

(1)

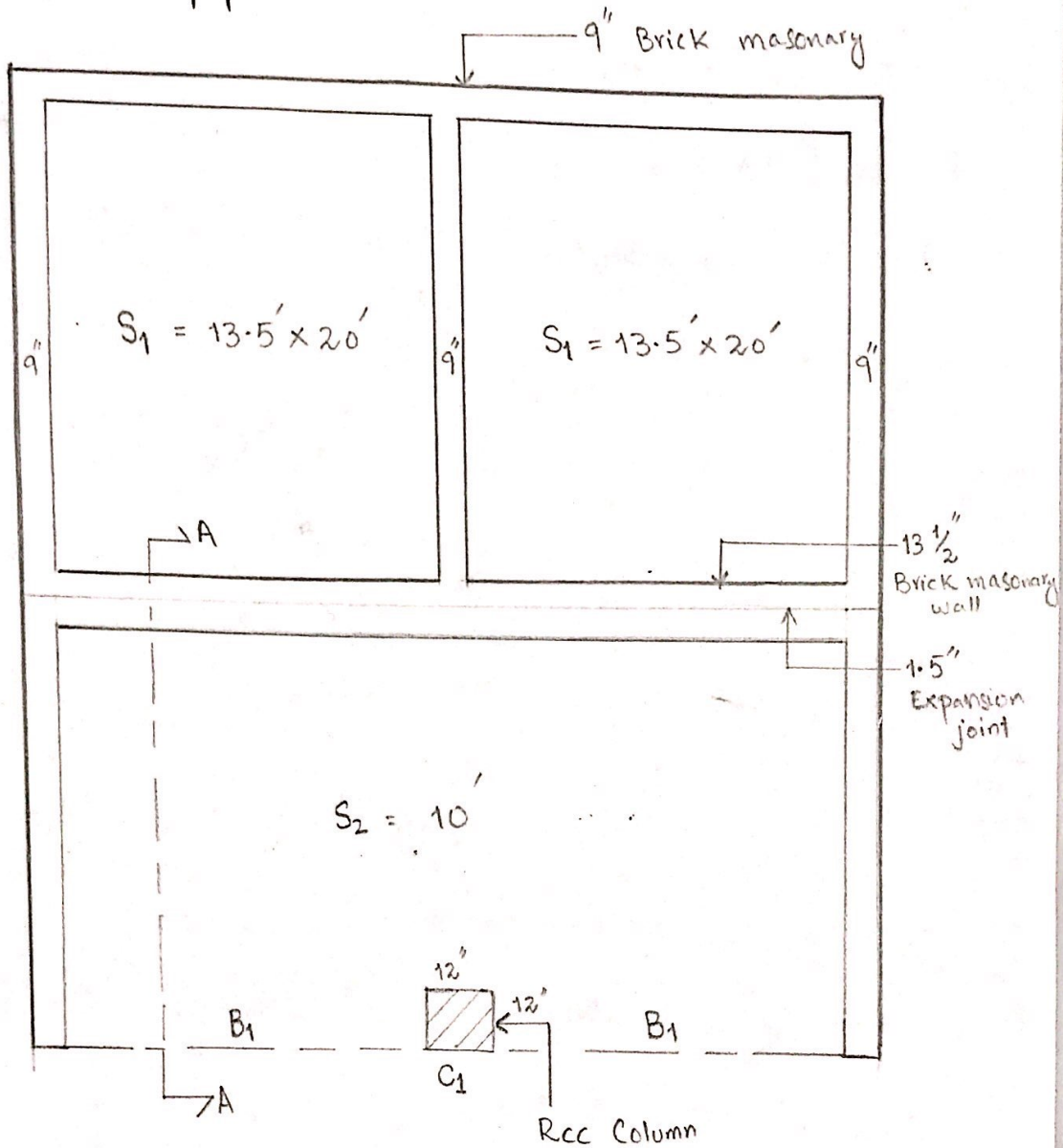
ID# 15343

Name: Shah Rukh Khan

Subject: Advance conc design.

Question: Dimensions of five Marla plot:

Live load = 40 psf



Solution :-

Concrete Compressive Strength ( $f_c'$ ) = 3Ksi

Steel yield strength ( $f_y$ ) = 40ksi

Load on slab:

4" thick mud.

2" thick brick tile.

(1) Design of slab "S2"

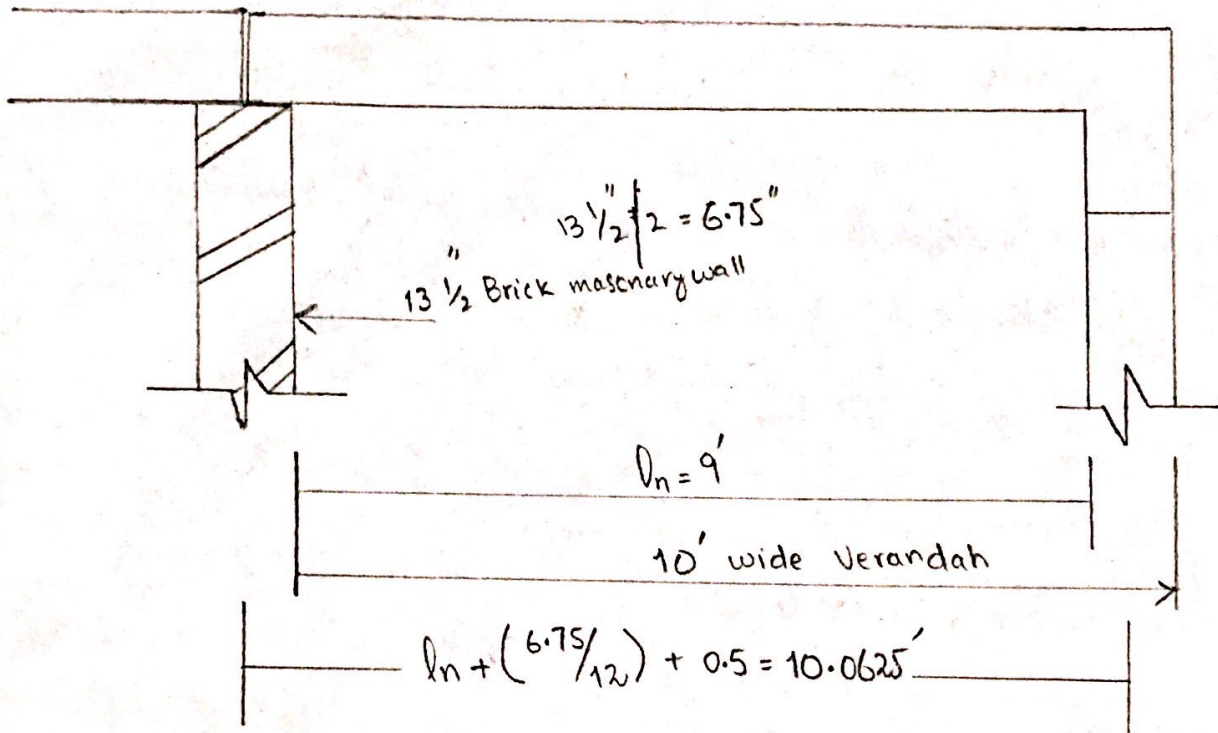
or Sizes  $l_b/l_a = 27.75/9 = 3.083 > 2$

"Oneway Slab" Assume 5" Slab.

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Span length for end span according to ACI 8.7 is minimum of : (i)  $L = l_n + h_f = 9 + (5/12) = 9.41'$

(ii) c/c distance between supports =



Section A-A (See fig 1 above)

Therefore  $l = 9.41'$

$$\begin{aligned} \text{Slab thickness } (h_f) &= (l/20) \times (0.4 + f_y/100000) \quad [\text{For } f_y < 60000 \text{ psi}] \\ &= (9.41/20) \times (0.4 + 40000/100000) \times 12 \\ &= 4.5168" \quad (\text{minimum requirement of ACI 9.5.2.1}) \end{aligned}$$

Therefore take  $h_f = 5"$

$$d = 50.75 - (3/9) \times \frac{1}{2} = 4.08$$

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Table 1.1 Dead Load

Material	Thickness (in)	$\gamma$ (Kcf)	Load = $\gamma \times$ thickness (ksf)
Slab	5	0.15	$0.15 \times (5/12) = 0.0625$
Mud	4	0.12	$0.12 \times (4/12) = 0.04$
Brick Tile	2	0.12	$0.12 \times (2/12) = 0.02$

$$\text{Service Dead Load (D.L)} = 0.0625 + 0.04 + 0.02 \\ = 0.1225 \text{ ksf}$$

$$\text{Service live load} = 40 \text{ psf } 0.04 \text{ ksf}$$

$$\text{factored load (} W_u \text{)} = 1.2 \text{ D.L} + 1.6 \text{ L.L} \\ = 1.2(0.1225) + 1.6(0.04) \\ = 0.211 \text{ ksf}$$

Step #03 Analysis

$$M_u = W_u l^2 / 8 \quad (l = \text{Span length of slab})$$

$$M_u = 0.211 \times (9.41)^2 / 8 = 2.33 \text{ ft-k/ft} = 27.96 \text{ in-k/ft}$$

Step #04 Design

$$A_{s_{\min}} = 0.002 b h_f \quad (\text{for } f_y = 40 \text{ ksi, ACI})(10.5.4) \\ = 0.002 \times 12 \times 5 = 0.12 \text{ in}^2 \quad a = A_{s_{\min}} f_y / 0.85 f_c' b \\ = 0.12 \times 40 / (0.85 \times 3 \times 12) = 0.156 \text{ in}$$

$$\phi M_n (\text{min}) = \phi A_{s_{\min}} f_y (d - a/2) \\ = 0.9 \times 0.12 \times 40 \times (4 - 0.156/2) \\ = 16.94 \text{ in-k} < M_u$$

Therefore;

$$* A_s = M_u / \phi f_y (d - a/2)$$

Take  $a = 0.2d$  here  $M_u =$ 

$$A_s = 22.33 / 0.9 \times 40 \times (4 - (0.2 \times 4) / 2)$$

$$= 0.172 \text{ in}^2$$

$$* a = 0.172 \times 40 / (0.85 \times 3 \times 12) = 0.224 \text{ in}$$

$$A_s = 22.33 / \{0.9 \times 40 \times (4 - (0.224 / 2))\}$$

$$= 0.155 \text{ in}^2$$

$$* a = 0.155 \times 40 / (0.85 \times 3 \times 12) = 0.202 \text{ in}$$

$$A_s = 22.33 / \{0.9 \times 40 \times (4 - (0.202 / 2))\}$$

$$= 0.155 \text{ in}^2 \text{ OK}$$

Using  $1/2'' \phi$  (#4) {#13, 13mm} with bar

$$\text{Area } A_b = 0.20 \text{ in}^2$$

$$\text{Spacing} = \text{Area of one bar } (A_b) / A_s$$

$$= [0.20 (\text{in}^2) / 0.155 \text{ in}^2/\text{ft}] \times 12 = 15.48 \text{ in}$$

Using  $3/8'' \phi$  (#3) {#10, 10mm}, with bar Area

$$A_b = 0.11 \text{ in}^2$$

$$\text{Spacing} = \text{Area of one bar } (A_b) / A_s$$

$$= [0.11 / 0.155] \times 12 = 7.516 \approx 6''$$

Finally use #3 @ 6" c/c (#10 @ 150mm/c)

(5)

Shrinkage Steel or temperature Steel ( $A_{st}$ ):

$$A_{st} = 0.002 b h_f$$

$$A_{st} = 0.002 \times 12 \times 5 = 0.12 \text{ in}^2$$

Using  $3/8'' \phi$  (#3) { #10, 10mm }, with bar area  $A_b = 0.11 \text{ in}^2$

$$\text{Spacing} = \text{Area of one bar } (A_b) / A_{st \text{ min}}$$
$$= (0.11 / 0.12) \times 12 = 11'' \text{ c/c}$$

finally use #3 @ 9'' c/c (#10 @ 225 mm c/c)

\* Max. Spacing for main Steel in one way slab according to ACI 7.6.5 is minimum of :

(i)  $3h_f = 3 \times 5 = 15''$

(ii)  $18''$

Therefore 6'' Spacing is OK.

\* Max. Spacing for Shrinkage Steel in one way slab according to ACI 7.12.2 is mini. of .

(i)  $5h_f = 5 \times 5 = 25''$

(ii)  $18''$

Therefore 9'' Spacing ok.

(2) Design of Slab "S1" :-

(a) Step No 1: Sizes  $b/b_a = \frac{20}{13.5} = 1.48 < 2''$

Minimum depth of two way slab is given by

$$h_{min} = \frac{\text{Perimeter}}{180} = 2 \times (20 \times 13.5) \times 12 / 180 = 36$$

Assume  $\Rightarrow h = 5''$

(6)

Step #02:- Loads

$$\text{Factored load} = W_u = W_{u,dl} + W_{u,ll}$$

$$W_u = 1.2 D.L + 1.6 L.L$$

$$W_u = 1.2(0.1225) + 1.6(0.04)$$

$$= 0.211 \text{ KSF}$$

Step #03:- Analysis

$$M_{a,neg} = C_{a,neg} W_u l_a^2$$

$$M_{a,neg} = C_{a,neg} W_u l_a^2$$

where,  $C_a, C_b$  = tabulated moment coefficient as given in Appendix A

$W_u$  = Ultimate uniform load, Psf  $l_a, l_b$  = lengths of clear spans in short and long direction respectively.

Therefore, for the design problem under discussion,  $m = l_a / l_b = 13.5 / 20 = 0.67 \approx 0.65$

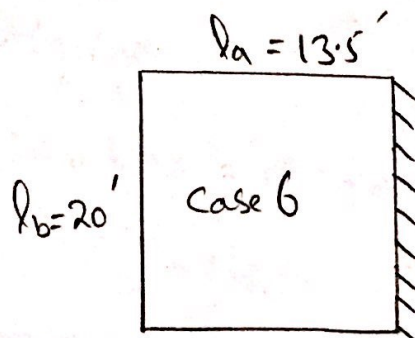
Fig 3: Two way slab ( $S_2$ )

Table 1.2: Moment coefficient for Slab					
Case #6 $Lm = 0.65$					
Coefficient for neg. moments in slab		Coefficient for dead load positive moment in slab		Coefficient for live load positive moment in Slab	
$C_{a,neg}$	$C_{b,neg}$	$C_{a,dl}$	$C_{b,dl}$	$C_{a,ll}$	$C_{b,ll}$
0.093	0.000	0.054	0.007	0.064	0.010

(7)

$$M_{a, neg} = C_{a, neg} \times w_u \times l_a^2$$

$$= 0.082 \times 0.211 \times 13.5^2 = 3.384 \text{ ft}\cdot\text{k} = 40.60 \text{ in}\cdot\text{k}$$

$$M_{b, neg} = C_{b, neg} \times w_u \times l_b^2 = 0 \times 0.211 \times 20^2 = 0 \text{ ft}\cdot\text{k}$$

$$M_{a, pos, dl} = C_{a, pos, dl} \times w_{u, dl} \times l_a^2$$

$$= 0.054 \times 0.147 \times 13.5^2 = 1.44 \text{ ft}\cdot\text{k} = 17.28 \text{ in}\cdot\text{k}$$

$$M_{b, pos, dl} = C_{b, pos, dl} \times w_{u, dl} \times l_b^2$$

$$= 0.007 \times 0.147 \times 20^2 = 0.441$$

$$M_{a, pos, ll} = C_{a, pos, ll} \times w_{u, ll} \times l_a^2$$

$$= 0.064 \times 0.064 \times 13.5^2 = 0.746$$

$$M_{b, pos, ll} = C_{b, pos, ll} \times w_{u, ll} \times l_b^2$$

$$= 0.010 \times 0.064 \times 20^2 = 0.256 \text{ ft}\cdot\text{k} = 3.072 \text{ in}\cdot\text{k}$$

$$M_{a, neg} = 40.60 \text{ in}\cdot\text{k}, M_{b, neg} = 0, M_{a, pos}(dl+ll) = 17.28 + 0.746$$

$$M_{b, pos}(dl+ll) = 0.441 + 3.072 = 3.483 \text{ in}\cdot\text{k}$$

$$= 18.026 \text{ in}\cdot\text{k}$$

Step #04: Designing.

$$A_{smin} = 0.002 b h_f = 0.002 \times 12 \times 5 = 0.12 \text{ in}^2$$

$$a = A_{smin} f_y / (0.85 f_c' b) = 0.12 \times 40 / (0.85 f_c' b) = \frac{0.12 \times 40}{(0.85 \times 12)}$$

$$= 0.156 \text{ in}$$

$$\phi M_n(\text{min}) = \phi A_{smin} f_y (d - a/2) = 0.9 \times 0.12 \times 40 \times (4 - 0.156/2)$$

$$= 16.94 \text{ in}\cdot\text{k} \text{ (capacity provided)}$$

$$\phi M_n(\text{min}) = \phi A_{smin} f_y (d - a/2)$$

$$(8) \\ = 0.9 \times 0.12 \times 40 \times (4 - 0.156/2) = 16.94 \text{ in-k}$$

$\phi M_n(\text{min})$  is greater than  $M_{n, \text{pos}, (dl+ll)}$  but less than  $M_{n, \text{pos}, (dl+ll)} = 3.483 \text{ in-k} < \phi M_n(\text{min})$

Therefore,  $A_{s \text{ min}} = 0.92 \text{ in}^2$  governs

Use  $3/8" \phi$  (#3) { #10, 10mm), with bar Area  $A_{b0.11} \text{ in}^2$

$$\text{Spacing} = (0.11/0.12) \times 12 = 11"$$

Max. Spacing according to ACI 13.3.2 for two way slab is,  $2h_f = 2 \times 5 = 10"$

Therefore max. spacing of  $10"$  governs

finally use #3 @  $9"$  c/c (#10 @  $22.5 \text{ mm c/c}$ )

Provide #3 @  $9"$  c/c as neg. reinforcement along the longer direction.

$$M_{n, \text{pos}, (dl+ll)} = 18.02 \text{ in-k} > \phi$$

$$M_n \text{ Let } a = 0.2d = 0.2 \times 4 = 0.8 \text{ in}$$

$$A_s = 1.53 \times 12 / 0.9 \times 40 \times (4 - 0.8/2) \\ = 0.146 \text{ in}^2, \lambda = \frac{0.146 \times 40}{0.85 \times 3 \times 12} \\ = 0.191 \text{ in}$$

$$A_s = 1.53 \times 12 / \{0.9 \times 40 \times (4 - 0.191/2)\} = 0.131 \text{ in}^2$$

$$a = 0.131 \times 40 / 0.85 \times 3 \times 12 = 0.171 \text{ in}$$

$$A_s = 1.53 \times 12 / 0.9 \times 40 \times (4 - 0.30/2) = 0.131 \text{ in}^2 \\ \text{Ok.}$$



(9)

using  $3/8'' \phi$  (#3) { #10, 10mm } with bar Area  
 $A_b = 0.11 \text{ in}^2$  Spacing =  $0.11 \times 12 / 0.131 = 10.07''$

$\approx 9'' \text{ c/c}$

finally use #3 @ 9'' c/c (#10 @ 225mm c/c)

$M_{a, \text{neg}} = 40.60 \text{ in-k} = 3.384$

Let  $a = 0.2d = 0.2 \times 4 = 0.8 \text{ in}$

$A_s = 3.384 \times 12 / (0.9 \times 40 \times (4 - 0.8/2))$   
 $= 0.285 \text{ in}^2$

$a = 0.28 \times 40 / (0.85 \times 3 \times 12) = 0.33 \text{ in}$

$A_s = 3.38 \times 12 / (0.9 \times 40 \times (4 - 0.33/2)) = 0.26 \text{ in}^2$

using  $3/8'' \phi$  (#3) { #10, 10mm } with bar Area  $A_b = 0.11$ , spacing =  $0.11 \times 12 / 0.26$   
 $= 5.07'' \approx 4.5'' \text{ c/c}$

finally use #3 @ 4.5 c/c (#10 @ 110mm c/c)

③ Beam Design (2 span continuous) ∴

Exterior Support = 9" BMW

$f_c' = 3 \text{ ksi}$

$f_y = 40 \text{ ksi}$

Column = 12" x 12

Step #01: Sizes

$h_{\text{min}} = L / 18.5 \ell =$

End span =  $12.375 - (13.5/12) / 2 = 11.875$

Let depth = 18" of Beam (10)

$$l_n + \text{depth of Beam} = 11.875 + 18/12 = 13.375'$$

$$\text{c/c distance b/w beam support} = 12.375'$$

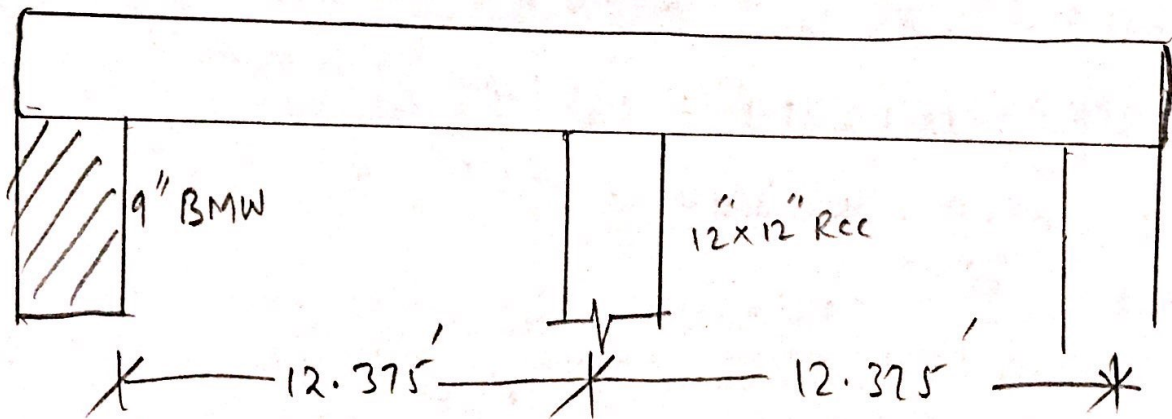
$$\text{therefore } l = 12.75' + (4.5/12) = 12.75'$$

$$\text{Depth (h)} = (12.75/18.5) \times (0.4 + 40000/100000) \times 12$$

$$= 6.62" \text{ (Min req of)}$$

$$\text{Take } h = 1.5' = 18"$$

$$d = h - 3 = 15"$$



Step # 02: Loads

$$D.L = 0.625 + 0.04 + 0.02 = 0.1225 \text{ ksf}$$

$$L.L = 40 \text{ psf or } 0.04 \text{ ksf}$$

$$D.L \text{ from slab} = 0.1225 \times 5 = 0.6125 \text{ k/ft}$$

$$\text{self weight} = h_w b_w \gamma_c = \left( \frac{13 \times 12}{144} \right) \times 0.15 = 0.1625 \text{ k/ft}$$

$$\text{Total D.L} = 0.775 \text{ k/ft}$$

$$L.L = 0.2 \text{ k/ft} \cdot w_u = 1.2 D.L + 1.6 L.L$$

$$= 1.2(0.775) + 1.6(0.20) = 1.25 \text{ k/ft}$$

Step #03 :- Analysis (11)

① At interior Support :-

$$\begin{aligned} M_{neg} &= \text{coefficient} \times w_u l_n^2 \\ &= (1/9) \times (1.25 \times (11.875)^2) \\ &= 19.59 \text{ ft} \cdot \text{k} = 235.08 \text{ in} \cdot \text{k} \end{aligned}$$

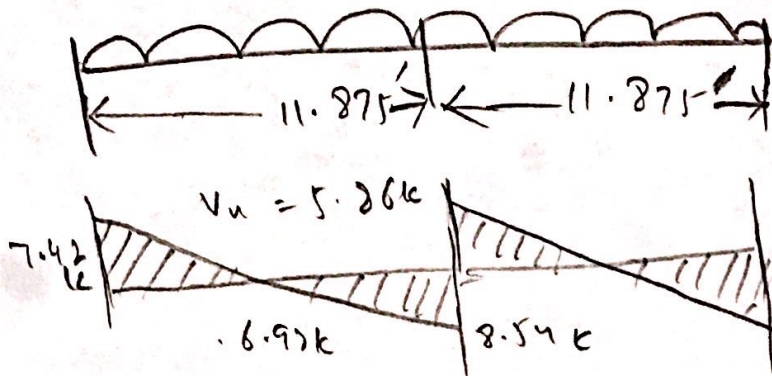
② At Mid Span :-

$$\begin{aligned} M_{pos} &= C_0 \times w_u l_n^2 \\ &= (1/11) \times \{ 1.25 (11.875)^2 \} \\ &= 16.02 \text{ ft} \cdot \text{k} = 192.24 \text{ in} \cdot \text{k} \end{aligned}$$

$$\begin{aligned} V_{in} &= 1.15 w_u l_n / 2 = 1.15 \times 1.25 \times 11.875 / 2 \\ &= 8.54 \text{ k} \end{aligned}$$

$V_u(\text{int}) = 8.54 - 1.25 \times 7.25 = 6.97 \text{ k}$

$w_u = 1.25 \text{ k/ft}$



(12)  
④ Design of Column:-

(i) Load on column :

$$P_u = 2 V_{int} = 2 \times 8.54 = 17.08 \text{ k}$$

$$\begin{aligned} \text{Gross area of column cross section } (A_g) \\ &= 12 \times 12 = 144 \text{ in}^2, f_c = 3 \text{ ksi} \\ &f_y = 40 \text{ ksi} \end{aligned}$$

(ii) Design :-

Nominal strength ( $\phi P_n$ ) of axially loaded col.

$$\begin{aligned} \text{Let } A_{st} &= 1\% \text{ of } A_g, \phi P_n = 0.80 \times 0.65 \times \\ &\{ 0.85 \times 3 (144 - 0.01 \times 144) + 0.01 \times 144 \times 40 \} \\ &= 218.98 \text{ k} > (P_u = 17.08 \text{ k}) \text{ OK} \end{aligned}$$

$$A_{st} = 0.01 \times 144 = 1.44 \text{ in}^2$$

Using  $3/4'' \phi$  (#6) { #19, 19mm }

$$A_b = 0.44 \text{ in}^2$$

$$\text{No. of bars} = A_s / A_b$$

$$= 1.44 / 0.44 = 3.27 \approx 4 \text{ bars use}$$

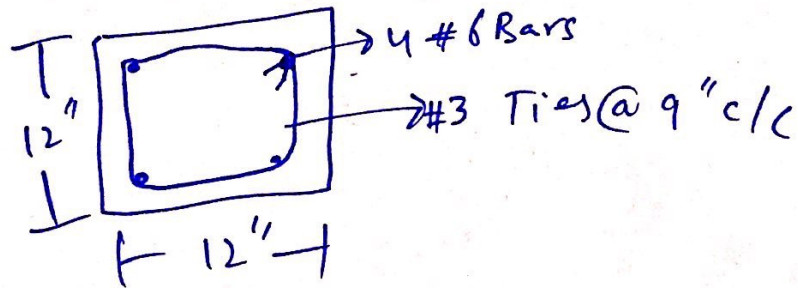
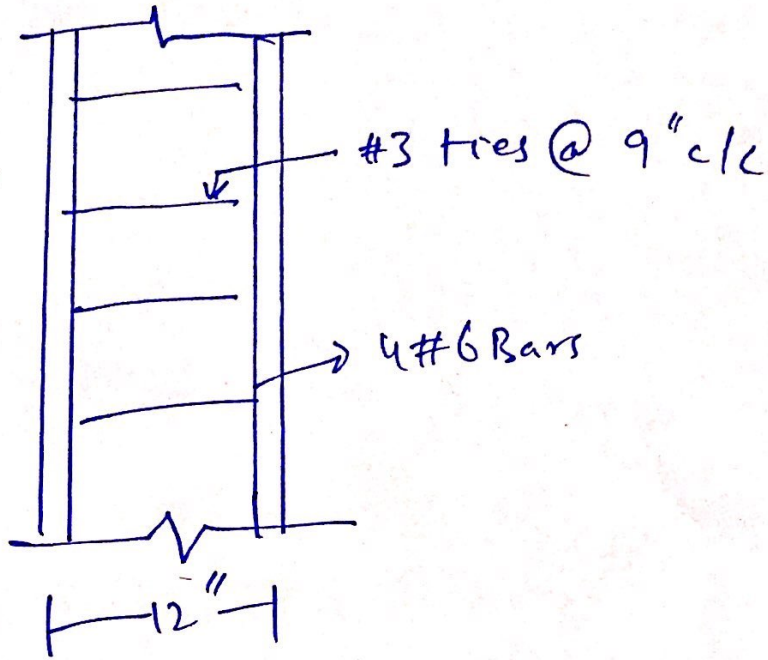
4 #6 bars { 4 #19 bars, 19mm }

Tie bar:-

$3/8'' \phi$  (#3) { #10, 10mm }  $3/8'' \phi$   
(#6) { #19, 19mm } main bar

(c) Column :-

(13)



(5) Footing :-