

Answer 1

- Spacing of Conductors, $d = 2m = 200cm$
- Radius of Conductor, $r = 1.2/2 = 0.6cm$
- Loop Inductance Per meter length of the line = $10^{-7}(1+4 \log_e d/r) H$
- $= 10^{-7}(1+4 \log_e 200/0.6) H = 24.23 \times 10^{-7} H$
- Loop Inductance Per km of the line = $24.23 \times 10^{-7} \times 1000 H$
- $= 24.23 \times 10^{-4} H$
 $= 2.423 mH$

Answer 2

Spacing of Conductors, $d = 300cm$

Radius of Conductor, $r = 1cm$

Loop Inductance = 10

$-7 (H) + 4 \log_e d/r H/m$

(i) with Copper Conductors, $\mu_r = 1$

\therefore Loop Inductance/m = 10

$-7 (1+4 \log_e d/r) H = 10$

$$-7(1+4 \log_e 300/1)H = 23.8 = 10^{-7}H$$

$$\text{Loop Inductance/km} = 23.8 = 10$$

$$-7 \times 1000 = 2.38 = 10$$

$$-3H = 2.38 \text{ mH}$$

(ii) with Steel Conductors. $\mu I = 100$

$$\therefore \text{Loop Inductance/m} = 10$$

$$-7(100+4 \log_e 300/1)H = 122.8 \times 10^{-7}H$$

$$\text{Loop Inductance/km} = 122.8 \times 10$$

$$-7 \times 1000 = 12.28 \times 10$$

$$-3H = 12.28 \text{ mH}$$

Answer 4

Fig. 10.7 Shows the single diagram of the transmission system here the voltage drop will be due to the impedance of transmission line and also due to the impedance of transformer

$$\text{Resistance each conductor} = 20 \times 0.4 = 8 \Omega$$

$$\text{Reactance of each conductor } 20 \times 0.5 = 10 \Omega$$

Let us transfer the impedance of transformer
 Secondary to high tension side i.e 33kV Side
 Equivalent resistance of transformer referred to
 33kV Side

$$= \text{Primary resistance} + 0.35 \left(\frac{33}{6.6} \right)^2$$

$$= 7.5 + 8.75 = 16.25 \Omega$$

Equivalent reactance of transformer referred
 to 33kV Side

$$= \text{Primary reactance} + 0.65 \left(\frac{33}{6.6} \right)^2$$

$$= 13.2 + 16.25 = 29.45 \Omega$$

Total resistance of line and transformer is

$$R = 8 + 16.25 = 24.25 \Omega$$

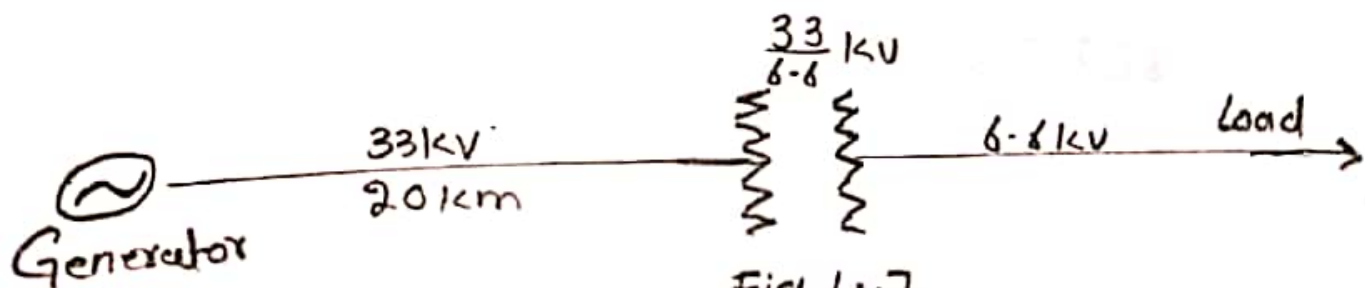


Fig 10.7

Total reactance of line and transformer is

$$X_L = 10 + 29.45 = 39.45 \Omega$$

Receiving end Voltage Per Phase is

$$V_R = \frac{33,000}{\sqrt{3}} = 19052 \text{ V}$$

Line Current

$$I = \frac{2000 \times 10^3}{\sqrt{3} \times 33000} = 35 \text{ A}$$

Using the approximate expression for Sending end Voltage V_S Per Phase.

$$V_S = V_R + IR \cos \phi_R + IXL \sin \phi_R$$

$$= 19052 + 35 \times 24.25 \times 0.8 + 35 \times 39.45 \times 0.6$$

$$= 19052 + 679 + 828 = 20559 \text{ V} = 20.559 \text{ KV}$$

Sending end line voltage

$$= \sqrt{3} \times 20.559 \text{ KV} = 35.6 \text{ KV}$$

Sending end P.f $\cos \phi_S = \frac{V_R \cos \phi_R + IR}{V_S} = \frac{19052 \times 0.8 + 35 \times 24.25}{20559}$

$$= 0.7826 \text{ lag}$$

Line Losses = $\frac{3I^2R}{1000} \text{ kW} = \frac{3 \times (35)^2 \times 24.25}{1000} = 89.18 \text{ kW}$

Output Power = $2000 \text{ kVA} \times 0.8 = 1600 \text{ kW}$

\therefore Transmission efficiency = $\frac{1600}{1600 + 89.12} \times 100 = \frac{1600}{1689.12} \times 100 = 94.72\%$

Answer 5

$$r = \frac{1.956}{2} = 0.978 \text{ cm}$$

$$E_0 = \frac{30}{\sqrt{3}} = 21.2 \text{ (x.m.s)}$$

$$m_0 = 1 \text{ (Smooth Conductor)}$$

$$\delta = 1 \text{ (standard pressure and temperature)}$$

$$V_0 = 21.1 m_0 \delta r \ln \frac{d}{r}$$

$$\text{Disruptive Voltage/Phase} = \frac{210}{\sqrt{3}} = 121.25 \text{ kV}$$

$$\therefore 121.25 = 21.1 \times 1 \times 1 \times 0.978 \times \ln \frac{d}{r}$$

$$\ln \frac{d}{r} = 5.84 \Rightarrow d = 34 \text{ cm}$$

Answer 3

A long transmission line can be considered to comprise a considerably high amount of capacitance and inductance distributed across the entire length of the line. Ferranti Effect occurs when current drawn by the distributed capacitance of the line itself is greater than the current associated with the load at the receiving end of the line (during light or no load).

The Capacitor Charging Current leads to a voltage drop across the line inductor of the transmission system which is in phase with the sending end voltage. This voltage drop keeps on increasing additively as we move towards the load end of the line and subsequently the receiving end voltage tends to get larger than applied voltage leading to the phenomena called Ferranti effect in power system.