

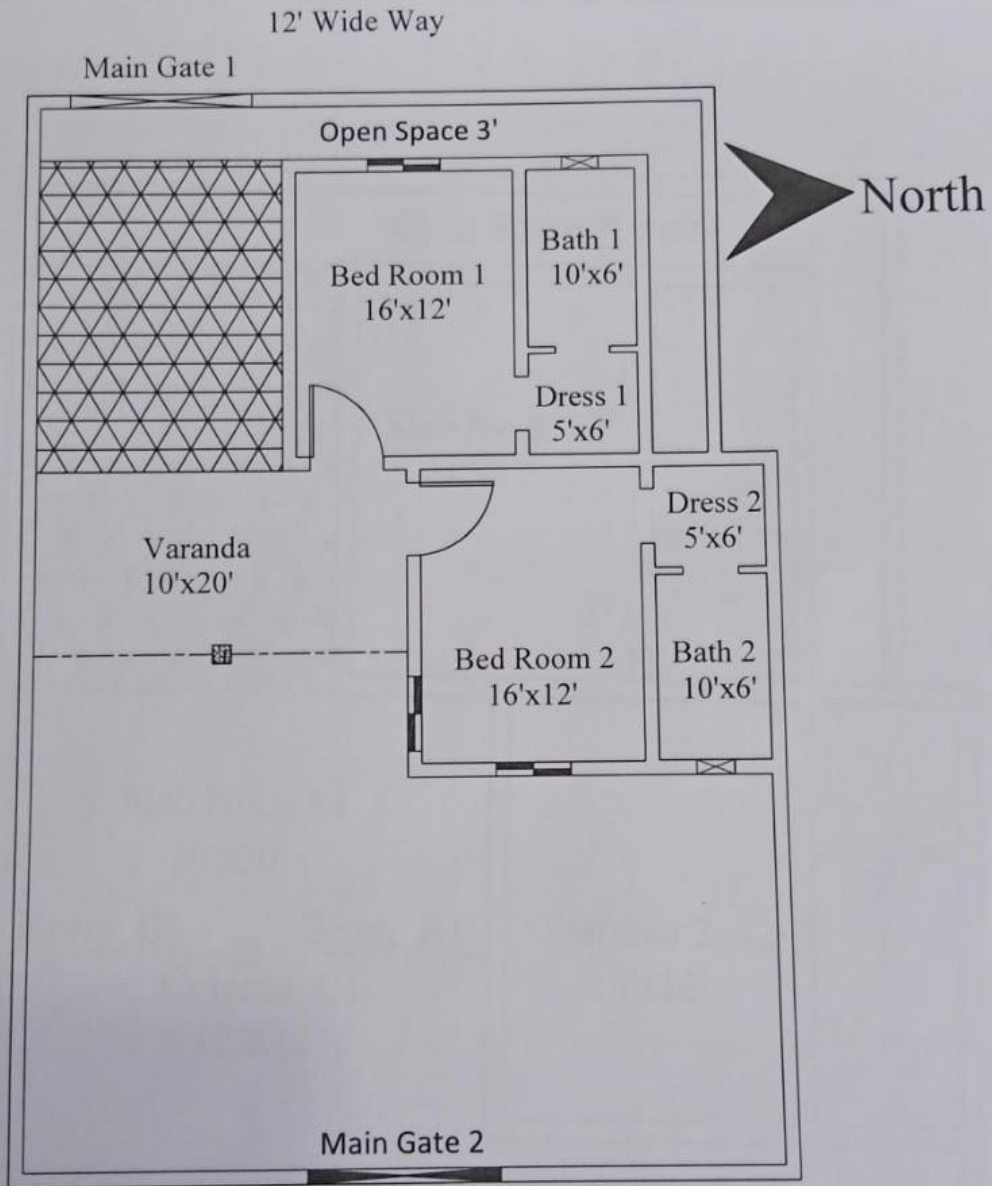
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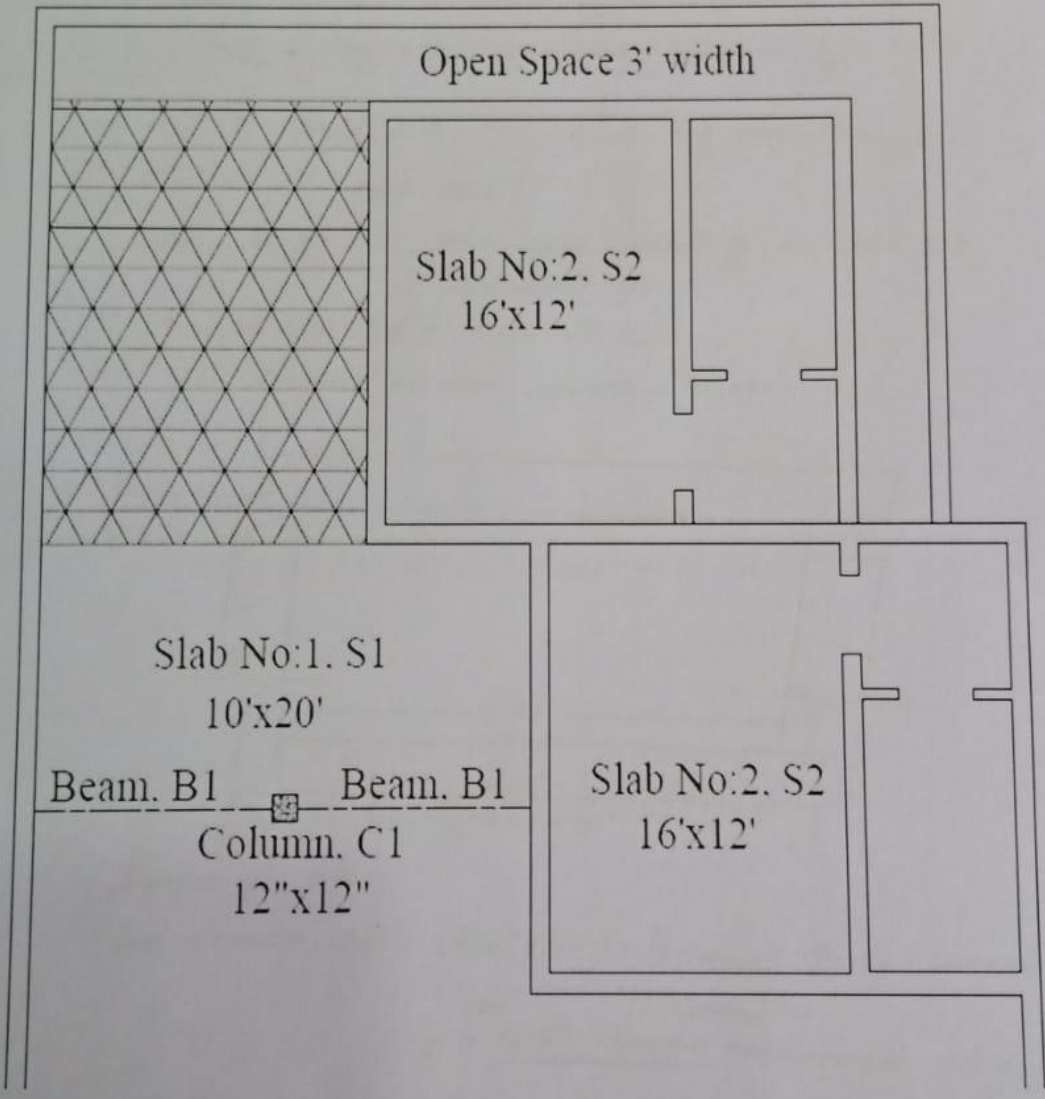
MS Transportation Engineering

Paper Reinforced Design Concrete

Plan of House



Drawing Showing Slabs, Beams and Columns



1. Design of Slab1, S1:

1

Solution:

(1) Design of Slab, S1;

Step 1

Size:

$$l_b/l_a = 20/10 = 2 \text{ one way slab.}$$

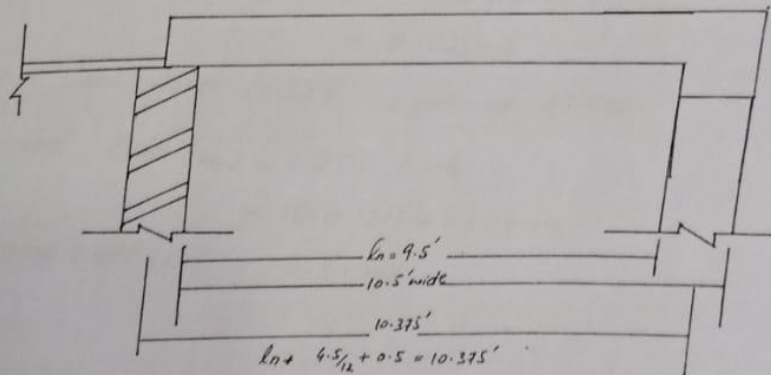
As $l_b/l_a \geq 2$ then it is one way slab.

Assume 5" depth slab.

Span length for end span according to ACI 8.7
is minimum of:

(i) $l = l_n + h_f = 9.5' + 5/12 = 9.92'$

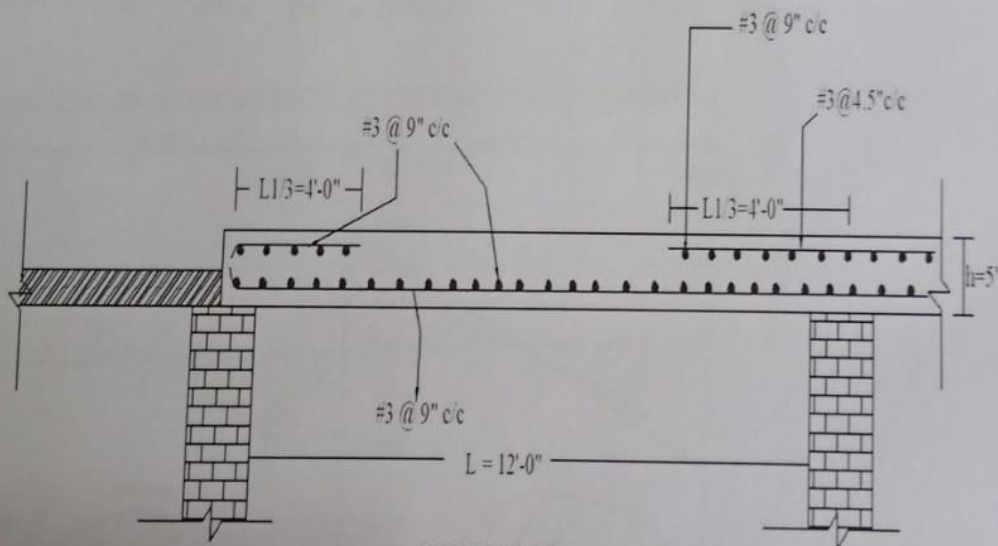
(ii) c/c distance between supports = $10.375'$



Therefore $l = 9.92'$

$$\begin{aligned} \text{Slab thickness } (h_f) &= (l/20) \times (0.4 + f_y/100000) \text{ for } f_y < 60000 \text{ psi} \\ &= 9.92/20 \times (0.4 + 40000/100000) \times 12 \\ &= 4.7616'' \text{ Minimum requirement. ACI 9.5.2.1} \end{aligned}$$

Panel	Depth (in)	Mark	Bottom Reinforcement	Mark	Top reinforcement	
S2	5"	M1	3/8" ϕ @ 9" c/c	MT1	3/8" ϕ @ 4.5" c/c	Continuous End
				MT2	3/8" ϕ @ 9" c/c	Non continuous Ends
S1	5"	M2	3/8" ϕ @ 6" c/c	MT2	3/8" ϕ @ 9" c/c	Non Continuous End
		M1	3/8" ϕ @ 9" c/c			



2 At MID Span:

$$\text{Positive moment (M}_{\text{pos}}) = \text{Coefficient} \times (w_u l_n^2)$$

$$= \left(\frac{1}{11}\right) \times \{1.25 \times (9.5)^2\}$$

$$= 10.255 \text{ ft} \cdot \text{k} \times 12$$

$$= 123 \text{ in} \cdot \text{k}$$

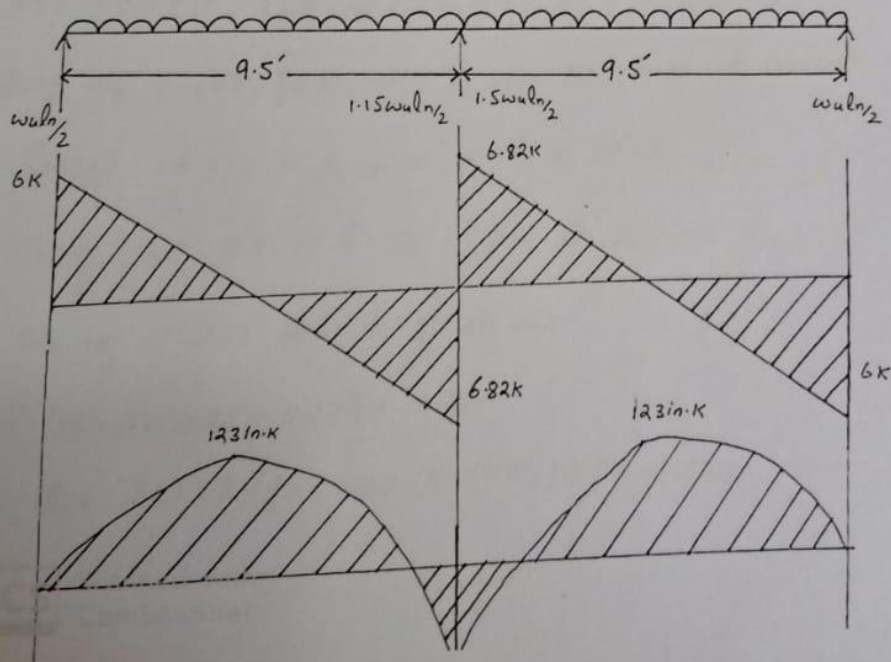
$$V_{\text{int}} = 1.15 w_u l_n / 2$$

$$= 1.15 \times 1.25 \times 9.5 / 2 = 6.82 \text{ k}$$

$$V_{\text{u(int)}} = 6.82 - 1.25 \times 1.25 = 6.97 \text{ k}$$

$$V_{\text{ext}} = w_u l_n / 2 = 1.25 \times 9.5 / 2 = 5.9 \approx 6 \text{ k}$$

$$V_{\text{u(ext)}} = 6 - 1.25 \times 1.25 = 5.93 \text{ k}$$



Finally use #3 @ 9" c/c (#10 @ 225mm c/c).

"Provide #3 @ 9" c/c as negative reinforcement along the longer direction."

$$M_{a, pos, (dl+ll)} = 1.53 \text{ ft}\cdot\text{K} = 18.36 \text{ in}\cdot\text{K} > \phi M_n$$

$$\text{Let } a = 0.2d$$

$$a = 0.2 \times 4$$

$$a = 0.8 \text{ in}$$

$$A_s = 1.53 \times 12 / \{0.9 \times 40 \times (4 - (0.8/2))\} = 0.146 \text{ in}^2$$

$$a = 0.146 \times 40 / (0.85 \times 3 \times 12) = 0.191 \text{ in}$$

$$A_s = 1.53 \times 12 / \{0.9 \times 40 \times (4 - 0.191/2)\} = 0.131 \text{ in}^2$$

$$a = 0.131 \times 40 / (0.85 \times 3 \times 12) = 0.171 \text{ in}$$

$$A_s = 1.53 \times 12 / \{0.9 \times 40 \times (4 - 0.30/2)\} = 0.131 \text{ in}^2. \text{ OK.}$$

Using $3/8"$ ϕ (#3) {#10, 10mm}, with bar area $A_b = 0.11 \text{ in}^2$

$$\text{Spacing} = 0.11 \times 12 / 0.131 = 10.07" \approx 9" \text{ c/c}$$

Finally use #3 @ 9" c/c (#10 @ 225 mm c/c).

$$M_{a, neg} = 2.67 \text{ ft}\cdot\text{K} = 32.04 \text{ in}\cdot\text{K}$$

$$\text{Let } a = 0.2d = 0.2 \times 4 = 0.8 \text{ in}$$

$$A_s = 2.67 \times 12 / \{0.9 \times 40 \times (4 - (0.8/2))\} = 0.24 \text{ in}^2$$

Step No: 4

Design:

$$A_{smin} = 0.002 b h_f = 0.002 \times 12 \times 5 = 0.12 \text{ in}^2$$

$$a = A_{smin} f_y / (0.85 f_c' b)$$

$$= 0.12 \times 40 / (0.85 \times 3 \times 12) = 0.156 \text{ in}$$

$$\phi M_n(\text{min}) = \phi A_{smin} f_y (d - a/2)$$

$$= 0.9 \times 0.12 \times 40 \times (4 - 0.156/2) = 16.94 \text{ in}\cdot\text{K}$$

(capacity provided by A_{smin}).

$\phi M_n(\text{min})$ is greater than $M_{b, \text{pos}, (d1+11)}$ but less than $M_{a, \text{neg}}$ and $M_{a, \text{pos}, (d1+11)}$.

$$M_{b, \text{pos}, (d1+11)} = 0.712 \text{ ft}\cdot\text{K} = 8.544 \text{ in}\cdot\text{K} < \phi M_n(\text{min})$$

Therefore, $A_{smin} = 0.12 \text{ in}^2$ governs

Using $3/8" \phi$ (#3) {#10, 10mm}, with bar area

$$A_b = 0.11 \text{ in}^2$$

$$\text{Spacing} = (0.11 / 0.12) \times 12 = 11"$$

Maximum spacing according to ACI 13.3.2 for two way slab is;

$$2h_f = 2 \times 5 = 10"$$

Therefore maximum spacing of 10" governs.

$$M_{a, \text{neg}} = C_{a, \text{neg}} \times w_u \times l_a^2$$

$$= 0.088 \times 0.211 \times 12^2 = 2.67 \text{ ft}\cdot\text{K} = 32.04 \text{ in}\cdot\text{K}$$

$$M_{b, \text{neg}} = C_{b, \text{neg}} \times w_u \times l_b^2$$

$$= 0 \times 0.211 \times 16^2 = 0 \text{ ft}\cdot\text{K}$$

$$M_{a, \text{pos}, d1} = C_{a, \text{pos}, d1} \times w_{u, d1} \times l_a^2$$

$$= 0.048 \times 0.147 \times 12^2 = 1.016 \text{ ft}\cdot\text{K} = 12.19 \text{ in}\cdot\text{K}$$

$$M_{b, \text{pos}, d1} = C_{b, \text{pos}, d1} \times w_{u, d1} \times l_b^2$$

$$= 0.012 \times 0.147 \times 16^2 = 0.45 \text{ ft}\cdot\text{K} = 5.42 \text{ in}\cdot\text{K}$$

$$M_{a, \text{pos}, 11} = C_{a, \text{pos}, 11} \times w_{u, 11} \times l_a^2$$

$$= 0.055 \times 0.064 \times 12^2 = 0.51 \text{ ft}\cdot\text{K} = 6.12 \text{ in}\cdot\text{K}$$

$$M_{b, \text{pos}, 11} = C_{b, \text{pos}, 11} \times w_{u, 11} \times l_b^2$$

$$= 0.016 \times 0.064 \times 16^2$$

$$= 0.262 \text{ ft}\cdot\text{K} = 3.144 \text{ in}\cdot\text{K}$$

Therefore finally we have;

$$M_{a, \text{neg}} = 2.67 \text{ ft}\cdot\text{K} = 32.04 \text{ in}\cdot\text{K}$$

$$M_{b, \text{neg}} = 0 \text{ ft}\cdot\text{K}$$

$$M_{a, \text{pos}, (d1+11)} = 1.016 + 0.51 = 1.53 \text{ ft}\cdot\text{K} = 18.36 \text{ in}\cdot\text{K}$$

$$M_{b, \text{pos}, (d1+11)} = 0.45 + 0.262 = 0.712 \text{ ft}\cdot\text{K} = 8.544 \text{ in}\cdot\text{K}$$

Where C_a, C_b = tabulated moment coefficients as given in Appendix, A.

w_u = Ultimate uniform load, psf

l_a, l_b = length of clear spans in short and long directions respectively.

Therefore, for the design problem under discussion.

$$m = l_a/l_b$$

$$m = 12/16 = 0.75$$

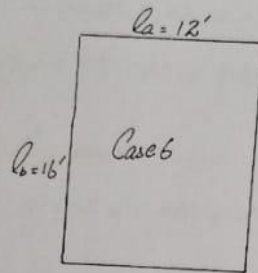


Figure 3: Two way slab (S_2)

Table 1.2: Moment coefficients for slab				
Case #6 [$m = 0.75$]				
Coefficients for negative moments in slabs		Coefficients for dead load positive moments in slabs		Coefficients for live load positive moments in slabs
$C_{a, neg}$		$C_{b, del}$	$C_{b, d1}$	$C_{a, ll}$ $C_{b, ll}$
0.088	0	0.048	0.012	0.055 0.016

Refer to tables 12.3 to 12.6 of Nilson 12th Ed.

2. Design of Slab2, S2:

6

2. Design of Slab, S₂,

Step No. 1: Sizes

$$l_2/l_1 = 16/12 = 1.33 < 2$$

Hence Two way slab

Formula for minimum depth of two way slab;

$$h_{min} = \text{Perimeter}/180$$

$$h_{min} = 2 \times (16+12) \times 12 / 180 = 3.73 \text{ in}$$

Assume $h = 5''$

Step No. 2.:

Loads

Factored Load (w_u) = $w_{udl} + w_{ull}$

$$w_u = 1.2D.L + 1.6L.L$$

From previous data;

$$D.L = 0.1225$$

$$L.L = 0.04$$

$$w_u = (1.2 \times 0.1225) + (1.6 \times 0.04)$$

$$w_u = 0.211 \text{ Ksf}$$

Step No. 3

Analysis:

$$M_{a, \text{pos}, (d_1 + l_1)} = M_{a, \text{pos}, d_1} + M_{a, \text{pos}, l_1} = C_{a, \text{pos}, d_1} \times w_u \times d_1 \times l_a^2 + C_{a, \text{pos}, l_1} \times w_u \times l_1 \times l_a^2$$

$$M_{b, \text{pos}, (d_1 + l_1)} = M_{b, \text{pos}, d_1} + M_{b, \text{pos}, l_1} = C_{b, \text{pos}, d_1} \times w_u \times d_1 \times l_a^2$$

$$M_{a, \text{neg}} = C_{a, \text{neg}} w_u l_a^2$$

$$M_{b, \text{neg}} = C_{b, \text{neg}} w_u l_a^2$$

Therefore 6" spacing is OK.

⇒ Maximum spacing for shrinkage steel in one way slab according to ACI. 7.12.2 is minimum $\frac{5}{8}$;

(i) $S_{hf} = 5 \times 5 = 25"$

(ii) 18"

Therefore 9" spacing is OK.

Using $\frac{1}{2}'' \phi$ (#4) $\left\{ \#13, 13 \text{ mm} \right\}$, with bar area
 $A_b = 0.20 \text{ in}^2$.

$$\begin{aligned} \text{Spacing} &= \text{area of one bar} = A_b / A_s \\ &= \left[0.20 \text{ in}^2 / 0.160 \text{ (in}^2/\text{ft)} \right] \times 12 = 15 \text{ in.} \end{aligned}$$

Using $\frac{3}{8}'' \phi$ (#3) $\left\{ \#10, 10 \text{ mm} \right\}$ with bar area $A_b = 0.11 \text{ in}^2$

$$\begin{aligned} \text{Spacing} &= \text{Area of one bar } A_b / A_s \\ &= \left[0.11 \text{ in}^2 / 0.160 \text{ (in}^2/\text{ft)} \right] \times 12 = 7.5'' \approx 6'' \end{aligned}$$

Finally use #3 @ 6" c/c (#10 @ 150 mm c/c).

Shrinkage steel or temperature steel (A_{st}).

$$A_{st} = 0.002 b h_f$$

$$A_{st} = 0.002 \times 12 \times 5 = 0.12 \text{ in}^2$$

Using $\frac{3}{8}'' \phi$ (#3) $\left\{ \#10, 10 \text{ mm} \right\}$, with bar area, $A_b = 0.11 \text{ in}^2$

$$\text{Spacing} = \text{Area of one bar } (A_b / A_{s \text{ min}})$$

$$= (0.11 / 0.12) \times 12 = 11'' \text{ c/c}$$

Finally use #3 @ 9" c/c (#10 @ 225 mm c/c).

\Rightarrow Maximum spacing for main steel in one way slab according to ACI 7.6.5 is minimum of

$$(1) 3 h_f = 3 \times 5 = 15''$$

Step no: 4
Design

$$A_{smin} = 0.002 bh_f \text{ (for } f_y \text{ 40 ksi, ACI 10.5.4).}$$

$$= 0.002 \times 12 \times 5 = 0.12 \text{ in}^2$$

$$a = A_{smin} f_y / (0.85 f_c' b)$$

$$= 0.12 \times 40 / (0.85 \times 3 \times 12) = 0.156 \text{ in}$$

$$\phi M_n (\text{min}) = \phi A_{smin} f_y (d - a/2)$$

$$= 0.9 \times 0.12 \times 40 \times (4 - 0.156/2)$$

$$= 16.94 \text{ in-k} < M_u$$

Therefore,

$$\Rightarrow A_s = M_u / \{ \phi f_y (d - a/2) \}$$

$$\text{Take } a = 0.2d$$

$$A_s = 22.44 / \{ 0.9 \times 40 \times (4 - (0.2 \times 4)/2) \}$$

$$A_s = 0.173 \text{ in}^2$$

$$\Rightarrow a = 0.173 \times 40 / (0.85 \times 3 \times 12) = 0.226 \text{ in}$$

$$A_s = 22.44 / \{ 0.9 \times 40 \times (4 - 0.226/2) \}$$

$$= 0.160 \text{ in}^2$$

$$\Rightarrow a = 0.160 \times 40 / (0.85 \times 3 \times 12) = 0.209 \text{ in}$$

$$A_s = 22.44 / \{ 0.9 \times 40 \times (4 - (0.209)/2) \}$$

$$A_s = 0.160 \text{ in}^2 \text{ ok.}$$

Therefore take $h_f = 5''$ ²
 for finding 'd':
 $d = h_f - 0.75 - (3/8)_{1/2} = 4''$

Step no: 2 Loading:

Table: 1.1 Dead Loads			
Material	Thickness (in)	γ (kcf)	Load = $\gamma \times$ thickness (psf)
Slab	5	0.15	$0.15 \times (5/12) = 0.0625$
Mud	4	0.12	$0.12 \times (4/12) = 0.04$
Brick Tile	2	0.12	$0.12 \times (2/12) = 0.02$

$$\text{Service Dead Load (D.L)} = 0.0625 + 0.04 + 0.02$$

$$= 0.1225 \text{ ksf}$$

$$\text{Service Live Load (L.L)} = 40 \text{ psf or } 0.09 \text{ ksf}$$

$$\text{Factored Load (} w_u \text{)} = 1.2 \text{ D.L} + 1.6 \text{ L.L}$$

$$= 1.2 \times 0.1225 + 1.6 \times 0.09$$

$$\text{Factored Load (} w_u \text{)} = 0.211 \text{ ksf.}$$

Step no: 3

Analysis:

$$M_u = w_u l^2 / 8 \quad (l = \text{span length of slab})$$

$$M_u = 0.211 \times 9.9^2 / 8 = 2.59 \text{ ft.k/ft}$$

$$= 31 \text{ in.k/ft.}$$