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Question No 1

Part : a

Speed control Method of DC Motor.

speed control of a DC motor is either done manually by the operator or by means of an automatic control device. This is different to speed regulation, where the speed is trying to be maintained (or regulated) against the natural change in speed due to a change in the load on the shaft.

~~The speed of a DC motor~~
~~is equal to~~
The speed of the DC motor have 3-types.

- shunt, series and compound.

It can be controlled by changing the quantities on the right-hand side of the below equation:

$$E_b = V - I_a R_a$$
$$N \propto \frac{V - I_a R_a}{\Phi}$$

So hence the speed can be varied by changing

(1) The terminal voltage of the armature, V .

(2) The external resistance in armature circuit, R_a .

(3) The flux per pole, Φ

• Speed control is intentional change in speed of motor

It is different from concept of speed regulation where there is natural ~~motor~~ change in speed due to loading and unloading of shaft.

Speed change is done manually or by automatically control devices

EMF Equation:

$$E_b = \frac{P \Phi N Z}{60 A}$$

$$N = \frac{E_b 60 A}{P \Phi Z}$$

but, for a DC motor A , P and

Z are constants

Therefore, $N \propto K E_b / \phi$ (where, K_p const)

This shows the speed of a DC motor is directly proportional to the voltage applied, Armature current and Armature Resistance and inversely proportional to the flux per pole.

Method of speed control of DC series motor

Field Divertor Method:

⇒ In this method, a low value resistance (Divertor) is connected across the field as shown in the below figure [A variable resistor connected in parallel with the series-wound field to control speed is called a divertor]

⇒ By adjusting the divertor resistance, any desired amount of current can be passed through the divertor.

⇒ So the flux can be decreased, consequently the speed of the motor is increased.

⇒ In this method, the speed can be controlled only above normal speed.

→ This method uses a diverter. Here the field flux can be reduced by shunting a portion of motor current around the series field. Lesser the diverter resistance less is the field current, less flux therefore more speed.

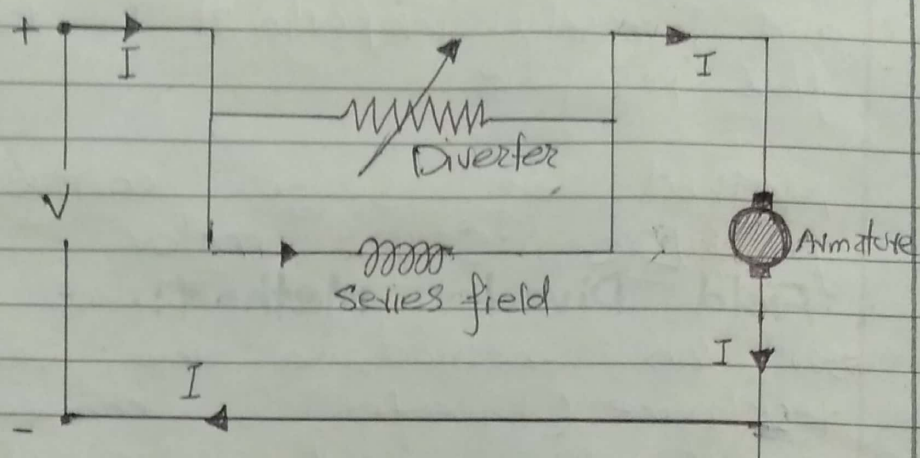


Figure - field diverter Method

Speed control of DC shunt motor:

In this method, speed variation is accomplished by means of a variable resistance inserted in series with shunt field. An increase in controlling resistances reduces the field current with a reduction in flux and an increase in speed. This method of speed control is independent of load on the motor.

we know that the speed of shunt motor is given by

$$N = \frac{V_a - I_a R_a}{K \Phi}$$

where, V_a is the voltage applied across the armature.

N is the rotor speed and Φ is the flux per pole and is proportional to the field current I_f . As explained earlier, armature current I_a is decided by the mechanical load present on the shaft. Therefore, by varying V_a and I_f we can vary n . For fixed supply voltage and motor connected as shunt vary by controlling an external resistance connected in series with the armature. I_f of course can be varied by controlling external field resistance R_f connected with the field circuit. Thus for shunt motor we have essentially two methods for controlling speed, namely by

- ① varying Armature Resistance
- ② varying Field Resistance

Speed of a Shunt Motor.
speed of a shunt motor can be changed by:

- ① Flux control Method
- ② Armature control Method.
- ③ Ward Leonard system (voltage control method)

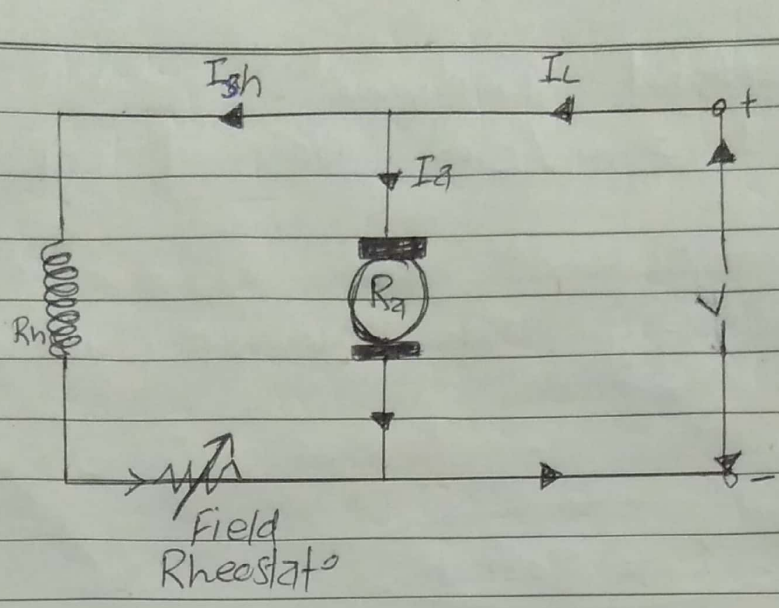
Method of speed control of DC shunt motor

Flux control Method:

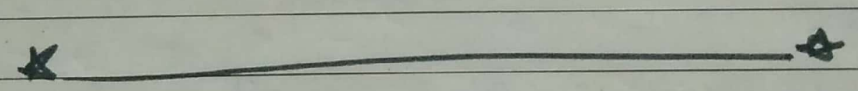
In this method, the magnetic flux due to the field windings is varied in order to vary the speed of the motor. As the magnetic flux depends on the current flowing through the field winding, it can be varied by varying the current through the field winding.

→ In this method, a variable resistance (known as shunt field rheostat) is placed in series with shunt field winding as shown:

→ An increase in controlling resistances reduced the field current with a reduction in flux and an increase in speed.



- (i) This is an easy and convenient method.
- (ii) It is an inexpensive method since very little power is wasted in the shunt field rheostat due to relatively small value of I_{sh} .



Question # 1

Part D

Given Data:

In equation for DC generator we know the following data.

Number of conductor = $Z = 480$
emf induced per conductor = 2.2 V
Number of poles for DC generate = $P = 8$
current per conductor = $I_c = 100 \text{ A}$

Finding value:

$E =$ total terminal voltage = ?
 $I =$ output current = ?
 $P_g =$ Power generation for Lap & wave = ?

Solution:

We know that $A = P$ for parallel path so
 $A = 8$ according to the given data

equation of emf total
$$\text{emf total} = \phi \text{ emf induced} \times \frac{\text{No. of conductor}}{\text{No. of Poles}} \quad \text{①}$$

putting the value in equation ①

we get

$$\text{emf total} = \frac{2.2 \times 480}{8}$$

$= 132 \text{ V}$

$$\text{current Induced} = c \cdot I$$
$$c \cdot I = I_c \times \text{No. of Poles} \rightarrow (2)$$

(I_c) = current Per conductor
putting the value in equ (2)
we get
 $= 100 \text{ A} \times 8 = 800 \text{ A}$

$$c \cdot I = 800 \text{ A}$$

Power Generation

Now we can calculate
the power generation (P_g) = ?

$$P = V \times I \rightarrow (3)$$

putting the value in equ (3)
we get.

$$P = 800 \text{ A} \times 132 \text{ V}$$

$$P = 105 \text{ KW}$$

EMF for Lap winding

we know that $A = 2$
So according to the
equ (1) putting the values
we get

$$emf = 2.2 \times \frac{480}{2}$$

$$= 528 \text{ volts}$$

Question No 2

(Part a)

Torque and Armature current Relationship:

We know that torque is directly proportional to the product of armature current and field flux, $T_a \propto \Phi$.

In DC series motors, field winding is connected in series with the armature, i.e. $I_a = I_f$. Therefore, before magnetic saturation of the field, flux Φ is directly proportional to I_a .

Equation

$$P_e = P_m$$

P_e = Electric power

P_m = mechanical power

$$P_e = E_a I_a \text{ as } (E_a = E_b + I_a R_a) \text{ KVL}$$

$$P_e = (E_b + I_a R_a) I_a$$

$$P_e = E_b I_a + I_a^2 R_a \text{ (as dissipate in form of heat)}$$

$$P_e = E_b I_a$$

Now

$$P_m = T_g W :: T_g \text{ (Torque in N.M) and } W \text{ (angular speed in rad/sec)}$$

$$1 \text{ radian} = 1 / 2\pi \therefore \text{In RPM} = N \cdot 2\pi / 60$$

$$\rightarrow = \text{rad/sec}$$

$$P_m = T_g N 2\pi / 60$$

$$P_m = P_e$$

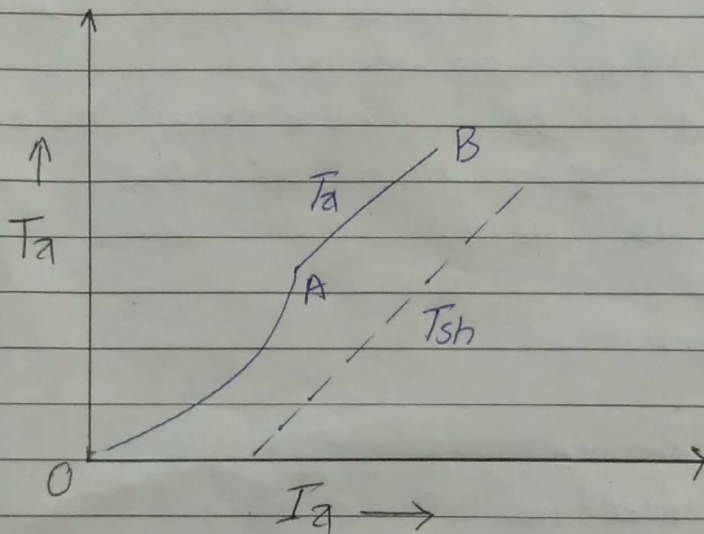
$$T_g N 2\pi / 60 = E_b I_a$$

$$E_b = \frac{P \cdot \Phi \cdot Z \cdot N}{60 \cdot A}$$

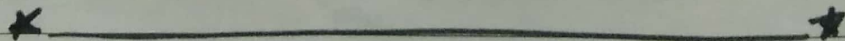
$$T = \frac{P \cdot Z \cdot \Phi \cdot I_a}{2 \cdot \pi \cdot A}$$

Hence T_g is directly proportional to I_a .

Figure:



⇒ Relation between torque and Armature current.



Question No 2

Part : b

Basis for comparison	Lap winding	Wave winding
(1) Refination	The coil is lap back to the succeeding coil	The coil of the winding form the wave shap.
(2) connection	The end of the armature coil is connected to an adjacent segment on the commutators	The end of the armature coil is connected to commutator segments some distance apart.
(3) Parallel Path	The numbers of parallel path are equal to the total of number Poles	The number of parallel paths is equal to two.
(4) other Name	Parallel winding or multiple winding	Two circuit or series winding
(5) EMF	Less	More
(6) Number of Brushes	Equal to the number of parallel path	Two
(7) Types	simplex and Duplex lap winding	Progressive & Retrogressive wave winding
(8) Efficiency	Less	High
(9) Additional coil	Equalizer Ring	Dummy coil

Basis for comparison

Lap winding

Wave winding

(i) winding cost

High (because more conductor is required)

Low.

(ii) uses

In low voltage, High current machine

→ In high voltage, low current machines.