

CS

①

①(A)

Names Syed. M. Zahoor

IDs 12595

Ans

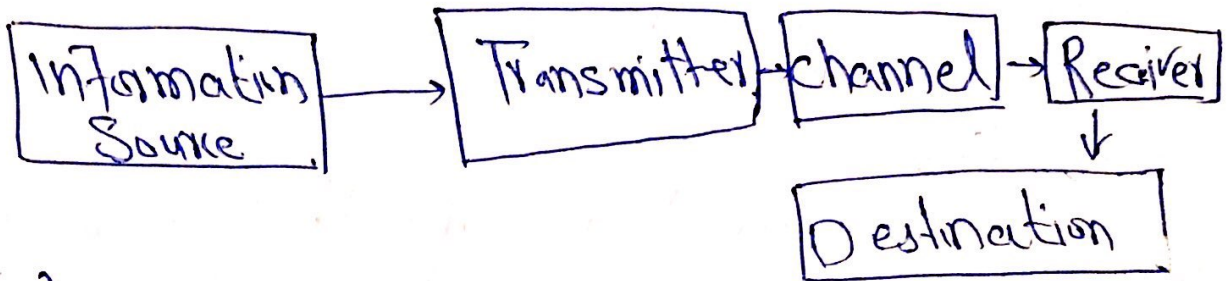
The SNR of an access point measured at the user device decreases the range to the user because the applicable free space loss between the user and the access point reduces signal level. SNR directly impacts the performance of a wireless LAN connection. A higher SNR value means the signal strength is stronger in relation to the noise levels. A lower SNR requires wireless LAN device to operate at lower data rates.

①(C)

Ans The baseband signals are incompatible for direct transmission for such signal to travel longer distance its strength has to be increased by strength has to be increased by ~~mod~~ with high frequency carrier wave which doesn't affect the parameters of modulating signal.

Q1 (B)

The Basic block diagram of a communication system will have five blocks.



Explanation:

Information Source: originates a message

Transmitter: convert the message into signal to be transmitted

Channel: transports the signal over a certain medium.

Receiver: converts the signal back into a readable message

Destination: it is the final block which receives the message signal and processes it to comprehend the information present in it.

(3)

(14d)

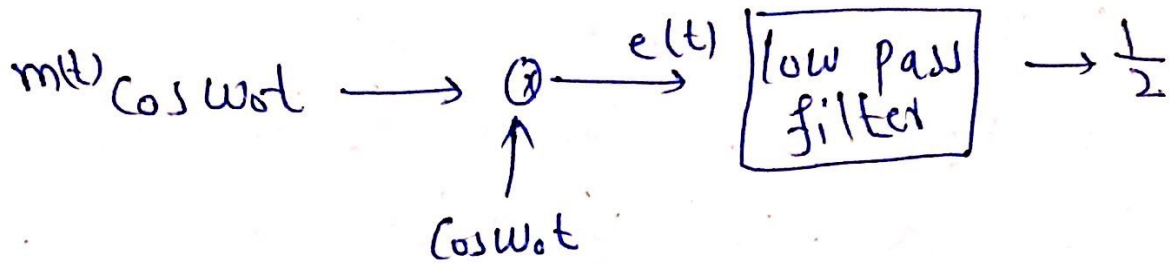
If you send digital data directly through the air you will probably interfere with other transmitters so to separate different channels the signal is modulated in a given frequency band. Obviously you can do this by digital modulation but due to harmonics you will impact other channels (Modulation with a square signal has lots of harmonics) and during your demodulation depending on the other channel your signal will be distorted. Moreover you can suffer of bandwidth problem of your power amplifier which will be distorted also for transmission.

(4)

Q No 1

(e)

$$f(t) = \cos(\omega_0 t + Q)$$



$$f(t) = m(t) \cos^2 \omega_0 t$$

$$f(t) = m(t) \left\{ \frac{1 + \cos(2\omega_0 t)}{2} \right\}$$

$$f(t) = \frac{m(t)}{2} + \frac{m(t) \cos(2\omega_0 t)}{2}$$

Q No 2 (A)

(5)

(i) $5 \cos 2\pi 10^6$

(ii) $3 \cos 2\pi 10^3$

(1) $f_1 = 2 \times 10^6$

We know that that

$$\lambda = \frac{c}{f_1}$$

$c =$ Speed of light

$$\lambda = \frac{3 \times 10^8}{2 \times 10^6}$$

$$\lambda = \frac{3}{2} \times 10^{8-6}$$

$$\lambda = \frac{3}{2} \times 10^2$$

$$\lambda = 1.5 \times 10^2 \text{ m}$$

(ii) $f_2 = 2 \times 10^3$

$$\lambda = \frac{c}{f_2}$$

$$= \frac{3 \times 10^8}{2 \times 10^3}$$

$$= 1.5 \times 10^5 \text{ Ans.}$$

No 2
B

6

AM Modulation

$$X_m(t) = A_m \cos \omega_m t$$

$$X_c(t) = A_c \cos \omega_c t$$

$$X_{AM}(t) = A_c [1 + m \cos \omega_m t] \cos \omega_c t$$

$\cos \omega_c t$ = multiplied to eq

$$X_{AM}(t) = A_c \cos \omega_c t + X_m(t) \cos \omega_c t$$

$$X_{AM}(t) = X_1(t) + X_2(t)$$

As we know that

$$\cos \omega t = \frac{1}{2} [e^{j\omega t} + e^{-j\omega t}] \quad \text{--- (2)}$$

Comparing eq (1) and eq (2)

$$X_{AM}(t) = \frac{A_c}{2} (e^{j\omega_c t} + e^{-j\omega_c t}) + \frac{X_m(t)}{2} (e^{j\omega_c t} + e^{-j\omega_c t}) \quad \text{--- (3) eq}$$

$$X_m(t) e^{j\omega_c t} \rightarrow X(\omega_c - \omega_m)$$

$$X_m(t) e^{-j\omega_c t} \rightarrow X(\omega_c + \omega_m)$$

The eq (3) becomes

$$X_{AM}(t) = \frac{1}{2} X_m(t) e^{j\omega_c t} + \frac{1}{2} X_m(t) e^{-j\omega_c t}$$

$$X_2(t) = \frac{1}{2} (\omega_c - \omega_m) + \frac{1}{2} X(\omega_c + \omega_m)$$

$$X_1(t) = \pi A (f(\omega - \omega_c) + f(\omega + \omega_c))$$

$$X_{AM}(t) = \pi A \left(f(\omega + \omega_c) + f(\omega - \omega_c) + \frac{1}{2} (X(\omega_c - \omega_m) + X(\omega_c + \omega_m)) \right)$$

Power of AM Waves



$$X_{AM}(t) = A_c \cos \omega_c t = \frac{m A_c}{2} (\cos(\omega_c - \omega_m)t + \cos(\omega_c + \omega_m)t)$$

$$X_m(t) = \pi A (f(\omega - \omega_c) + f(\omega + \omega_c) + \frac{1}{2} (X(\omega_c - \omega_m) + X(\omega_c + \omega_m)))$$

$$\text{Power} = \text{Power}(\text{Lower Side Band}) + \text{Power}(\text{Upper S.B.}) + P_c$$

$$V_c, \text{RMS} = V_c / \sqrt{2}$$

$$V_m = \text{RMS} \quad V_m / \sqrt{2}$$

$$P_c = \frac{V_c^2}{R} \Rightarrow V_c^2 / \sqrt{2} R$$

$$P_m = V_m^2 / R \Rightarrow V_m^2 / R$$

$$\Rightarrow \left(\frac{m V_c}{2} \right)^2 / 2 R$$

(8)

$$\frac{m^2 V_c^2}{4 - 2R} \Rightarrow m^2 \cdot P_c$$

$$P_L = P_c \left(1 + \frac{m^2}{2} \right)$$

$$\text{Band width} = f_H - f_c$$

$$B = (\omega_c + \omega_m) - (\omega_c - \omega_m)$$

$$B = 2\omega_m$$

Q3 (A)

(i) If $m < 1$

(ii) $m = 1$

(iii) $m > 1$

$x_m(t)$

$x_c(t)$

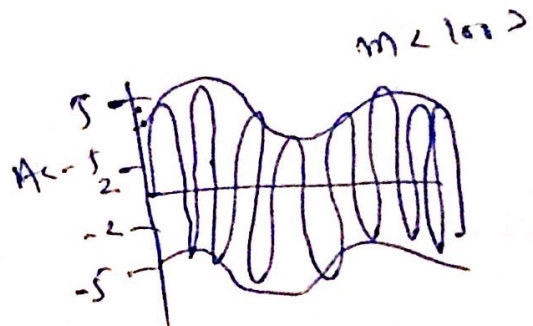
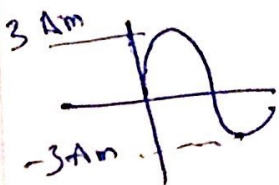
$$m = \frac{A_m}{A_c}$$

$$m < 1 \Rightarrow A_c > A_m$$

$$m = 1 \Rightarrow A_c = A_m$$

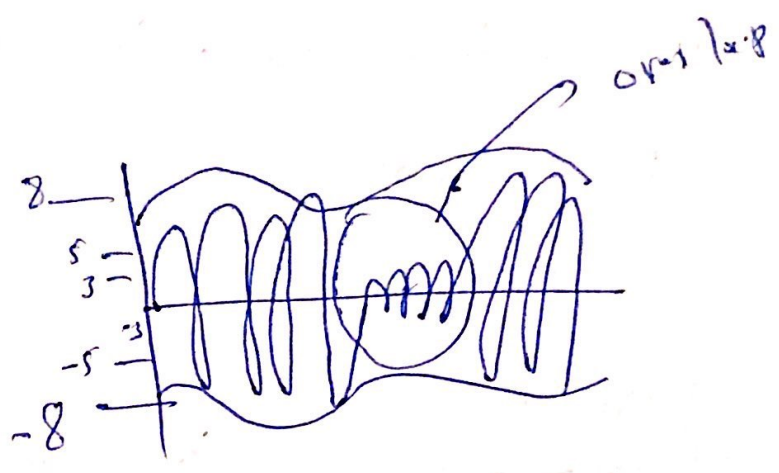
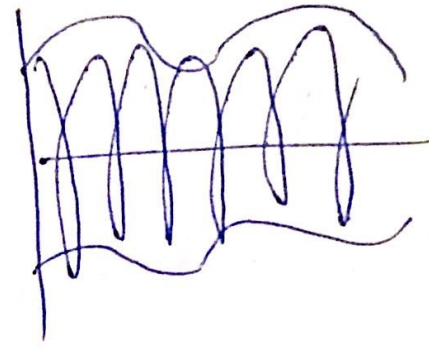
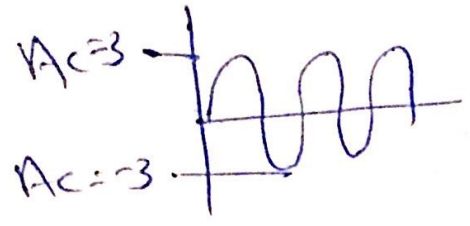
$$m > 1 \Rightarrow A_c < A_m$$

$x_m(t)$



9

low % mode



Q3B

① message Equation = $3.5 \cos 5 \times 10^3 \text{ Hz}$

Carrier Equation = $7 \cos 2 \times 10^6 \text{ Hz}$

modulated signal = $7(1 \pm 0.5 \cos(10^3 t)) \cos 10^6 t$

modulation Index = $\frac{E_m}{E_c}$

= $\frac{3.5}{7}$

= 0.5

②

$s(t) = E_c(1 + m \cos \omega_m t) \cos \omega_c t$

$7(1 + 0.5 \cos(2\pi \times 5 \times 10^3 t)) \cos(2\pi \times 10^6 t)$

