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Hydrology

Final Assignment :

Assignment No 1

(1)

Venturi flame:

A venturi flame is a critical flow open flume with a constricted flow which causes a drop in the hydraulic grade line. creating a critical depth.

It is used in flow measurement of very large flow rates usually given in millions of cubic units - A venturi meter would normally measure in mm whereas a venturi flame measure in meters.

Measurement of discharge with venturi^a flumes requires two measurement

(2)

one upstream and one at the throat - 1) the flow passes in subcritical state though the flume - 1) the flumes are designed so as to pass the flow from subcritical to super critical state while passing through the flume, a single measurement at the throat is sufficient for computation of discharge. To ensure the occurrence of critical depth at the throat the flumes are usually designed in such a way as to form.

(3)

Example:

A 3m wide channels carries a total discharge of $12 \text{ m}^3 \text{ s}^{-1}$
Calculate

- the critical depth -
- the minimum specific Energy -
- the alternate depth when

$$E = 4 \text{ m}$$

$$b = 3 \text{ m}$$

$$Q = 12 \text{ m}^3 \text{ s}^{-1}$$

A:

Discharge per unit width

$$q = \frac{Q}{b} = \frac{12}{3} = 4 \text{ m}^2 \text{ s}^{-1}$$

$$h_c = \left(\frac{q^2}{g} \right)^{1/3} = \left(\frac{4^2}{9.81} \right)^{1/3} = 1.177 \text{ m}$$

Answer:

critical depth = 1.18 m

(4)

B:

For a rectangle channel

$$E_c = \frac{3}{2} h_c = \frac{3}{2} \times 1.177 = 1.766 \text{ m}$$

Answer-

Minimum Specific Energy
= 1.77 m

C:

As $E > E_c$ there are two possible depths for a given specific energy

$$E = h + \frac{v^2}{2g}$$

where $V = \frac{Q}{A} = \frac{q}{h}$

For a rectangle channel-

$$E = h + \frac{q^2}{2gh}$$

Substituting value in meter -
second units -

(5)

For the subcritical (slow
→ deep) the first term
associated with P.E

$$h = 4 \frac{0.8155}{h^2}$$

h^2

$$y = 3.45 \text{ ft.}$$

Assignment No 02

(6)

PROBLEM: 4-22.

Water flows a depth of 10 cm with a velocity of 6 m/s in a rectangular channel. Is the flow subcritical or supercritical? What is the alternate depth?

Solution.

Check Froude number.

$$Fr = \frac{v}{\sqrt{gy}} = \frac{6 \text{ m/s}}{\sqrt{9.81 \text{ m/s}^2 \cdot 0.1 \text{ m}}} = 1.935$$

So the flow is supercritical

$$E = y + \frac{v^2}{2g} = 0.1 \text{ m} + \frac{(6 \text{ m/s})^2}{2 \cdot 9.81 \text{ m/s}^2} = 1.935 \text{ m}$$

(7)

Solving for alternate
depth for an $E = 1.935$
m yields $yalt = 1.93m$

PROBLE = 4.36:

Water flows with velocity
of 2 m/s and at a
depth of 3 m in a
rectangular channel - what
is the change in
depth in water surface
elevation produced by
a gradual upward
change in bottom elevation
of 60 cm ? what would
be the depth and
elevation change if
there were a gradual
downstep of 15 cm ? what
is the maximum size
of setup that could
exist before upstream
depth changes would
result? Neglect head
losses.

Solution.

$$E_1 = y_1 + \frac{V_1^2}{2g} = 3\text{m} + \frac{2\text{m/s}^2}{2 \cdot 9.81\text{m/s}^2}$$
$$= 3.20\text{m}$$

$$E_2 = E_1 - \Delta z = 3.20\text{m} - 0.60\text{m} = 2.60\text{m}$$

Also

$$E_2 = y_2 + \frac{q^2}{2gy_2^2} = y_2 + \frac{(6\text{m}^3/\text{s}\cdot\text{m})^2}{2 \cdot 9.81\text{m/s}^2} = 2.60\text{m}$$

$$\text{So } y_2 = 2.24\text{m} \quad \Delta y = y_2 - y_1 = -0.76\text{m}$$

so water surface drops 0.76m
for a downward step
of 15cm we have

$$E_2 = E_1 - \Delta z = 3.20\text{m} - (-0.15\text{m})$$
$$= 3.35\text{m}$$

giving $y_2 = 3.17\text{m}$ and
 $\Delta y = y_2 - y_1 = 0.17\text{m}$ so
water surface raises

0.17m -

The maximum upstep

possible water surface levels upstream before approaching is

For

$$y_a = y_c$$

$$y_c = 3 \sqrt{\frac{q^2}{g}} = 3 \sqrt{\frac{(6 \text{ m}^3/\text{s m})^2}{9.81 \text{ m/s}^2}} = 1.54 \text{ m}$$

Assignment No 03

PROBLEM: 1.

A water passing
from the dam slope gate
in dam - - - ?

GIVEN:

$$y_1 = 3.8 \text{ m}$$

$$y_2 = 0.9 \text{ m}$$

$$b_2 = 3.9 \text{ m}$$

Solution:

We know that

$$E_1 = E_2$$

$$y_1 + \frac{V_1^2}{2g} = y_2 + \frac{V_2^2}{2g}$$

Also

$$Q = A_1 V_1 = A_2 V_2$$

$$b_1 y_1 V_1 = b_2 y_2 V_2$$

$$b_1 y_1 V_1 = b_2 y_2 V_2 \quad \because b_1 = b_2 = b$$

$$y_1 V_1 = y_2 V_2$$

$$V_2 = \frac{y_1}{y_2} \times V_1$$

$$V_2 = \frac{3.6}{0.9} \times V_1$$

$$V_2 = 4V_1$$

Put in eq (1)

$$y_1 + \frac{V_1^2}{2g} = y_2 + \frac{V_2^2}{2g}$$

$$\Rightarrow 3.6 + \frac{V_1^2}{2g} = 0.9 + \frac{(4V_1)^2}{2g}$$

$$V_1 = 1.879 \text{ m/sec}$$

Put in eq (2)

$$V_2 = 4V_1$$

$$Q_2 = A_2 V_2 = b y_2 V_2$$

ite: _____

$$\Rightarrow 3.9 \times 3.6 \times 1.879$$

$$A_1 = 3.6$$

$$\Rightarrow Q_1 = 26.38 \text{ m}^3/\text{sec}$$

$$Q_2 = A_2 V_2 = b y_2 - V_2$$

$$Q_2 = 3.9 \times 0.9 \times 7.516$$

$$Q_2 = 26.38 \text{ m}^3/\text{sec}$$

$$Q_2 = Q_1 = Q_2 = 26.38 \text{ m}^3/\text{sec}$$

1) Froude Number At down stream

$$Fr_1 = \frac{V_1}{\sqrt{g y_1}} = \frac{1.879}{\sqrt{9.81 \times 3.6}} = 0.31$$

subcritical

flow

2) Froude Number At down stream.

~~Fr~~

$$Fr_2 = \frac{V_2}{\sqrt{g y_2}} = \frac{7.516}{\sqrt{9.81 \times 0.6}}$$

= 2.52 supercritical flow.