## HAMMAD PIR <br> 6961 <br> THEORY OF AUTOMATA

Q1) Keeping in the view the kleems theorem. Proof for any language S?

Ans: $\mathrm{S}^{+}=\left(\mathrm{S}^{+}\right)^{+}$
$S=(a b)$
$S=(a b a a b b b$ ba aaa aab aba abb bbb bba bab baa ....)

$\left(S^{+}\right)^{+}=(\mathrm{a} \mathrm{b} \mathrm{aa} \mathrm{ab} \mathrm{bb} \mathrm{ba} \mathrm{aaa} \mathrm{aab} \mathrm{aba} \mathrm{abb} \mathrm{bbb} \mathrm{bba} \mathrm{bab} \mathrm{baa...)}$.
Here $\left(\mathrm{S}^{+}\right)^{+}$gives all those string which are gained concatenation of the string of $S^{+}$.

So it is proved that $\mathrm{S}^{+}=\left(\mathrm{S}^{+}\right)^{+}$.

Q2) How many words does $S^{*}$ will have of length 34 and 5 if

$$
S=\{a b \quad b a\}
$$

(Design S* AND then write answer of the basis of the word $\mathbf{S}^{*}$ )?
Ans: $S=\left\{\begin{array}{ll}a b & b a\end{array}\right\}$
$S^{*}=\{\wedge$ ab ba abab abba baba baab ababab abbaab abbaba bababa babaab

Baabba baabab abababab ........Babababa .......
So Total words of length $3=0$
Total words of length $\quad 4=4$
Total words of length $\quad 5=0$

## Q3) Fill in the blanks .

1. A dictionary is assigned in alphabetically order.
$2 .+$ is caled 1 more order.
2. $*$ is called $\mathbf{0} /$ more instance.
3. ? Is called $\mathbf{0 / 1}$ instance.
4. A formal languge is game of Symbols on paper.
5. $\wedge$ is included in Kleene closure.
6. Refer is word whose reserved is equal to itself.
7. Concatination is an operation in which symbols are placed side by side.
8. $\{a, b\}=\{b, a\}$ for reverse operation.
9. Two words having same symbols is same orders are called Lexicographical Order.
