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Section :- A

PAPER :- fluid mechanics I

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(1)

Q No # (1) part (a)

Answer:- Total Energy Head

From Bernoulli's Principle  
the total energy at a  
given point in a fluid  
is the energy associated  
with movement of fluid  
plus energy from static  
pressure in the fluid  
fluid datum relative height  
on arbitrary datum height

OR

The sum of pressure  
head ( $\frac{p}{\rho g}$ ) velocity head  
( $\frac{v^2}{2g}$ ) and elevation  
head to is constant  
along a stream line.  
this constant is called  
total height  $H$

Forms of Energy Head:-

There  
are three types of energy

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head which are given below.

### \* Potential Head :-

it is the potential energy per unit weight. it is due to position above some datum line. pressure head + velocity head + potential head = total head.  
potential head = total head - velocity head - pressure head.

### Kinetic head :-

it represent kinetic energy of fluid it is height in feet that a flowing fluid will rise in column.

### PRESSURE HEAD :-

it is height of liquid column that corresponds to a particular pressure exerted by liquid column that

corresponds by liquid column that corresponds a particular pressure exerted by liquid column on the base of contains.

pressure head = Total head - kinetic head - potential head.

## KINETIC HEAD :-

\* MATHEMATICAL FORM:-

$$\frac{K.E}{W} = \frac{\frac{1}{2}mv^2}{mg}$$

$$\frac{K.E}{W} = \frac{1}{2} \frac{v^2}{g}$$

→ This is also known as velocity head

UNIT It is unit is meter (m)

Potential head. Mathematical

Form:-  $\frac{P.E}{W} = \frac{mgh}{mg} = h$

Pressure Head:-

MATHEMATICAL FORM:-

$$\frac{P \cdot V}{\text{weight}} = \frac{P}{\gamma}$$

OR

$$= \frac{F \cdot ds}{W}$$

$$= \frac{P \cdot A \cdot ds}{W}$$

$$= \frac{P \cdot V}{W} = \frac{P}{\gamma} \quad \text{is pressure}$$

Q No #1 (Part B) 84(4)

Answer: Hydraulic grade line:-

(HGL) Hydraulic grade line refers to the profile of water streaming in an open channel or a pipe streaming in a part full when pipes is under pressure driven review line in the level to which the water would ascend to in a little vertical tube associated with a

Pipes

↳ it is denoted

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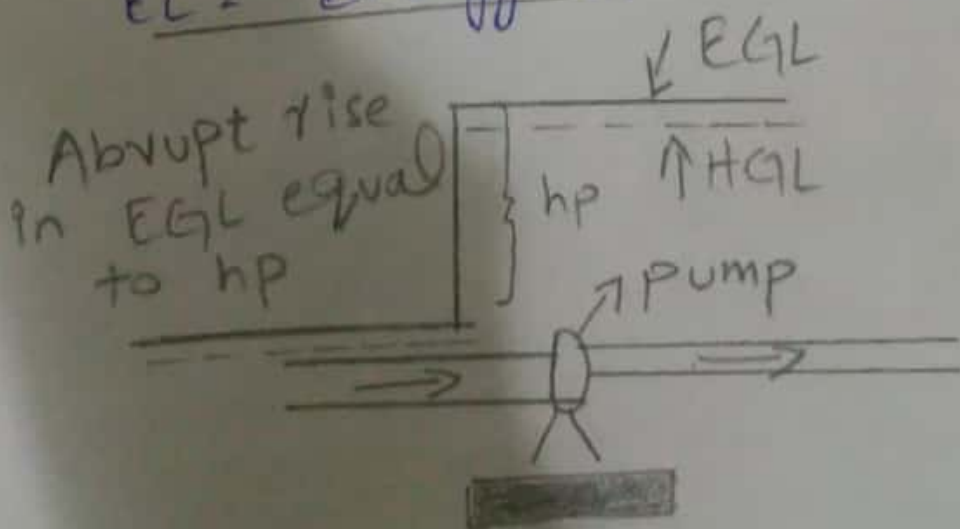
Head of water streaming in a pipe course, or channel. The line is drawn over the pressure Hydraulic grade line (inclination)

The separation equivalent to speed head ( $v^2/2g$ ) of the water streaming at every area or a point along the pipe or channel

→ The energy line is a line that represents the total head available the fluid can be expressed as.

$$EL = H = \frac{P}{\gamma} + \frac{v^2}{2g} + h = \text{Constant}$$

along a stream line  
EL = Energy line



Q NO#2 (part a)

⇒ Given Data:-

velocity,  $v = 2 \text{ m/s}$

Pressure,  $p = 300 \text{ kPa} = 300 \times 10^3 \text{ N/m}^2$

datum,  $z = 5 \text{ m}$ ,  $\gamma = 9810$

Required = ?

Total energy,  $H = ?$

Solution:- As we know that

$H = \text{pressure head} + \text{K.E} + \text{P.E}$

$$H = \frac{p}{\gamma} + \frac{v^2}{2g} + z$$

Putting values in above equation

$$H = \frac{300 \times 10^3}{9810} + \frac{(2)^2}{2 \times 9.81} + 5$$

$$H = 30.58 + 0.201 + 5$$

$$H = 35.785 \text{ Nm/N}$$

Q No 2 (Part b)

Given Data

$$\text{Diameter } d_1 = 300 \text{ mm} = 0.3 \text{ m}$$

$$\text{Diameter } d_2 = 200 \text{ mm} = 0.2 \text{ m}$$

$$\text{Pressure } P_1 = 300 \text{ kPa} = 300 \times 10^3 \text{ N/m}^2$$

$$\text{Pressure } P_2 = 120 \text{ kPa} = 120 \times 10^3 \text{ N/m}^2$$

$$\text{Flow Rate, } Q = \frac{40}{1000} \text{ m}^3/\text{sec} = 0.04 \text{ m}^3/\text{sec}$$

Required:-

$$\text{Datum } = Z = ?$$

Solution

As we know

that

$$A_1 = \frac{\pi d_1^2}{4}$$

$$A_1 = \frac{3.14}{4} \times (0.3)^2$$

$$A_1 = 0.07065 \text{ m}^2$$

$$A_2 = \frac{\pi d_2^2}{4}$$



$$A_2 = \frac{3.14 \times (0.2)^2}{4}$$

$$A_2 = 0.0314 \text{ m}^2$$

Now As We know that

$$Q = v_1 A_1$$

$$v_1 = \frac{Q}{A_1}$$

$$v_1 = \frac{0.04}{0.0706}$$

$$v_1 = 0.5661 \text{ m/s}$$

And

$$v_2 = \frac{Q}{A_2}$$

$$v_2 = \frac{0.04}{0.0314}$$

$$v_2 = 1.2738 \text{ m/s}$$

Now

$$\Rightarrow \frac{P_1}{\gamma} + \frac{v_1^2}{2g} + Z_1 = \frac{P_2}{\gamma} + \frac{v_2^2}{2g} + Z_2$$

where

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$$Z_1 = 0$$

$$\gamma = 9810$$

putting values

$$\Rightarrow \frac{300 \times 10^3}{9810} + \left( \frac{0.566}{2(9.81)} \right)^2 + \frac{120 \times 10^3}{9810} + \frac{(1.27)}{2(9.81)} + Z_2$$

$$\Rightarrow 30.597 = 12.314 + Z_2$$

$$\Rightarrow Z_2 = 30.597 - ~~12.314~~ 12.314$$

$$\Rightarrow Z_2 = 18.282 \text{ m}$$

$$= Z_2 = 18.282 \text{ m}$$

Result

$$\text{Hence } Z_2 = 18.282 \text{ m}$$

Q No 3

10

A 500m long 0.2 diameter transport on oil of specific gravity . . . . .  
. . . . . reynold's number?

Given data

Length of pipe,  $L = 500\text{m}$

Diameter,  $d = 0.2\text{m}$

Specific gravity of oil = 0.9

flow rate,  $Q = 0.06\text{ m}^3/\text{s}$

viscosity,  $\mu = 6 \times 10^{-5}\text{ N s/m}^2$

Density,  $\rho = 0.9 \times 1000 = 900\text{ kg/m}^3$

Solution - Required pressure

loss

As we know that

$$V = \frac{Q}{A}$$

$$= \frac{6 \times 10^{-5}}{900}$$

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$$V = 6.67 \times 10^{-8} \text{ m}^2/\text{s}$$

Now we have to find "v"

$$v = \frac{Q}{A} \quad \text{--- (1)}$$

Now for circular pipe

$$A = \frac{\pi d^2}{4}$$

$$\Rightarrow A = \frac{3.14 (0.2)^2}{4}$$

$$A = 0.0314 \text{ m}^2$$

putting values in eq (1)

$$\Rightarrow v = \frac{0.06}{0.0314}$$

$$\Rightarrow v = 1.91 \text{ m/s}$$

Now we know that

$$R = \frac{v \times d}{V}$$

$$R = \frac{1.91 \times 0.2}{6.67 \times 10^{-8}}$$

$$R = 572 \times 10^6$$

Now,

$$f = 0.0032 + \frac{0.221}{(5.72 \times 10^6)^{0.237}}$$

$$f = 0.0032 + (55320 \times 10^{-8})$$

$$f = 8.73209 \times 10^{-3}$$

Now from Bernoulli's equation

$$\text{Head loss, } H_f = \frac{fLV^2}{2gD}$$

putting values

$$H_f = \frac{fLV^2}{2gD}$$

$$= \frac{(8.73209 \times 10^{-3})(500)(1.91)^2}{2 \times (9.81)(0.2)}$$

$$H_f = 4.0590$$

Now we know by pressure loss and head loss relation,

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$$\Rightarrow \cancel{h_L} = \frac{\Delta P}{\rho g}$$

$$\Rightarrow \cancel{h_L} = \frac{\Delta P}{\rho g}$$

$$\Rightarrow \Delta P = h_L \times \rho g$$

$$\Rightarrow \Delta P = 4.0590 \times 900 \times 9.81$$

$$\Rightarrow \boxed{\Delta P = 35837 \text{ KPa}}$$

Result:-

Hence pressure loss,

$$\boxed{\Delta P = 35.837 \text{ KPa}}$$

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