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Engineering Management
and Economics

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Question # 01

(a) Solution:-

Land = 20 marla plot

Worth = 100 million in six years

8% increasing rate

As we know that

$$P = F(1+i)^n$$

$$P = 100,000,000 \left[\frac{1}{1+0.08} \right]^6$$

$$P = 100m (1.08)^6$$

$$P = 100m \times 1.5868$$

$$P = 158.68 \text{ million}$$

(b) Lump sum amount of
Rs 10 million

Distribution to his four
children is Rs 1 million per
year

$i = 6\%$ per year

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How many years it will take to completely deplete the account?

As we know that

$$P = A \left[\frac{(1+i)^n - 1}{i(1+i)^n} \right]$$

$$1000 = \left[\frac{(1+0.06)^n - 1}{0.06(1+0.06)^n} \right]$$

$$100 = \left[\frac{(1.06)^n - 1}{0.06(1.06)^n} \right]$$

$$100 \times 0.06(1.06)^n = (1.06)^n - 1$$

$$6(1.06)^n = (1.06)^n - 1$$

$$1 = (1.06)^n - 6(1.06)^n$$

$$1 = (1.06)^n [1 - 6]$$

$$1 = (1.06)^n [-5]$$

$$1/-5 = (1.06)^n$$

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$$0.2 = (1.06)^n$$

Now,

$$\ln(0.2) = n \times \ln(1.06)$$

$$-1.6094 = n \times 0.0583$$

$$N = \frac{-1.6094}{0.0583}$$

$$N = 27.60 \text{ years}$$

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Question # 02

(a) As we know that the formula is

$$P = A \left[\frac{(1+i)^n - 1}{i(1+i)^n} \right]$$

From the question

$$A = 30 \text{ Million}$$

$$N = 5 \text{ years}$$

$$i = 15\% \text{ per year}$$

Put the values.

$$P = 300000000 \left[\frac{(1+0.15)^5 - 1}{0.15(1+0.15)^5} \right]$$

$$P = 300000000 \left[\frac{(1.15)^5 - 1}{0.15(1.15)^5} \right]$$

$$P = 300000000 \left[\frac{1.01135}{0.30170} \right]$$

$$P = 300000000 \times 3.35217$$

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$$P = 1005651000$$

(b) As we know about the formula

$$F = A \left[\frac{(1+i)^n - 1}{i} \right]$$

From the question.

$$A = 10,000$$

$$n = 15 \text{ years}$$

$$i = 5\%$$

Put the values.

$$F = 10,000 \left[\frac{(1+0.05)^{15} - 1}{0.05} \right]$$

$$F = 10,000 \left[\frac{(1.05)^{15} - 1}{0.05} \right]$$

$$F = 10,000 \left[\frac{1.0789}{0.05} \right]$$

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$$P = 10,000 \times 21.578$$

$$P = 215780 \$$$

Question # 03

(9) Answer:-

If the property is depreciable if it meets the following basic requirements.

- i) It must be used in business to produce a enough income.
- ii) It must have a useful life and the life must be longer than one year.
- iii) It must be something

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that wears out decays,
gets used up, becomes
obsolete or less value
from natural causes.

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(8)

Question # 03

Part (b) i-

We know that from

$$dv = (CB - Svn) \left[\frac{2(N-k+1)}{N(N+1)} \right]$$

$$Bv_k = B - \left[\frac{2(CB - Svn)}{N} \right] k + \left[\frac{(CB - Svn)}{N(N+1)} \right] k(k+1)$$

putting value for sample ①

$$d1 = 400000 \left[\frac{2(10+1-1)}{10(10+1)} \right]$$

$$d1 = 400000 \left[\frac{2(10)}{10(11)} \right]$$

$$d1 = 400000 (0.1818)$$

$$d1 = 72720$$

$$Bv_1 = 400000 - \left[\frac{2(400000) \times 1}{10} \right] +$$

$$\left[\frac{400000}{10(11)} \right] 1(1+1)$$

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$$\Rightarrow 400000 - (80000) + \left[\frac{400000}{110} \right] \times 2$$

$$400000 - 80000 + 7272.7$$

$$\Rightarrow 327272.7$$

For d_2

$$d_2 = 400000 \left[\frac{2(10-2+1)}{10(10+1)} \right]$$

$$d_2 = 400000 \left[\frac{2(8+1)}{10(11)} \right]$$

$$d_2 = 400000 \left[\frac{2(9)}{110} \right]$$

$$d_2 = 400000 \left[\frac{18}{110} \right]$$

$$d_2 = 65454.5$$

$BV_2 =$

$$400000 - \left[\frac{2(400000)}{10} \right] \times 2 + \left[\frac{400000}{10(11)} \right] \times 3$$

$$\Rightarrow 400000 - 80000 \times 2 + \left[\frac{400000}{110} \right] \times 3$$

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$$= 400000 - 160000 + 3636.36 \times 6$$

$$= 400000 - 160000 + 2118 \cdot 16$$

=>

261818.16

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Question # 04

(a) Solution:-

Gross income and expenses as stated; income tax rate is 40%

Net income = ?

Considers the purchase of the machine to have been made at the end of year zero, which is also the beginning of year one

Note that this example explicitly assumes that the only depreciation charges for year one are those for the DC machine, a situation that may not be typical

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Item	No	Amount
i) Gross income (Revenues)		\$ 50,000
ii) Expenses		
iii) Cost of good sold		\$ 20,000
iv) Depreciation		\$ 2,000
v) Operating expenses		\$ 6,000
vi) Taxable income		\$ 20,000
vii) Taxes (40%)		\$ 8,000
Net income		\$ 12,000

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(13)

(b) Benefits

Improvement of the image of the area of Abbotabad city

Potential to attract conferences and conventions to Abbotabad city.

Potential to attract professional sports franchises to the city

Revenues from rental of the facility.

Use of facility for civic events.

Costs:-

Architectural design of the facility, construction of the facility, design and construction of parking facility, facility operating

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and maintainance costs,
insurance costs.

Disbenefits:-

loss of use of
postion of the park, bike
path natural trail, and the
pond. Loss of wildlife
habitat in urban area.

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Question # 5

First of all we determine the equivalent AW of all costs at the MARR of 12% / year. To earn exactly 12%, the annual rental income adjusted for 90% occupancy must be equal the AW of cost.

$$\text{Initial investment cost} = \$50,000 + \$225,000 = \$275,000$$

$$\text{Texes per year} = 0.1(275,000) = \$27,500$$

$$\text{un keep / year} = 30(12.30)(0.9) = \$9720$$

$$\begin{aligned} \text{CR cost / year} &= \$275,000(A/P, 12\%, 20) - \\ &\quad \$50,000(A/F, 12\%, 20) \\ &= \$36,123 \end{aligned}$$

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Now assume that oil investment
in land is recovered at
the year of 20

$$\text{Equivalent AW (of costs)} = \$275000 - \\ \$9720 - \$36,123 = -\$73,343$$

Therefore, minimum annual
rental required is \$73,343
and with annual compounding
the monthly rental amount
R is

$$R = \frac{\$73,343}{(12 \cdot 30)(0.9)}$$

$$R = \frac{\$73,343}{324}$$

$$R = \$226.367$$