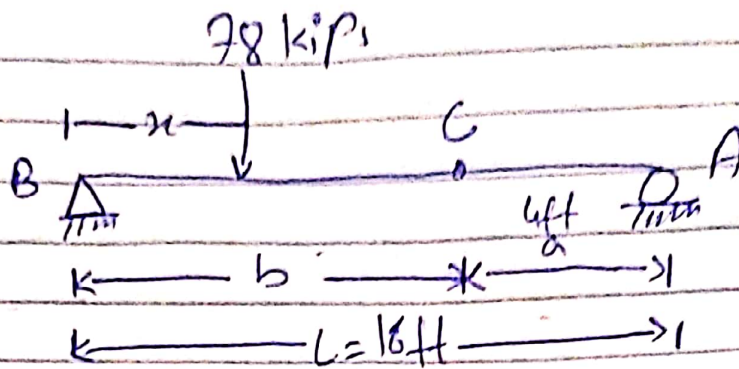


The Influence line of reaction
is at point C.

which is 6.22 ft from point A
& 7.22 ft from reaction B.

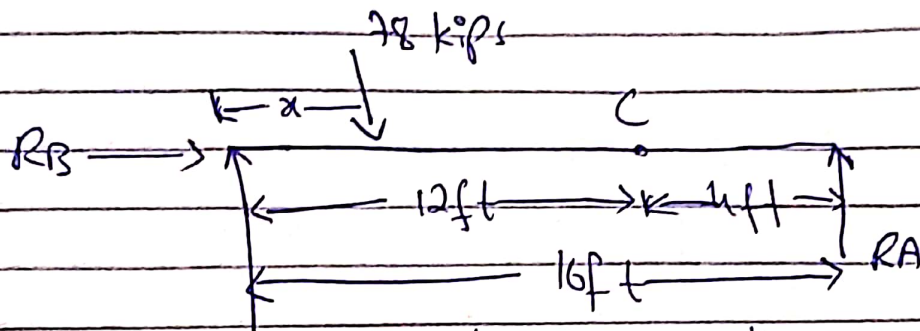
Point C (~~6.22~~) (6.22, 7.22)

Q3 →



Soln →

F.B.D



To find beam reaction

$$\text{+ive } \uparrow \sum M_B = 0$$

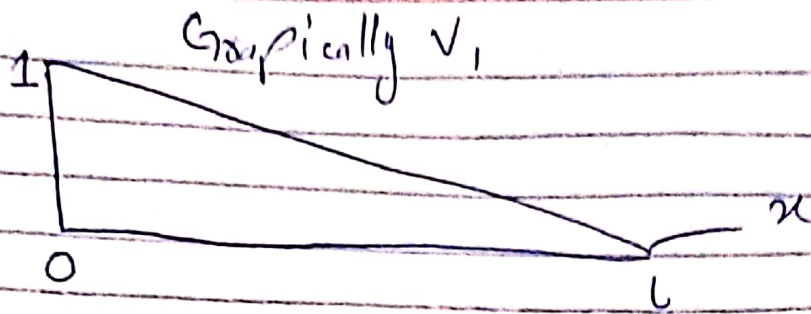
$$x \cdot 78 + 16 R_A = 0$$

$$\Rightarrow R_A = \frac{78x}{16}$$

$$R_A = 4.875 x \rightarrow \text{①}$$

where $x = 0, R_A = 0$

$$x = 1 \quad R_A = 4.875 \text{ kips}$$



Similarly R_B is found by taking the moment at point A

$$\text{+ive } \uparrow \sum M_A = 0$$

$$+78(16-x) + R_B(16) = 0$$

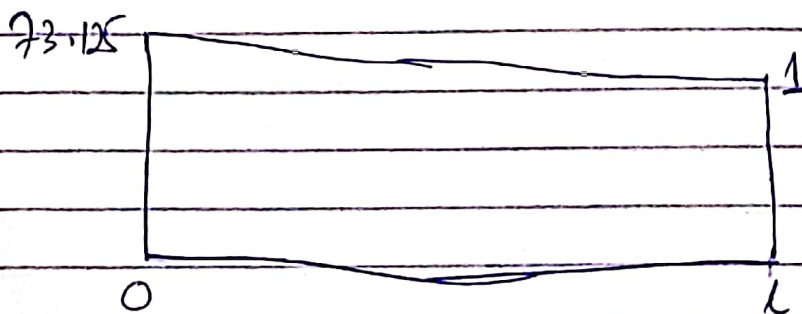
$$R_B = \frac{78(16-x)}{16} \Rightarrow \textcircled{11}$$

$$R_B = 4.875(16-x)$$

$$R_B = 78 - 4.875x \Rightarrow \textcircled{11}$$

$$x=0 ; R_B = 78$$

$$x=1 ; R_B = 73.125 \text{ kips}$$



Shearing force

$$V = R_A = \frac{x}{L}$$

$$v = \frac{x}{L}$$

where $x=0 \Rightarrow v=0$

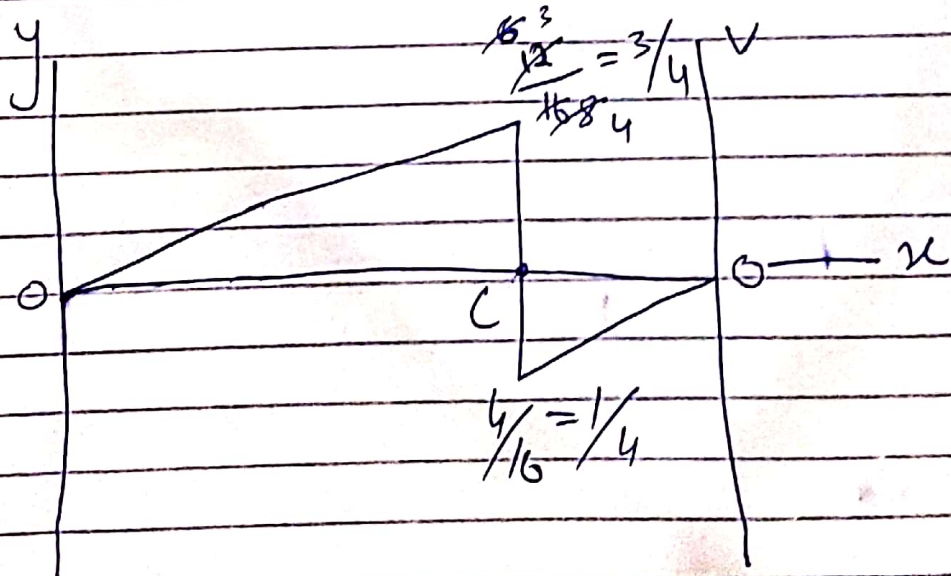
$$x=6 \Rightarrow v = \frac{6}{L}$$

$$x=4 \Rightarrow v = \frac{4}{L} \Rightarrow v = \frac{1}{4} = 0.25 \text{ kip}$$

$$V = -R_B = -\frac{L-x}{L} = \frac{16-x}{16} = -1 + \frac{1}{16}$$

where $x=16 = \frac{-16 + 16}{16}$

then $x=0 \Rightarrow v=0$



$$m = R_A (16-x) = \frac{x}{16} (16-x)$$

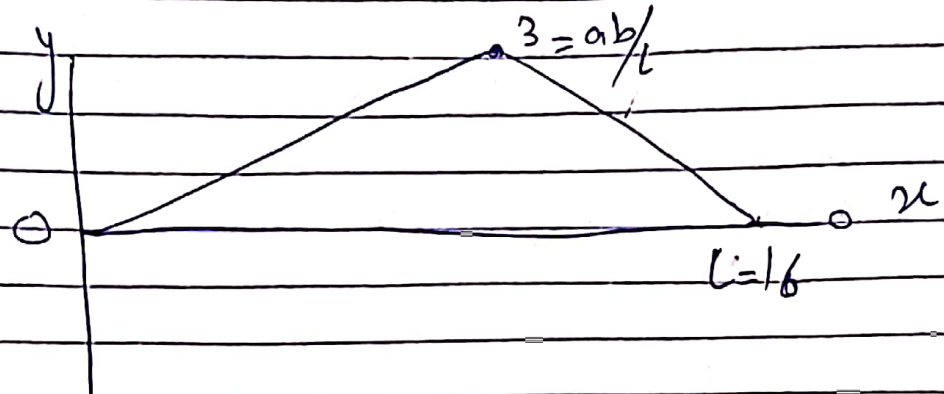
$$x=0 \quad m = R_A (0) = 0$$

$$x=12 \quad m = R_A - (4)$$

$$m = R_B x = \frac{(L-x)x}{L}$$

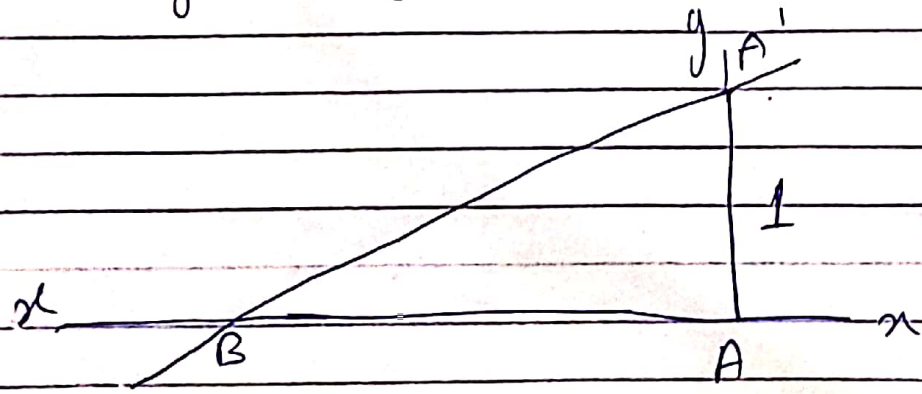
where $x=0, m=0$

$$x=12 \quad m=12$$

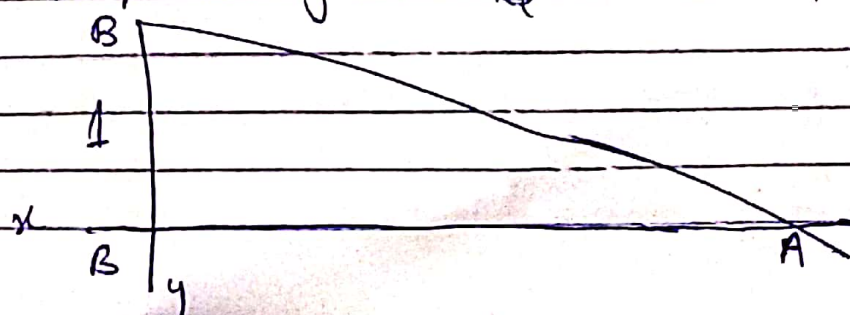


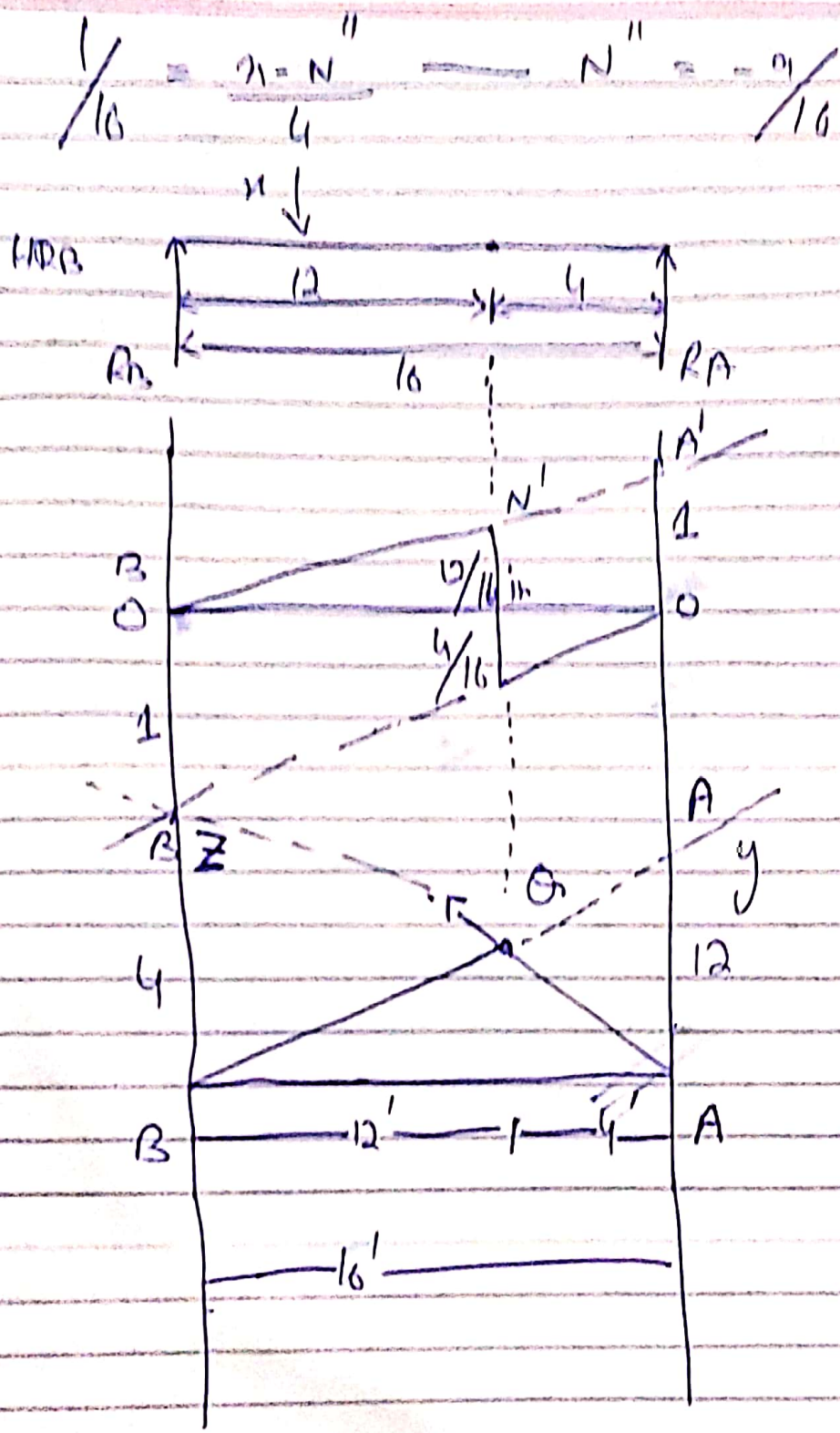
An flexing line fore moment at section x

The position of left support at point A along the y-axis, plot a value 1 point A



Draw a line joining point B & A, Triangle A B' A is formed





Line AZ & BY intersect at ϕ

The triangle BQA is the influencing line for the moment at section n, if accurately drawn

(16)

with the right sense of proportional

The intersection Φ should lie directly on a vertical line passing through the section n

The value of $n\Phi$ can be obtained as follows

$$\frac{4}{16} = \frac{n\Phi}{12} \Rightarrow n\Phi = \frac{12}{4}$$

$$\boxed{n\Phi = 3}$$

or

$$\frac{12}{16} = \frac{n\Phi}{4} \Rightarrow \boxed{n\Phi = 3}$$

