



SUBJECT: Construction Financial Management

I.D No: 14816



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Problem 1: A construction company will replace an excavator after 5 years. A new one costs \$250,000. How much is the end-of-year annual uniform payment the company has to put into a bank in order to save enough money in five years' time for purchasing the equipment if the bank is offering an interest rate of 4% per annum?

Solution 1:

Principal amount = $S = \$250,000$

Number of periods = $n = 5$

Interest rate in % per period (nominal or apparent rate) = $i = 4\% = 0.04$

Annual uniform payment = $A = ?$



Fig. 1. – Sum of \$ 250000 accumulated by five uniform periodic (annual) payments.

Using Formula:

$$S = A \times \left[\frac{(1+i)^n - 1}{i} \right]$$

$$A = S \times \left[\frac{i}{(1+i)^n - 1} \right]$$

$$250000 = A \times \left[\frac{(1+0.04)^5 - 1}{0.04} \right]$$

$$250000 = A \times \left[\frac{1.21665 - 1}{0.04} \right]$$

$$250000 = A \times \left[\frac{0.21665}{0.04} \right]$$

$$250000 = A \times 5.4163$$

$$A = 250000 / 5.4163$$

$$A = 46156.78$$

$$A = \$ 46157$$

Therefore Annual uniform payment is \$ 46157.

Problem 2: A construction material company makes and sells window panels. The selling price per panel is \$900. The variable cost for making the window panels is \$500 per unit. The fixed cost is \$8,000,000. Find the BEP (break-even point)?

Solution 2 Given Data:

Selling Price per unit = $p = \$900$

Variable cost per unit = $v = \$500$

Fixed Cost = $FC = \$8,000,000$

Break-even point = $BEP = ?$

Number of units = x

a) The above problem can be solved using the following table:

Cost-volume-profit analysis (or Break-even analysis)				
Volume	$x=18000$	$x=20000$	$x=22000$	$x=25000$
Total Revenue	16200000	18000000	19800000	22500000
Variable Cost	9000000	10000000	11000000	12500000
Fixed Cost	8000000	8000000	8000000	8000000
Total Cost	17000000	18000000	19000000	20500000
Net Income	-800000	0	800000	2000000
	Loss	BEP	Profit	

At $x = 20000$, the company is at BEP that is the company is neither making profit nor making loss. The company has to increase its production capacity more than $BEP = 20000$ in order to gain profit. Production less than 20000 units would be a loss to the company. Assuming maximum capacity of the company as 25000 units then the company's maximum profit is \$ 2,000,000.

$$BEP \% = [BEP/Maximum Capacity] \times 100$$

$$BEP \% = (20000/25000) \times 100$$

$$BEP \% = 80\%$$

b) Mathematical Presentation:

$$TR = a + b + c + \text{Profit}$$

$$\text{Total Cost (TC)} = \text{Variable Cost (VC)} + \text{Fixed Cost (FC)}$$

Where as

TR = total revenue

a = Direct cost

b = Cost of administering the company

c = Costs of marketing/advertisements

At break-even point (BEP)

$$TR = a + b + c$$

$$TR = TC$$

$$TR = px \quad (a)$$

$$TC = VC + FC$$

$$TC = vx + FC \quad (b)$$

Equating (a) and (b)

$$Px = vx + FC$$

$$\text{Hence, at BEP, } x = FC / (p - v) \quad (c)$$

Putting the values in equation (c)

$$x = 8000000 / (900 - 500)$$

$$x = 8000000 / 400$$

$$x = 20000 \text{ units}$$

Therefore Break-even point (BEP) = 20000 units

Let x = 18000, 20000 and 22000

Graphical presentation – Break-even chart:

The Break-even is a graphical presentation of TR, VC, FC and TC. The Fig.2 below shows the break-even chart of problem 2.

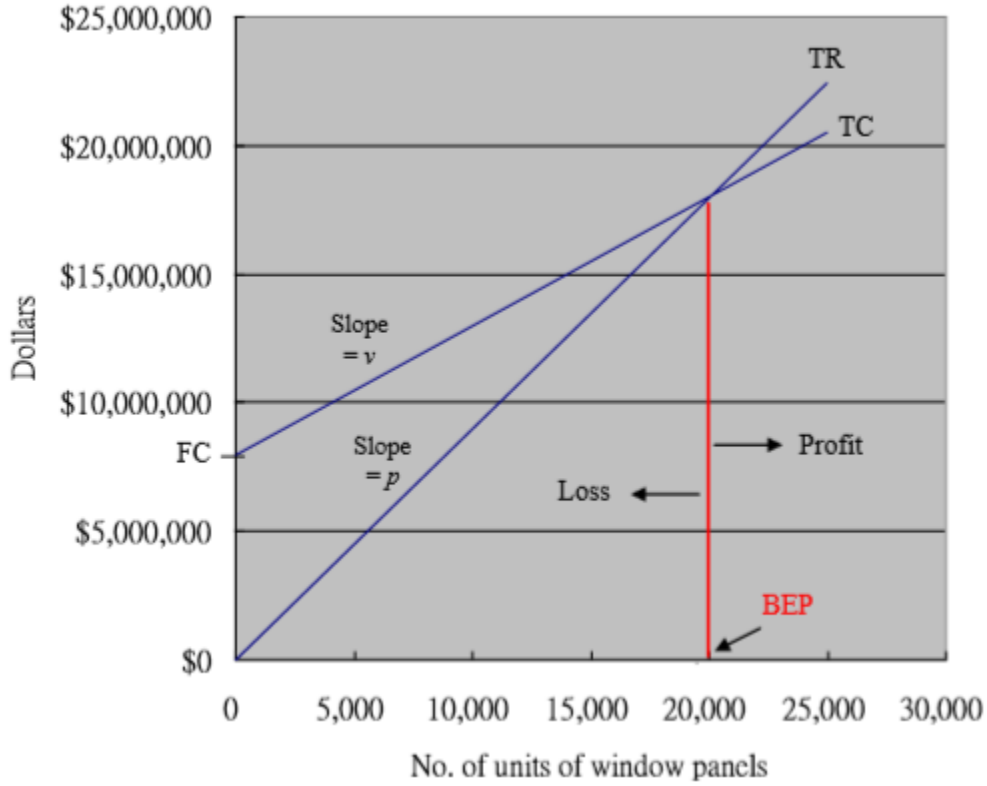


Fig. 2. - The break-even chart for problem 2.