

Page (1)

Name = Talha Khan

ID = 13845

Instructor = Sir Sohail Imran

Subject = Communication System

Q (1): Signal  $x(t)$

(a)  $f_m = 250 \text{ Hz}$

angular frequency =  $f_s$

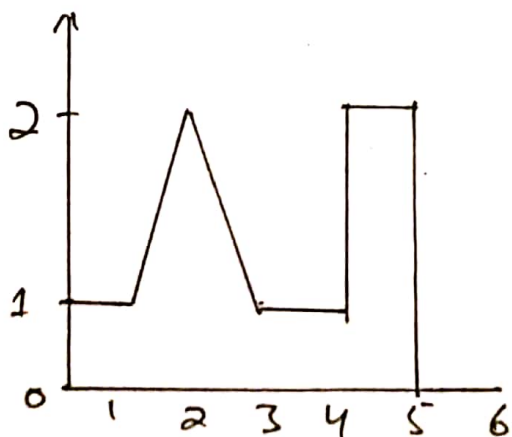
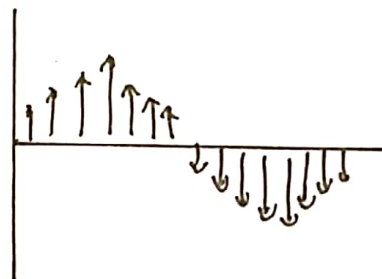
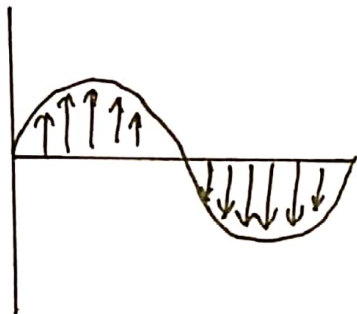
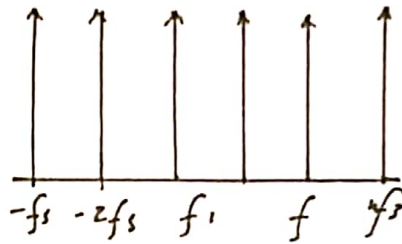
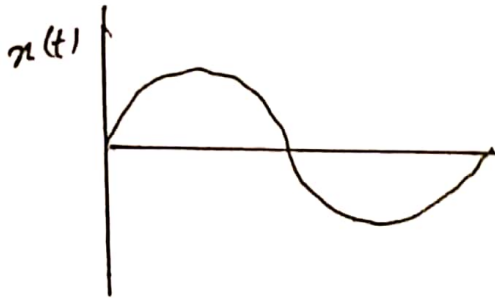
Nyquist rate =

$NR = ?$

$$NR > 2f_m$$

$$= 2 \times 250 = 500 \text{ Hz}$$

(b)



$$x(t) = u(t) + v(t-1) - 2v(t-2) + v(t-3) + 4(t-4) - 2u(1-5)$$

$$\begin{aligned} x(2) &= u(2) + v(1) - 2v(0) + v(-1) + u(-2) \\ &\quad - 2u(-3) \\ &= 1 + 1 = 2 \end{aligned}$$

$$\begin{aligned} x(5) &= u(5) + v(4) - 2v(3) + v(2) + u(1) \\ &\quad - 2u(0) \\ &= -1 + 4 - 2 \cdot 3 + 2 + 2 + 1 - 2 \cdot 1 \\ &= 36 \end{aligned}$$

(c) cutt off freq

$$f_c = \frac{1}{2\pi CR} = \frac{1}{2 \times 3.14 \times 500}$$

$$f_c = \frac{1}{31000} = 302 \times 10^{-6} \text{ Hz}$$

Q 1:

(d) Sol:-  $F_m = 250 \text{ Hz}$

$F_s = 800 \text{ Hz}$

As we know that

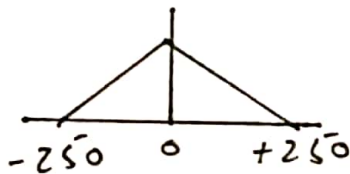
$F_s = 2F_m$

So  $800 = 2(250)$

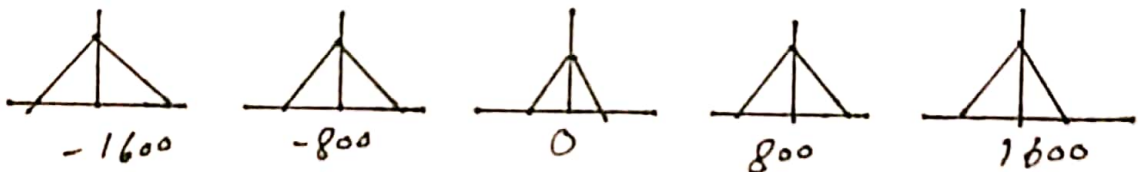
$800 = 500$

So

$F_s > F_m$



The sampled signal is



Q(2):

(a) i:  $x(t) + x(t-1)$

Sol:-

Nyquist rate = 2 × maximum signal frequency. Sampling Rate must exceed Nyquist rate in order to be able to fully reconstruct the signal.

(i)  $y(t) = x(t) + x(t-1)$

Fourier transform  $Y(j\omega) = X(j\omega) + e^{-j\omega} X(j\omega)$

Since the maximum frequency for  $X(j\omega)$  is the same as  $x(t)$  then  $y(t)$  Nyquist rate is also  $\omega_0$ .

(ii)  $y(t) = \frac{dx(t)}{dt}$

Fourier transform  $\Rightarrow Y(j\omega) = j\omega X(j\omega)$

Since the maximum frequency for  $Y(j\omega)$  is the same as  $x(t)$  then  $y(t)$  Nyquist rate is also  $\omega_0$ .

Q (2):

(b) message sampled  $m(t) = 10 \sin 400\pi t$ .

$$f_s = 300 \text{ Hz.}$$

cut-off frequency =  $150 \text{ Hz} = f_c$   
 the frequency/frequencies present in the reconstructed signal  $y(t)$ .

Sol:-  $m(t) = 10 \sin 400\pi t$

So  $\omega_m = 400\pi \text{ rad/sec}$

$$f_m = \frac{\omega_m}{2\pi} = \frac{400\pi}{2\pi} = 200 \text{ Hz.}$$

frequency constructed of  $y(t) =$

1st we calculated sample frequency by formula.

Put different value of  $n$

$$n=0 \Rightarrow f_s \pm f_m = 0 \pm f_m = \pm f_m = \pm 200 \text{ Hz}$$

$$n=1$$

$$\Rightarrow f_s \pm f_m = 1f_s \pm f_m = \begin{cases} \rightarrow 1f_s + f_m = 300 + 200 = 500 \text{ Hz} \\ \rightarrow 1f_s - f_m = 300 - 200 = 100 \text{ Hz} \end{cases}$$

$$n=-1$$

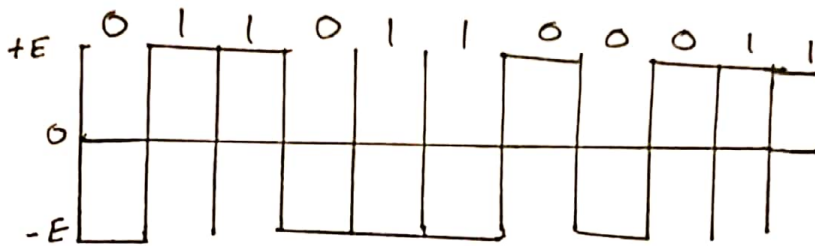
$$= f_s \pm f_m = -f_s \pm f_m = \begin{cases} -300 + 200 = -100 \text{ Hz} \\ -300 - 200 = -500 \text{ Hz} \end{cases}$$

the cut-off frequency is 150 so the frequency range from -150 Hz to +150 Hz will pass into output.

So frequency 100 Hz and -100 Hz is a range. So 100 Hz will be component of output.

Q (3)

(i) NRZ-S:



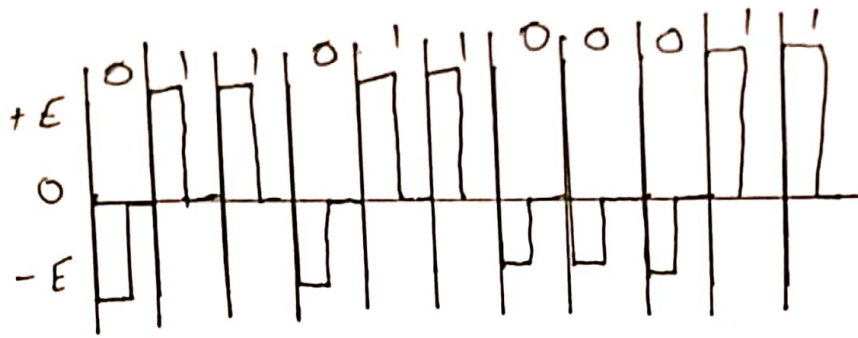
\* 'One' is Represented by No change in level.

\* 'Zero' is Represented by change in level.

(b) Polar-RZ:

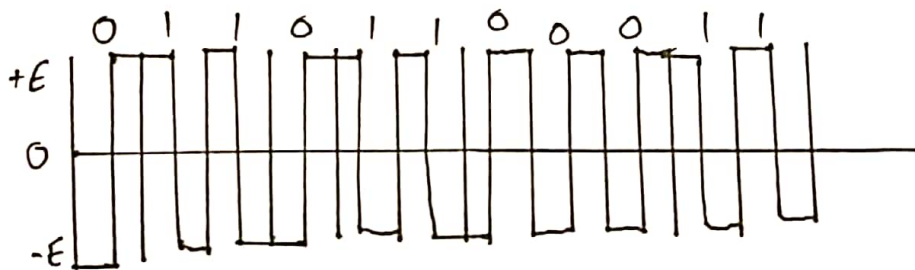
One and zero are Represented by opposite level pulses that are one half bit in width.





(c) Split Phase Manchester:

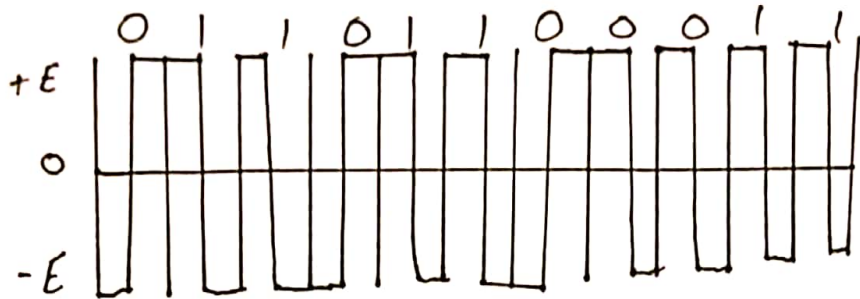
'0' for Low to High and '1' for High to Low.



(d) Bi- $\phi$ -L:

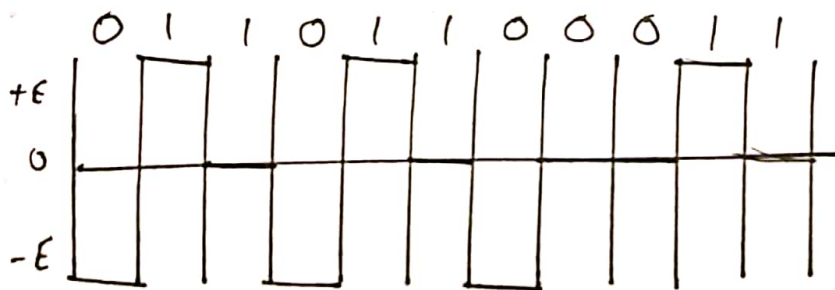
'one' is represented by a 10.

'zero' is represented by a 01.



(e) Dicode - NRZ:

A one to zero or zero to one changes polarity otherwise or zero is sent.



Q 4:

(a) Given:

$$e_c(t) = 7.5 \sin 20 \times 10^3 \pi t$$

$$E_c = 7.5 \text{ volts}$$

$$\text{mod index} = 0.5$$

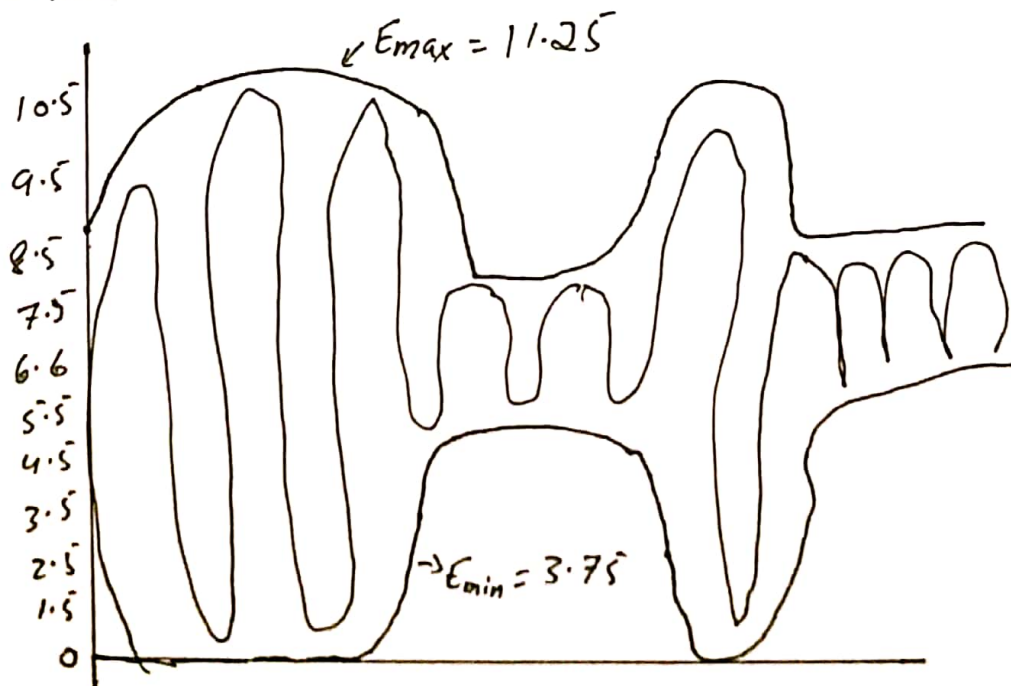
Sol:- Let us calculate  $E_m$  from  $E_c$  since

$$m = \frac{E_m}{E_c}, \text{ therefore}$$

$$E_m = m \times E_c = 0.5 \times 7.5 = 3.75 \text{ volt}$$

$$E_{\max} = E_c + E_m = 7.5 + 3.75 = 11.25 \text{ volt}$$

$$E_{\min} = E_c - E_m = 7.5 - 3.75 = 3.75 \text{ volt}$$



Q 4: (b)

(a) Depth of modulation:-

$$m = \frac{E_m}{E_c}$$

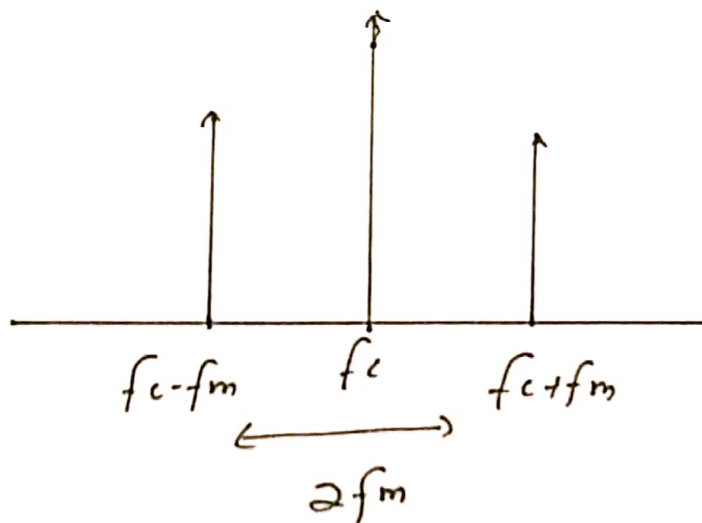
$$m = \frac{10V}{5V} = 2$$

Transmission efficiency:

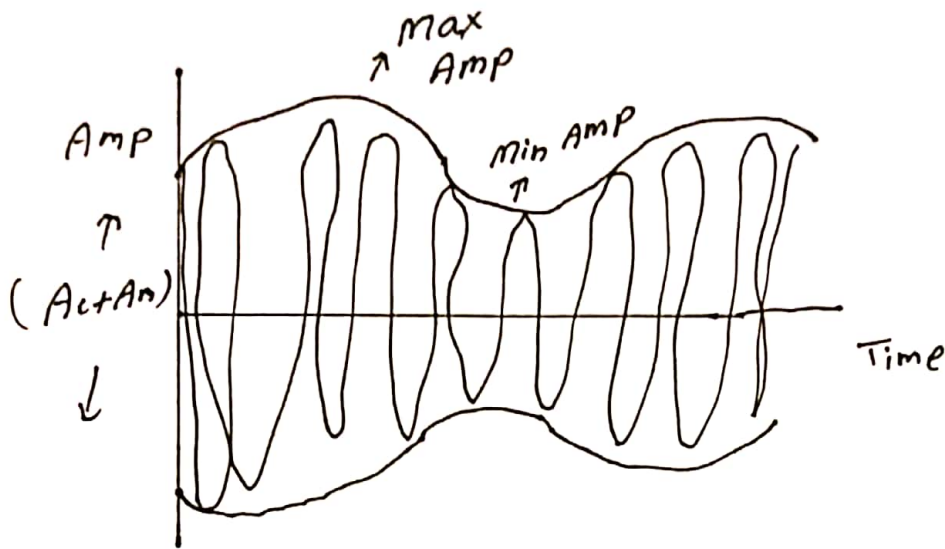
$$t_f = \frac{m^2}{2 + m^2} \Rightarrow \frac{(2)^2}{2 + (2)^2}$$

$$t_f = \frac{4}{2+4} = \frac{4}{6} = \frac{2}{3}$$

(b)



Amplitude frequency:



(C) Power in spectrum:

$$P_c = \frac{E_c^2}{2 \times R} = \frac{(5)^2}{2 \times 50} = \frac{25}{100} = \frac{1}{4}$$

$$\text{total power} = P_t \left( 1 + \frac{m^2}{2} \right) P_c$$

$$P_t = \left( 1 + \frac{4^2}{2} \right) \times 0.2$$

$$P_t = (1+2) \times 0.2 \Rightarrow P_t = 3 \times 0.2 = 0.6$$

(d) Percentage power in USB:

$$P_{USB} = \frac{m^2 E_c^2}{8} = \frac{m^2}{4} P_c$$

$$= \frac{(2)^2}{4} \times 0.6$$

$$= 0.6 \%$$

---

---