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Assignment No:

1

Subject:

Digital Logic Design.

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(2)

Q1) What is weight of 7 in 1799_{10} ?

$$(A) \quad 1 \times 10^3 + 7 \times 10^2 + 9 \times 10^1 + 9 \times 10^0$$

$$= 1000 + 700 + 90 + 9$$

$$= 1799.$$

The weight of 7 in 1799 is 7×10^2 which is 700.

Q2) Give value of each digit 5436_{10} ?

$$5 \times 10^3 + 4 \times 10^2 + 3 \times 10^1 + 6 \times 10^0$$

$$5000 + 400 + 30 + 6.$$

$$= (5436)_{10}.$$

5 value is 10^3 , 4 value is 10^2 , 3 value is 10^1 , 6 value is 10^0 .

Q3) Convert the following.

$$(11111111)_2 = (255)_{10}.$$

$$1 \times 2^7 + 1 \times 2^6 + 1 \times 2^5 + 1 \times 2^4 + 1 \times 2^3 + 1 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$$

$$= (255)_{10}.$$

(3)

$$(b) (127)_{10} = (1111111)_2$$

2		127
2		63-1
2		31-1
2		15-1
2		7-1
2		3-1
2		1-1

$$(c) (45.25)_{10} = (101101.01)_2$$

2		45
2		22-0
2		11-1
2		5-1
2		2-0
2		1-1

$$.25 \times 2 = 0.50$$

$$0.50 \times 2 = 1.00$$

$$(d) 10000000.1010_2 = (128.625)_{10}$$

$$\begin{aligned} & 2 \times 1^7 + 2 \times 0^6 + 2 \times 0^5 + 2 \times 0^4 + 2 \times 0^3 + 2 \times 0^2 + 2 \times 0^1 + 2 \times 0^0 \\ & 1 \times 2^{-1} + 0 \times 2^{-2} + 1 \times 2^{-3} + 0 \times 2^{-4} \\ & = (128)_{10}, \quad (.625)_2 \end{aligned}$$

(4)

(e) $4D7F_{16} = (19839)_{10}$.

$$4 \times 16^3 + 13 \times 16^2 + 7 \times 16^1 + 15 \times 16^0 = (19839)_{10}$$

A = 10
B = 11
C = 12
D = 13

(f) $(128)_{10} = (80)_{16}$.

$$\begin{array}{r|l} 16 & 128 \\ \hline 16 & 8-0 \end{array}$$

(g) $3ABF_{16} = (11101001101111)_2$.

First convert to decimal.

$$3 \times 16^3 + 10 \times 16^2 + 11 \times 16^1 + 15 \times 16^0$$

$$= (14959)_{10}$$

Convert to binary now.

$$\begin{array}{r|l} 2 & 14959 \\ \hline 2 & 7479 \quad -1 \\ \hline 2 & 3739 \quad -1 \\ \hline 2 & 1869 \quad -1 \\ \hline 2 & 934 \quad -0 \\ \hline 2 & 467 \quad -1 \\ \hline 2 & 233 \quad -1 \\ \hline 2 & 116 \quad -0 \\ \hline 2 & 58 \quad -0 \\ \hline 2 & 29 \quad -1 \\ \hline 2 & 14 \quad -0 \\ \hline 2 & 7 \quad -0 \\ \hline 2 & 3 \quad -1 \\ \hline 2 & 1 \quad -1 \end{array}$$

(5)

(h) $110000111100101_2 = (C3E5)_{16}$
 Convert to decimal.

$$2 \times 1^{15} + 2 \times 1^{14} + 2 \times 0^{13} + 2 \times 0^{12} + 2 \times 0^{11} + 2 \times 0^{10} + 1 \times 2^9 + 1 \times 2^8 + 1 \times 2^7 + 1 \times 2^6 + 1 \times 2^5 + 0 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

$$(50149)_{10}$$

16	50149	- 5
16	3134	- E
16	195	- 3
16	12	- C

(i) $(6173)_8 = (3195)_{10}$

$$(6 \times 8^3) + (1 \times 8^2) + (7 \times 8^1) + (3 \times 8^0)$$

$$3072 + 64 + 56 + 3 = (3195)_{10}$$

(j) $(169)_{10} = (251)_8$

8	169
8	21 - 1
8	2 - 5

(k) $(3740)_8 = (1111100000)_2$

3	7	4	0
011	111	100	000

(l) $(101011000101111)_2 = (126137)_8$

1	2	6	1	3	7
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(6)

(a) $(2 A 7 D)_{16} = (25175)_8$
 Convert to binary
 $0010 \ 1010 \ 0111 \ 1101$
 Pair of 3.
 $(2 \ 5 \ 1 \ 7 \ 5)$

(b) $(7503)_8 = (F43)_{16}$

$111 \ 101 \ 000 \ 011$
 Group of 4
 $\frac{111}{F} \quad \frac{10100}{4} \quad \frac{0011}{3}$

(c) $(11111111)_2 = + (+10)_{10}$
 2nd Complement.

11111111
 00000000
 $\underline{\hspace{1cm} 1 \hspace{1cm}}$
 00000001

(d) $(-12)_{10} = (11110100)_2$
 2's complement.

00001100
 11110011
 $\underline{\hspace{1cm} 1 \hspace{1cm}}$
 11110100

(e) $(156)_{10} = (0010101100)_{BCD}$
 156
 $0001 \rightarrow 0101 \rightarrow 0110$

(f) $(1000001110000) = (870)_{10}$
 $(\frac{1000}{8} \ \frac{0111}{7} \ \frac{0000}{0})$

(g) $(1001010)_2 = (110111)_{Gray}$

$1 \rightarrow 0 \rightarrow 0 \rightarrow 1 \rightarrow 0 \rightarrow 1 \rightarrow 0$
 $(1 \ 1 \ 0 \ 1 \ 1 \ 0)$

7

$$(t) 10101111_{\text{binary}} = ()_2.$$

$$\begin{array}{r} 10101111 \\ (11001010)_2 \end{array}$$

$$(y) 01000000 = (\text{ASCII}) \cdot \text{small},$$

$$\begin{aligned} (1 \times 2^6) + (1 \times 2^0) \\ = 64 + 1 = 65 = A. \end{aligned}$$

$$(v) 01100000 = (?) \text{ ASCII}$$
$$\begin{aligned} (1 \times 2^4) + (1 \times 2^3) \\ 64 + 32 = (96)_{10}. \end{aligned}$$

$$(w) (111000) = (? 111000) \text{ even Parity.}$$

for even Parity.

$$111000 = (1111000) \text{ even Parity}$$

no of ones even.

$$(x) (101101) = (? 101101) \text{ odd Parity}$$

for odd Parity

$$101101 = (101101) \text{ odd Parity.}$$

AS no of ones are odd.

(22) calculate each of following.

$$(a) 1111011 + 0101111$$

$$\begin{array}{r} 1111011 \\ + 0101111 \\ \hline 101010010 \end{array}$$

Ans.

(8)

(b) 100000000 - 01111111

01111111
10000000

10000001

1's compli

Now

10000000
+ 10000001

10000001

Ans.

(c) (1100)₂ x (11)₂

11
+ 1100

00
00

(d) 1100 ÷ 10 = 100100

110
10 | 1100

10

100
10

00
00

00
x

(e) 01111111 - 00000111

2's complement.

00000111
11111000

11111001

(01111000)₂ Ans.

(9)

(f) 01101010 x 11110001

2nd complement.

11110001

00001110

00001111

1's compl:

2's compl:

11000110110

00111001001

00111001010

1's compl

2nd "

Ans.

(g)

10001000

00100010

11011110

101100110

0100100

1101110

10010010

Now,

0010010

1101110

00000100

Ans

(h)

FC₁₆ + AE₁₆

FC

AE

1AA

(i) F1₍₁₀₎ - A6₍₁₀₎

A 6
1010 0110

F
1111

C
1100

(5b.) Ans

(10)

(j) $6D_{16} - 3F_{16}$

$$\begin{array}{r}
 \underline{3F} \\
 0011\ 1111 \\
 00\ 111111 \\
 11\ 00000 \\
 \hline
 \ 1 \text{ 2nd comp} \\
 11\ 000001 \\
 \ 6D \\
 \hline
 0110\ 1101 \\
 \hline
 0010 \quad 1110 \\
 \ 2 \quad \ E \text{ (DE) Ans.}
 \end{array}$$

(k) $00010110 + 00010101$

$$\begin{array}{r}
 0001\ 0110 \\
 0001\ 0101 \\
 \hline
 0010\ 1010 \text{ invalid} \\
 \text{Add 6 to code} \\
 0010\ 1010 \\
 \ 0110 \\
 \hline
 0010\ 0001 \text{ Ans.}
 \end{array}$$

(15) Apply Modulus 2 to 1100_2 to $(1011)_2$

$$\begin{array}{r}
 1101 \\
 1011 \\
 \hline
 0111 \text{ Ans.}
 \end{array}$$

Q6) Apply CRC to Data bits 1011000102 using generator code.

D = 11010011

G = 1010

D1 = 11010011000

using modulus 2 operation

$$\begin{array}{r}
 11010011000 \\
 \underline{1010} \\
 1110 \\
 \underline{1010} \\
 1000 \\
 \underline{1010} \\
 1011 \\
 \underline{1010} \\
 1000 \\
 \underline{1010} \\
 100 \text{ - non-zero}
 \end{array}$$

$$\begin{array}{r}
 110100110100 \\
 \underline{1010} \\
 1110 \\
 \underline{1010} \\
 1000 \\
 \underline{1010} \\
 1011 \\
 \underline{1010} \\
 1010 \\
 \underline{1010} \\
 0
 \end{array}$$

hence 110100110100 is CRC

(12)

Q7) Assume that code produced in OS incurs an error in m.s.b. Apply CRC to detect error

$$\text{data} = D' = 010100110100$$
$$B = 1010$$

modulus 2 operation.

$$\begin{array}{r} 010100110100 \\ \underline{1010} \\ 1111 \\ \underline{1010} \\ 1010 \\ \underline{1010} \end{array}$$

$$\begin{array}{r} 0110 \\ \underline{1010} \\ 1100 \\ \underline{1010} \\ 1101 \\ \underline{1010} \\ 1110 \\ \underline{1010} \\ 1000 \\ \underline{1010} \end{array}$$

$$10 \neq 0$$

error occured.

