

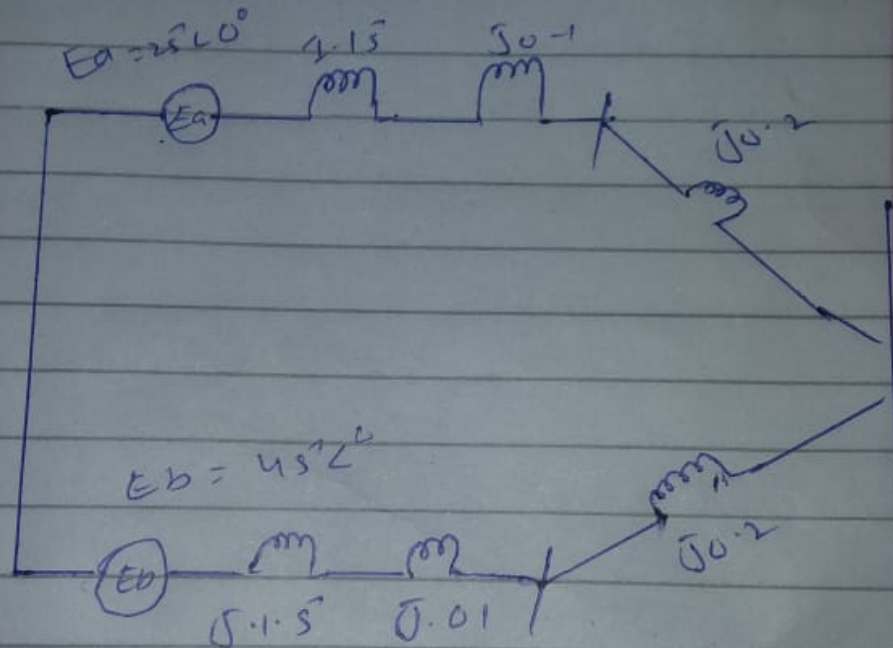
Q1

Ans

$$E_a = 2.5 \angle 0^\circ$$

$$E_b = 4.5 \angle 0^\circ$$

\Rightarrow In per unit



$$I_1 = I_2 = \frac{2.5 \angle 0^\circ}{j0.2}$$

$$I_2 = \frac{4.5 \angle 0^\circ}{j0.2}$$

$$\begin{array}{c|ccc|c} V_1 & Z_{11} & Z_{12} & Z_{13} & I_1 \\ V_2 & Z_{21} & Z_{22} & Z_{23} & I_2 \\ V_3 & Z_{31} & Z_{32} & Z_{33} & I_3 \end{array}$$

$$V_1 = Z_{11}I_1 + Z_{12}I_2 + Z_{13}I_3 \text{---(1)}$$

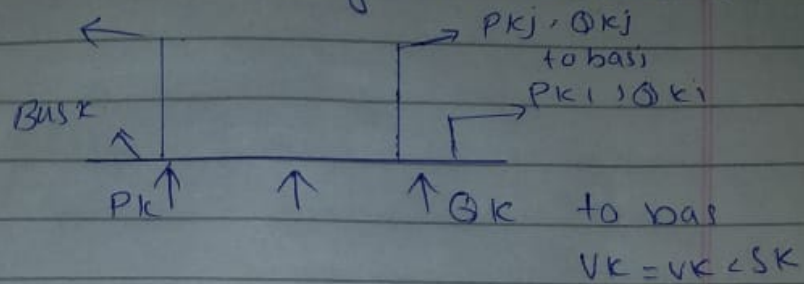
$$V_2 = Z_{21}I_1 + Z_{22}I_2 + Z_{23}I_3 \text{---(2)}$$

$$V_3 = Z_{31}I_1 + Z_{32}I_2 + Z_{33}I_3 \text{---(3)}$$

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Similarly reactive power injection
is $Q_k = Q_{Gk} - Q_k$

Then the diagram becomes as



→ Now will say the injection
into the 11 kv busbar
rather saying the generation
and loads. If a particular
busbar there is no
generation input and only
load is connected then
the injection to that 11 kv
busbar will be

$$\begin{aligned} P_k &= 0 - P_k \\ P_k &= -P_{Lk} \end{aligned}$$

$$\begin{aligned} Q_k &= 0 - Q_{Lk} \\ Q_k &= -Q_{Lk} \end{aligned}$$

So load can be considered
as negative injection

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$$P_k + jQ_k = V_k \sum_{n=1}^N Y_{kn} V_n e^{j(\delta_k - \delta_n - \theta_{kn})}$$

∴ All angles δ_k with V_k
 δ_n with V_n
 θ_{kn} with Y_{kn}

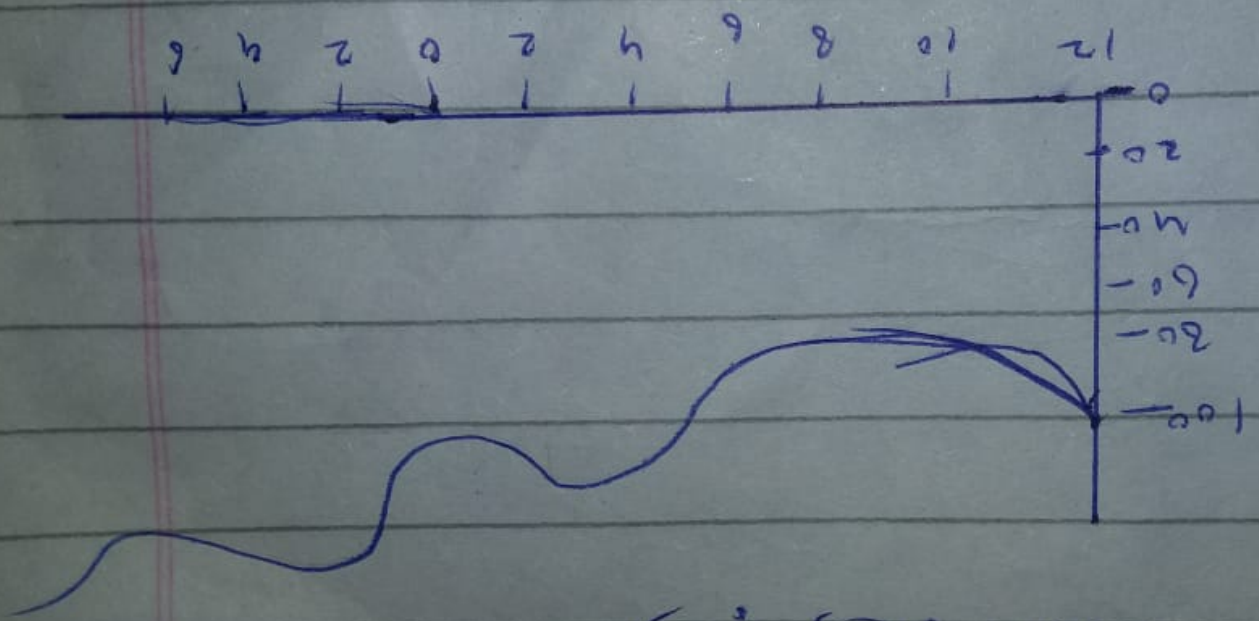
all Negative b/c of conjugates
We can separate out the
real & imaginary parts. Then
we can write the real
power injection into Bus k
as

$$P_k = V_k \sum_{n=1}^N Y_{kn} V_n \cos(\delta_k - \delta_n - \theta_{kn}) \quad \text{Eq (4)}$$

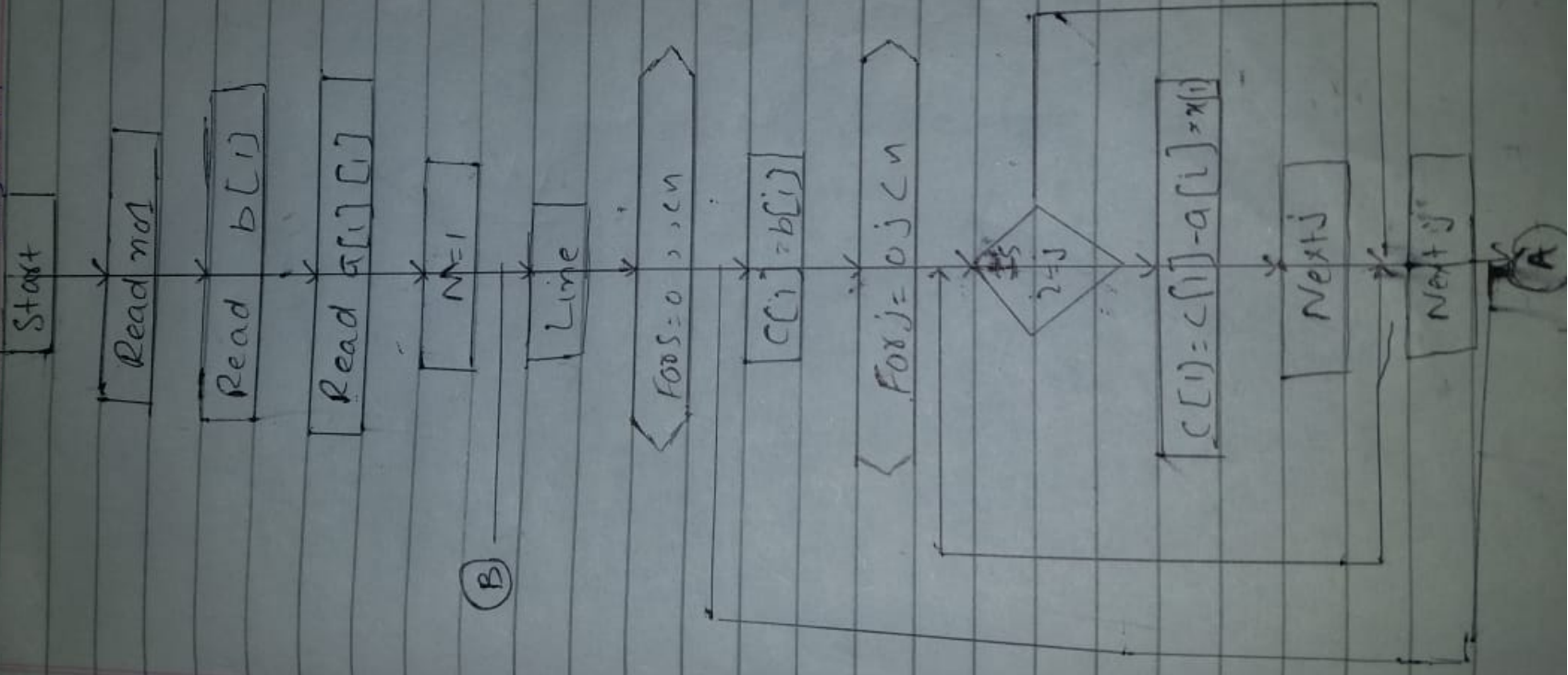
Similarly the reactive power
injection is

$$Q_k = V_k \sum_{n=1}^N Y_{kn} V_n \sin(\delta_k - \delta_n - \theta_{kn}) \quad \rightarrow \text{Eq (5)}$$

So we can see that these
injection is related to the
voltage magnitude and
angle at remain bus bar,
Eq (4) and (5) is said as
The power flow equation
for the power network



Load Curves :->



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Also

$$I_k = \sum_{n=1}^N y_{kn} v_n \text{ or}$$

$$I_k = y_{k1} v_1 + y_{k2} v_2 + \dots + y_{kN} v_N$$

From the above eq

$$v_k = \frac{1}{y_{kk}} \left[I_k - \left(\sum_{n=1}^{k-1} y_{kn} v_n + \sum_{n=k+1}^N y_{kn} v_n \right) \right]$$

or

$$v_k = \frac{1}{y_{kk}} \left[\frac{p_k - j\omega k}{v_k^*} - \left(\sum_{n=1}^{k-1} y_{kn} v_n + \right. \right.$$

$$\left. \sum_{n=k+1}^N y_{kn} v_n \right)$$

where $k = 1, 2, \dots, N$

Q.5)

Ans → This is the first interactive method to find out power flow evaluation for this method we again start with the basic of network evaluations for this we again start with basic of network evaluation

i.e. $I_{Bus} = Y_{Bus} V_{Bus}$
 and for any particular bus

$$I_k = \sum_{n=1}^N Y_{kn} V_n$$

the complex power

$$S_k = P_k + jQ_k = V_k I_k^*$$

$$P_k + jQ_k = V_k \left[\sum_{n=1}^N Y_{kn} V_n \right]^*$$

where $k = 1, 2, \dots, N$

From complex power

$$I_k = \frac{P_k - jQ_k}{V_k}$$

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Bus bars Y_{Bus} is the matrix of x admittance and V_{Bus} is the voltage phasor at the busbar of k_L power system

\rightarrow For a particular busk we can write the equation as,
$$I_k = \sum_{n=1}^N Y_{kn} V_n \quad \text{--- (2)}$$

where N = no of busbar Y_{kn} = admittance of the kn element

V_n = voltage phasor at bus n

From equation we can write the complex power injection at bus bar k is $S_k = P_k + jQ_k$

$$= V_k I_k \quad \rightarrow \quad \text{(3)}$$

Now we know the value of

I_k from eq (2) substitute

$$I_k \text{ in eq (3)} \quad P_k + jQ_k = V_k \sum_{n=1}^N Y_{kn} V_n$$

where $k = 1, 2, \dots, N$

V_n is a phasor, which angle $V_n = V_n e^{j\delta_n}$

and $Y_{kn} = Y_{kn} e^{j\phi_{kn}}$, $k, n = 1, 2, \dots, N$

Substituting V_n and Y_{kn} values in eq (3)

Q (14)

Ans:-> There is one problem in doing Power Flow Solution that we cannot know all the generations. All the load are known to us but generation are in our control and one can say that all generation know to us. But there is one problem. The problem is still all the generation are available we don't know what is the loss in the system since we cannot know the loss in the system we cannot know how much generation because the sum of load and the no of losses must be generation.

Solution:-> To overcome the we chose one bus as a reference bus which takes up all these losses which can find after solution

P.T.O ~~~>

So at one bus we cannot

specify the generation

generally this is a bus which

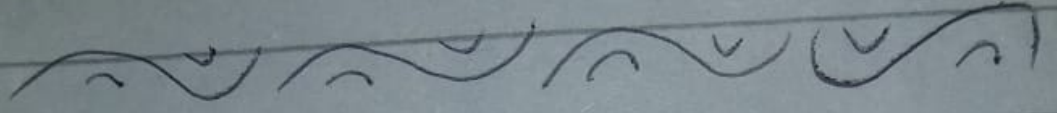
have very large generation

available so that there will

be no problem for it

to take a losses this bus

is power system terminology
is called a slack bus



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From the diagram we see that we have three lines one going to 11 kv busbar 2nd to j and the 3rd one to m. these lines will carry the power P_{ki} , Q_{ki} to bus i, P_{kj} , Q_{kj} to bus j and P_{km} , Q_{km} to bus m

\Rightarrow Some of these power may be in the reverse direction i.e. bus k, in that case the value of P_{kj} , Q_{kj} will be negative.

$$\text{So } P_k = P_{ki} + P_{kj} + P_{km}$$
$$Q_k = Q_{ki} + Q_{kj} + Q_{km}$$

\therefore Real and Reactive power is equal to the algebraic sum of P, & Q power going out

Power Flow evaluation \Rightarrow we showed that power flow equations are coming from the network equation

i.e. $I_{\text{Bus}} = Y_{\text{Bus}} V_{\text{Bus}}$ (1)
when I_{Bus} is the vector of current injection into the P. to \rightarrow

Q3

Ans → A 10 kW generator is connected which injects P_{Gk} to the 11 kV Busbar

→ A 20 kW load is connected which takes P_{Lk} from the 11 kV Busbar. This 11 kV busbar is connected to other busbar i.e. to bus i and on through lines. The voltage at 11 kV busbar is V_k where V_k is equal to the magnitude V_k and the angle θ_k

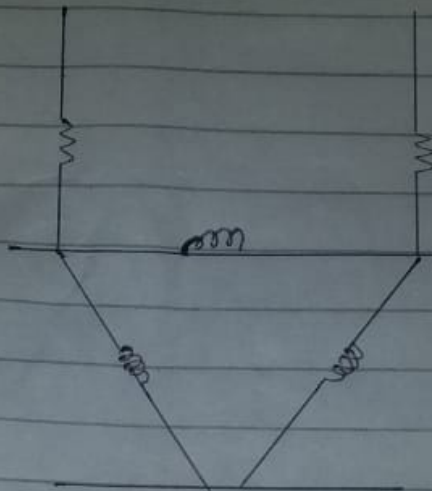
→ One thing we see that injects P_{Gk} and θ_{Gk} while load takes P_{Lk} and θ_{Lk} from the busbar then we can take the algebraic sum of generation and load i.e. subtract the loads from the generation

$$P_{net} = P_k - P_{Gk} - P_{Lk}$$

∴ Real power injection

P.T.O →

Q-2



Z bas

$$Z_{bas} = Y_{bas}$$

$$Z_{bas} = \begin{bmatrix} Z_{11} & Z_{12} & Z_{13} \\ Z_{21} & Z_{22} & Z_{23} \\ Z_{31} & Z_{32} & Z_{33} \end{bmatrix}$$

