

Assignment

Problem 1:

A construction company will replace an excavator after 5 years. A new one costs \$250,000. How much is the end-of-year annual uniform payment the company has to put into a bank in order to save enough money in five years' time for purchasing the equipment if the bank is offering an interest rate of 4% per annum?

Solution:

Given Data:

Principal amount (S) = \$250,000 Number of periods (n) = 5

Interest rate per annum (i) = 4% = 0.04.

Annual uniform payment (A) =? Inflation free assumption has been made.

The given data can be presented diagrammatically as follows:

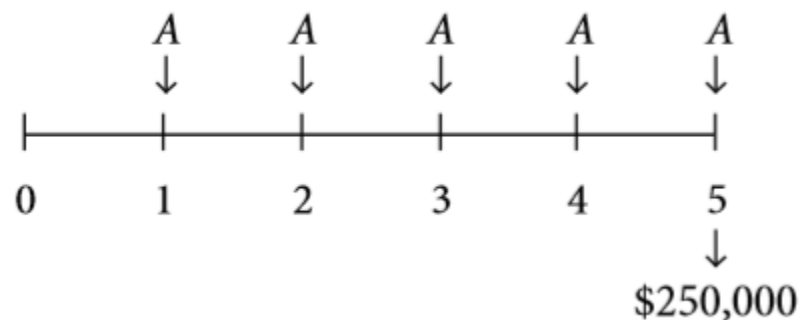


Fig. 1. – Sum of \$ 250000 accumulated by five uniform periodic (annual) payments.

Applying geometric series formula to obtain:

$$S = A \times [(1+i)^n - 1/i]$$

Putting the values

$$250000 = A \times [(1+0.04)^5 - 1/0.04]$$

$$250000 = A \times [1.21665 - 1/0.04]$$

$$250000 = A \times [0.21665/0.04]$$

$$250000 = A \times 5.4163$$

$$A = 250000/5.4163$$

$$A = \$46157$$

Therefore Annual uniform payment (A) is \$ 46157.

Problem 2:

A construction material company makes and sells window panels. The selling price per panel is \$900. The variable cost for making the window panels is \$500 per unit. The fixed cost is \$8,000,000. Find the BEP (break-even point)?

Solution:

Selling Price per unit (**p**) = \$900
Variable cost per unit (**v**) = \$500
Fixed Cost (FC) = \$8,000,000
Break-even point (BEP) = ?
Assume the number of units = x

Using Formula:

$$TR = a + b + c + \text{Profit}$$

$$\text{Total Cost (TC)} = \text{Variable Cost (VC)} + \text{Fixed Cost (FC)}$$

Where as

TR = Total Revenue

a = Direct cost (material, labour, equipment, etc.)

b = Administrative cost of the company

c = Costs of marketing/advertisements

At Break-even point (BEP):

$$TR = a + b + c$$

$$TR = TC$$

$$TR = px \quad \text{_____} \quad (i)$$

$$TC = VC + FC$$

$$TC = vx + FC \quad \text{_____} \quad (ii)$$

So

$$Px = vx + FC$$

Hence, at BEP, $x = FC / (p - v)$

Putting the given values:

$$x = 8000000 / (900 - 500)$$

$$x = 8000000 / 400$$

$$x = 20000 \text{ units}$$

Therefore Break-even point (BEP) = 20000 units

Let's assume the units/volume (x) as 18000, 20000 and 22000 using in the following table:

Cost-volume-profit analysis (Break-even analysis)				
Volume	x =18000	x =20000	x =22000	x =25000
Total Revenue	16200000	18000000	19800000	22500000
Variable Cost	9000000	10000000	11000000	12500000
Fixed Cost	8000000	8000000	8000000	8000000
Total Cost	17000000	18000000	19000000	20500000
Net Income	-800000	0	800000	2000000
	Loss	BEP	Profit	Profit

By putting different values of x, we observe that the break-even occurs when volume x is 20000 units. If the total production of the company is less than 20000 units then the company is in loss and if production is greater than 20000 the company is getting profit.

If the maximum capacity of the company is assumed **25000 units** then the company's maximum profit is **\$ 2,000,000**.

$$\begin{aligned} \text{BEP \%} &= [\text{BEP}/\text{Maximum Capacity}] \times 100 \\ \text{BEP \%} &= (20000/25000) \times 100 \\ \text{BEP \%} &= 80\%. \end{aligned}$$

Graphical presentation – Break-even chart:

The Break-even is a graphical presentation of TR, VC, FC and TC.
The Fig.2 below shows the break-even chart of problem 2.

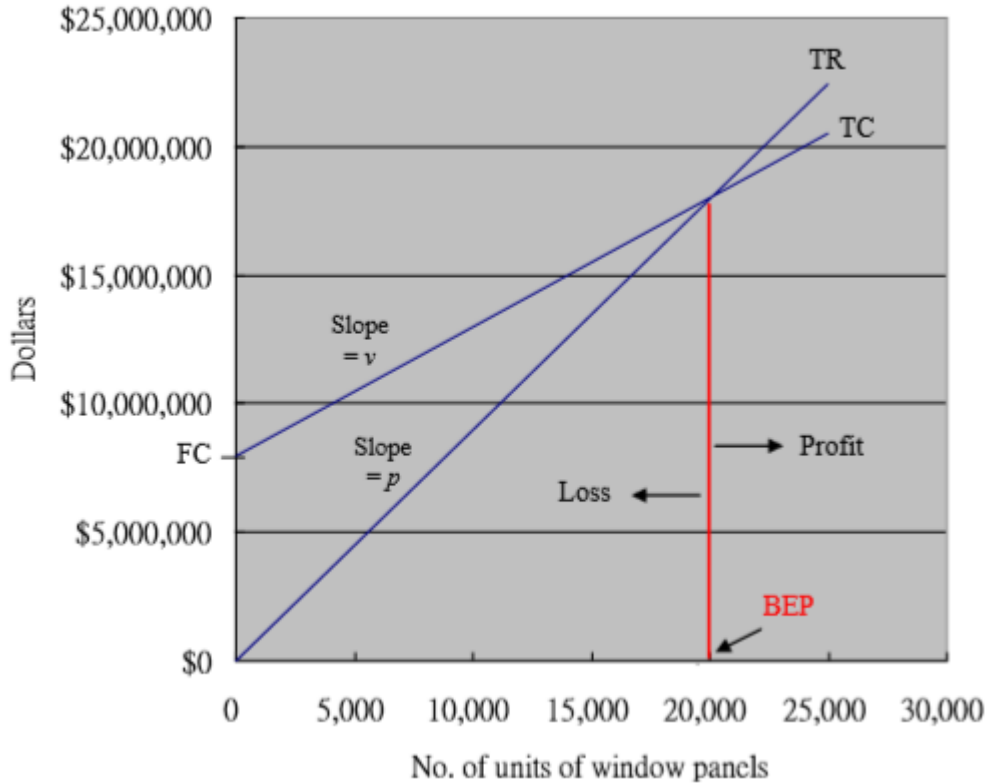


Fig. 2. - The break-even chart for problem 2.