

Q#1

1- ϕ Half wave Controlled Rectifier
(R load)

① The circuit consists of a thyristor T , a voltage source V_s and a resistive load R .

② During the positive half cycle of the input voltage, the thyristor T is forward biased but it does not conduct until a gate signal is applied to it.

③ When a gate pulse is given to the thyristor T at $\omega t = \alpha$, it gets turned ON and begins to conduct.

④ When the thyristor is ON the input voltage is applied to the load.

Name: Sajid Ahmad

Subject: P.E

ID: 12671

②②

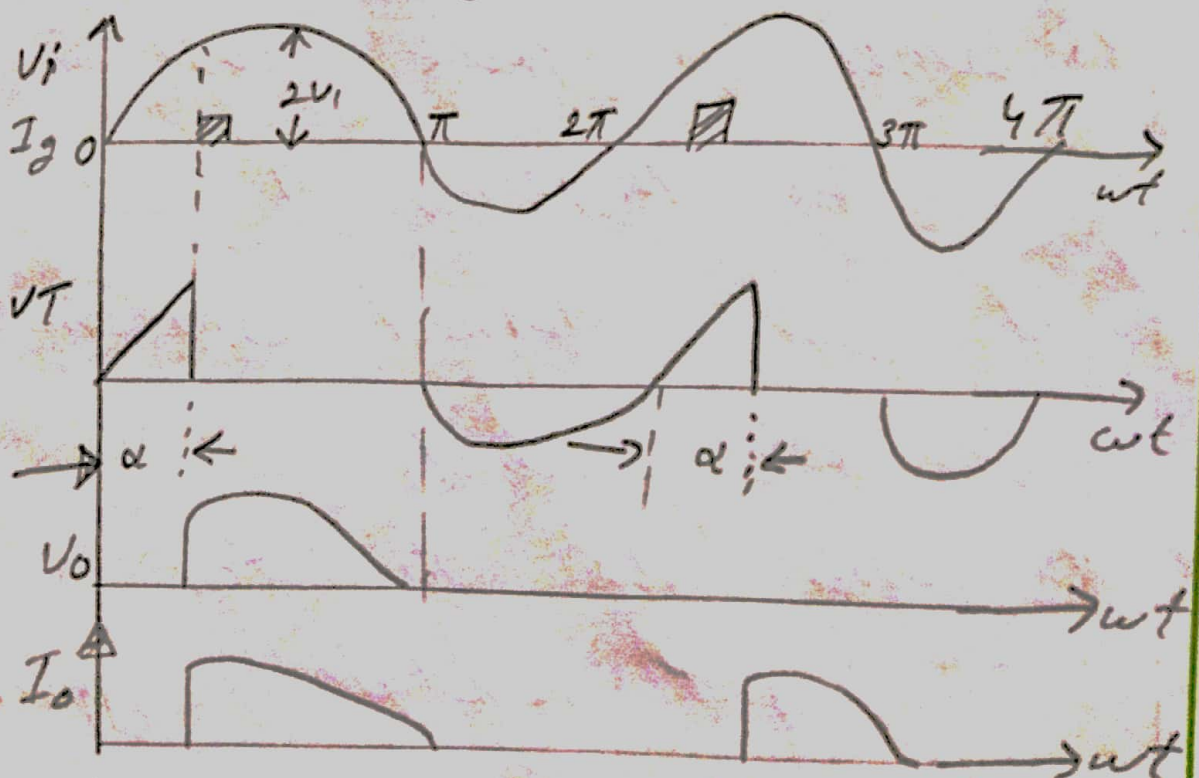
Programme: B.F.(E)

① During the negative half cycle the thyristor T gets reverse biased and gets turned off.

② So the load receives voltage only during the positive half cycle only.

③ The average value of output voltage can be varied by varying the firing angle α .

④ Waveform.



- ① The circuit consists of a thyristor T , a voltage source V_s , an inductive load L and a resistive load R .
- ② During the positive half cycle of the input voltage, the thyristor T is forward biased but it does not conduct until a gate signal is applied to it.
- ③ When a gate pulse is given to the thyristor T at $wt = \alpha$, it gets turned ON and begins to conduct.
- ④ During the negative half cycle the thyristor T gets reverse biased but the current through the thyristor is not zero due to inductor.

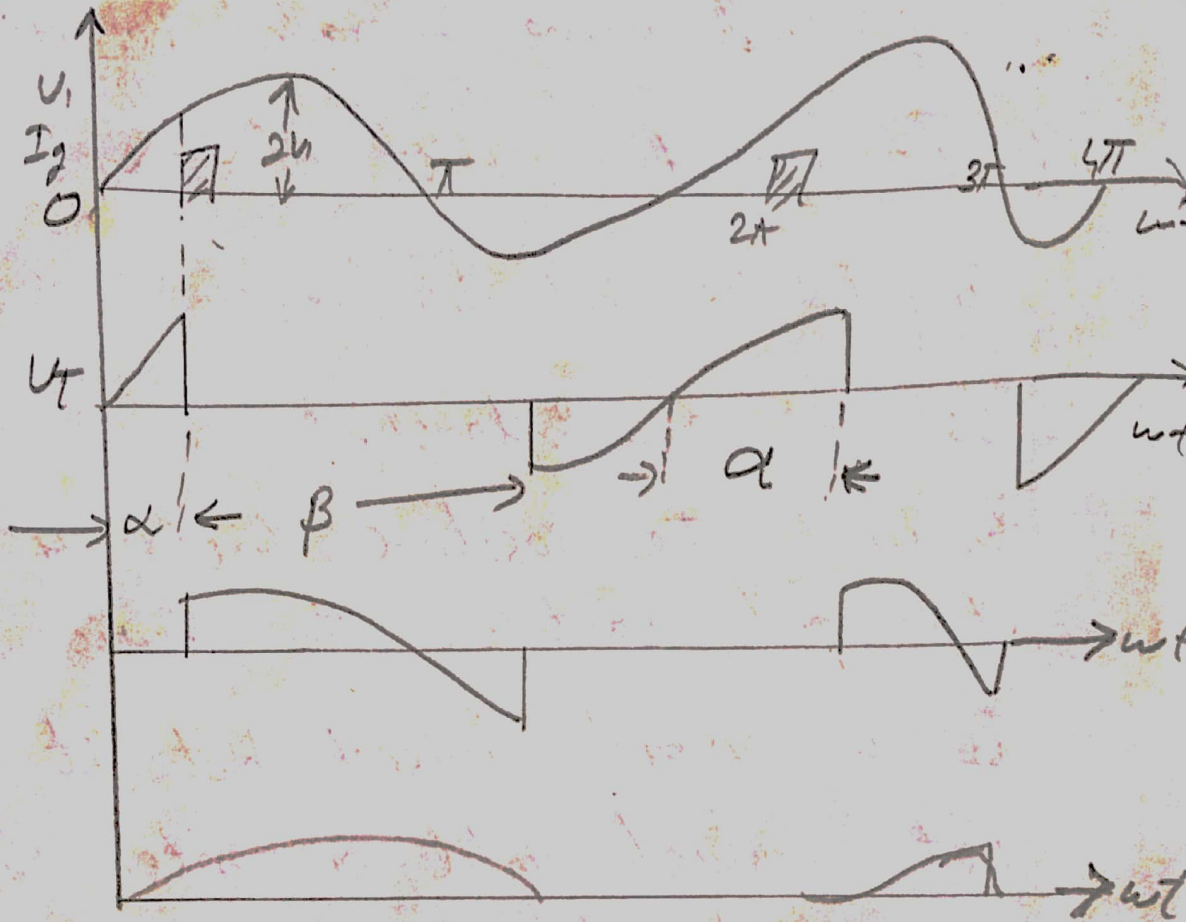
Name: Sajid Ahmad

Subject: P.E

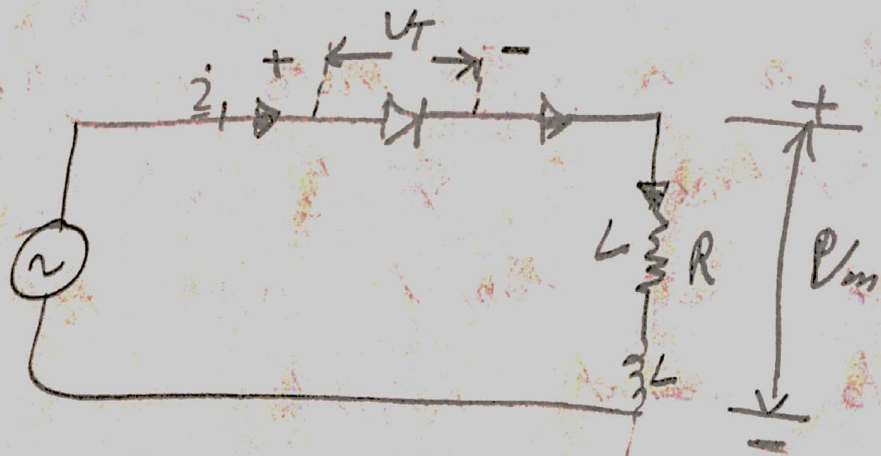
ID: 12671

(4) (4)

Program: BECE



Wave diagram



Circuit diagram.

$$V_i = V_m \sin \omega t = \sqrt{2} V_s \sin \omega t$$

P.T.O

Name: Sajid Ahmad

Subject: P.E

ID: 12671

5

Program: BE(E)

1- ϕ full wave Controlled Rectifier (R load)

① The circuit consist of four thyristors

T_1, T_2, T_3 and T_4 , a voltage source

V_s and a R load.

② During the positive half cycle of the input voltage, the thyristor T_1 & T_2

is forward biased but it does not conduct until a gate signal is applied to it.

③ When a gate pulse is given to the thyristors T_1 & T_2 at $\omega t = \alpha$, it gets turned ON and begins to ~~connect~~ conduct.

④ When the T_1 & T_2 is ON, the

Input voltage is applied to the

load through the path $V_s - T_1 -$

load - $T_2 - V_s -$

P.T.O

12671

⑥

P. E

BE(E)

Q2 Explain detail the difference b/w I phase uncontrolled half wave Rectifier and I phase uncontrolled Rectifier, Bridge Rectifier

Ans2 Single phase Half Wave Rectifier:

⊗ During each "positive" half cycle of AC sine wave, the diode is forward biased as the anode is positive with respect to the cathode resulting in current flowing through the diode.

⊗ Since the DC load is resistive (resistor R), the current flowing in the load resistor is therefore proportional to the voltage (Ohm's law) and the voltage across the load resistor will therefore be the same as the supply voltage V_s (minus V_f), that is the "DC" voltage across the load is sinusoidal for the first half cycle.

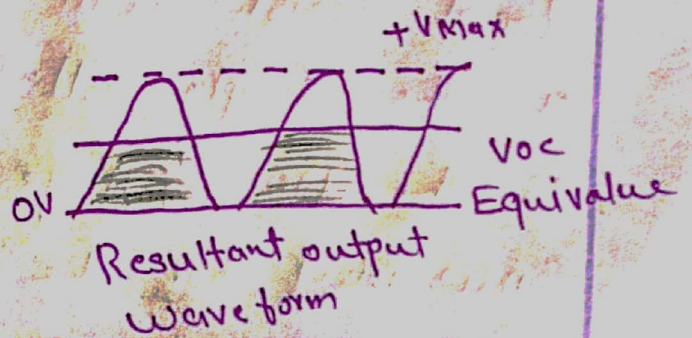
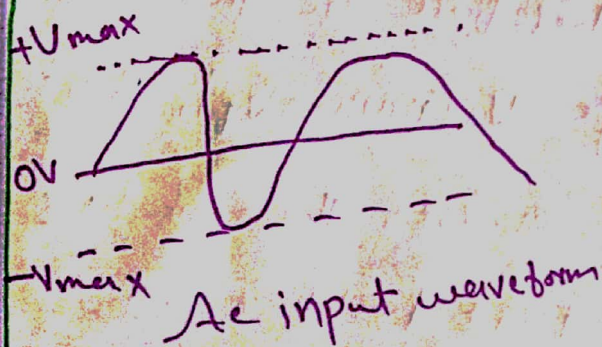
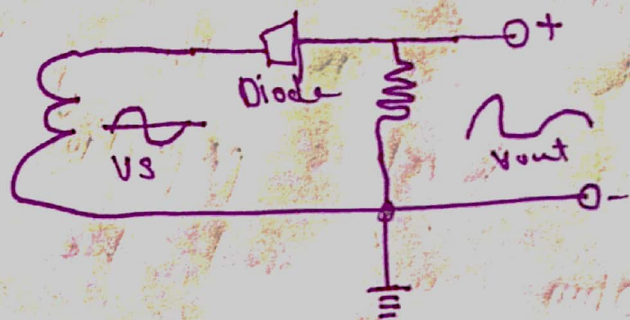
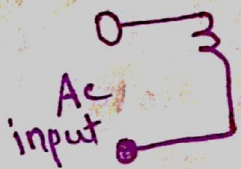
②

only so $V_{out} = V_s$

⊗ During each "Negative" half of the AC sinusoidal input waveform the diode is reverse biased at the anode is negative with respect to the cathode.

single phase Wave Rectifier:

Therefore no current flows through the diode or circuit. then in the negative half cycle of the supply, no current flows in the load resistor as no voltage appears across it, so therefore $V_{out} = 0$



Sayid Ahmad
12671

P.E
BECE

single phase Half wave Rectifier
(R load)

(*) Av out voltage $V_o = \frac{1}{2\pi} \int_0^{\pi} V_m \sin \omega t d(\omega t)$

$$\frac{V}{2\pi} \int_0^{\pi} 1 - \cos \omega t \Big|_0^{\pi} = \frac{V_m}{\pi}$$

(*) RMS output voltage $V_{rms} = \left[\frac{1}{2\pi} \int_0^{\pi} V_m^2 \sin^2 \omega t d(\omega t) \right]^{1/2}$

$$\frac{V_m}{\sqrt{2\pi}} \left[\int_0^{\pi} \frac{1 - \cos 2\omega t}{2} d(\omega t) \right]^{1/2} = \frac{V_m}{2}$$

(*) Av. load current $I_o = \frac{V_o}{R} = \frac{V}{2R}$

(*) Rms load current $I_{rms} = \frac{V_{rms}}{R} = \frac{V}{2R}$

(*) input power factor = $\frac{I_o}{I_{rms}} = \frac{V/2R}{V/2R} = 0.707$

(*) single phase Half waves Rectifier (RL Load)
current I_o continuous to flow even after
source voltage V_s is negative because of

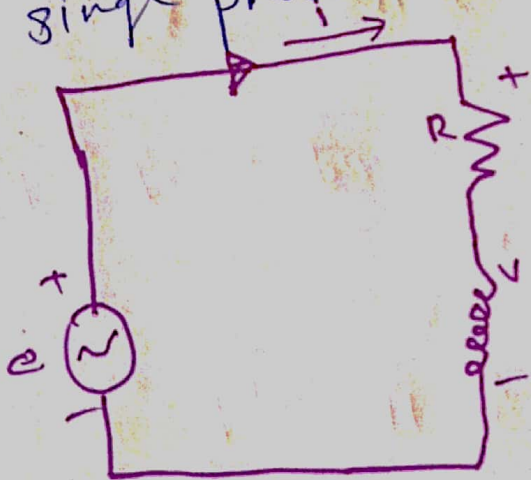
the presence of inductor L in load

(*) After +ve half cycle diode remains ON so so -ve half cycle appears lower current until I_0 decays to zero

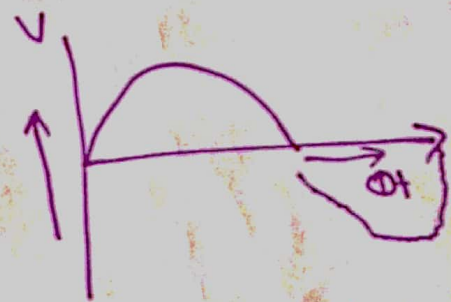
(*) A B diode voltage V_D jumps from 0 to $V_m \sin \beta$ where $\beta > \pi$

(*) Here $\beta = \alpha$ is the conduction angle of the diode

(*) single phase Half wave Rectifier (RL load)



(a) Rectifier



(b) waveform

Name: Sajid Ahmad

Subject: P.E

ID: 12671

(A) 10

Program: BE(E)

Ans# 3

③ Buck Chopper:-

- ① Output voltage is less than input voltage
- ② The thyristor in the circuit acts as a switch.
- ③ When thyristor is ON, supply voltage appears across the load
- ④ When thyristor is OFF, the voltage across the load will be zero.
- ⑤ Practical arrangement includes an Inductor (L) and a diode which are used to eliminate current pulsations providing a smooth DC current.
- ⑥ With S closed, D is off and it remains off as long as S is on.

P.T.O

- ⑤ The i/p current builds up exponentially and flows through L and load
- ⑥ V_0 equals V_1
- ⑦ With S off or open, the current through L decays to zero.
- ⑧ This causes an inductive voltage with opposite polarity across L .
- ⑨ V_L forward biases diode D .
- ⑩ Currents flows through L , load and D
- ⑪ This arrangement permits the use of simple filter inductance L to provide a satisfactory smooth DC load current.
- ⑫ With higher switching frequency smaller inductance is sufficient to get desired o/p.

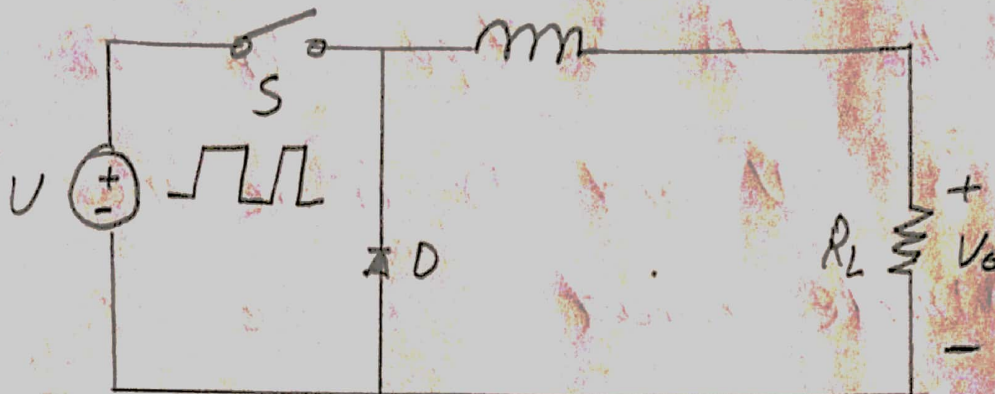
Name: Sajid Ahmael

Subject: P.E

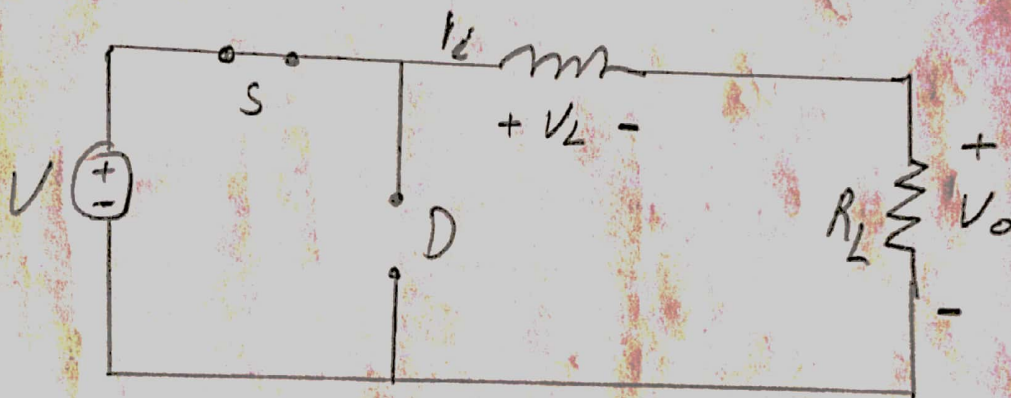
ID: 12671

12

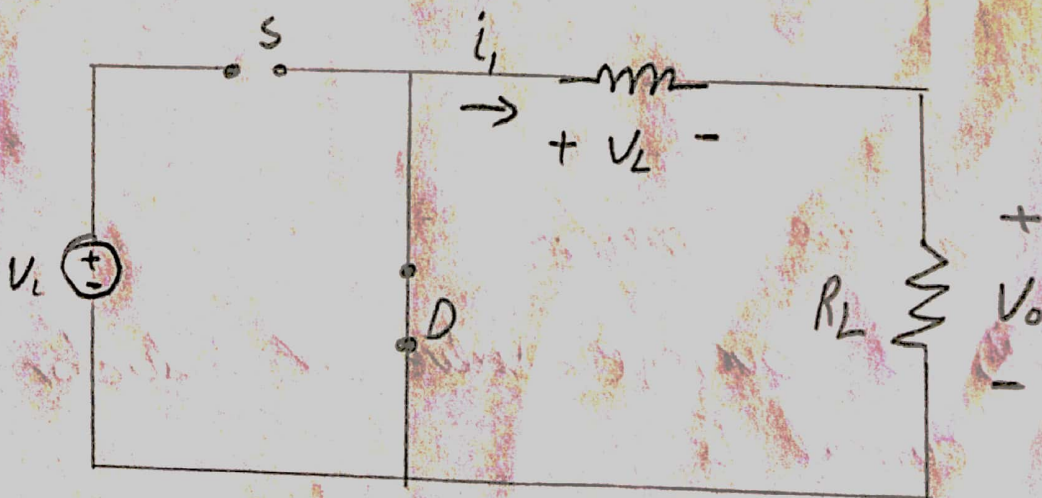
Programme: BE(E)



Circuit of Buck converter



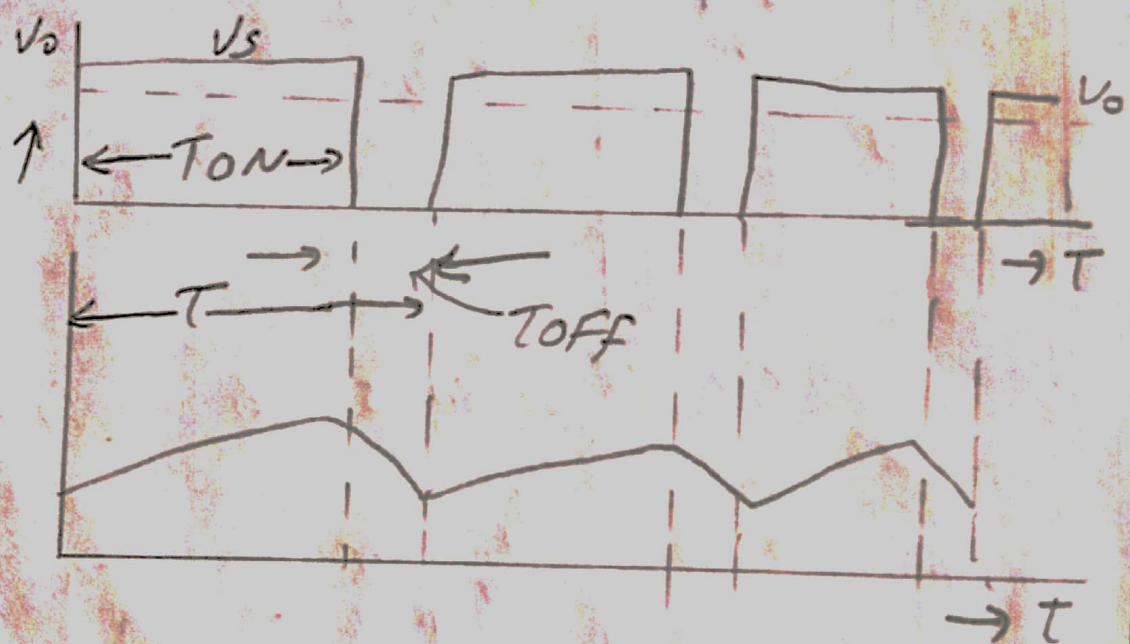
Circuit when switch is closed



Circuit when switch is open

P.T.O

- ⑫ The o/p voltage is equal to the i/p voltage when the switch is ON and D is reverse biased.
- ⑬ Diode current is same as the load current during T OFF.
- ⑭ During T ON, I_o is same I_L .



Continuous Current:-

- ⑮ The average value of Inductor current is

$$I_L = \frac{I_{max} + I_{min}}{2} = I_o = \frac{V_o}{R}$$

⊛ Again

$$V_L = V_0 = L \frac{di}{dt} \rightarrow \frac{di}{dt} = \frac{V_0}{L} \rightarrow \Delta i$$

$$= \frac{V_0}{L} \Delta t$$

with switch open

Peak to Peak current I

$$P-P = \Delta i_0 = I_{max} - I_{min} = \frac{V_0}{L} \Delta t$$

Hence,

$$I_{max} = \frac{V_0}{R} + \frac{V_0}{L} T_{off} ; \quad I_{min} = \frac{V_0}{R} - \frac{V_0}{L} T_{off}$$

$$T_D = \frac{T_{off} T_0}{T} ; \quad T_0 = \frac{L}{R} ; \quad d = \frac{di}{dt}$$

⊛ As elements are ideal, DC power drawn from source must equal the DC power absorbed by load.

$$P_0 = P_i \rightarrow V_0 = V_{it}$$

P.T.O

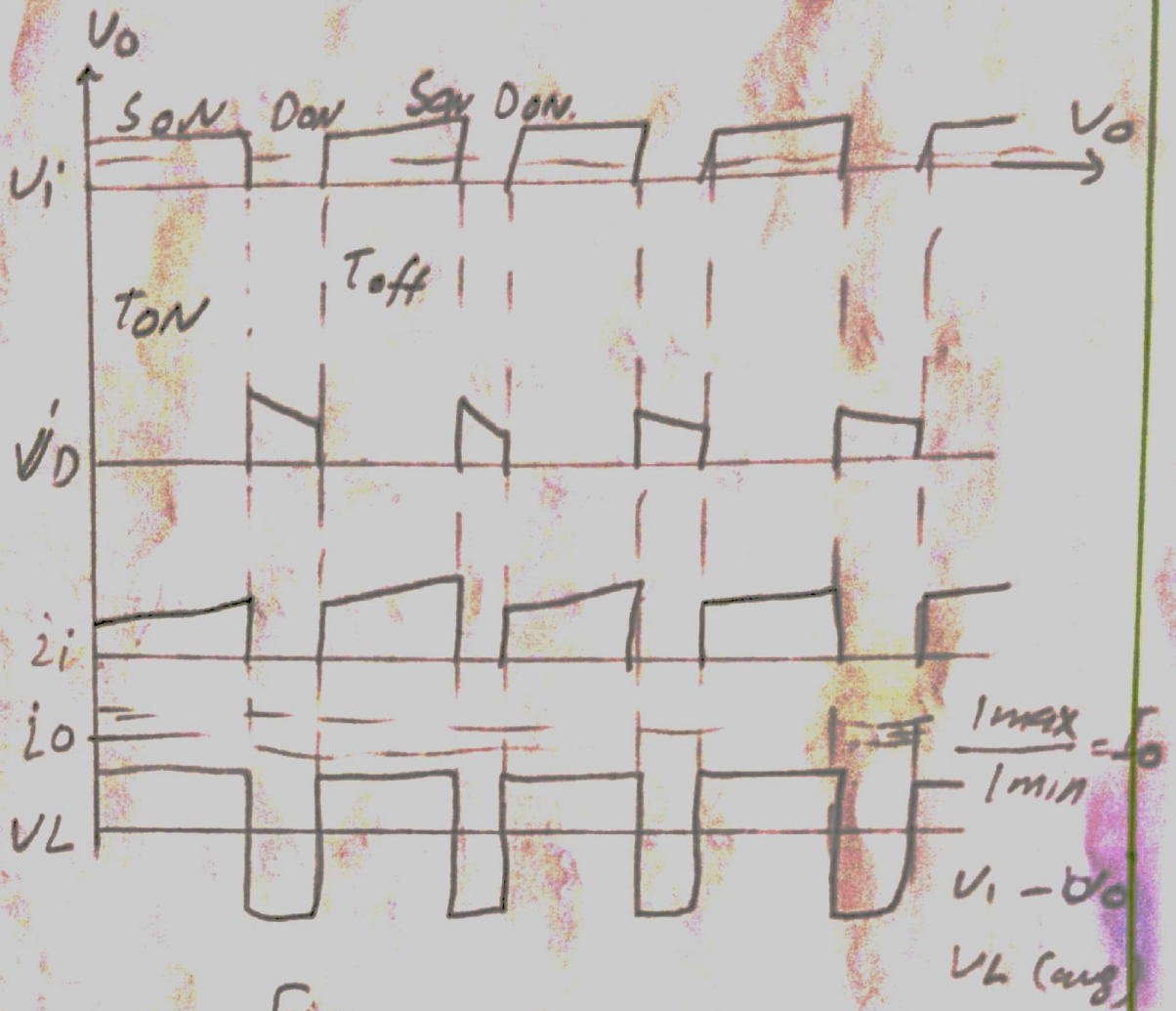
Name: Sajid Ahmad

Subject: P.E

IPo 12671

15

Programme: B.F.C.E



Fig

Discontinuous Current:-

① This mode is undesirable and is avoided by proper selection of chopping and L .

② The minimum value of L for continuous current mode is

Name: Sajid Ahmad

Subject: B.E

ID: 12671

16

Program: BE (E)

ensured by setting $I_{min} = 0$.

$$I_{min} = 0 = \frac{V_0}{R} - \frac{V_0}{R} T_{off}$$

$$\frac{V_0}{R} = T_{off} \cdot \frac{V_0}{L}$$

$$L = T_{off} \cdot R$$

$$L = \frac{T_{off}}{2} R$$

Q4

The Boost chopper is a type of DC-DC converter. Explain in detail the principle of and working of Boost converter when switch is open and closed.

Ans: Set of (Boost) chopper:

- ⊗ with S closed again, D become reverse biased the capacitor energy supplies the load voltage and the cycle repeats

$$V_0 = V_1 + V_L$$

- ⊗ V_0 is always higher than V_1 as polarity at inductor voltage V_L is same as V_1 .

- ⊗ if inductor L is very large, source current I is ripple free and is considered constant

$$W_{OFF} = (V_0 - V_1) * I * T_{OFF}$$

P.T.O

- ⑧ Since losses are neglected the energy transferred during T_{off} by L must be equal energy gained during T_{on}
- $$W_{on} = W_{off} = V_1 I T_{on} = (V_o - V_1) * L * T_{off}$$

$$V_o = V_1 \left(1 + \frac{T_{on}}{T_{off}} \right) = V_1 \left(\frac{T}{T - T_{on}} \right) = V_1 \left(\frac{1}{1 - \frac{T_{on}}{T}} \right)$$

$$= V_1 \left(\frac{1}{1-d} \right)$$

Thus V_o is always greater than V_i .

Set up (Boost) chopper

⑧ $P_i = P_o \rightarrow V_1 I_1 = \frac{V_2}{R} I_2 = \frac{V_2}{R} \frac{1}{B}$

⑧ $I_o = I_1 * \frac{T_{off}}{T} \Rightarrow I_o = I_1 (1-d)$

⑧ $P_o = P_i \Rightarrow V_1 I_1 = \frac{V_2}{R} I_2 = \frac{V_2}{(1-d) * \frac{1}{R}}$

⑧ $I_1 = \frac{V_1}{1-d} * \frac{1}{R}$

(Boost) chopper ~~set~~ step up

(*) Voltage across L is

$$(*) V_L = V_I = L \frac{di}{dt} \quad \text{or} \quad \frac{di}{dt} = \frac{V_I}{L}$$

$$(*) \Delta I = \frac{V_I}{L} T_{on} \quad \text{or} \quad I_{max} - I_{min} = \frac{V_I T_{on}}{L}$$

again $I_{max} + I_{min} = 2 I_1$

Solving

$$I_{max} = V_I \left[\frac{1}{R(1-d)^2} + \frac{T_{on}}{2L} \right]$$

$$I_{min} = V_I \left[\frac{1}{R(1-d)^2} - \frac{T_{on}}{2L} \right]$$

$$(*) I_{p-p} = I_{max} - I_{min} = \frac{V_I T_{on}}{L}$$

(*) For continuous current mode

$$I_{min} = 0 = V_I \left[\frac{1}{R(1-d)^2} - \frac{T_{on}}{2L} \right]$$

$$\textcircled{x} \Rightarrow \frac{I}{R(1-d^2)} = \frac{T_{ON}}{2L}$$

$$\Rightarrow L = \frac{RT_{ON}}{2} (1-d)^2$$

② (5)

Ans ⑤

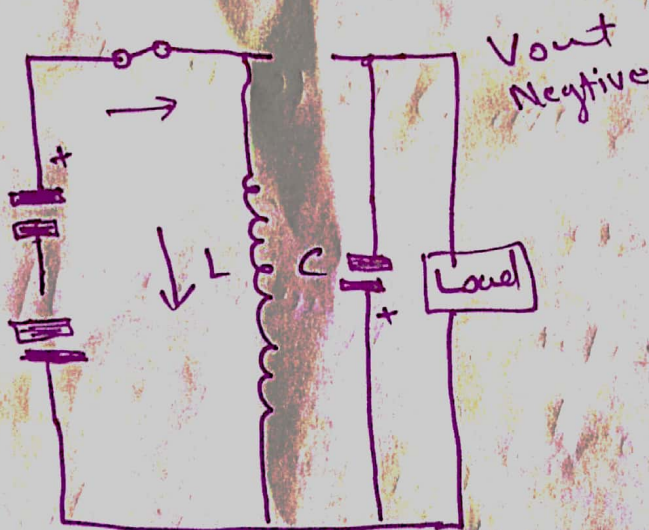
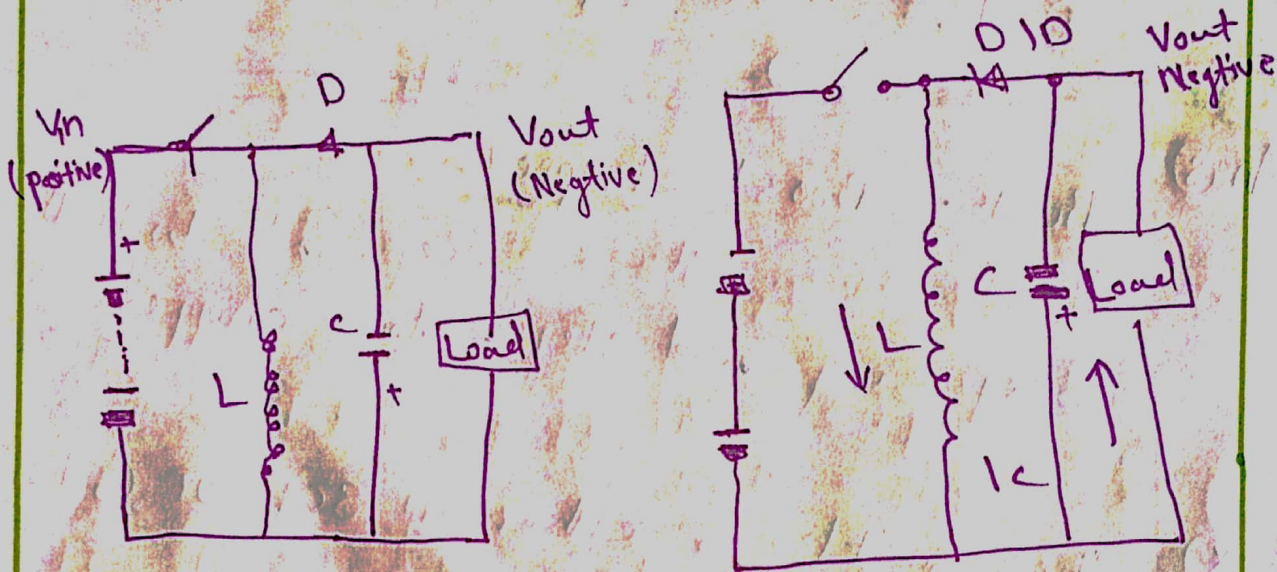
Back-Boost chopper :->

- ① it combines the concept of both the step-up and step-down choppers
- ① the switch is either an SCR or GTO and GBT
- ① when S is ON, D is reverse biased and I_D is zero
- ① The capacitor supplies energy to the output load
- ① with S off, the source is disconnected
- ① O/P voltage become equal to the inductor voltage

Buck-Boost chopper:

(*) with $S = ON (T_{ON})$; $w_{ON} = V_1 * I_1 * t_{ON}$

with $S = OFF (T_{OFF})$; $w_{OFF} = V_1 * I_1 * T_{OFF}$



(*) Ignoring losses $w_{ON} = w_{OFF} \Rightarrow V_1 * I_1 * T_{ON} = V_1 * I_1 * T_{OFF}$

Name: Sajid Ahmad

Subject: P.E

ID: 12671

23

Program: BFCE

①

$$V_o = V_i \left(\frac{d_1}{(1-d)T} \right) = V_i \frac{d}{(1-d)}$$

(o/p voltage)

is controlled by changing duty cycle d

②

$$I_L = \frac{I_{max} + I_{min}}{2} \quad I = Id = \left(\frac{I_{max} + I_{min}}{2} \right) d$$

③

The average o/p power is given as

$$P_i = V_i I = \left(\frac{I_{max} + I_{min}}{2} \right) d V_i = P_o = \frac{V_o^2}{R}$$

④

$$I_{mix} + I_{min} = \frac{2V_i}{R(1-d^2)} \quad I_{max} - I_{min} = \frac{V_i d T}{L}$$

⑤

$$I_{mix} = V_i \left[\frac{1}{R(1+d)} + \frac{T}{2L} \right] d \quad I_{min} = V_i \left[\frac{1}{R(1+d)} - \frac{T}{2L} \right] d$$

For continuous current condition

$$I_{min} = 0 \Rightarrow V_i \left[\frac{1}{R(1+d)} - \frac{T}{2L} \right] d = 0$$
$$\Rightarrow L = \frac{RTd}{2}$$

$$(1-d)^2$$

The end.

~~23~~