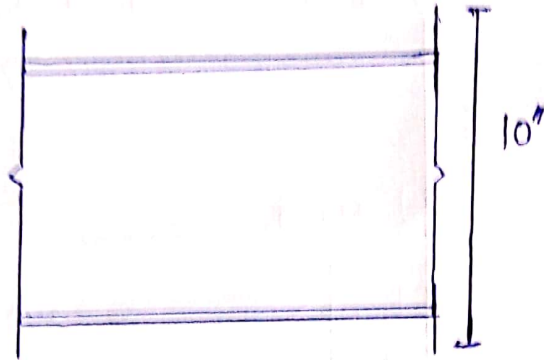


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 Subject: ARC 1  
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 Date: 26 June 2020

①

Q1 A reinforced concrete slab is build integrally with its support and consist of three equal spans each will clear span of 15ft. The factor live load is 160 psf and service floor finish load is 20 psf design the slab using  $f'_c = 4000$  psi and  $f_y = 40$  ksi draw sketch of your final design.

Solution:



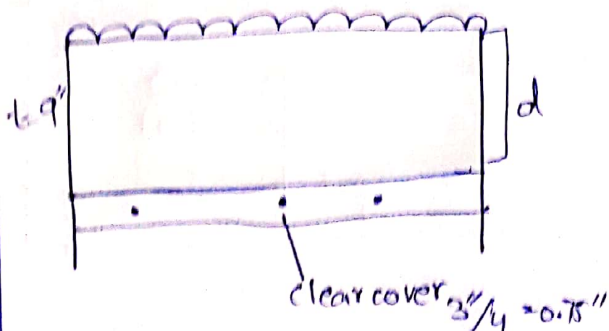
Step 1:-

Minimum thickness =  $t_{min}$

$$t_{min} = \frac{L}{20} = \frac{15}{20} \times 12 = 9"$$

Step 2:-

Effective depth (distance from top of slab to centre of main base)



$$d = t - (\text{clear cover} - \frac{1}{2} (d_{ms}))$$

$$= 9 - (0.75 - \frac{1}{2} (\frac{4}{3}))$$

let say we are using

4 bars

$$d = 8.0"$$

(2)

Step:3:- Self weight of slab =  $\frac{1}{12} \times \gamma \text{ concrete}$   
 $= \frac{9}{12} \times 150$   
 $= 112.5 \text{ Pcf.}$

Step:4:-

$$W_u = 1.2 \text{ D.L} + 1.6 \text{ L.L}$$

$$= 1.2(2.0)(20112.5) + 1.6(160) =$$

$$415 \text{ Pcf} = 0.415 \text{ Ksf.}$$

Step:5:-

Ultimate moment.

$$M_u = \frac{W_u \times l^2}{8} = \frac{0.415 \times (8.5)^2}{8}$$

$$140.06 \text{ K'}$$

Step:6:-

Area of steel for Main Bar by ~~trial~~ Trial and repeat method.

TRIAL # 1:

$$\text{let } a = 0.2t$$

$$= 0.2 \times 9$$

$$= 1.8''$$

$$A_s = \frac{M_u}{\phi F_y \left(d - \frac{a}{2}\right)}$$

$$= \frac{140.06}{0.90 \times 40 \left(8 - \frac{1.8}{2}\right)} \Rightarrow 0.54 \text{ in}^2/\text{ft.}$$

(3)

TRIAL#2:-

$$a = \frac{A_s \times f_y}{0.85 \times f'_c \times b} \Rightarrow \frac{0.54 \times 40}{0.85 \times 4 \times 15} = 0.42''$$

A<sub>s</sub>,M<sub>u</sub>

$$\frac{M_u}{\phi \times f_y \times (d - \frac{a}{2})} = \frac{140.06}{0.90 \times 40 \times (8 - \frac{0.42}{2})}$$

$$= 0.50 \text{ in}^2/\text{ft.}$$

Step:7:-

Area of steel for distribution Reinforcement

$$A_{smin} = 0.0018 \times b \times t = 0.0018 \times 15 \times 9$$

$$= 0.24 \text{ in}^2/\text{ft}$$

Step:8:-

Spacing for Main Bars

$$S = \frac{A_b \times 12}{A_s}$$

$$= \frac{0.196 \times 12}{0.50} = 4.70 \approx 5 \text{ in}$$

02  
4.42.

Step:9:-

Spacing for distribution bar.

$$= \frac{A_b}{A_{st}}$$

let try #4 bar for distribution steel also.

P.T.O

(4)

$$= \frac{0.2}{0.24} \times 12$$

$$= 10'' \text{ c/c}$$

Main-steel #4 at 5 c/c

Distribution-steel #4 at 10'' c/c

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(5)

QNO# 28-

Answer:-

A simply supported rectangular beam 16" wide.  
--- Draw a sketch of your final diagram.

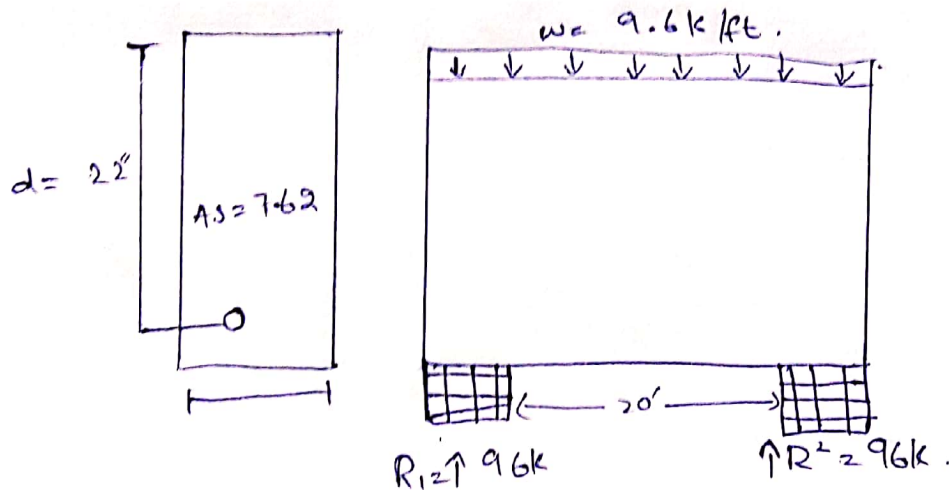
Solution:-

First we find the unit load of beam.

So,  $b \times \gamma_c$ .

$$= \frac{16}{12} \times 150 = 200 \text{ lb/ft} = 0.2 \text{ k/ft}$$

So total factored load =  $9.4 + 0.2 = 9.6 \text{ k/ft}$ .



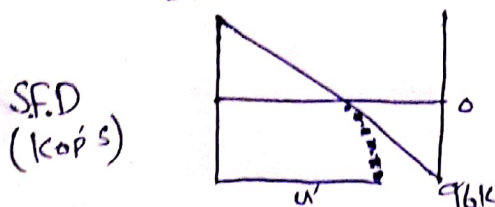
Step# 1:-

find the value of  $R_1$  and  $R_2$

$$\text{Total load} = 9.6 \times \frac{20}{2} = 96 \text{ k}$$

Step# 2:-

Draw a clear force diagram.



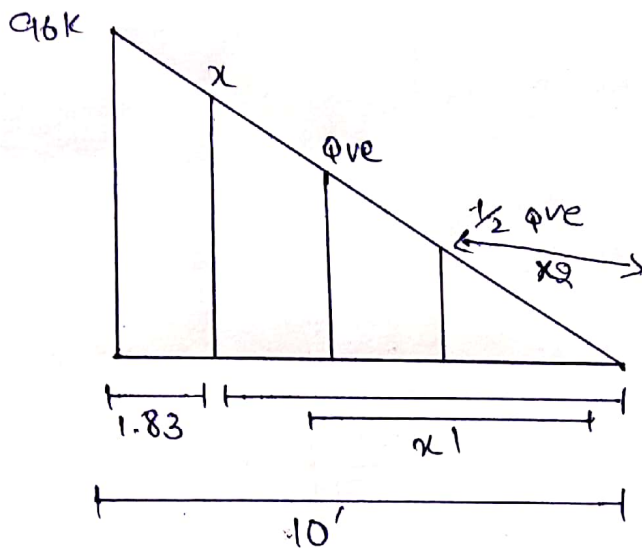
(6)

Step # 3:

find the value of critical stress " $V_u$ "  
on its location.

As we know that critical section is located of distance  
" $d$ " from face of support =  $a = 22" = 1.83'$

value of critical shear of distance " $d$ " by  
similarity of triangles



from similar  $\Delta$ s  $\frac{96}{10} = \frac{V_u}{8.17} = 78.432 \text{ kips.}$

Step # 4:

find the value of  $(Q_v c)$  and  $\frac{1}{2} Q_{vc}$  and  
also its distances from zero shear to right side.

$$Q_{vc} = 0.75 \times 2 \times \sqrt{f_c'} \times b_w \times d = \frac{0.75 \times 2 \times \sqrt{4000} \times 16 \times 22}{1000}$$

$$\Rightarrow 33.40 \text{ k.}$$

P.T.O

location of  $\phi_{VC}$  by similarity of  $\Delta$ 's

$$\frac{96}{10} = \frac{33.40}{x_1} = 3.47' \quad x_1 = 3.47'$$

$$\text{Now } \frac{1}{2} \phi_{VC} = \frac{33.40}{2} = 16.70 \text{ k}$$

$$\text{location of } \frac{1}{2} \phi_{VC} = \frac{96}{10} = \frac{16.70}{x_2} \Rightarrow x_2 = 17.3'$$

Step # 5:-

$$\text{value of } \phi_{VS} = (V_u = \phi_{VC} + \phi_{VC})$$

$$\phi_{VC} = V_u - \phi_{VC} = 76.80 - 33.40 = 43.40 \text{ k}$$

Step # 6:-

check on section adequacy.

$$\phi \times 8 \times \sqrt{F_c'} \times b \times d = \frac{0.75 \times 8 \times 4000 \times 16 \times 22}{1000}$$

$$\Rightarrow 133.57 \text{ k}$$

As  $\phi_{VS} < \phi \times 8 \times \sqrt{F_c'} \times b \times d \Rightarrow$  it means section of adequate.

Step # 7:-

check on maximum spacing for stirrups.

$$\phi \times 4 \times \sqrt{F_c'} \times b \times d = \frac{0.75 \times 4 \times \sqrt{4000} \times 16 \times 22}{1000}$$

$$\Rightarrow 66.79 \text{ kip}$$

As  $\phi \times 4 \times \sqrt{F_c'} \times b \times d > \phi_{VS} = 43.40 \text{ k}$ .

So max-spacing will be selected from following four conditions.



- 1)  $S_{max} = 24''$
- 2)  $d/2 = 22\frac{1}{2} = 11''$
- 3)  $S_{max} = \frac{A_v \times f_y}{0.75 \times \sqrt{f_c'} \times b_w} = 17.40''$
- 4)  $S_{max} = \frac{A_v \times f_y}{s_o \times b_w} = 16.50''$

from above four conditions - test value of spacing for # 3, 2 legged stirrups will be selected

$$So, S_{max} = 11'' c/c$$

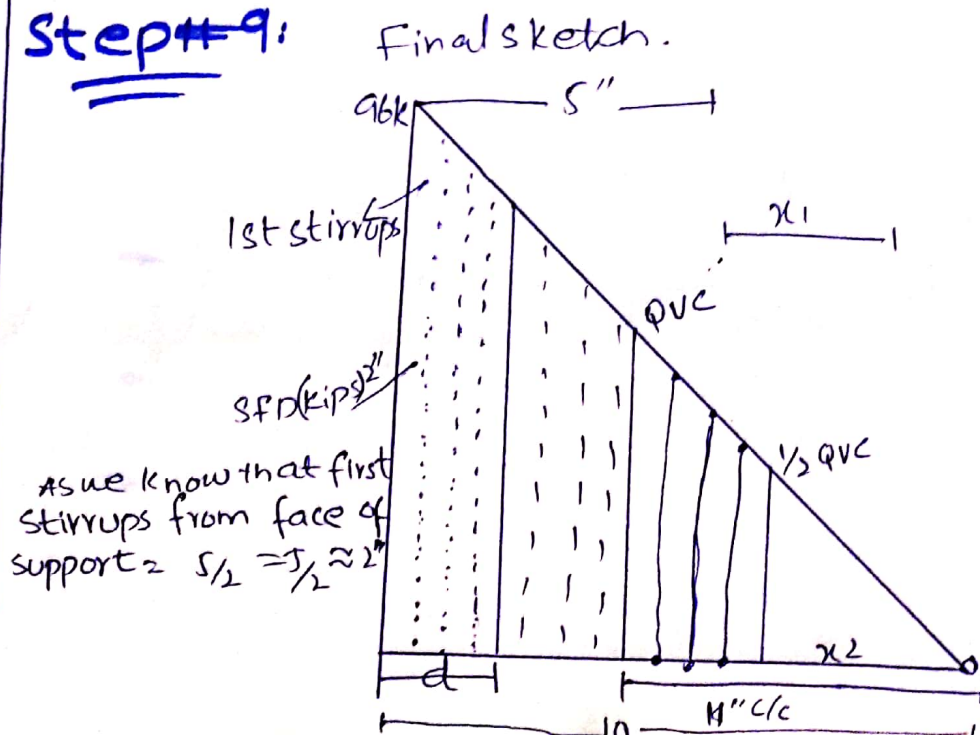
### Step # 8:

Spacing of stirrups from at critical section

$$S = \frac{\phi \times A_v \times f_y \times d}{V_u - \phi V_c} = \frac{0.75 \times 0.22 \times 60 \times 22}{76.80 - 33.44}$$

$$S = 5'' c/c$$

### Step # 9:





QNO:3:-

Calculate the axial ultimate ----- design necessary spirals.

Step #1:-

Find gross area of concrete.

$$A_g = b \times b \text{ (since it is square tied column)}$$

$$A_g = 12 \times 12 = 144 \text{ in}^2 \text{ (Actual).}$$

Step #2:-

Find area of steel.

$$\text{Since } A_s = 5\% \text{ of } A_g$$

$$= 0.05 \times 144$$

$$A_s = 7.2 \text{ in}^2$$

Step #3:-

Ultimate load carrying capacity.

$$P_u = \phi \times 0.80 \times \left[ 0.85 \times f'_c \times (A_g - A_s) + A_s \times f_y \right]$$

$$= 0.65 \times 0.80 \left[ 0.85 \times 4 \left[ 144 - 7.2 \right] \times 60 \right]$$

$$P_u = 466.50 \text{ k}$$

Step #4:-

Sketch and design of ties ( $\frac{1}{4}$  to distance).

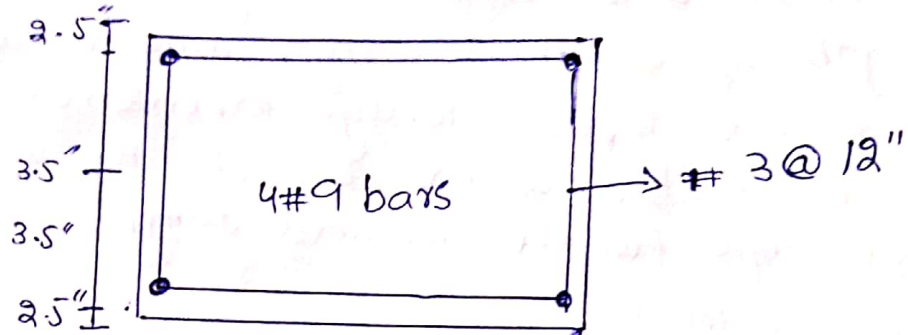
From the below value we choose the least value of all thus;

- 1)  $16 \times \text{dia of long bar} = 16 \times \frac{9}{8} = 18''$
- 2)  $48 \times \text{dia of tie bar} = 48 \times \frac{3}{8} = 18''$
- 3) least column dimension =  $12''$

P.T.O. →

(10)

So c/c distance b/w the ties = 12"



\* Since it is a tied square column so there is no spiral stirrup used, the stirrup used is of rectangular shape due to specification of structure thus we will use tie stirrup instead.

QNo.4

Answer:-

Solution:-

Step # 1:-

let  $h = 24''$

Step # 2:-

Total weight = wt of soil + wt of Rc  
 $3 \times 120 + 2 \times 150 = 660 \text{ psf} = 0.660$

Step # 3:-

Effective bearing capacity

$q_e = q_a - w = 2.50 - 0.660$   
 $q_e = 1.84 \text{ ksf.}$

Step # 4:-

Required area for foundation

$\text{Area} = \frac{S.L}{q_c} = \frac{100 + 120}{1.84} \Rightarrow \text{Area} = 119.56 \text{ ft}^2$

Step # 5:-

Since foundation is square

$\text{Area} = B \times B = 119.56 \quad B \approx 11' - 56''$

Step # 6:-

$q_{vp} = \frac{\text{factored load}}{(B)^2}$

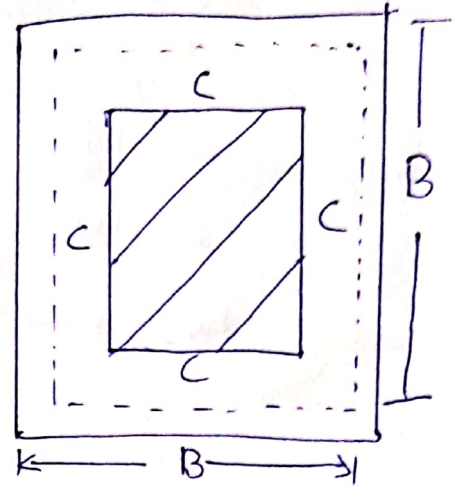
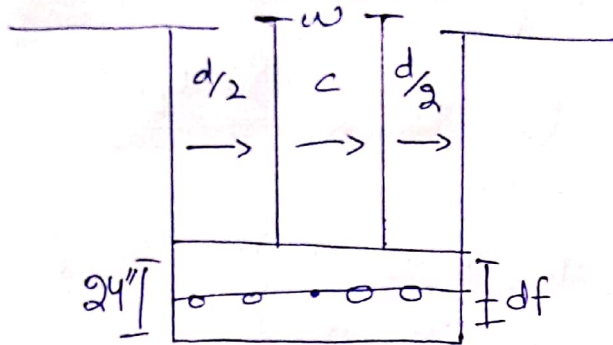
$= \frac{1.2 \times 100 + 1.6 \times 120}{(11.956)^2} \Rightarrow q_{vp} = 0.021 \text{ k/ft}^2$   
P.T.O



Step # 7:-

punching shear

$$b = 4(c + d)$$



$$d = h - \text{clear cover} - \text{dia of bar} - \frac{1}{2} \times d_b$$

$$d = 24 - 3 - 1 - \frac{1}{2} + 1 = 19.5''$$

$$b_o = 4(16 + 19.5'') = 149''$$

Step # 8

$$\Rightarrow V_{v2} = q_{VP} \times \left[ B^2 - (c+d)^2 \right]$$

$$\Rightarrow 0.021 \left[ (119.56)^2 - \frac{(16 + 19.5)^2}{12} \right]$$

$$V_{v2} = 300.$$

THE END.