

Paper RCD

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Q.NO 3

ANS. Mechanics of Rcc Beam

1. Mechanics is both quantitative and qualitative.
2. Qualitative mechanics deals with the nature of the effect stress
3. Quantitative mechanics deals with the formulation obtained using the established laws for instance equilibrium
4. The formulation of design equations for axial, flexure, shear and torsional stresses is based on the mechanics of reinforced concrete and will be taught in these respective topics.

Q.NO2

ANS. **Given data**

$$F_c' = 3 \text{ ksi}$$

$$F_y = 40 \text{ ksi}$$

Dimension

$$B = 12''$$

$$D = 20''$$

Solution

Step no 1 calculation of factor $M_{n \max}$

$$P_{mz} \text{ single} = 0.0203$$

$$A_{s \max} \text{ single} = p_{\max} bd = 4.87 \text{ in}^2$$

$$\text{Factor } M_{\max} \text{ single} = 2.948.88 \text{ in-kip}$$

Step no 2

Moment to be carried by compression steel

$$M_u \text{ extra} = m_u - \text{factor } M$$

$$3500-2948.88=551.12\text{IN-KIP}$$

STEP NO 3

Find E_r' and f_s'

$$D=20 \geq 12.3'', \text{ and for } d=2.5''$$

D'/d is $0.125 \leq 0.20$ for grade 40 steel so compression steel will yield stress in compression steel
 $f_s' = f_y$ Alternatively

$$E_s' = (0.003 - 0.008d'/d)$$

$$E_s' = (0.003 - 0.008 \times 2.5/20) = 0.002 \text{ greater than } E_y 40/2900 = 0.00137$$

$E_s E_s'$ is greater than E_y' so the compression steel will yield

Step no 4

Calculation of A_s' and A_{st}

$$A_s' = M_u \text{ extra (factor } F_s'(d-d)) = 55.12(0.90 \times 40 \times (20 - 2.5)) = 2.46 \text{in}^2$$

Total amount of tension reinforcement (A_{st}) is

$$A_{st} = A_s(\text{max})_{\text{single}} + A_s' = 4.87 + 2.46 = 7.33 \text{in}^2$$

$$\text{Using \#8 bar with bar area } A_s = 0.79 \text{in}^2$$

No of bar to be provided on tension side

$$A_{st}/A_b = 7.33/0.79 = 9.28$$

No of bar to be provided on compression side

$$A_s'/A_b = 2.46/0.79 = 3.11$$

Provid 10#8(7.9in² in 3 layer on tension side

4#8(3.16in² in 1 layer on compression side

Step no 5

Ensure that d'/d greater 0.2 for grade 40 so that section of bar does not creat compressive strees lower then yield

With to side reinforcement of 4#8 bar in single layer $d=19.625$ and 2.375

$$D'/d 2.375/19.625 = 0.12 \text{ greater } 0.2 \text{ ok}$$

Step no 6

Ductility requirement ; $A_s \leq A_{smax}$

A_s which is total steel area actually provided as tension reinforcement must be less than A_{smax}

$A_{smax} = A_{smax \text{ single}} \times A_s f'_s / f'_y$

$A_{smax \text{ single}}$ is fixed number for the case under consideration and A_s' is steel area actually placed on compression side

$A_{smax \text{ single}} = 4.87 \text{ in}^2$; $A_s' = 4 \times 0.79 = 3.16 \text{ in}^2$

$A_s = 7.9 \text{ in}^2$

$A_s = 7.9 \text{ in}^2$ less than $A_s \text{ max}$ ok

Step no 7

Q.No 1

Solution

$B_{max} = L/16 = 30 \times 12 / 16 = 22.5''$ say 24

Let $b = h/2 = 24/2 = 12''$

D=effective depth

D = h - c.c = factor, d l/2 factor main steel

$D = 24 - 1.5 - 3/8 - 1/2(1) = 21.5''$

Beam self load = 300 lb/ft

$P_u = 1.2(D.L) + 1.6(L.L)$

$= 1.2(1000 + 300) + 1.6(1100) = 3320 \text{ lb/ft}$

$M = w l^2 / 8 = 3320(30)^2 / 8 = 373500 \text{ lb-ft}$

$M_u = 448200 \text{ lb-in} = 4482 \text{ k-in}$

Trail no 1

$A_s = M_u / 0.9 \times f_y (d - a/2)$

$A = A_s f_y / 0.85 f_c' b$

A_{max}

$$A=0.2d$$

$$A=(0.2)(21.5)=4.3'' \text{ say } 5''$$

$$A_s=4482/0.9 \times 60(21.5-5/2) = 4.36 \text{ in square}$$

No of bars= total area of steel /area of bar

$$= 4.57 \text{ in} / \pi/4(5/8)^2$$

No bar= 15 bars

$$\text{For } 5\# \text{ bar } = 4.57 / \pi/4(8/8)^2$$

For bar 5# bars=6 bar

Ductility check

Formula A_s/bd

$$4.57/12 \times 21.5 = 0.017$$

$$S_{mix} = 200/f_y = 200/6000 = 0.003 \text{ ok}$$

$$S_{mix} = 0.85 \times f_c' / f_y \text{ (} e_s/e_s + 0.004 \text{)}$$

$$S_{mix} = 0.85 \times (4/60) (0.85)(0.003/0.003004) = 0.02$$

$$\Omega_{reurred} = 0.017$$

$$\Omega_{max} = 0.003$$

$$\Omega_{min} = 0.02$$

Ω_{min} greater Ω_{req} greater Ω_{mix}

$$0.02 \text{ greater } 0.017 \text{ greater } 0.003$$