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Q1

Max  $z = 3000x_1 + 1500x_2$

$12x_1 + 3x_2 \leq 1000$

$6x_1 + 8x_2 \leq 800$

$8x_1 + 6x_2 \leq 400$

$x_1, x_2 \geq 0$

Now adding the slack

$z - 3000x_1 - 1500x_2 = 0$

$12x_1 + 3x_2 + s_1 = 1000$

$6x_1 + 8x_2 + s_2 = 800$

$8x_1 + 6x_2 + s_3 = 400$

Table 1

Basic	$\omega$	$x_1$	$x_2$	$s_1$	$s_2$	$s_3$	RHS
$\omega$	1	-3000	-1500	0	0	0	0
$s_1$	0	12	3	1	0	0	1000
$s_2$	0	6	8	0	1	0	800
$s_3$	0	8	6	0	0	1	400

Table 2

Basic	$\omega$	$x_1$	$x_2$	$s_1$	$s_2$	$s_3$	RHS
$\omega$	1	-3000	-1500	0	0	0	0
$s_1$	0	1	$\frac{1}{4}$	$\frac{1}{12}$	0	0	83.33
$s_2$	0	6	8	0	1	0	800
$s_3$	0	8	6	0	0	1	400

Table #3

Basic	$w$	$x_1$	$x_2$	$s_1$	$s_2$	$s_3$	R.H.S
$w$	1	0	-7500	250	0	0	249,990
$s_1$	0	1	$\frac{1}{4}$	$\frac{1}{12}$	0	0	83.33
$s_2$	0	6	18	0	1	0	800
$s_3$	0	8	6	0	0	1	400

$R_{10}$   
3000  
R

Table #4

Basic	$w$	$x_1$	$x_2$	$s_1$	$s_2$	$s_3$	R.H.S
$w$	1	5625	0	250	750	0	3,24,990
$s_1$	0	1	$\frac{1}{4}$	$\frac{1}{12}$	0	0	83.33
$s_2$	0	$\frac{6}{8}$	1	0	1	0	100
$s_3$	0	8	6	0	0	1	400

Maximum value is

324,990

at  $x_1 = 0$   $x_2 = 400$

~~~~~ 0 ~~~~~ 0

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## Question no. 2

Types of product

| Types of product | No sold in a month | net product |
|------------------|--------------------|-------------|
| A                | 150                |             |
| B                | 200                |             |

The MD of the company has set the following goal which are arranged in order of priority

$P_1$  no under utilization of plant production capacity

$P_2$  sell maximum possible number of product A and B. The MD has twice as much desire to sell product A as for product B, because the

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the net profit from the sale of  
 product A is a twice the  
 amount from that of product B  
 P<sub>3</sub> minimize overtime operator of  
 the plant formulate the above  
 as a goal programming problem  
 and solve it so let  $x_1$  and  
 $x_2$  be the number of product  
 A and B since over time  
 operation are not allowed

$$x_1 + x_2 + d_1 - d_2 = 500$$

where  $d_1$  = under utilization of  
 product capacity variable  
 $d_1^+$  - overtime production  
 operation capacity variable.

since goal is the maximum  
 of sales since positive deviation

will not appear in constraints  
related with sales.

$$\text{Then } x_1 + d_2^- = 150$$

$$\text{and } x_1 + d_3 = 200$$

$d_2^-$  = under achievement of  
sale goal for (A)

$d_3$  = under achievement of sale of  
goal for B.

Now the goal programming mathematically  
model can be written as minimize

$$z = P_1 d_1^- + 2P_1 d_1^- + P_1 d_3^+ + P_3 d_1^+$$

$$x_1 + x_2 + d_1^- + d_1^+ = 500$$

$$x_1 + d_2 = 150$$

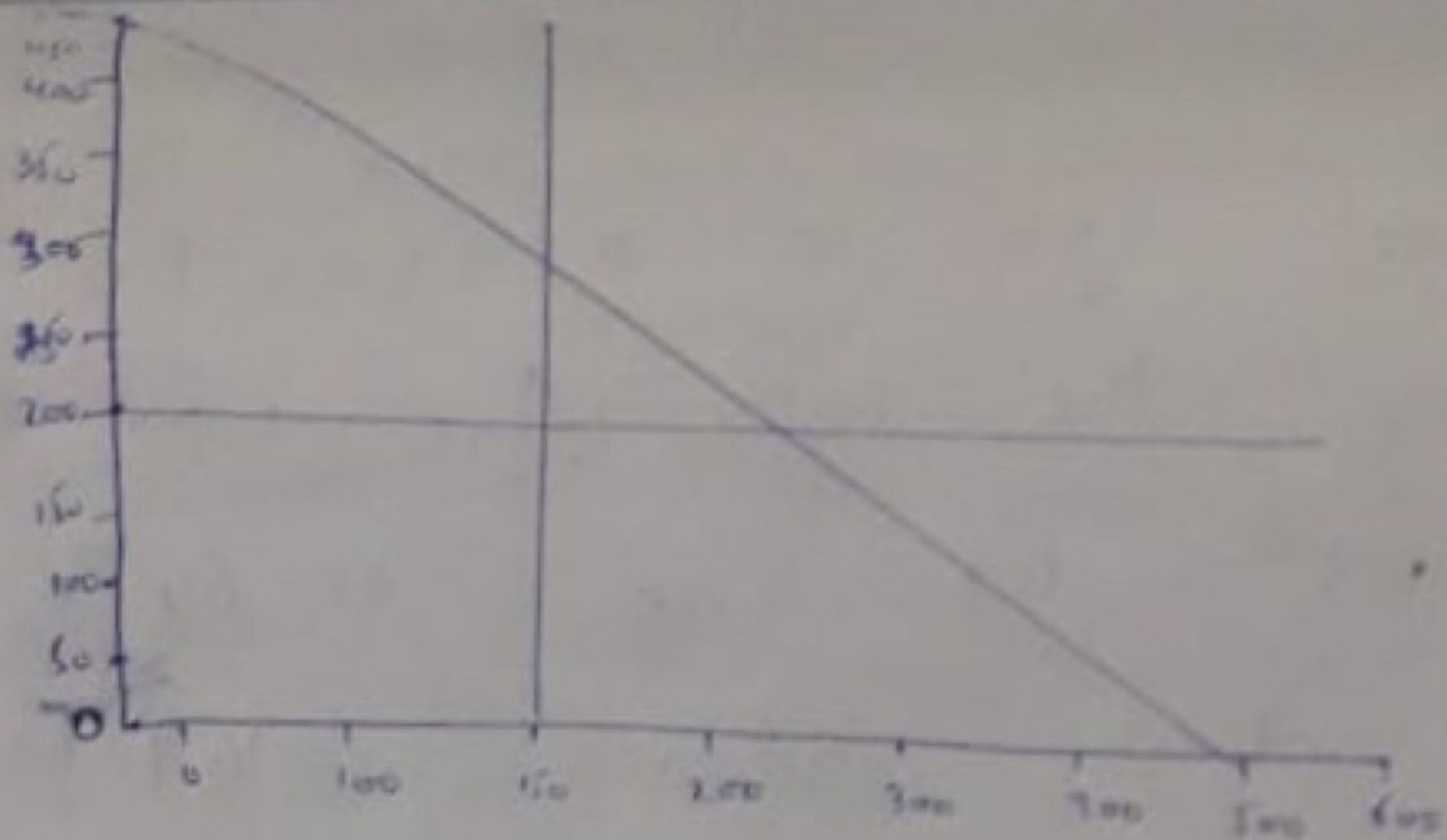
$$x_1 + d_3 = 200$$

and

$$x_1 \geq x_2, d_1, d_2^-, d_1^+ \geq 0$$

All the goal constraints can be  
plotted on the graph

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Q3 Improving Time-cost Balance in critical path method (CPM) using Dragonfly Algorithm!

Ans Abstract: The CPM method is used for searching the huge path to do required activities for searching the huge path to do required activities for compressing and clamping back the time it takes for a project which finally ends up inside the creation of an identical and intensive

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network analysis can provide project management with a continental tools.

## Introduction:

critical path methodology is a programming methodology which replace all the various interaction, communication and deflect a path with in a kind of project network diagram.

The CPM methodology is to searching out the largest path to doing activities hence compressing and deduction of time which takes for a project that ends inside the creation of an even deep network of presidency activities inside the targeted surroundings. It is required to calculate the time it takes.



to complete for whole project consisting  
a quantity of times which spent  
performing all the specified interaction  
on the route with respect to a  
number of essential conditions.

### Research hypothesis:

This type of methodology  
use only a rule among many  
specified algorithm rules to simulate  
The calculation of the largest path,  
so minimum time is required to  
do a work from dragonflies  
algorithm and the result can be  
checked. The result of the papers  
show that each of the planned  
dragonfly algorithms benefits from  
high exploration due to programmed  
static swarming behaviour of  
dragon flies.

Literature reviews: critical path method in  
the past, many authors have succeeded  
in the exploiting CPM to calculate times  
resources and value requiring for  
projects and events. It is very important  
that creates notices. The simplest things  
and perform tasks in group. It is  
obvious that they have to be evolved over  
centuries to figure out such best  
and economical behaviours. A formula  
is projected the noted properties  
be no gift theorem perform the  
motivated of the job to propose  
to optimize. so this formula may  
go completely specified algorithms  
on some problems that have  
not been solved to this point.  
It is formula that have capability  
to use and implement through it

this paper to spice up important path methodology work notice activities which minute quantity expensive and time consuming then select the firmest time and economical route for the project

CPM:- formulation:- In the classic CPM analysis the very beginning time a time number 99, the advance stating time LS, the earliest and time EF, the ~~last~~ latest end time radio frequency and total float time should be documented for each activity. The critical of an activity will be find supported if. A true project might compare many distinct activities to reveal the implicit schedule risk of every activity and of the total projects.

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The simulation may have to be run many times.

## Research Methodology:-

$$E_i = \bar{x} + x_i$$

where "x" is the position of

current individual

↳ "x" shows the position of the energy.

Situational vectors are calculated by

$$x_{t+1} = x_t + \Delta x_{t+1}$$

where t is repetition.

• coherence and solidarity

$$C_i = \sum_j^n = \frac{1}{N} \sum_j x_j - x$$

x = current position

x<sub>j</sub> = position of year based on the

• setting

$$A_i = \sum_j^n = \frac{1}{N} \sum_j v_j$$

$$K_{t+1} = \begin{cases} -v_i & \delta \leq T \quad (\Delta v_{t+1}) \\ v_i & \delta \geq T \quad (\Delta v_{t+1}) \end{cases}$$

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Results.

