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Section: A

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Sub : Fluid Mechanics

Q # 01

* part a *

a) Define viscosity? Define newton law of viscosity.

Ans: The behavior of fluid in flow is very much related to two intrinsic property of fluid. Viscosity is the property of fluid which opposes the relative motion b/w the two surface of fluid.

Different fluid have different viscosity depends up on the intermolecular force in fluid.

e.g (1) honey has great viscosity than water

(2)

Newton's equation of viscosity.

It states that

"the shear stress in a flowing fluid is directly proportional to the rate of change of shear strain"

Mathe: $\tau \propto \frac{du}{dy}$

$\tau \Rightarrow$ shear stress

$\tau \neq \frac{du}{dy} \Rightarrow$ change the sign of proportionality

$$\tau = \mu \frac{du}{dy}$$

$\mu =$ viscosity (Dynamic viscosity)

$$\mu = \tau \frac{dy}{du}$$

The fluid which follows "Newton's law of viscosity" are called Newton fluid.

Part (b)

Density: Density of fluid

is its mass per unit of

fluid. It is denoted by ρ

its unit is kg/m^3

OR

→ property of fluid

Density can be defined as

mass per unit volume

$$\text{Density} = \frac{\text{mass}}{\text{volume}}$$

$$\rho = \frac{m}{V} = \frac{\text{kg}}{\text{m}^3}$$

Specific weight:

Specific weight: It is a weight of the fluid per unit

volume. It is represented by "W"

OR
Specific weight ~~or~~ is the weight

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Expressed by unit volume
of a fluid

$$w = mg \quad \gamma = \frac{\text{weight}}{\text{volume}} = \text{N/m}^3$$

* Relation b/w Density and
Specific weight.

As $\gamma = \frac{w}{V} = \text{①}$ and $w = mg$
put $w = mg$ in eq ①
 $\gamma = \frac{mg}{V}$ where m/V^2

Thus $\gamma = \rho \times g$ or $\rho = \frac{\gamma}{g}$

ρ
density

$\rho \rightarrow$ Density

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Specific Volume: Property of fluid
It is a volume

occupied by the unit mass of fluid. its unit is

$$m^3/kg$$

$$V = \frac{V}{m} = \frac{1}{\rho}$$

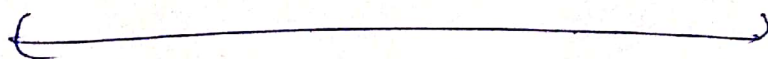
OR

Specific volume is the volume of a fluid "V" occupied per unit mass (m)

It is the reciprocal of

Density

$$V = \frac{V}{m} = m^3/kg \quad V = \frac{1}{\rho}$$



Part C :: if a specific volume

of gas is $0.72 \text{ m}^3/\text{kg}$.

what is specific weight
in N/m^3 ?

Answer

∴ Sol:

Given Data

→ ~~specific weight of~~

→ specific volume of gas

$$v = 0.72 \text{ m}^3/\text{kg}$$

Required data:

specific weight in N/m^3

Sol... As we know that

$$v = \frac{1}{\rho}$$

$$\text{so density } \rho = \frac{1}{v} = \frac{1}{0.72} \Rightarrow 1.389 \frac{\text{kg}}{\text{m}^3}$$

$$\text{specific weight } w = \rho \times g \\ = 1.389 \times 9.8$$

$$\text{Required Ans} = \boxed{13.62 \text{ N}/\text{m}^3}$$

Q#02

Part A :: Define pressure? and
 what is an absolute
 and gauge pressure.

Pressure: Pressure is defined as
 force per unit area. It is
 usually more convenient to use
 pressure rather than force to
 describe the influence upon
 fluid behavior.

OR
 The force applied perpendicular
 to surface of an object
 per unit area over which
 that force is distributed

→ The standard unit for pressure
 is the Pascal. which is
 Newton per meter square.
 N/m^2 or Nm^{-2}

Pressure is denoted by p or P

$$P = \frac{F}{A}$$

$$1 \text{ N/m}^2 = 1 \text{ Pa}$$

Common symbols of pressure

(P, p)

SI Unit \Rightarrow pascal [Pa]

Dimension $ML^{-1}T^{-2}$

Absolute pressure: Absolute pressure

is the sum of gauge pressure
of and atmospheric.

It is the total ^{OR} pressure at a
point in a fluid equalling
the sum of the gauge

mathematically: $P_{abs} = P_g + P_{atm}$

$P_{abs} \Rightarrow$ Absolute pressure

$P_g \Rightarrow$ Gauge pressure

$P_{atm} \Rightarrow$ atmospheric pressure

Example: If your tire gauge is

34 PSI (pound per square inch)

then the absolute pressure is 34 PSI
plus 14.7 PSI.

Gauge pressure: Gauge pressure
is the ^{pressure} ~~system~~ of a system
above the atmospheric pressure.

Gaug and negative for pressure
OR
below

General Example

most pressure gauge compare to
atmospheric (i.e) this room
is at zero ⁽⁰⁾ gauge)
Absolute P is 1 atm more

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$$P = P_{\text{gauge}} + 1 \text{ atm}$$

$$32 + 14.7 = 46.7$$

$$1 \text{ atm} = 1.013 \times 10^5 \text{ Pa} = 101.3 \text{ kPa} = 760 \text{ Torr} = 14.7 \text{ PSI}$$

absolute

Gauge

46.7 PSI

32 PSI

Q#2

part b

Given Data

$$\text{Length} = 1500 \text{ mm} = 1.5 \text{ m}$$

$$\text{Breadth} = 1500 \text{ mm} = 1.5 \text{ m}$$

$$\text{Depth} = 7925 \text{ mm} = 7.925 \text{ m}$$

$$\text{Unit wt water} = 9.81 \text{ k/m}^3$$

Required

a = net pressure, $P = ?$

b = location of pressure = ?

c = % water level drop

half of depth

Find P and location of force

Solution:

1) Net pressure

$$P = \rho h$$

$$P = 9.81 \times 7.925$$

$$P = 77.74 \text{ KN/m}^2$$

2) (Force Application Centroid)

$$\bar{y} = h/3 \Rightarrow \bar{y} = \frac{7.925}{3}$$

$$\bar{y} = 2.641 \text{ m}$$

3) half of Depth

pressure at half depth

$$P' = \rho \frac{h}{2}$$

$$P' = 9.81 \times \frac{7.925}{2} \Rightarrow 9.81 \times 3.9625$$

$$P' = 38.87 \text{ m}^2$$

Centroid

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$$\bar{y}' = \frac{h}{2} \times \frac{1}{3}$$

$$\bar{y}' = \frac{7.925}{2} \times \frac{1}{3}$$

$$\bar{y}' = 3.9625 \times 0.333$$

$$\bar{y}' = 1.3208 \text{ m}$$

The End