

INU PESH

Pg #01

Final term

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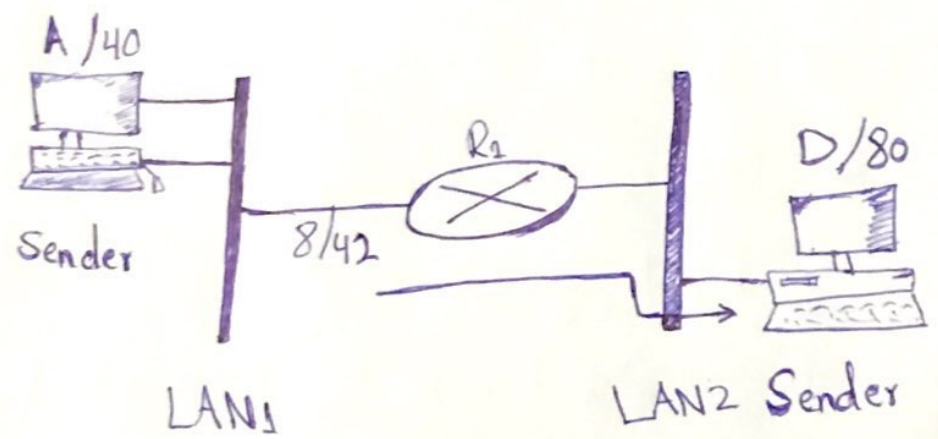
Submitted to : Sir Zain Shoukat

Programme : Bs (Telecom)

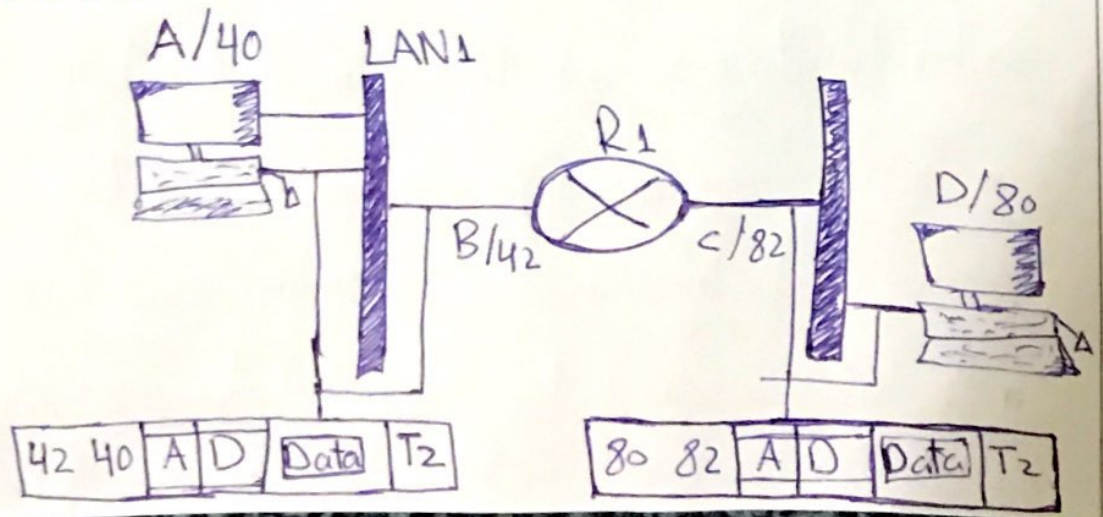
Subject : Intro , to telecommunication  
System

Q<sub>1</sub> :- PART a). For figure below, computer A sends a message to Computer D via LAN 1, router R<sub>1</sub>, and LAN 2. Assume that the communication is between a process running at Computer A with port address i and a process running at Computer D with port address j. Show the contents of the packets and frames at network, data link ~~data~~ and transport layer for each interface?

Figure:

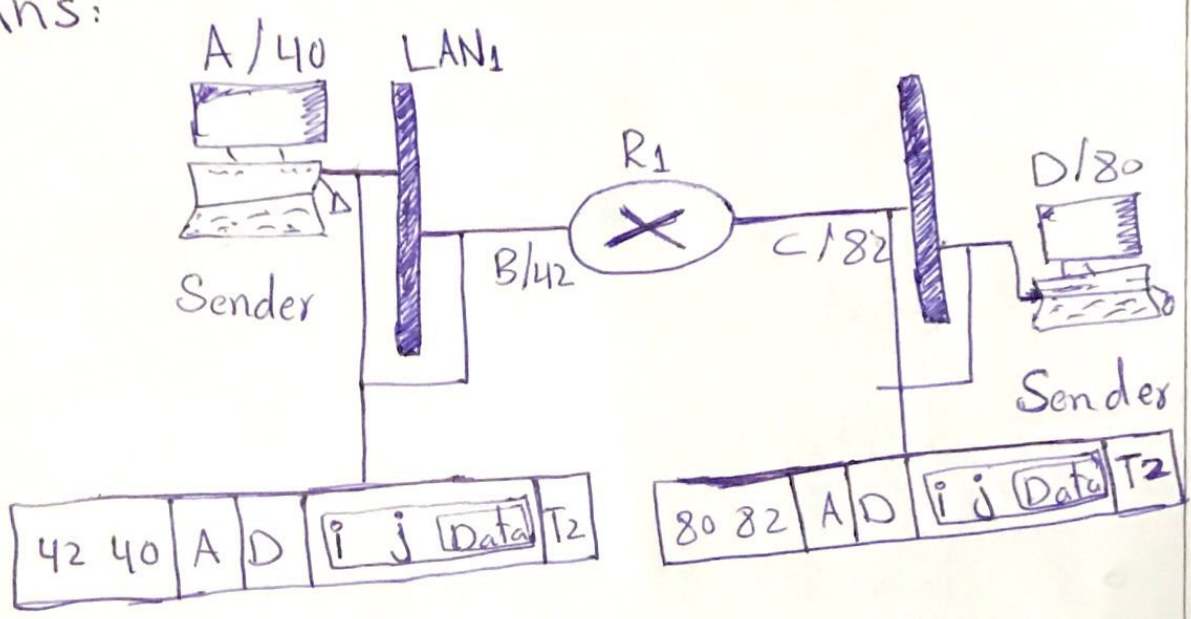


⇒ Answer:



Assume that ----- A with port address i -----  
----- Process running at computer D ----- j.

⇒ Ans:



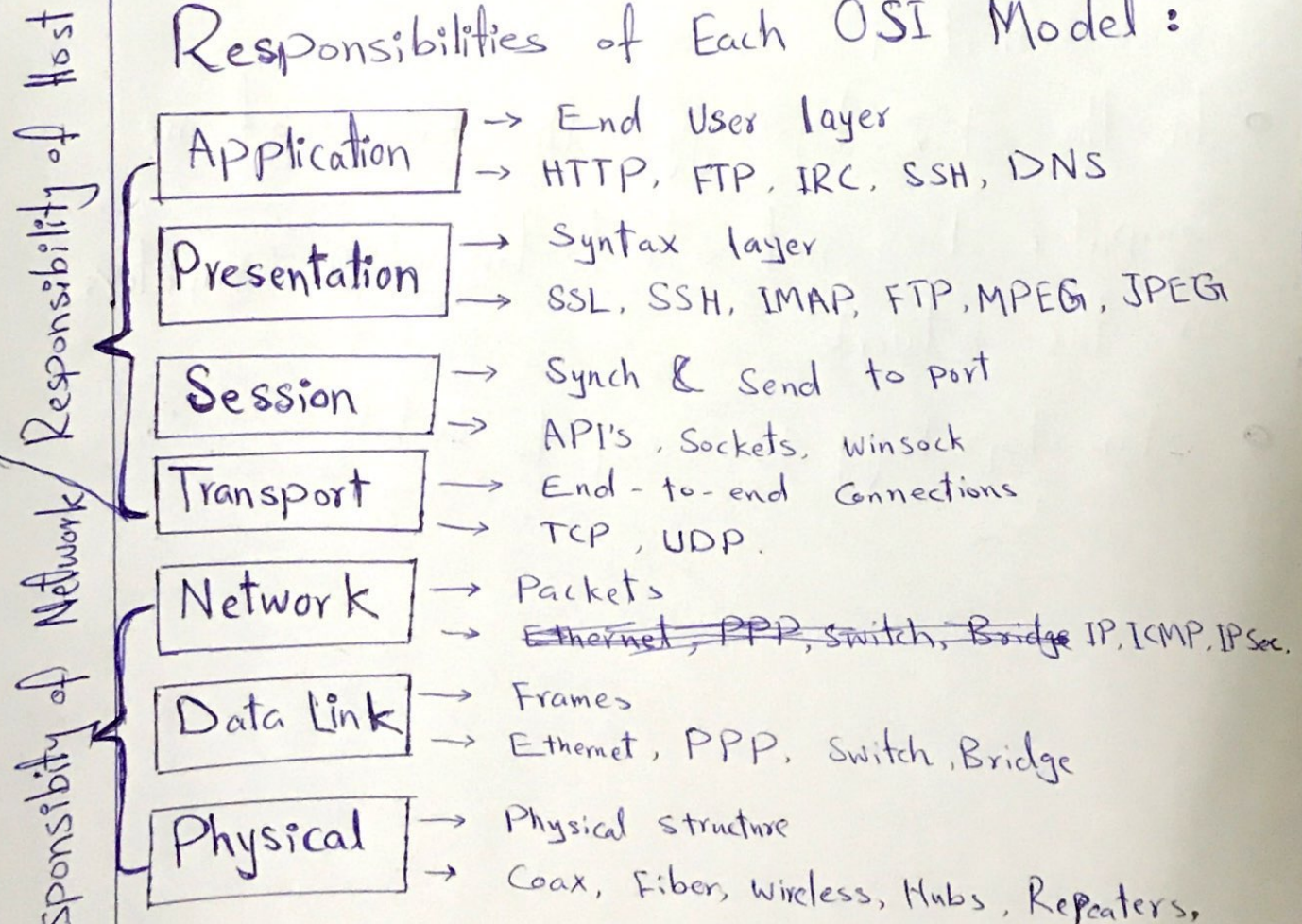
Q #1 - PART b) :- Discuss briefly the main responsibilities of each layer of OSI model?

⇒ Answer :-

The OSI Model (Open System Interconnection model) is a conceptual framework used to describe the functions of a networking system.

The OSI model characterizes computing functions into a universal set of rules and requirements in order to support interoperability between different products and software.

Responsibilities of Each OSI Model :



Q<sub>#</sub> 2 := PART a). Given an amplifier with an effective noise temperature of 11,000 K and a 12 MHz bandwidth. What thermal noise level, in dBW, may we expect at its output?

Answer := Calculate Thermal Noise Level

$$T = \text{Effective noise temperature} = 11000 \text{ K}$$

$$B = \text{Bandwidth} = 12 \text{ MHz}$$

$$= 12 \times 10^7 \text{ Hz} \quad (\because 1 \text{ MHz} = 10^6 \text{ Hz})$$

$$= 10^{1+7} \text{ Hz} \quad (\because a^m \times a^n = a^{m+n})$$

$$B = 10^8 \text{ Hz}$$

$$k = \text{Boltzmann's Constant} = 1.38 \times 10^{-23} \text{ J/K}$$

Q# 2: PART b):- What is the channel Capacity for a tele-printer channel with a 450-Hz bandwidth and a signal-to-noise ratio of 6dB, where the noise is white thermal noise?

Answer:-

From the given details we know,

$$B \text{ (Bandwidth)} = 450 \text{ Hz}$$

$$\text{SNR}_{\text{db}} \text{ (signal-to-noise ratio decibel)} = 6 \text{ dB.}$$

Suppose,  $C$  = Channel Capacity and  $\text{SNR}$  = signal-to-noise ratio.

Now using decibel formula,

$$\text{SNR}_{\text{db}} = 10 * \log (\text{SNR})$$

That means,

$$6 = 10 * \log (\text{SNR})$$

$$\text{SNR} = \text{Log}^{-1} 0.6$$

$$\text{SNR} = 10^{0.6}$$

$$\text{SNR} = 3.990$$

Hence, signal-to-noise ratio ( $\text{SNR}$ ) = 3.990

Now using  
Shannon's equation,

$$C = B * \log_2 (1 + \text{SNR})$$

$$C = 450 * \log_2 (1 + 3.990)$$

$$C = 450 * \log_2 (4.990)$$

$$C = 778.50$$

Therefore, the channel Capacity for teleprinter channel is 778.50 bits per second.

Q# 2:- PART (C):- Given a channel with an intended capacity of 22 Mbps, the bandwidth of the channel is 4 MHz. Assuming white thermal noise, what signal-to-noise ratio is required to achieve this capacity?

Answer:-

$$SNR_{dB} = 10 \log_{10} SNR$$

$$SNR = 10^{SNR_{dB}/10}$$

$$SNR = 10^{2.2}$$

$$SNR = 158$$

For Capacity

$$C = B \log_2 (1 + SNR)$$

$$C = 4 \times 10^6 \times \log_2 (158)$$

$$C = 1.9 \text{ Mbps.}$$

Q# 3:- PART a). A digital Signaling System is required to operate at 9600 bps. If a signal element encodes a 8 bit word, what is the minimum required bandwidth of the channel?

Answer:- Using Nyquist's equation

$$C = 2B \log_2 M$$

We have

$$C = 9600 \text{ bps}$$

$$C = 2B \log_2 M$$

$$9600 = 2B \times 8, \text{ and}$$

$$B = 600 \text{ Hz}$$

$$9600 = 2B \times 8$$

$$\frac{9600}{2 \times 8} = \frac{2B \times 8}{2 \times 8}$$

$$= \frac{9600}{16} = B$$

$$600 \text{ Hz} = B$$



Q# 3:- PART. b). If the received signal level for a particular digital system is  $-150$  dBW and the receiver system effective temperature is  $1700$  K, what is  $E_b/N_0$  for a link transmitting  $2600$  bps?

Answer  $\Rightarrow E_b/N_0$

$$\begin{aligned} \left[ \frac{E_b}{N_0} \right]_{dB} &= S_{dBW} - 10 \log R - 10 \log k - 10 \log T \\ &= S_{dBW} - 10 \log R + 150 \text{ dBW} - 10 \log T \end{aligned}$$

- If a minimum  $E_b/N_0$  of  $8.4$  dB is needed to achieve a bit error rate of  $10^{-4}$
- Given:
  - The effective noise temperature,  $T$ , is  $1700$  K
  - The data rate,  $R$ , is  $2400$  bps

What is the minimum signal level required for the received signal?

$$\begin{aligned} 8.4 &= S_{dBW} - 10 \log 2600 + 150 \text{ dBW} - 10 \log 1700 \\ &= S_{dBW} - (10) \log_{10} (2600) + 150 - (10) \log_{10} (1700) \\ &= S_{dBW} - (10)(3.41) + 150 - (10)(3.23) \end{aligned}$$

$$S = -151.3 \text{ dBW}$$