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I.D # 7902

Section : A

Paper :- Survey II

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Q#1:-

Tangent Meet at Chainage = 7902

Deflection angle = $14^{\circ}13'23''$ Degree of Curve = 5° Sol:-

$$D = 5^{\circ}$$

$$R = \frac{5729.58}{D}$$

$$R = \frac{5729.58}{5^{\circ}} = \boxed{1145.917t}$$

$$\text{Tangent length} = BT_1 = BT_2 = R \tan(\phi/2)$$

$$BT_1 = BT_2 = 1145.91 \times \tan\left(\frac{14^{\circ}13'23''}{2}\right)$$

$$= \boxed{142.967t}$$

$$\text{Length of Curve } L = \frac{\pi R \phi}{180^{\circ}} = \frac{(3.14)(1145.91)(14^{\circ}13'23'')}{180^{\circ}}$$

$$L = \boxed{284.457t}$$

Chainage of Intersection Point = 7902

Chainage of $T_1 = 7902 - \text{Tangent Length}$

$$= 7902 - 142.967t$$

$$T_1 = 7759.047t$$

Chainage of $T_2 = T_1 + \text{Length of Curve}$

$$= 7759.04 + 284.45$$

$$T_2 = 8043.49$$

$$\begin{aligned} \text{Length of Chord} &= 2R \sin(\phi/2) \\ &= 2(1145.91) \sin\left(\frac{14^\circ 13' 23''}{2}\right) \\ &= 283.727t \end{aligned}$$

$$\begin{aligned} \text{Mid ordinate} &= R(1 - \cos(\phi/2)) \\ &= 1145.91 \left(1 - \cos\left(\frac{14^\circ 13' 23''}{2}\right)\right) \\ &= 8.817t \end{aligned}$$

$$\begin{aligned} \text{External Distance} &= R(\sec(\phi/2) - 1) \\ &= 1145.91 \left(\sec\left(\frac{14^\circ 13' 23''}{2}\right) - 1\right) \\ &= 8.887t \end{aligned}$$

Q#1 (b)

$$ID = 7902 \div 1000 = \boxed{7.902}$$

Chainage (m)	Offset	Simpson Multiplier	Product
0	7.902	1	7.902
30	$7.902 + 3 = 10.902$	4	43.608
60	$7.902 + 4 = 11.902$	2	23.804
90	$7.902 - 2 = 5.902$	4	23.608
120	$7.902 - 4 = 3.902$	2	7.804
150	$7.902 - 3 = 4.902$	1	4.902
			$\Sigma = 111.628$

$$\text{Area} = (h_1 - h_6)$$

$$= \frac{b}{30} \times (111.628)$$

$$\therefore b = 30$$

$$= \frac{30}{3} \times (111.628)$$

$$\boxed{\text{Area} = 1116.28 \text{ m}^2}$$

Q#02:-

Given data:-

$$\text{Circular Radius} = 7902 - 7000$$

7000 Assumed value

$$R = 902 \text{ m}$$

$$\text{Deflection Angle} = 20^{\circ}40'0''$$

Sol:-

Chainage at Point of Intersection

which we also assume = ID - 4000

$$= 7902 - 4000$$

$$\text{Chainage} = 3902 \text{ m}$$

$$\text{Peg Interval} = 20 \text{ m}$$

So, we can find tangent length

$$BT_1 = BT_2 = 902 \tan\left(\frac{20^{\circ}40'}{2}\right)$$

$$= 164.463 \text{ m}$$

Now

Length of Curve

$$L = \frac{\pi R \phi}{180^\circ}$$

$$= \frac{(3.14)(902)(20^\circ 40')}{180^\circ}$$

$$L = 325.187$$

$$T_1 = 3902 - 164.463$$

$$T_1 = 3737.537$$

Chainage at $T_2 = \overset{T_1 + L}{3737.537} + 325.187$

$$T_2 = 4062.724$$

Now Length of 1st Sub Chord = $3770 - 3737.537$
value Assumed = 3770

$$C_1 = 32.463$$

Again length of Last Sub Chord = $\overset{\text{Assumed value}}{4030} = 4030$
 $\Rightarrow 4062.724 - 4030$

$$C_{15} = 32.724$$

$$C_2 = C_3 = C_4 = \dots C_{14} = 20 \text{ m}$$

Now we can find No. of chords

$$\text{No. of chords} = \frac{\text{Length of Curve} - C_1}{\text{Interval}}$$

$$= \frac{325.127 - 32.463}{20}$$

$$= ~~14.87~~ 14.87 \cong 15$$

$$= 15 \text{ chords}$$

Now find deflection Angle:

$$\delta_1 = \frac{1718.9 \times C_1}{60 R}$$

$$= \frac{1718.9 \times 32.463}{60 \times 90.9}$$

$$= \frac{55,800.6507}{54190}$$

$$\delta_1 = 1^\circ 1' 51.79''$$

$$\delta_2 = \frac{1718.9 \times 20}{60 \times 902}$$

$$\delta_2 = 0^\circ 38' 6.78''$$

$$\delta_2 = \delta_3 = \delta_4 = \dots \delta_{14} = \boxed{0^\circ 38' 6.78''}$$

$$\delta_{15} = \frac{1718.9 \times 32.724}{60 \times 902}$$

$$= \boxed{1^\circ 2' 21.64''}$$

Now total deflection (tangential) angle for the chords are

$$D_1 = \delta_1 = 1^\circ 1' 51.79''$$

$$D_2 = D_1 + \delta_2 = 1^\circ 39' 58.57''$$

$$D_3 = D_2 + \delta_3 = 2^\circ 18' 5.35''$$

$$D_4 = D_3 + \delta_4 = 2^\circ 56' 12.13''$$

$$D_5 = D_4 + \delta_5 = 3^\circ 34' 18.91''$$

$$D_6 = D_5 + \delta_6 = 4^\circ 12' 25.69''$$

$$D_7 = D_6 + \delta_7 = 4^\circ 50' 32.47''$$

$$D_8 = D_7 + \delta_8 = 5^\circ 28' 39.25''$$

$$D_9 = D_8 + \delta_9 = 6^\circ 6' 46.03''$$

$$D_{10} = D_9 + \delta_{10} = 6^\circ 44' 52.81''$$

$$D_{11} = D_{10} + \delta_{11} = 7^\circ 22' 59.59''$$

$$D_{12} = D_{11} + \delta_{12} = 8^\circ 1' 6.37''$$

$$D_{13} = D_{12} + \delta_{13} = 8^\circ 39' 13.15''$$

$$D_{14} = D_{13} + \delta_{14} = 9^\circ 17' 19.93''$$

$$D_{15} = D_{14} + \delta_{15} = 10^\circ 19' 41.57''$$



Question No 3

Given Data :-

$$\Delta AKM = 130^\circ$$

$$\Delta KMC = 140^\circ$$

$$\text{1st arc radius} = 7902 - 300 = \boxed{7602}$$

$$\text{2nd arc radius} = 7902 - 200 = \boxed{7702}$$

$$\text{Chainage of intersection point} = 7902 - 400 = \boxed{7502}$$

Required:-

Tangent points = ?

compound curvature = ?

Solution:-

$$\alpha = 180^\circ - 130^\circ = 50^\circ$$

$$\beta = 180^\circ - 140^\circ = 40^\circ$$

$$\phi = \alpha + \beta = 90^\circ$$

$$I = 180^\circ - \phi = 180^\circ - 90^\circ = 90^\circ$$

$$KT_1 = KN = R_1 \tan\left(\frac{\alpha}{2}\right)$$

$$= 7602 \tan\left(\frac{50^\circ}{2}\right)$$

$$KT_1 = \boxed{3544.870}$$

$$MN = MT_2 = R_2 \tan\left(\frac{\beta}{2}\right)$$

$$= 7702 \tan\left(\frac{40^\circ}{2}\right)$$

$$MN = \boxed{2803.298}$$

$$KM = MT_1 + MT_2 = 3544.870 + 2803.298$$

$$KM = \boxed{6348.168}$$

Now

$$\frac{BK}{MK \sin \beta} = \frac{1}{\sin I}$$

$$BK = \frac{MK \sin \beta}{\sin I} = \frac{6348.168 \times \sin(40^\circ)}{\sin 90^\circ}$$

$$BK = \boxed{4080.523}$$

$$BM = \frac{MK \sin \alpha}{\sin I} = \frac{6348.168 \times \sin(50^\circ)}{\sin 90^\circ}$$

$$BM = \boxed{4862.978}$$

$$TL = KT_1 + BK = 3544.870 + 4080.523$$

$$TL = \boxed{7625.393}$$

$$TS = MT_L + BM = 2803.298 + 4862.978$$

$$L_L = \frac{\pi R_L \alpha}{180} = \frac{3.14 (7602) 50^\circ}{180}$$

$$L_L = \boxed{6630.633}$$

$$L_S = \frac{\pi R_S \beta}{180} = \frac{3.14 (7702) 40^\circ}{180}$$

$$L_S = \boxed{5374.284}$$

chainage of intersection point = 7502

chainage of intersection point - $T_L = 7502 - 7625.393$
 $= \boxed{-123.393}$

Plus $L_L = -123.393 + 6630.633$
 $= \boxed{6507.24}$

chainage compound curvature (N)

Plus $L_S = 6507.24 + 5374.284$

chainage of $T_L = \boxed{11881.524}$

