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SUBJECT: BUSSINESS MATHEMATICS

MID EXAM ASSIGNMENT

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Q: 1 (a)

Given - the sets $A = \{A, E, I, O, U\}$ and $B = \{I, J, K\}$

Draw Venn diagram of A and B using the universal set $U = \{A, B, C, \dots, Z\}$?

Answer:

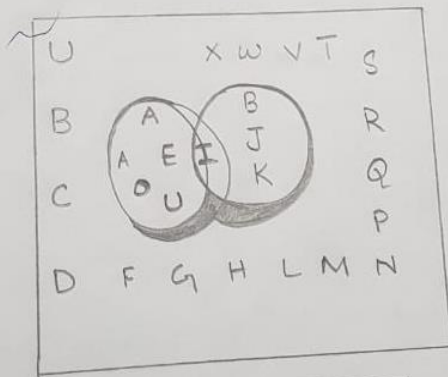
$$A = \{A, E, I, O, U\}$$

$$B = \{I, J, K\}$$

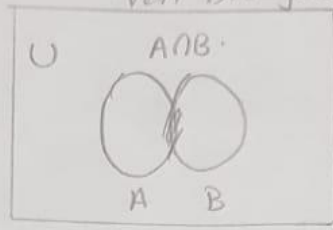
$$U = \{A, B, C, \dots, Z\}$$

$$A \cap B = \{A, E, I, O, U\} \cap \{I, J, K\}$$

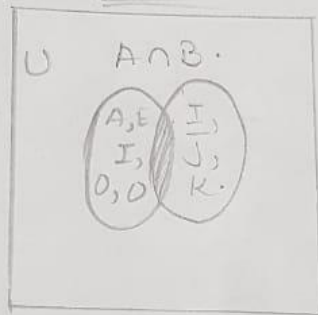
$$\text{Venn Diagram: } = \{I\}$$



Venn Diagram:



Venn Diagram



Part B:

Q. Define with Examples:

1. Equal Sets:

Defination:

Before we get into the definition of an equivalent set, we need to first know what a set is. A set is a collection of elements that are usually related. They are indicated with brackets $\{ \}$. We can have a set containing numbers, words or even pictures. Here are some examples of sets

$$\bullet \{ 1, 2, 3, 4, 5 \}$$

When a set continues on for infinity, the last elements in the set is followed by three dots known as an ellipsis, which indicates the number continues. An example is shown here: $\{ 1, 2, 3, 4, 5, 6, \dots \}$.

Equal Sets:

Two sets are called equal if they have exactly the same elements.

Examples

$$\begin{aligned} & \{ \text{vowels in the English alphabet} \} \\ & = \{ a, e, i, o, u \} \end{aligned}$$

On the other hand, the sets $\{1, 3, 5\}$ and $\{1, 2, 3\}$ are not equal, because they have different elements. This is written as:

$$\{1, 3, 5\} \neq \{1, 2, 3\}.$$

The order in which the elements are written between the curly brackets does not matter at all.

Example:

$$\begin{aligned} \{1, 2, 5, 7, 9\} &= \{3, 9, 7, 5, 1\} = \\ &= \{5, 9, 1, 3, 7\}; \end{aligned}$$

If an element is listed more than once it is only counted once.

For Example:

$$\{a, a, b\} = \{a, b\}.$$

Finite and infinite sets:

All the sets we have seen so far have been finite sets, meaning that we can list all their elements.

Here are two examples:

$$\begin{aligned} \{ \text{whole numbers between 2000 and 8005} \} &= \{ 2001, 2002, \dots, 2003, 2004 \} \\ \{ \text{whole numbers between 2000 and 3000} \} &= \{ 2001, 2002, 2003, \dots, 2999 \}. \end{aligned}$$

A set can also be infinite. all that matters is that it is well defined. Here are two examples of infinite sets:

$$\begin{aligned} \{ \text{even whole numbers} \} &= \{ 0, 2, 4, 6, 8, 10, \dots \} \\ \{ \text{whole numbers greater than 2000} \} &= \{ 2001, 2002, 2003, 2004, \dots \}. \end{aligned}$$

Subsets:

Subsets of a Set.

1: Sets of things are often further subdivided. For example, owls are a particular type of a bird, so every owl is also a bird. We express this in the language of sets by saying that the set of owls is a subset of the set of birds.

2: A set S is called a subset of another set T if every element of S is an element of T . This is written as:

$$S \subseteq T \text{ (Read this as 'S is a subset of T')}$$

Example:

The new symbol \subseteq means is a subset of. (Thus $\text{owls} \subseteq \text{birds}$) because every owl is a bird. Similarly:

if $A = \{2, 4, 6\}$ $B = \{0, 1, 2, 3, 4, 5, 6\}$
then $A \subseteq B$

$S \subseteq T$.

This means that at least one
element of S is not element of

T . For example:

(Birds) $\not\subseteq$ (flying creatures).

Q2: What are the four basic rules to solve an equation?

Answer:-

1. A Generally Rule of Solving equation:

1. Simplify each sides of the equation by removing parenthesis and combining like terms.

2. Use addition and subtractions to isolate the variable term on one side of the equations.

3. Use multiplication or division to solve for the variables.

4. An equal Non-Zero quantity may divided both sides of an equation.

Q(6) Find the solution of the equations?

Answer:-

$$1: 8(x-1) + 17(x-3) = 4(4x-9) + 4.$$

Sol:-

$$= 8(x-1) + 17(x-3) = 4(4x-9) + 4.$$

$$= 8x - 8 + 17x - 51 = 16x - 36 + 4.$$

$$= 25x - 59 = 16x - 32.$$

$$= 25x - 59 - 16x + 32 = 0.$$

$$= 9x - 27 = 0$$

$$= 9x = 27$$

$$= 9x = 27.$$

$$= x = \frac{27}{9}$$

$$= x = 3 \quad \text{Answer.}$$

Q6) $15(x-1) + 4(x+3) = 2(7+x)$.

Answer:-

$$15(x-1) + 4(x+3) = 2(7+x)$$

Solution:-

$$= 15(x-1) + 4(x+3) = 2(7+x)$$

$$= 15x - 15 + 4x + 12 = 14 + 2x$$

$$= 19x - 3 = 14 + 2x$$

$$= 19x - 3 - 14 - 2x = 0$$

$$= 17x - 17 = 0$$

$$= 17x - 17$$

$$= x = \frac{17}{17}$$

$$= x = 1 \text{ Answer.}$$

Q(3) Solve the following equations simultaneously using elimination method?

(a) $7x + 2y = 47$ ----- ①

Answer:- $5x - 4y = 1$ ----- ②

$7x + 2y = 47$ --- ①

$5x - 4y = 1$ --- -②

Solution:-

$7x + 2y = 47$ --- ①

$5x - 4y = 1$ --- ②

Multiply equations "1" and "2".

$= 2 (7x + 2y = 47)$

$= 14x + 4y = 94$ --- ③

Now add equation 2 and 3.

$= 5x - 4y = 1$ --- ②

$= 14x + 4y = 94$ --- ③

$= 19x = 95$

$$= 19x = 95$$

Divide 19 by both sides:

$$= \frac{19x}{19} = \frac{95}{19}$$

$$= x = 5$$

Put values of "x" in equation (2).

$$= 5x - 4y = 1$$

$$= 5(5) - 4y = 1$$

$$= 25 - 4y = 1$$

Subtract 25 from both sides:

$$= 25 - 4y - 25 = 1 - 25$$

$$= -4y = -24$$

Divide "-4" on both sides:

$$= \frac{-4y}{-4} = \frac{-24}{-4}$$

$$= y = 6$$

Here solution set = (5, 6) Answer

thank you