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Communication System

Q#1

(1)

Data $f_m = 250 \text{ Hz}$

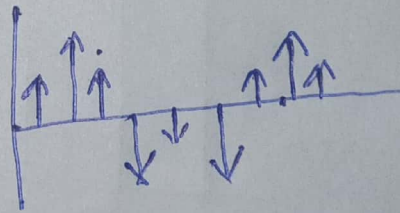
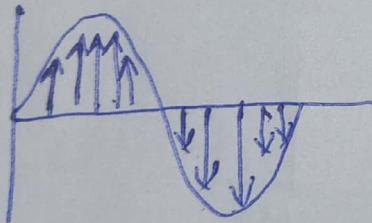
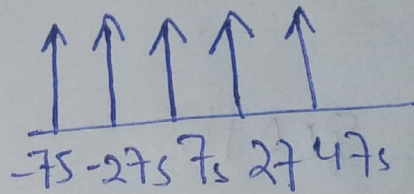
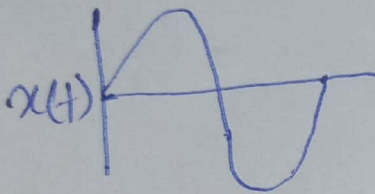
(a)

Nyquist Rate

$$NR > 2f_m$$

$$\Rightarrow 2 \times 250 = 500 \text{ Hz}$$

(b)



(2)

(c)

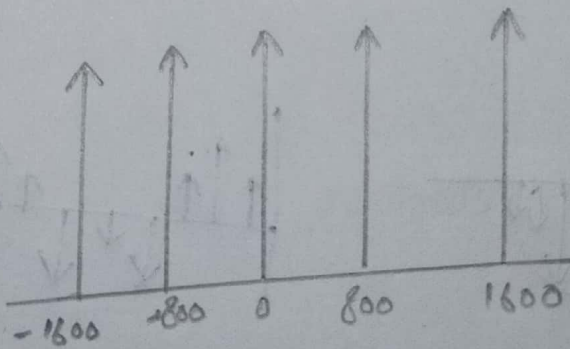
Cutt off frequency

159.2 Hz

$$f_c = \frac{1}{2\pi RC} \Rightarrow \frac{1}{2 \times 3.14 \times 500} = \text{[scribble]}$$

(d)

$$f = 800 \text{ Hz}$$



#2

3

(A)

(i) $m(t) = x(t) + x(t-1)$

$$x(t) \rightarrow NR = WS$$

$$m(t) = x(t) + x(t-1)$$

$$x(t) = WS$$

$$x(t-1) = WS$$

It is same because there is no effect of time shifting on Nyquist rate.

$$x(t) \xrightarrow{T.S} x(t-1)$$

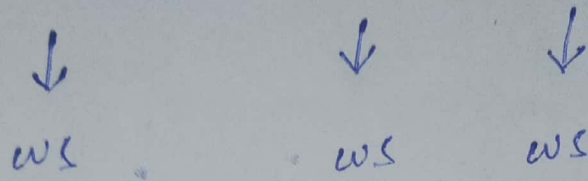
Those two signals have the same Nyquist rate (WS).

& to get the Nyquist rate of $m(t)$ we need to choose the Nyquist rate which is maximum. But both the

(4)

nyquist rate of $x(t)$ & $x(t-1)$ are same, so by properties of nyquist rate of

$$m(t) = x(t) + x(t-1)$$



The two nyquist rate are same

So, directly the nyquist rate of $m(t)$ is ω_s . Answer

2) $m(t) = \frac{dx(t)}{dt}$

so this time the message signal is equal to 1 time derivative of signal $x(t)$. And we know the differentiation will not change the nyquist rate. so if the original signal is

$$x(t) \leq \omega_s$$

then

$$\frac{dx}{dt} \leq \omega_s$$

so Answer is

$$\begin{array}{ccc}
 m(t) \leq \frac{dx(t)}{dt} \\
 \downarrow \\
 \omega_s \leq \omega_s
 \end{array}$$

(b)

(5)

GIVEN:

$$m(t) = 10 \sin 400\pi t$$

$$\omega_m = 400\pi \frac{\text{rad}}{\text{Sec}}$$

$$f_m = \frac{\omega_m}{2\pi}$$

$$= \frac{400\pi}{2\pi}$$

$$f_m = 200 \text{ Hz}$$

$$f_s = 300 \text{ Hz}$$

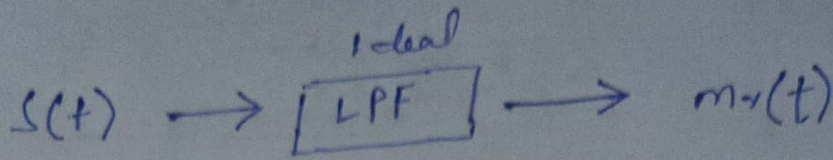
$$f_c = 150 \text{ Hz}$$

Required:

what are the frequency/frequencies present in the reconstructed signal $y(t)$

OL:

(6)



we know the frequency component present of Fourier transform of the sampled impulse

$$S(\omega) = n f_s \pm f_m$$

$$n=0 \Rightarrow \pm f_m = \pm 200 \text{ Hz}$$

$$n=1 \Rightarrow f_s \pm f_m = 500 \text{ Hz}, 100 \text{ Hz}$$

$$n=-1 \Rightarrow -f_s \pm f_m = -100 \text{ Hz}, -500 \text{ Hz}$$

It is given that cut-off frequency is $f_c = 150 \text{ Hz}$

This means the frequency component of the input which are between -150 to +150

outside the range other frequencies doesn't allow.

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All frequencies are checked & only -150 to $+150$ Hz range frequencies are passed.

So, our answer is 100 Hz

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Q #3

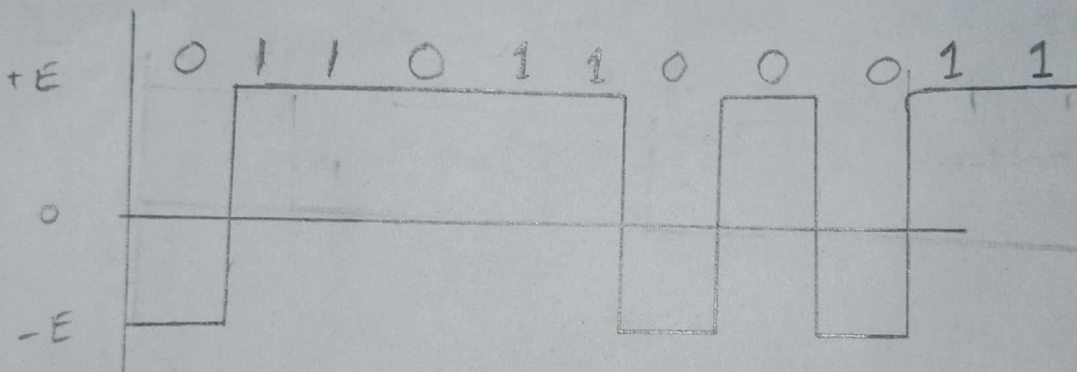
(GIVEN:

Bit Sequence (0110110001)

Required:

Draw the wave forms (PCM) for the following modulation scheme.

(i) NRZ-S



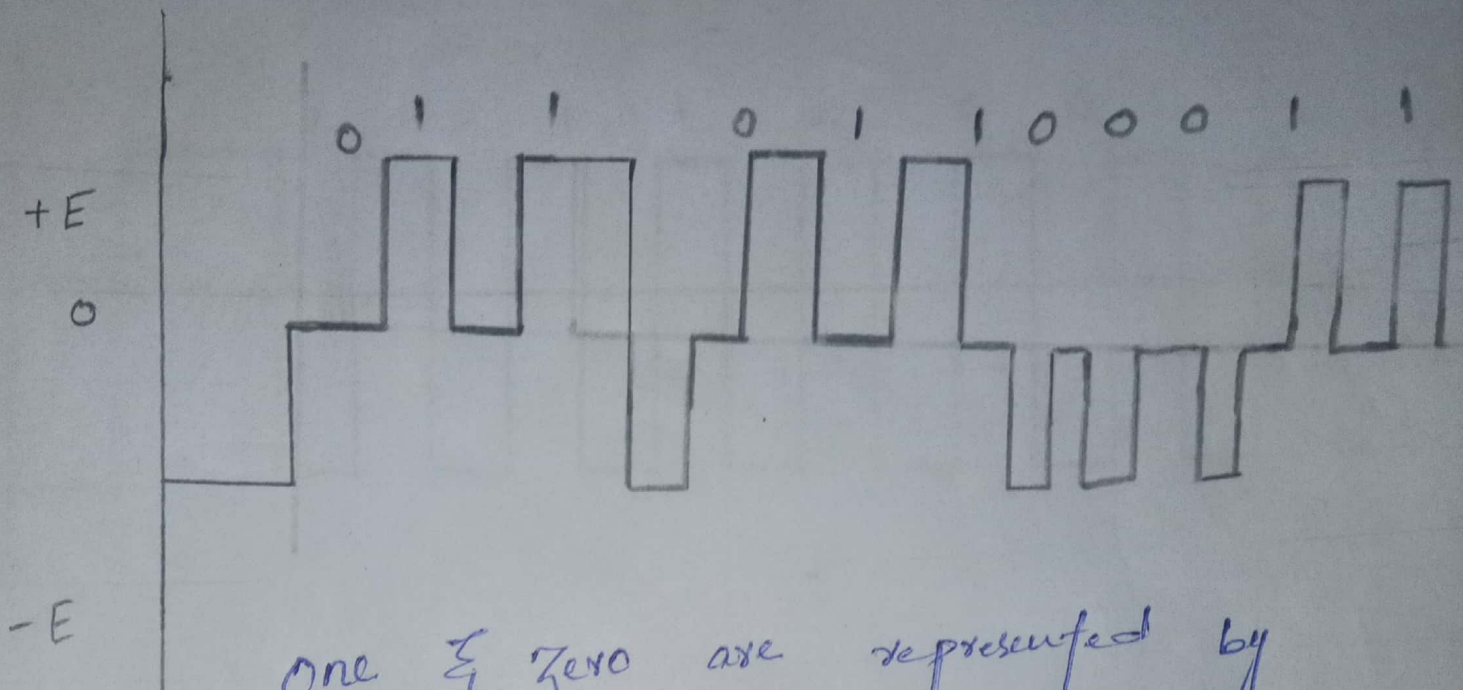
NRZ Mark Space

One is represented by a no change in level

Zero is represented by change in level.

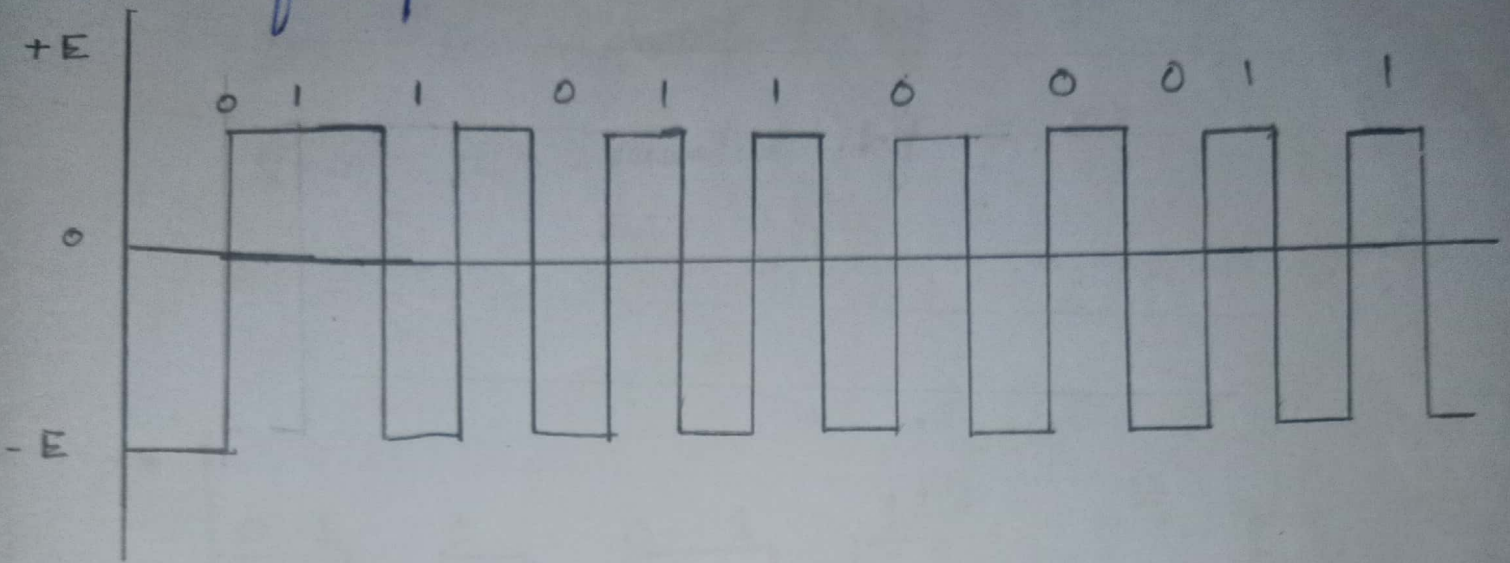
(9)

(2) Polar - RZ



one \bar{x} zero are represented by
opposite level polar pulses that are
one half-bit in width

3) Split phase Manchester:



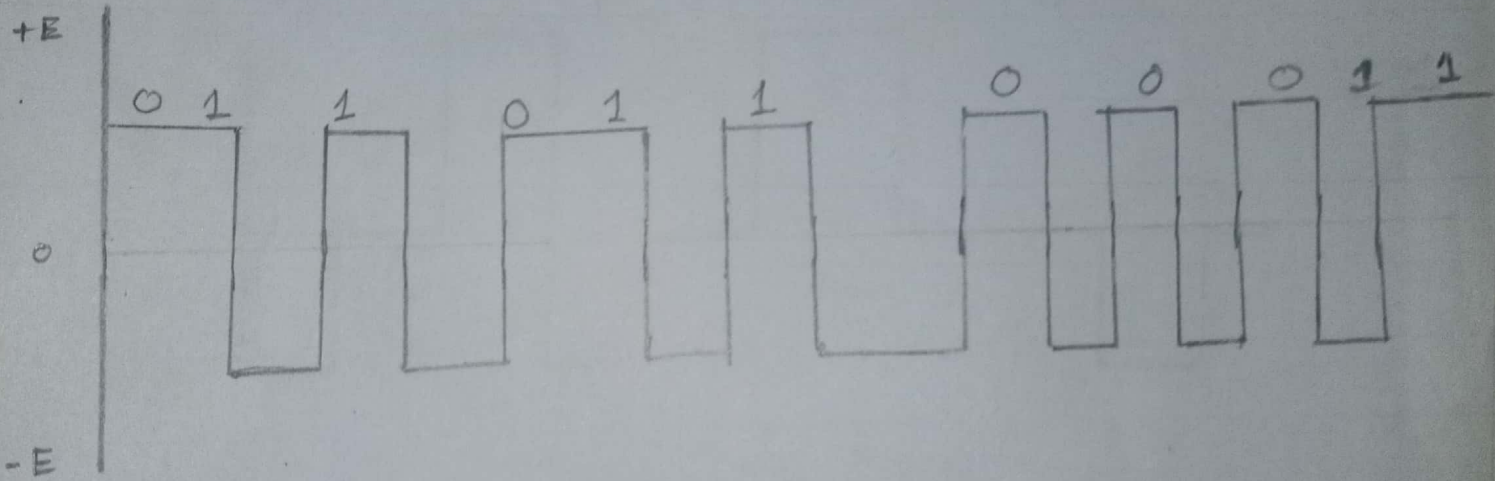
one is represented by a 10
Zero is represented by a 01

(11)

4) Bi- ϕ -L

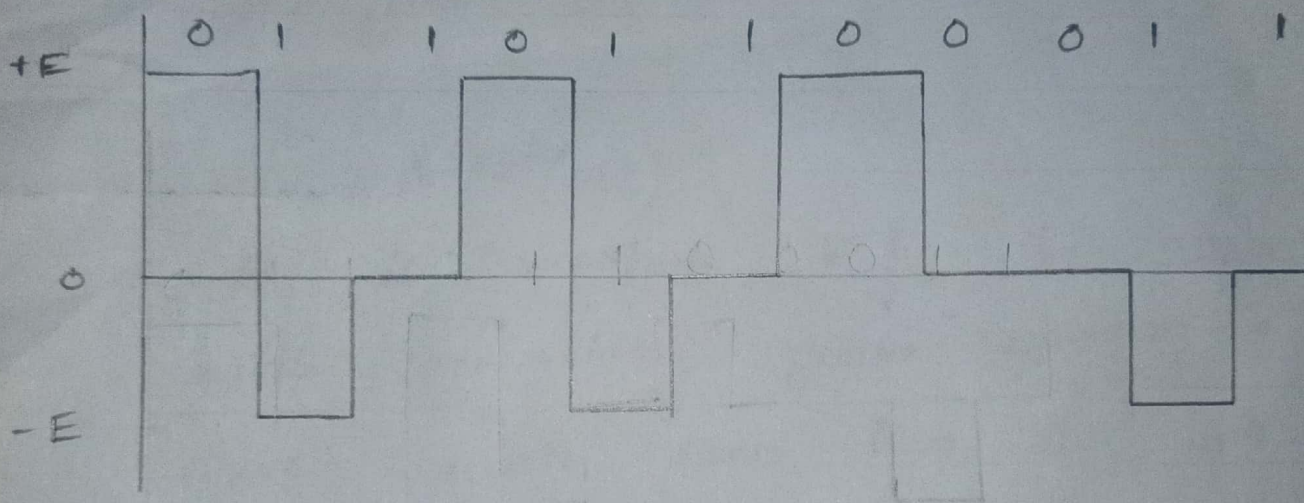
one is represented by a 10

zero is represented by a 01



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(5) Dicode - NRZ



Dicode Non return to Zero

A one to zero or zero to one changes polarity.

Otherwise, a zero is sent.

Q #4

A) Carrier wave is $e_c(t) = 7.5 \sin 20 \times 10^3 \pi t$

$$\text{Modulation Index} = M_i = 0.5$$

The general equation of sine wave is

$$C = A \sin(\omega t)$$

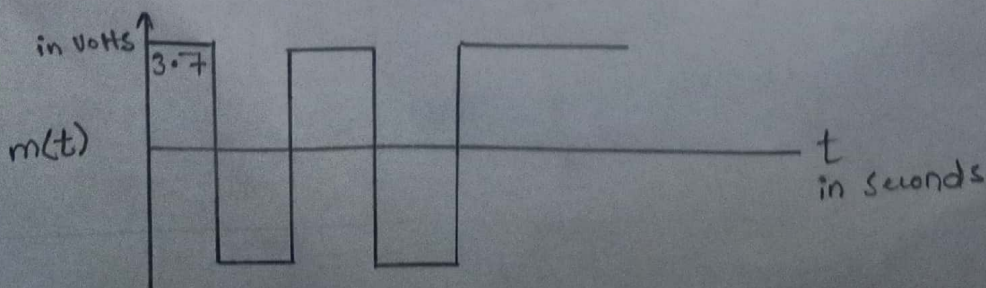
A is amplitude of the wave with comparing general equation of wave with given then AC will be 7.5

as we know that

$$m = MI = \frac{A_m}{AC}$$

$$A_m = m \times AC = 0.5 \times 7.5$$

$$A_m = 3.75$$



Q#4(B)

(14)

(a)

$$m = 0.5$$

$$E_c = 7.5$$

$$E_c = 7.5 \text{ volts}$$

let us consider E_m from E_c line

$$m = \frac{E_m}{E_c}$$

therefore

$$\begin{aligned} E_m &= m \times E_c \\ &= 0.5 \times 7.5 \\ &= 3.75 \text{ volt} \end{aligned}$$

$$\begin{aligned} E_{\max} &= E_c + E_m \\ &= 7.5 + 3.75 \\ &= 11.25 \text{ volts} \end{aligned}$$

$$\begin{aligned} E_{\min} &= E_c - E_m \\ &= 7.5 - 3.75 \\ &= 3.75 \text{ volts} \end{aligned}$$

Modulated waveform

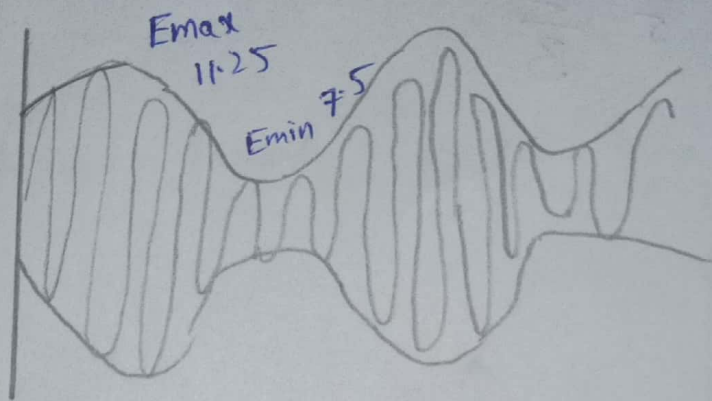
so as we know that

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$$n = 0.5$$

$$E_{\text{max}} = 11.25$$

$$E_{\text{min}} = 3.75$$



(b) Depth of modulation

$$m = \frac{E_m}{E_c}$$

$$m = \frac{10V}{5V} = 2V$$

transmission efficiency

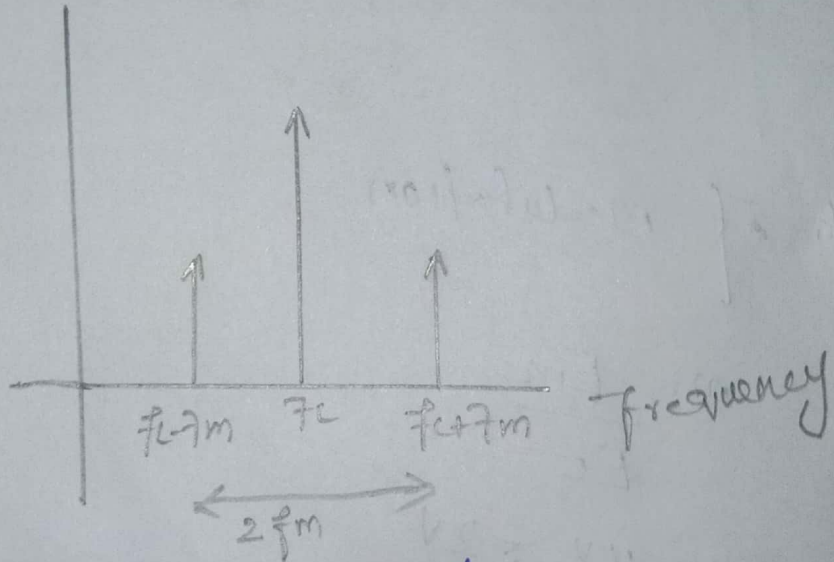
$$\eta_f = \frac{m^2}{2+m^2}$$

$$\eta_f = \frac{(2)^2}{2+(2)^2}$$

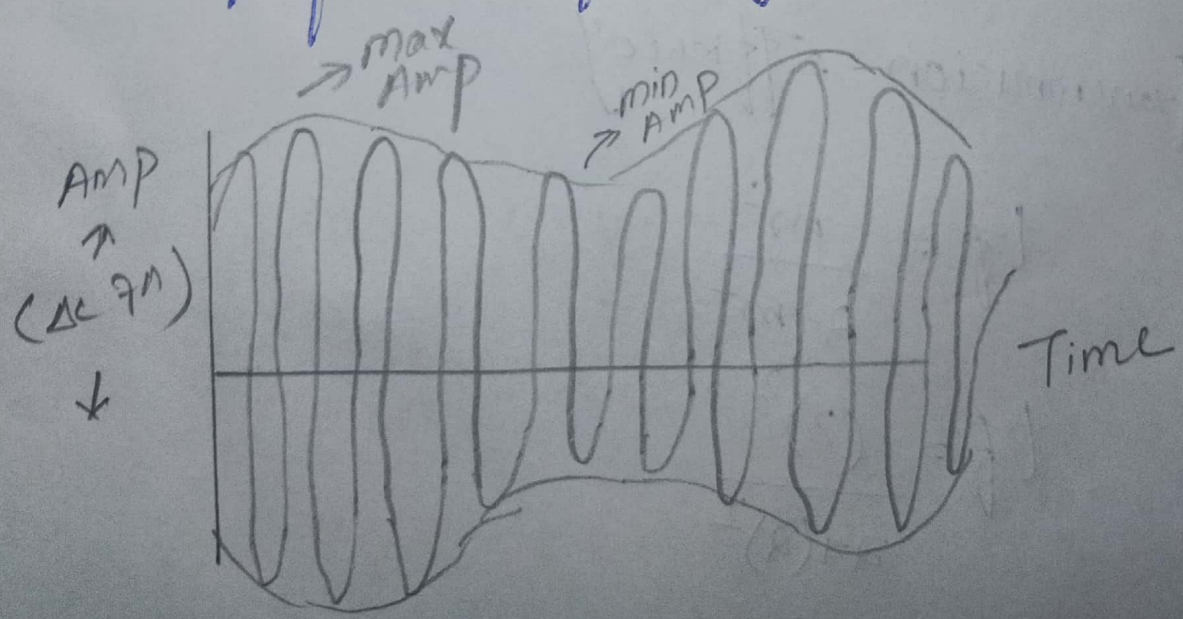
$$t7 = \frac{4}{2+4} \quad (16)$$

$$= \frac{4}{6}$$

$$= \frac{2}{3}$$



Amplitude \rightarrow frequency



(17)

c)

power in spectrum:

$$P_c = \frac{E_c^2}{2R} = \frac{(5)^2}{2 \times 50} = \frac{25}{100} = \frac{1}{4}$$

ξ total Power $P_t \left(\frac{1 + m_e^2}{2} \right) P_c$

$$P_t = \left[1 + \frac{(2)^2}{2} \right] \times 0.2$$

$$= \left[1 + \frac{4}{2} \right] \times 0.2$$

$$= (1+2) \times 0.2$$

$$= 3 \times 0.2$$

$$\boxed{P_t = 0.6}$$

(18)



percentage power in USB

$$P_{\text{USB}} = \frac{m^2 E_c^2}{8}$$

$$= \frac{m^2}{4} \text{ PL}$$

$$= \frac{(2)^2}{4} \times 0.6$$

$$P_{\text{USB}} = 0.6\%$$