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IQRA National University, Peshawar
Department of Electrical Engineering



Summers

Course Code: EEE342 **Course Title:** Electrical Machines
Prerequisite: Circuit Analysis **Instructor:** Engr. Sanaullah Ahmad
Module: 8th **Program:** BEE **Total Marks:** 30 **Time Allowed:** _____

Note: 1) Attempt all questions.
2) Calculators borrowing/exchange is prohibited.

	(b)	A square ferromagnetic core has a mean path length of 55cm and a cross-sectional area of 150cm^2 . A 200 turn coil of wire is wrapped around one leg of the core. The core is made of a material having magnetization intensity (H) 115 A. turns/m. Find: a. How much current is required to produce 0.012 Wb of flux in the core? b. What is the core's relative permeability at that current level? ($4\pi \times 10^{-7}\text{H/m}$) c. What is its reluctance?	Marks 10 CLO 2
Q2	(a)	Derive Voltage and Impedance relationship with turn ratio for an ideal transformer?	Marks 10 CLO 1
Q3	(a)	Define power factor? Differentiate between Real, Apparent and reactive powers?	Marks 10 CLO 1

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Subject - Electrical Machine

Teacher: - Eng Sir Sanauallah

Date - 21-08-2020

Q: No: 01

Solution:-

The required flux density in the core is

$$B = \frac{\phi}{A} = \frac{1.012}{0.015}$$

$$= 0.8 \text{ T}$$

The required magnetizing intensity is $H = 115 \text{ A.turns/m}$

The magnetomotive force needed to produce this magnetizing intensity is:

$$F = Ni = Hl_c = 115 \times 0.55$$

$$= 63.25 \text{ A.turns}$$

So the required current is:

$$i = \frac{F}{N} = \frac{63.25}{200}$$

$$= 0.316 \text{ Amp}$$

• The core's permeability at this current is:

$$\mu = \frac{B}{H} = \frac{0.8}{115} =$$

$$= 0.00696 \text{ H/m}$$

• Therefore, the relative permeability is:

$$\mu = \frac{\mu}{\mu_0} = \frac{0.00696}{4\pi \times 10^{-7}}$$

$$= 5540$$

• The reluctance of the core is:

$$R = \frac{F}{\phi}$$

$$= \frac{63.25}{0.012}$$

$$= 5270 \text{ A-turns/Wb}$$

Q : No : 3

Power Factor :-

Power factor is the ratio of the actual electrical power dissipated by an AC circuit to the product of the r.m.s values of current and voltage.

OR

The ratio of the real power observed by the load to the apparent power flowing in the circuit and is a dimensionless number in the close interval of -1 to 1 .

Real Power :-

The power which is actually consumed or utilized in an AC circuit is called true power or active or real power. It is measured in KW watt.

Active power is the real power consumes by the load.

Apparent power:-

The combination of reactive power and true power is called apparent power and it is product of a circuit voltage and current without reference to phase angle.

Apparant power measured in unit of volt . Amp (VA)

Reactive Power:-

Reactive power is the product of voltage and current and the sine of the angle between them.

Reactive power is measured in VAR.

Q: NO: 02

Voltage and Impedance relationship with turn ratio for ideal transformer.

Voltage:-

For the ideal transformer, all the flux is confined to the iron core and thus links the primary and secondary.

$$E_{RMS} = 4.44 f N \phi_{max} =$$

$$4.44 f N B_{max} A_c$$

↓

$$E_p = 4.44 f N_p \phi_{max}$$

$$E_s = 4.44 f N_s \phi_{max}$$

↓

$$\frac{E_p}{E_s} = \frac{N_p}{N_s} = a$$

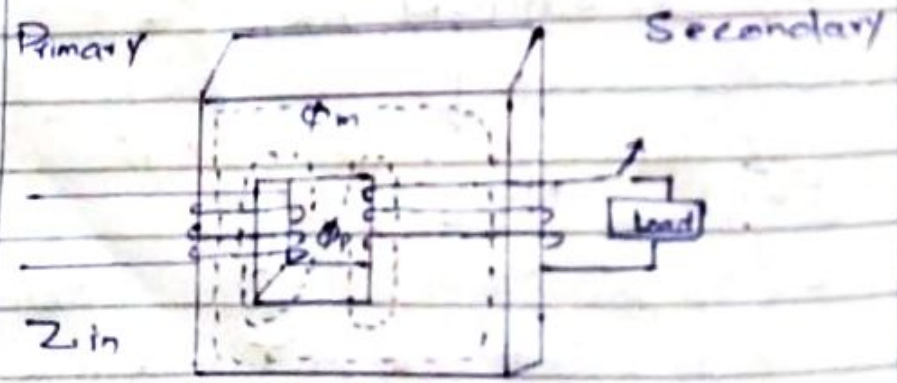
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Turn Ratio

For step down transformer,
 the primary side has
 more turns than
 secondary therefore $a > 1$;

For step-up transformer,
 the primary side has
 fewer turns than secondary
 therefore $a < 1$;

Impedance:

Due to the fact
 that the transformer
 changes the voltage and
 current levels in opposite
 directions, it also changes
 the apparent impedance
 as seen from the two
 sides of the transformer.



Ohm's law
 applied at load =

$$Z_L = \frac{V}{I}$$

$$\text{Recollect : } \frac{I_P}{I_S} = \frac{V_S}{V_P} = \frac{N_1}{N_2}$$

$$= \frac{1}{a}$$

The reflected (referred) impedance
(the impedance looking into
the primary side of the
transformer)

$$Z_L = \frac{V_P}{a I_P} = \frac{V_P}{a^2 I_P} = \frac{Z_{in}}{a^2}$$

$$\rightarrow Z_{in} = a^2 Z_L$$

When we move an impedance
from the secondary to the
primary side of the transformer
we multiply by turn ratio
squared. When moving the impedance
from primary to secondary

We divide it by the turns ratio squared.

The process is called referring the impedance to the side we move it, and allow us to use transformers to match impedance between a source and a load.