

Name: Ivbad Hussain

Id: 13690

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Q1 (a)

Ans:

For best performance in a wireless environment, it is key that wireless devices are able to distinguish received signals as legitimate information they should be listening to & ignore & background signals on the spectrum. there is a concept known as the signal to noise ratio or SNR, that ensures the best wireless.

functionally, the SNR is the difference between the received wireless signal and the noise floor. the noise floor is simply erroneous background transmissions that are emitted from either other devices that are too far away for the signal to be intelligible, or by devices that are inadvertently creating interference on the same frequency.

For example:

if a client device's radio receives a signal at 75dBm and the noise floor is 90dBm then the effective SNR is 15dB. this would then reflect as a signal strength of 15dB for this wireless connection.

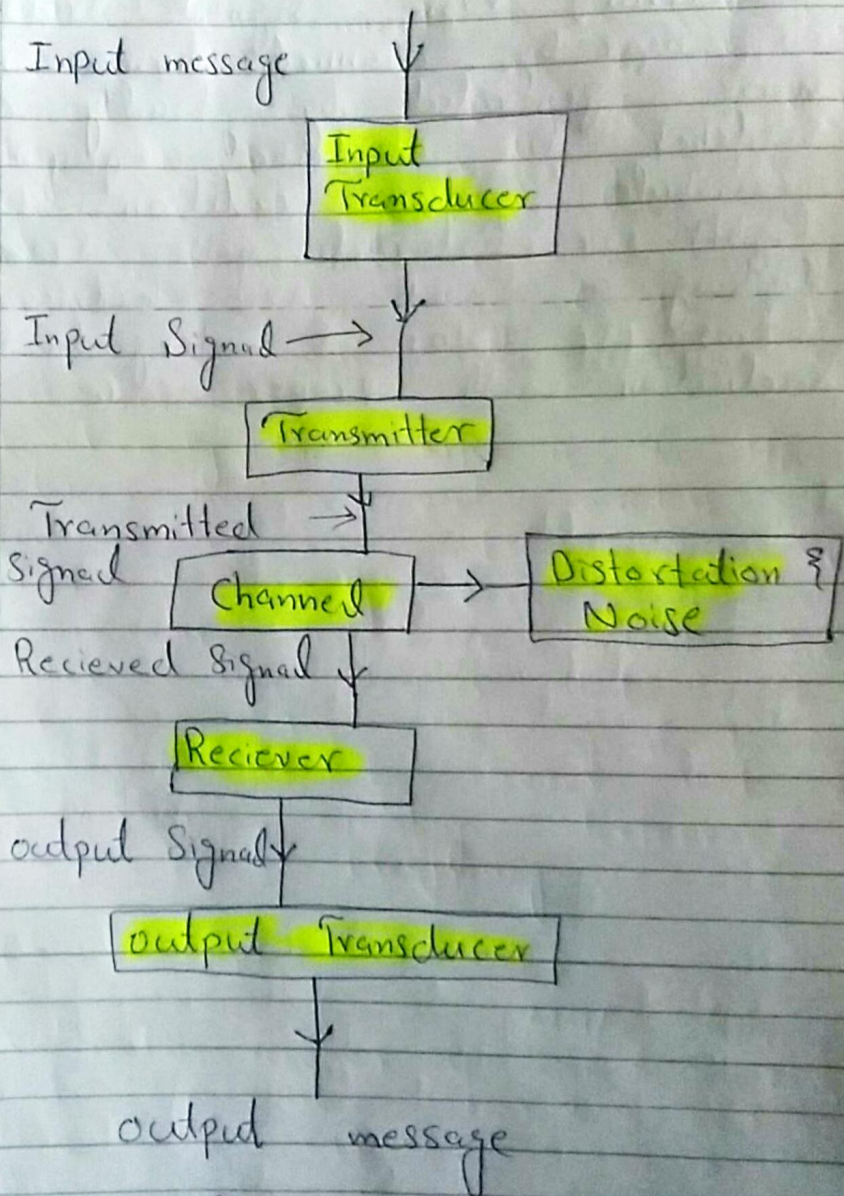
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Q 1 (b)

Ans: Block diagram:



The signal is not only distorted by the channel but it is also contaminated along the path by undesirable signals lumped under the broad term

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noise, which are random and unpredictable signals from causes external & internal. External noise includes interference from signals transmitted on near by channels, human-made noise generated by faulty contact switches for electrical equipment automobile ignition radiation, fluorescent lights or natural noise from lightning. as well as electrical storms & solar & intergalactic radiation. with proper care.

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Q.1 c

Ans: When transmission distance increases the signal tend to loss, so carrier signal is added along with the message signal (to strength then the original message signal) After reaching the receiver the original signals is received by filtering or removing the carrier signal called demodulation.

Q.1 d

Ans: The world is analog even digitized is just a "convenient force" that hides the reality of its analog implementation, thus the interact with the real world, for example to send a radio signal, its generally easier to skip to Pretense for efficiency sake.

The reason for this is "baseband" digital signals dont propagate well as effeciently because their effective "radio frequency" can range from 0Hz to 10x the clock frequencies used, and radio waves have radically different propagation method and efficacies in that range. Hence we use something called "modulation" to put the signal at one narrow range of frequencies that known controllable propagation features

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Q:1 (c)

Ans:  $f(t) = C \cos(\omega t + \theta)$

This is a periodic signal with period  $T_0 = 2\pi/\omega_0$ . The suitable measure of this signal is its power. Because it is a periodic signal, we may compute its power by averaging its energy over one period  $2\pi/\omega_0$ . However for the sake of generality, we shall solve this problem by averaging over an infinitely large time interval using:

$$\begin{aligned} P_g &= \lim_{T \rightarrow \infty} \frac{1}{T} \int_{-T/2}^{T/2} C^2 \cos^2(\omega t + \theta) dt \\ &= \lim_{T \rightarrow \infty} \frac{1}{T} \int_{-T/2}^{T/2} \frac{C^2}{2} [1 + \cos(2\omega t + 2\theta)] dt \\ &= \lim_{T \rightarrow \infty} \frac{C^2}{2} \int_{-T/2}^{T/2} dt + \lim_{T \rightarrow \infty} \frac{C^2}{2T} \int_{-T/2}^{T/2} \cos(2\omega t + 2\theta) dt \end{aligned}$$

The first term on the right hand side is equal to  $C^2/2$ . Moreover, the second term is zero because the integral appearing in this term represents the area under a sinusoid over a very large time interval  $T$  with  $T \rightarrow \infty$ . This area is at most equal to the area of half the cycle because of cancellations of the +ive & -ive areas of sinusoid. The

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Second term is this area multiplied by  $C^2/2T$  with  $T \rightarrow \infty$ . clearly this term is zero.  $\xi$

$$P_g = \frac{C^2}{2}$$

this shows that a sinusoid of amplitude  $C$  has a power  $C^2/2$  regardless of the value of its frequency  $\omega$  ( $\omega \neq 0$ ) & phase. the rms value is  $C/\sqrt{2}$ . if the signal frequency is zero (dc or a constant signal) of amplitude  $C$  the reader can show that the power is  $C^2$ .

Q.2 (a)

Ans:  $S \cos 2\pi 10^6$

$$h = \frac{d}{4} = \frac{c}{4f}$$

$$S = 20 \text{ Km} \Rightarrow C = 3 \times 10^8$$

$$f = 10^6$$

put the values

$$h = \frac{c}{4f}$$

$$h = \frac{3 \times 10^8}{4 \times 10^6}$$

$$h = 75 \text{ meter}$$

$$\text{or } h = 0.075 \text{ Km}$$

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$$3 \cos 2\pi 10^3 t$$

$$h = \frac{c}{4f}$$

$$f = 10^3 \Rightarrow h = \frac{c}{4f}$$

$$h = \frac{3 \times 10^8}{4 \times 10^3}$$

$$h = \frac{3 \times 10^5}{4}$$

$$h = 75,000 \text{ meters}$$

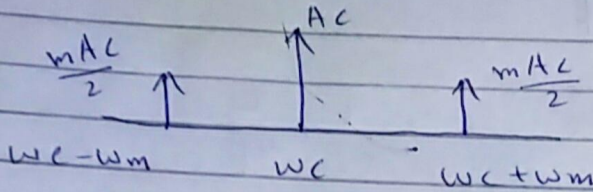
or

$$\frac{75,000}{1000}$$

$$h = 75 \text{ km}$$

Q2 (b)  
Ans

Power of AM wave:



$$x_{AM}(t) = A_c \cos \omega_c t = \frac{m A_c}{2} \left[ \cos(\omega_c - \omega_m) + \cos(\omega_c + \omega_m) \right]$$

$$x_m(t) = \pi A \left( \delta(\omega_c - \omega) + \delta(\omega + \omega_c) + \frac{1}{2} \left[ x(\omega_c - \omega_m) + x(\omega_c + \omega_m) \right] \right)$$

$$P_{\text{Power}} = P_{\text{Power}}(\text{LSB}) + P(\text{USB}) + P_c$$

$\frac{A_c^2}{4R}$                                    $\frac{A_m^2}{4R}$

$$V_c, \text{RMS} = V_c / \sqrt{2}$$

$$V_m, \text{RMS} = V_m / \sqrt{2}$$

$$P_c = \frac{V_c^2}{R} \Rightarrow \frac{V_c^2}{2R}$$

$$P_m = \frac{V_m^2}{R}$$

$$\frac{V_m^2}{R} \Rightarrow \left[ \frac{m V_c}{2} \right]^2 / R$$

$$\frac{m^2 V_c^2}{4R} \Rightarrow m^2 \cdot P_c$$



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$$P_t = P_c \left(1 + \frac{m^2}{2}\right)$$

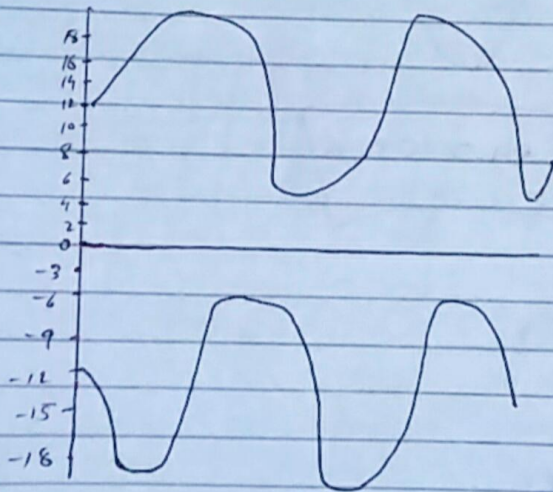
$$\text{Bandwidth} = f_H - f_L$$

$$B = (\omega_c + \omega_m) - (\omega_c - \omega_m)$$

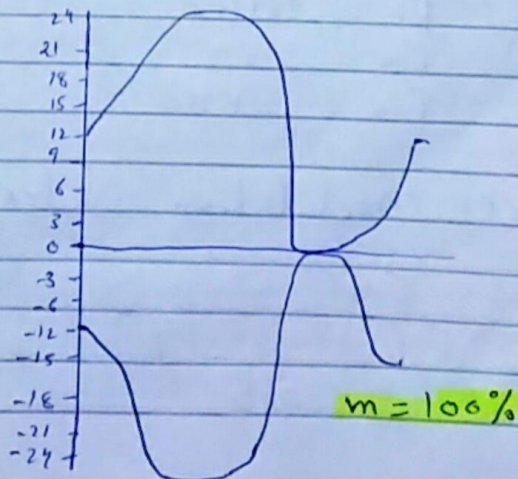
$$B = 2\omega_m$$

Q:3 (a)

Ans: (i)  $A_m = 6$   
 $A_c = 12$   
 $(A_c > A_m)$   
 $m < 100\%$



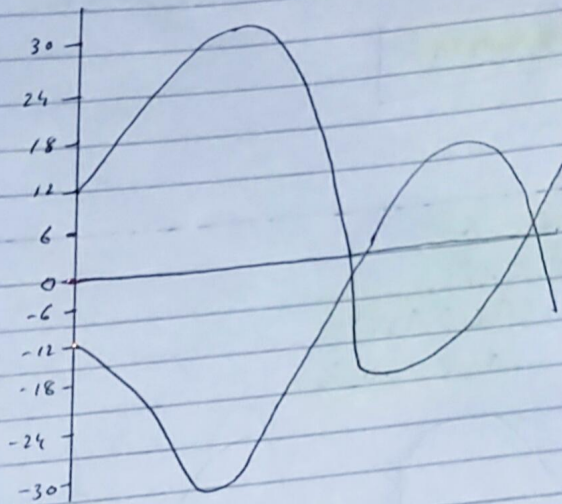
(ii)  $A_m = 12$   
 $A_c = 12$   
 $A_c = A_m$



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(ii)  $A_m = 18$   
 $A_c = 12$   
( $A_c < A_m$ )



$m > 100\%$

Q.3 (b)  
Ans:

Solution

$E_c = 7V$

$f_c = 1MHz$

$E_m = 3.5V$

$f_m = 5kHz$

(i) Modulation index

$\frac{E_m}{E_c} = \frac{3.5V}{7}$

$M = 0.5$

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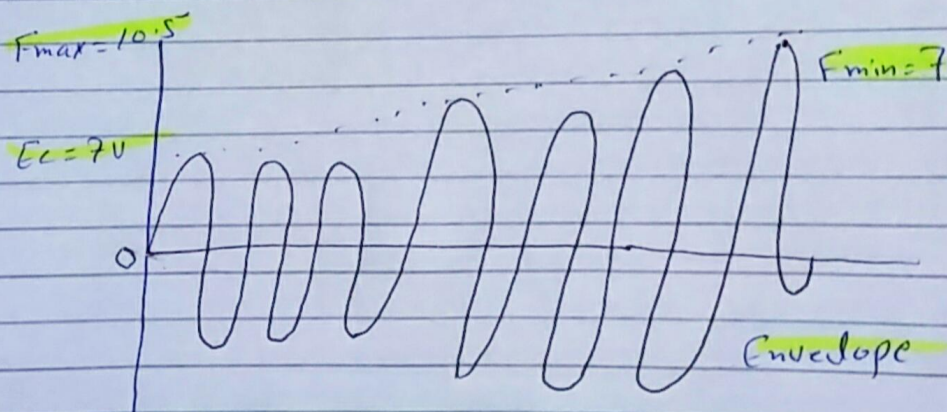
(ii) Equation for modulated wave

$$s(t) = E_c (1 + m \cos \omega_m t) \cos \omega_c t$$

$$s(t) = 7 (1 + 0.5 \cos (2\pi \times 5 \times 10^3 t)) \cos (2\pi \times 1 \times 10^6 t)$$

$$s(t) = 10 (1 + 0.3 \cos (10\pi \times 10^3 t)) \cos (2\pi \times 10^6 t)$$

(iii) The modulated waveforms



(iv) Spectrum of modulated wave.

$$\begin{aligned} f_{USB} &= f_c + f_m = 1 \times 10^6 + 5 \times 10^3 \\ &= 1000 \times 10^3 + 5 \times 10^3 \\ &= 1000 \times 10^3 + 5 \times 10^3 \\ &= 1005 \text{ KHz} \end{aligned}$$

$$f_{LSB} = f_c - f_m = 1000 \text{ KHz}$$

Each sinusoidal of AM.

$$\begin{aligned} & \frac{m}{2} \times E_c \\ &= 0.5 \times 7 \end{aligned}$$

$$= 1.75 \text{ V}$$