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ID# 7925

Subject Advance Engineering
Survey

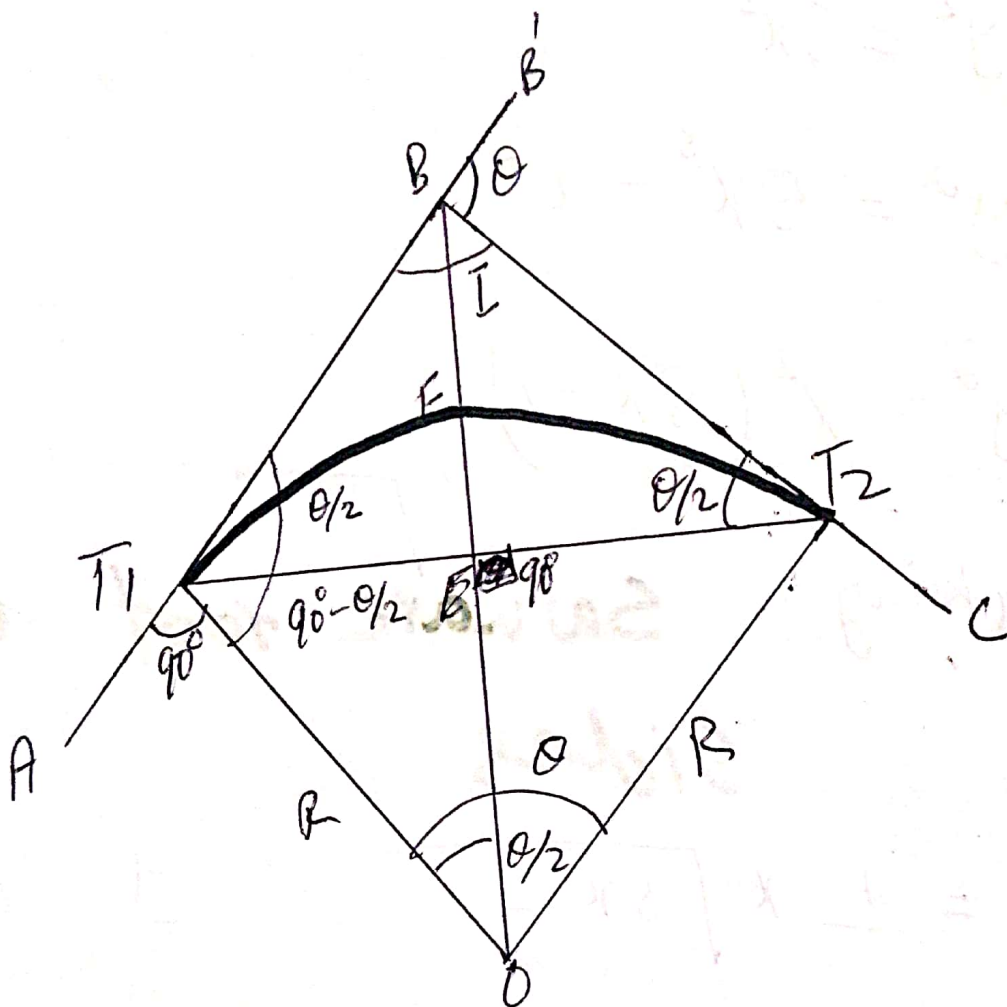
Section "A"

Semester 4th

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Program BE Civil

Q# 1 part A



Q# 1) Two tangent is meet at a chainage of (ID) with the deflection angle of $14^{\circ} 13' 23''$. Degree of curve of is 5° .

Calculate:

- 1) Chainage at the beginning and end of curve.
- 2) length of long chord
- 3) mid ordinats of external distance

Solution

ID # 7925

Degree of curve = 5°

$$R = \frac{5729.58}{D^{\circ}} = \frac{5729.58}{5} = 1145.916$$

$$R = \boxed{1145.916 \text{ ft}} \quad 2$$

Now

So we first find the tangent length

$$BT_1 = BT_2 = R \tan\left(\frac{\theta}{2}\right) = 1145.916 \times \tan\left(\frac{14^\circ 13' 23''}{2}\right)$$

$$= \boxed{142.9655 \text{ ft}}$$

Then length of curve (L)

$$L = \left(\frac{\pi R \theta}{180}\right)$$

$$L = \frac{3.14 \times 1145.916 \times 14^\circ 13' 23''}{180}$$

$$L = 284.46 \text{ ft}$$

Now we find chainage

Chainage of intersection point

$$B = 7925 \text{ ft}$$

So

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$$T_1 = 7925 - 142 \cdot 9655 \rightarrow \text{tangent length}$$

$$T_1 = 7782 \cdot 0345$$

Now

$$T_2 = 7782 \cdot 045 + 284 \cdot 46 \rightarrow \text{length of curve}$$

$$T_2 = 8066 \cdot 4945$$

Now length of chord

$$l = 2R \sin\left(\frac{\theta}{2}\right)$$

$$l = 2 \times 1145 \cdot 916 \sin\left(\frac{14^\circ 13' 23''}{2}\right)$$

$$l = 283 \cdot 731 \text{ ft}^2$$

Now Mid ordinates

$$EF = R \left(1 - \cos\left(\frac{\theta}{2}\right) \right)$$

$$EF = 1145.916 \left(1 - \cos\left(\frac{14^{\circ} 13' 23''}{2}\right) \right)$$

$$EF = 8.8154 \text{ ft}$$

Now

External Distance

$$BF = R \left(\frac{1}{\cos\left(\frac{\theta}{2}\right)} - 1 \right)$$

$$BF = 1145.916 \left(\frac{1}{\cos\left(\frac{14^{\circ} 13' 23''}{2}\right)} - 1 \right)$$

$$BF = 8.8858 \text{ ft}$$

Q#(1)

Q

~~Q#(1)~~ (part b)

ID #

$$7925 = 7.925$$

Chainage 1 m'	0	30	60	90	120	150
offset (m)	7.925	$7.925+3$ 10.925	$7.925+4$ 11.925	$7.925-2$ 5.925	$7.925-4$ 3.925	$7.925-3$ 4.925

As we know that

$$b = 30m$$

So we can find the area than

$$\text{Area} = \frac{b}{3} (7.925 + 3.925 + 2(11.925) + 4(10.925) + 4(5.925) + \frac{(3.925 + 4.925)}{2}) \times b$$

$$b = 30$$

$$\text{Area} = \frac{30}{3} (7.925 + 3.925 + 2(11.925) + 4(10.925) + 4(5.925) + \frac{(3.925 + 4.925)}{2}) \times 30$$

$$A = 10 (11.85 + 23.85 + 43.7 + 23.7) + \left(\frac{8.85}{2}\right) \times 30$$

(6)

$$\text{Area} = 10(103.1) + (4 \cdot 425) \times 30$$

$$\text{Area} = 1031 + 132 \cdot 75$$

$$\text{Area} = 1163 \cdot 75$$

$$\text{Area} = 1163 \cdot 75 \text{ m}^2$$

(7)

Q#2: A circular curve of radius (ID - 200) deflection angle $20^{\circ} 40'$ is to be at out b/w two straight bearing chainage of the point intersection is (ID - 400) m

calculate all the ~~neccessary~~ necessary for setting out the curve using deflection angle method ~~with~~ with given data peg interval being 20m As we ~~resu~~ assume the radius it become

$$ID - 7000 = 7925 - 7000$$

$$R = 925 \text{ m}$$

deflection angle = $20^{\circ} 40'$
chainage at point of intersection which we also assume

$$ID - 5000 \Rightarrow 7925 - 5000$$

$$\text{Chainage} = 2925 \text{ m}$$

$$\text{Peg Interval} = 20 \text{ m}$$

we can find tangent length

$$BT_1 = BT_2 = R \tan \left(\frac{\theta}{2} \right)$$

$$= 925 \tan \left(\frac{20^\circ 40'}{2} \right)$$

$$BT_1 = BT_2$$

$$= 925 \left(\frac{0.37781}{2} \right)$$

$$= 925 (0.18860)$$

$$BT_1 = BT_2 = 174.456 \text{ m}$$

Now

Length of Curve

$$L = \frac{\pi R \theta}{180}$$

$$L = \frac{3.14 \times 925 \times 20^\circ 40'}{180}$$

$$L = 333.50 \text{ m}$$

Chainage of ~~intersection~~ ^Q of point of intersection = 2925m

$$T_1 = 2925 - 174.456 \rightarrow \text{tangent length}$$

$$T_1 = 2750.544 \text{ m}$$

$$\text{Chainage of } T_2 = 2750.544 + 333.50$$

↪ length of curve

$$T_2 = 3084.044$$

Now we can find 1st chord = C_1

Assume value

$$2775$$

$$\text{length of 1st chord} = \frac{2775 - 2750.544}{2775 - 2750.544}$$

$$C_1 = 24.566 \text{ m}$$

length of last ^{sub} chord $C_{15} = 2$

Assume value $\boxed{= 3064}$

$$C_{15} = 3084.044 - 3064 = \boxed{20.044}$$

$$\boxed{C_{15} = 20.044 \text{ m}}$$

So we know that

$$C_2 = C_3 = C_4 = C_5 = C_6 = C_7 = C_8 = C_9 = C_{10} \\ = C_{11} = C_{12} = C_{13} = C_{14} \quad \text{~~scribble~~ } = 20 \text{ m}$$

$$b = 1$$

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Now we can find Number of chord

$$\text{No of chord} = \frac{\text{Length of Curve} - C_1}{\text{Interval}}$$

$$= \frac{333.50 - 24.566}{20}$$

$$\text{No of chord} = 15.44$$

Now deflection Angle

$$\delta_1 = \frac{1718.9 C_1}{60 R}$$

$$\delta_1 = \frac{1718.9 \times 24.566}{60 \times 925} \Rightarrow \frac{42266.49}{55500}$$

$$\delta_1 = 0^\circ 45' 41.61''$$

$$\delta_2 = \frac{1718.9 \times 20}{60 \times 925} = \frac{34378}{55500} = 0^\circ 37' 9.92''$$

So

$$\delta_2 = \delta_3 = \delta_4 \text{ --- } \delta_{14} = 0^\circ 37' 9.92''$$

$$\delta_{15} = \frac{1718.9 \times 20.044}{60 \times 925}$$

$$\delta_{15} = \frac{34453.6316}{55500} = 0^\circ 37' 14.83''$$

Now total deflection (tangential)
angle for the chord use-

$$\Delta_1 = \delta_1 = 0^\circ 45' 41.61''$$

$$\Delta_2 = \delta_1 + \delta_2 = \Delta_1 + \delta_2 = 0^\circ 45' 41.61'' + 0^\circ 37' 9.92''$$

$$\Delta_2 = 1^\circ 22' 51.53''$$

$$\Delta_3 = \Delta_2 + \delta_3 = 2^\circ 0' 1.45''$$

$$\Delta_4 = \Delta_3 + \delta_4 = 2^\circ 37' 11.37''$$

$$\Delta_5 = \Delta_4 + \delta_5 = 3^\circ 14' 21.29''$$

$$\Delta_6 = \Delta_5 + \delta_6 = 3^\circ 51' 31.21''$$

$$\Delta_7 = \Delta_6 + \delta_7 = 4^\circ 28' 41.13''$$

$$\Delta_8 = \Delta_7 + \delta_8 = 5^\circ 5' 51.08''$$

$$\Delta_9 = \Delta_8 + \delta_9 = 5^\circ 43' 0.97''$$

$$\Delta_{10} = \Delta_9 + \delta_{10} = 6^\circ 20' 10.89''$$

$$\Delta_{11} = \Delta_{10} + \delta_{11} = 6^\circ 57' 20.81''$$

$$\Delta_{12} = \Delta_{11} + \delta_{12} = 7^\circ 34' 30.73''$$

$$\Delta_{13} = \Delta_{12} + \delta_{13} = 8^\circ 11' 40.65''$$

$$\Delta_{14} = \Delta_{13} + \delta_{14} = 8^\circ 48' 50.57''$$

$$\Delta_{15} = \Delta_{14} + \delta_{15} = 8^\circ 48' 50.57'' + 0^\circ 37' 14.83''$$

$$\Delta_{15} = 9^\circ 26' 54''$$

$$\Delta_{16} = \Delta_{15} + \delta_{16} = 10^\circ 4' 3.92''$$

$$\text{Check} = \frac{\Delta_{16} - \Delta_{15}}{2} = \frac{2^\circ 43'}{2}$$

$$\frac{10^\circ 2' 0''}{2}$$

Q#3)

Given data

$$\Delta AKM = 130^\circ$$

$$\Delta KML = 140^\circ$$

$$\text{1st Arc radius} = (7925 - 300) = 7625 \text{ m}$$

$$\text{2nd Arc radius} = (7925 - 200) = 7725 \text{ m}$$

Chainage of Intersection point

$$(7925 - 400) = 7525 \text{ m}$$

Required

Tangent point = ?

Compound curvature = ?

Sol.:

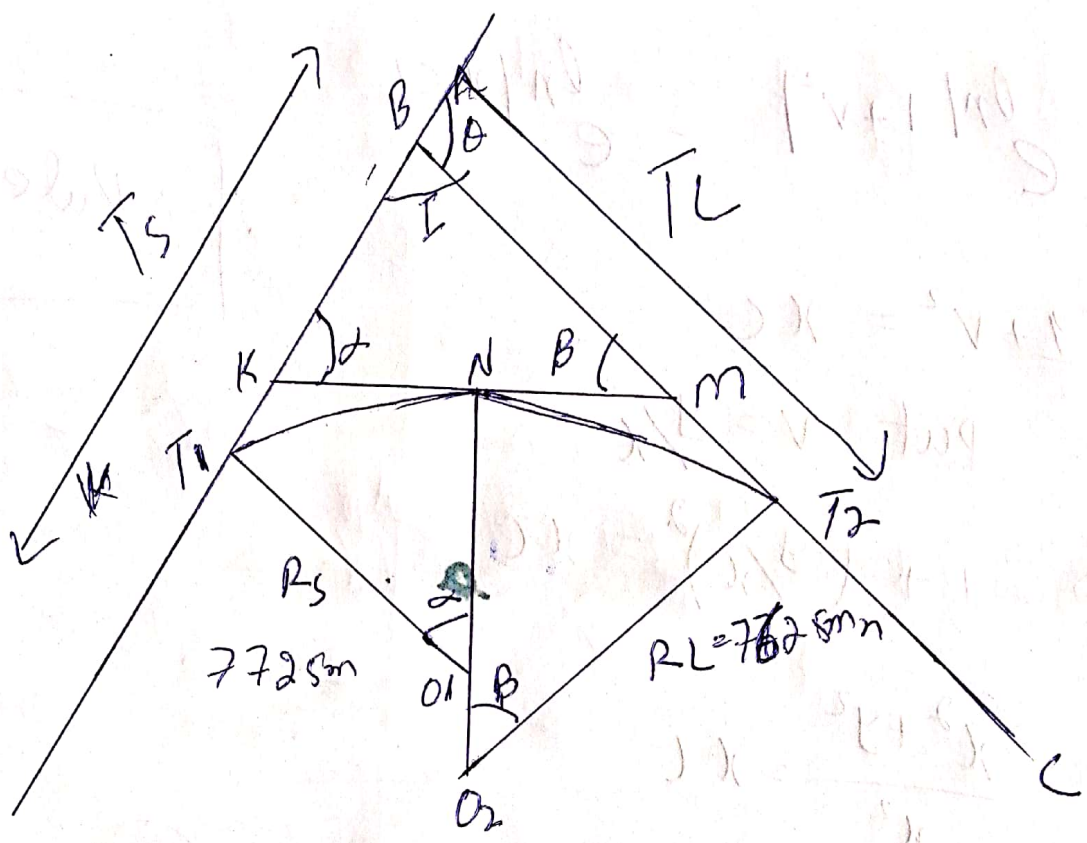
$$\alpha = 180^\circ - 130^\circ = 50^\circ$$

$$\beta = 180^\circ - 140^\circ = 40^\circ$$

$$\phi = \alpha + \beta = 40^\circ + 50^\circ = 90^\circ$$

$$I = 180^\circ - \phi = 180^\circ - 90^\circ = 90^\circ$$

(19)



$$KT_1 = KN = R_1 \tan\left(\frac{\alpha}{2}\right) \\ = 7625 \tan\left(\frac{50^\circ}{2}\right)$$

$$KT_1 = KN = 3555.59 \text{ m}$$

$$MN = MT_2 = R_2 \tan\left(\frac{\beta}{2}\right) = 7725 \tan\left(\frac{40^\circ}{2}\right)$$

$$MN = MT_2 = 2811.67 \text{ m}$$

$$\text{Now } KM = MT_2 + KT_1 = 3555.59 + 2811.67$$

$$KM = 6367.26 \text{ m}$$

No further solution

Find ΔBKM by sin rule

$$\frac{BK}{MK \sin \beta} = \frac{1}{\sin \angle I}$$

by cross multiplication

$$MK \sin \beta = BK \sin \angle I$$

$$BK \sin \angle I = MK \sin \beta$$

Divided ($\sin \angle I$) by both sides

(10)

$$BK \frac{\sin I}{\sin I} = \frac{MK \sin \beta}{\sin I}$$

$$BK = \frac{MK \sin \beta}{\sin I}$$

$$BK = \frac{6367.26 \times \sin 40}{\sin 90}$$

$$BK = 4092.79m$$

$$BM = \frac{MK \sin \alpha}{\sin I} = \frac{6367.26 \times \sin(50)}{\sin(90)}$$

$$BM = 4877.60m$$

$$TL = KT_1 + BK = 3555.59 + 4092.79 =$$

$$TL = 7648.38m$$

$$TL = 7648.38m$$

$$TS = MT_2 + BM = 2811.67 + 4877.60$$

$$TS = 7689.27$$

$$\Rightarrow TS = 7689.27m$$

$$L_c = \frac{\pi R \alpha}{180} = \frac{\pi \cdot 7625 \cdot 50}{180}$$

$$L_c = \frac{1197732.199}{180} = 6654.06 \text{ m}$$

$$L_c = 6654.06 \text{ m}$$

$$L_s = \frac{\pi R \beta}{180} = \frac{3.14 \cdot 7725 \cdot 40}{180}$$

$$L_s = 5393.067 \text{ m}$$

No we find chainage
chainage of intersection point
- T_1

$$= (7525 - 7648.38)$$

$$\text{Chainage of } T_1 = -123.38$$

$$\text{plus } L_s = 6654 \cdot \frac{18}{100} \text{ m}$$
$$= 6654 \cdot 0.18 = 123.38$$

$$L = 6530.66 \text{ m}$$

Chainage of compound curve

curvature (N) plus $L_s = 5393.06 \text{ m}$

$$\text{Chainage of } T_2 = 5393.06 + 6530.66$$

$$\text{Chainage of } T_2 = 11923.72 \text{ m}$$