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Communication

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(1)

(Q2) An ESS ground terminal located in Chicago at latitude  $41.5^\circ\text{N}$  and longitude  $87.6^\circ\text{W}$  has access to two GSO satellite one stationed at  $70^\circ\text{W}$  and the second at  $135^\circ\text{W}$  longitude which satellite will provide the more reliable link higher elevation angle for the ground terminal? The ground terminal elevation above sea level is 0.5 km. Assume  $0^\circ$  inclination angle for the satellites.

Solution :-

Given Data :-

Ground terminal latitude and longitude is

$$L_E = 41.5^\circ\text{N} = +41.5^\circ\text{N}$$

$$L_E = 87.6^\circ\text{W} = -87.6^\circ\text{W}$$

$$H = 0.5\text{ km}$$

Now we have two satellites. Let say

Set 1 and set 2

Longitude for set 1

$$L_{s1} = 70^\circ\text{W} = -70$$

Latitude  $L_{s1} = 0^\circ$  As inclination angle =  $0^\circ$

Longitude for set 2

$$L_{s2} = 135^\circ\text{W} = -135$$



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Now to check the reliability of link we find the elevation angles of the ground station to each satellite:

We know that

$$Q = \cos^{-1} \left( \frac{r_e + h_{sat}}{d} \sqrt{1 - \cos^2(CB) \cos^2(CLE)} \right)$$

For finding the elevation angle we first find the range  $d$ ,

So,

$$R = \sqrt{\rho^2 + z^2}$$

$$\rho = \left( \frac{6378.13}{\sqrt{1 - (0.08182)^2 \sin^2(41.5)}} + 0.5 \right) \cos(41.5)$$

$$\rho = \left( \frac{6378.13}{\sqrt{1 - (6.69 \times 10^{-3})(0.4390)}} + 0.5 \right) (0.745)$$

$$\rho = \left( \frac{6378.13}{\sqrt{0.99706}} + 0.5 \right) (0.745)$$

$$\rho = \left( \frac{6378.13}{\sqrt{0.99706}} \right) + (0.5)(0.745)$$

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$$Q = (6388.21)(0.7489)$$

$$Q = 4784.13 \text{ km}$$

Now we have to find Z

$$Z = \left( \frac{re(1 - e^2) + H}{\sqrt{1 - e^2 \sin^2(\theta)}} \right) \sin(\theta)$$

$$Z = \left( \frac{6378.13(1 - 69 \times 10^{-3}) + 0.5}{0.9985} \right) (0.6626)$$

$$Z = \frac{6335.46 + 0.5 \times 0.6626}{0.9985}$$

$$Z = (6344.17 + 0.5) (0.6626)$$

$$Z = 4204.51 \text{ km}$$

Now  $R = \sqrt{Q^2 + Z^2}$

So

$$R = \sqrt{4204.51^2 + 4784.13^2}$$

$$R = 6369.12 \text{ km}$$



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$$\varphi_E = \tan^{-1} (z/l)$$

$$\varphi_E = \tan^{-1} \left( \frac{4204.51}{4784.13} \right)$$

$$\varphi_E = \tan^{-1} (0.8788)$$

$$\varphi_E = 41.31^\circ$$

Now, we have to find the differential longitude for both satellite let say

$$\begin{aligned} B_1 &= \varphi_E - L_{s1} \\ &= -87.6 - (-70) \\ &= -17.6 \end{aligned}$$

Similarly,

$$\begin{aligned} B_2 &= \varphi_E - L_{s2} \\ &= -87.6 - (-135) \\ &= -87.6 + 135 \\ &= 47.4 \end{aligned}$$

Now we find Ranges:-

$$d_1 = \sqrt{R^2 + \delta_s^2 - 2R\delta_s \cos(\varphi_E) \cos(B_1)}$$

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$$= \frac{(6369.12)^2 + (42164.17)^2 - 2(6369.12)(42164.17)}{\cos(41.31^\circ) \cos(17.6^\circ)}$$

$$= \sqrt{143827607}$$

$$d_1 = 37865.9 \text{ km}$$

Now

$$d_2 = \frac{R^2 + r_s^2 - 2R \cdot r_s \cos(\angle E) \cos(B_2)}{\cos(41.31^\circ) \cos(47.4^\circ)}$$

$$= \frac{(6369.12)^2 + (42164.17)^2 - 2(6369.12)(42164.17)}{\cos(41.31^\circ) \cos(47.4^\circ)}$$

$$d_2 = \sqrt{1542304029}$$

$$d_2 = 39310.35 \text{ km}$$

Now elevation angle use to find  $\alpha_1$

$$\alpha_1 = \cos^{-1} \left[ \frac{r_e + r_s}{d_1} \sqrt{1 - \cos^2(17.6^\circ) \cos^2(41.5^\circ)} \right]$$

$$\alpha_1 = \cos^{-1} \left[ \frac{6378.14 + 35786}{37865.9} \sqrt{1 - (0.9085)(0.5609)} \right]$$



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$$\phi_1 = \cos^{-1} (1.11353) \sqrt{1 - (0.5376)}$$

$$\phi_1 = \cos^{-1} (1.11353) \sqrt{0.4627}$$

$$\phi_1 = \cos^{-1} (1.11353)(0.67998)$$

$$\phi_1 = \cos^{-1} (0.75718)$$

$$\phi_1 = 40.78^\circ$$

Now

$$\phi_2 = \cos^{-1} \left[ \frac{\delta_e + \text{base}}{d_2} \sqrt{1 - (\cos^2(B_2) \cos^2(LF))} \right]$$

$$= \cos^{-1} \left[ \frac{6378.14 + 85786}{39310.36} \sqrt{1 - (0.4582)(0.6605)} \right]$$

$$= \cos^{-1} \left[ \frac{42164.16}{39310.36} \sqrt{0.74299} \right]$$

$$= \cos^{-1} (1.0725)(0.8169)$$

$$\phi_2 = 22.39^\circ$$

As

$$\phi_1 = 40.39^\circ$$

$$\phi_2 = 22.39^\circ$$

So, the satellite at  $70^\circ W$  has more

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reliable links as compared to 135°W.

(Q3) AVSAT receiver consists of a 0.66m diameter antenna, connected to a 4dB noise noise receiver (LNR) by a cable with a line loss of 1.5 dB. The LNR is connected directly to a down converter with 10 dB gain and 2800°K noise temperature. The receiver was measured as 65°K.

a) Calculate the system noise temperature and system noise.

b) The receiver operates at a frequency of 12.5 GHz. What is the G/T for the receiver assuming a 55% antenna efficiency?

Solution: Given data:

Antenna diameter =  $d = 0.66\text{m}$

LNR has noise figure =  $NF = 4\text{dB}$

Cable link loss =  $A = 1.5\text{dB}$

Down converter gain =  $10\text{dB}$

" " temp =  $2800^\circ\text{K}$

IF Amplifier has =  $20\text{dB}$



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LNR has gain of = 35dB

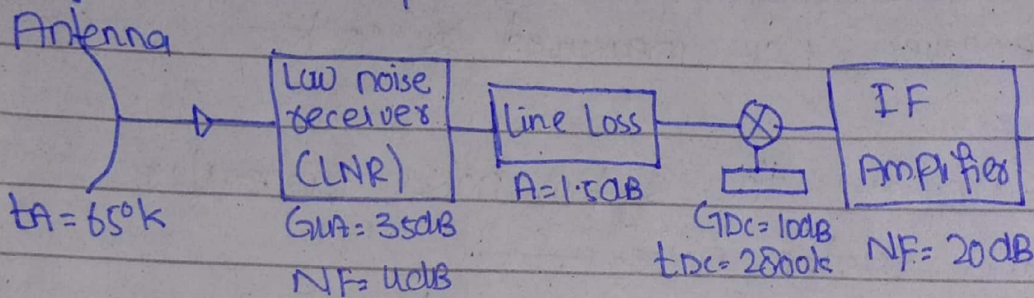
Antenna temperature = 65°K

a) Find

$$T_s = ?$$

$$NF_s = ?$$

On the base of the VSAT receiver information and parameter we draw the overall receiver system and respective value as below



Formula for the calculation of system noise temperature is

$$T_s = T_A + T_{LA} + \frac{290(1-A)}{g_{LA}} + \frac{T_{DL}}{g_{LA}} + \frac{T_{LE}}{g_{DC} \cdot (1/A) \cdot g_{LA}} \quad \text{--- (1)}$$

Now we find the values of each given and noise temp.

$$\text{Antenna} = 65^\circ K$$

$$LNR = 290 \left( 10^{NF/10} - 1 \right)$$

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$$\begin{aligned} &= 290 (10^{4/10} - 1) \\ &= 290(1.51) \end{aligned}$$

$$t_{LA} = 438 \text{ k}$$

Parameters:  $t_{DC} = 2800 \text{ k}$

$$\begin{aligned} \text{IF amplifiers} &= 290 (10^{NF/10} - 1) \\ &= 290 (10^{20/10} - 1) \\ &= 290(99) \end{aligned}$$

$$t_{IF} = 28710 \text{ k}$$

IF amplifiers =  $28710^\circ \text{ k}$

$$\begin{aligned} \text{Line} &= 290(2-1) \\ &= 290(10^{55/10} - 1) \\ &= 290(0.41) \end{aligned}$$

$$t_{RN} = 119^\circ \text{ k}$$

Now we calculate respective gain:

$$g_{LA} = 10^{35/10} = 3162$$

$$g_{DC} = 10^{10/10} = 10$$

$$1/2 = \frac{1}{10^{1.5/10}} = \frac{1}{10^{0.15}} = 0.707$$



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Now put all values in eq (1)

$$t_s = 65 + 438 + \frac{119}{3162} + \frac{2800}{(0.707)(3162)} + \frac{287 \cdot 10}{10(0.707)(3162)}$$

$$t_s = 505.57 \text{ k}$$

We have system noise figure formula is

$$NF_s = 10 \log \left( 1 + \frac{t_s}{290} \right)$$

$$NF_s = 10 \log \left( 1 + \frac{505.57}{290} \right)$$

$$NF_s = 10 \log (2.743)$$

$$NF_s = 4.382 \text{ dB}$$

(B)

Find figure of merit =  $M = G/\Gamma = ?$

$$f = 12.5 \text{ GHz}, \eta_A = 0.55, d = 0.66 \text{ m}$$

We first solve for  $G$  in dB as

$$G_{dB} = 10 \log (10^9 \cdot 0.66 \times f^2 \times d^2 \times \eta_A)$$

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$$= 10 \log (109.66 \times (12.5)^2 \times (0.66)^2 \times (0.33))$$
$$= 10 \log (4105.05)$$

$$G_p = 36.13 \text{ dB}$$

Then

$$T_s = ?$$

$$T_s = 10 \log (t_s)$$
$$= 10 \log (505.57)$$
$$= 27.03 \text{ dB/k}$$

$$M = G/T = G_p - T_s$$
$$= 36.13 - 27.03$$

$$G/T = 9.1 \text{ dB/k}$$

Q4) The downlink transmission rate for a QPSK modulated SCF satellite link is 60 Mbps. The  $E_b/N_0$  at the ground station receiver is 9.5 dB.

- calculate the  $C/N_0$  for the link.
- Assuming that the uplink noise contribution to the downlink is 1.5 dB determine the resulting BER for the link.

Solution:

Given data:

$$R_b = 60 \text{ Mbps}$$



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$$E_b/N_0 = 9.5 \text{ dB}$$

a) Find

$$C/N_0 = ?$$

We know that

$$E_b/N_0 = 1/R_b (C/N_0) \quad \text{--- (1)}$$

convert it from db:

$$E_b/N_0 = 10 \log (E_b/N_0)$$

$$9.5 = 10 \log (E_b/N_0)$$

$$E_b/N_0 = 10^{0.95}$$

$$E_b/N_0 = 8.912$$

put in eq (1)

$$8.912 = 1/60 \text{ Mbps } (C/N_0)$$

$$C/N_0 = 8.912 \times 60 \times 10^6 \text{ bps}$$

$$C/N_0 = 534.72 \times 10^6$$

$$C/N_0 = 10 \log (534.72 \times 10^6)$$

$$C/N_0 = 87.282 \text{ B Hz}$$

(b) As  $E_b/N_0 = 9.5 \text{ dB}$  and we have uplink noise contribution to downlink is  $1.5 \text{ dB}$ .

Now,

$$E_b/N_0 = 9.5 \text{ dB} - 1.5 \text{ dB} = 8 \text{ dB}$$

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$$E_b/N_0 = 10^{0.8}$$

$$E_b/N_0 = 6.309$$

Now we know that

$$BER \approx \frac{e^{-(E_b/N_0)}}{\sqrt{4\pi(E_b/N_0)}}$$

$$\approx \frac{e^{-(6.309)}}{\sqrt{4\pi(6.309)}}$$

$$\approx \frac{1.819 \times 10^{-3}}{\sqrt{79.28}}$$

$$= \frac{1.819 \times 10^{-3}}{8.904}$$

$$BER = 2.0429 \times 10^{-4}$$

(Q5) An automobile is moving toward a stationary police radar at 65 statute miles per hour. The receiver receives each signal and the Doppler shift?

Solution:

moving automobile has  $v_r = 65 \text{ Mbps}$   
radar transmit freq,  $f_t = 24.150 \text{ GHz}$



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$$f_d = ?$$

$$f_0 = ?$$

First we convert  $v_R = f_{\text{Dop}}$  from smph to m/s as

$$\therefore 1 \text{ smph} = 0.44704 \text{ m/s}$$

use Ex 1-3

$$f_d \approx 2f_T \frac{v_R}{c}$$

$$= \frac{(2)(24.150 \times 10^9)(29.0576)}{3 \times 10^8}$$

$$f_d = 4678.27 \text{ Hz}$$

Also we know that

$$f_d = f_R - f_T$$

$$f_R = f_d + f_T$$

$$= 24.150 + 0.00000467827$$

$$f_R = 24.15000467827 \text{ GHz}$$

(Q6) Many tactical radars have antenna beamwidth of about  $3^\circ$ . Determine that how far a part .....

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range of 24.5 nmi in order to be resolved?

Solution:.

Antenna beamwidth =  $3^\circ$

range from order  $R = 24.5 \text{ nmi} = 45.374 \text{ km}$

How <sup>far</sup> apart should be the targets in the cross-range to be resolved = ?

$$\Delta x = R (\theta / 180^\circ) \\ = 45374 \times 3 \times \pi / 180^\circ$$

$$\Delta x = 2400 \text{ m}$$

if we relate antenna beamwidth with the wavelength of EMW and Antenna length  
Then =

$$\theta = \frac{\lambda}{D_{\text{eff}}} \text{ (radians)}$$

$$\theta = \frac{\lambda}{D_{\text{eff}}} \left( \frac{180}{\lambda} \right) \text{ (degrees)}$$

' $\lambda$ ' is signal's wavelength. 'D<sub>eff</sub>' is the effective length. (metres) of antenna. The D<sub>eff</sub> size is about 0.7 times to its actual size. so we can use antenna dimensions and the cross range resolution becomes



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$$\Delta x \approx \frac{R\lambda}{D \sin \theta}$$

Q1) Which type of satellite orbit provides the best performance for a communication network for each of the following.

- minimum free space path loss.
- Best coverage of high latitude location.
- Full global coverage for a mobile communication network.
- minimum latency for voice and data networks.
- Ground terminals with little or no antenna tracking required.

Answer:

- The LEO orbits have minimum free space path loss, because these orbits are nearest to the earth and thus losses are minimum.
- LEO orbit satellite also provides a good coverage to high latitude area.

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c) Satellite in GSO orbit give full global coverage for a mobile communication network. Because GSO sees about one-third of the earth's surface and they are  $120^\circ$  apart each other as to cover the whole earth we need only 3 GSO satellites.

d) LEO satellite provides minimum latency as they are nearer.

e) At GSO orbit the satellites complete its revolution equal to the earth rotation i.e 23 hours and 56 min for one satellite revolution is required which act as a stationary. So for them ground terminal with latitude no antenna tracking required.