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Section: B

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Subject: hydraulic

Stage discharge relationship for  
a concrete rectangular box culvert

Given Data.

$$\text{Width} = 1.4$$

$$H = 0.9\text{m}$$

$$L = 26\text{m}$$

$$\text{Slope} = 1:1000$$

$$\text{mannings: } n = 0.013$$

$$\text{Square edged entrance} = 0.5$$

$$\text{Range} = 0-3\text{m}$$

Solution:

$$\frac{H}{D} \leq 1.4\text{m}$$

$$H < 0.9\text{m}$$

Discharge is given by

$$Q = 2.92 y_0 \left[ 1.2 y_0 / 1.2 + 2 y_0 \right]^{2/3}$$

m

$$H_3 = 0.999 \text{ m}$$

$y_0 \text{ (m)}$	$H \text{ (m)}$	$Q \text{ (m}^3\text{/s)}$
0.3	0.399	0.299
0.6	0.699	0.785
0.9	0.999	1.330

$$H/D \geq 1.4$$

$$\begin{aligned} Q &= cd (1.4 \times 0.9) (2g[H - D/2])^{1/2} \\ &= 0.62 (1.4 \times 0.9) (2 \times 9.81 (1.08 - \frac{0.9}{2}))^{1/2} \\ &= 2.746 \text{ m}^3\text{/s} \end{aligned}$$

The following results are obtained

$H \text{ (m)}$	$Q \text{ (m}^3\text{/s)}$	$h_0 \text{ (m)}$
1.08	2.746	0.9

no orifice flow

(b) For pipe flow the energy equation gives.

$$H + S_0 L = D + h_L$$

$$h_L = K \frac{v^2}{2g} + (v/v_m)^2 \frac{L}{12.4} + \frac{v^3}{2g}$$

$$Q = 2.08 (H - 0.57)^{1/2}$$

## Mechanism of Scour:

All the obstruction in the form of pier abutment or abutment the unidirectional flow changes into three dimensional. As the water pile up in front face of the obstruction the flow accelerated around the nose.



Figure-1 presentation of vortex around a circular pier.

The pile up of water due to obstruction because of deceleration of flow water due pressure of water cause downward

→ Due to rolling of unstable shear layer at the surface of pier wake vortex are generated at the separation line and move forward with flow downward of the pier

Due to pressure of armor layer the clear water regime can be attended as the value of critical velocity

0.399  
0.699  
0.999  
1.080  
2.000

3.000  
falling stage.

2.000  
1.080  
0.999  
0.699  
0.399

1.330  
1.477  
2.487  
3.242

3.242  
1.477  
1.330  
0.785  
0.299

//

//

pipeflow

//

//

chanelflow

//

$$q_2 = \frac{q_1}{B} = \frac{0.785}{1.4} = \boxed{0.561}$$

$$q_3 = \frac{1.330}{1.4} = \boxed{0.95}$$

Now putting value in equation (7)

$$y_{c1} = \left( \frac{q_1^2}{g} \right)^{1/3} = \left( \frac{0.21312}{9.81} \right)^{1/3} = \boxed{0.166 \text{ m}}$$

$$y_{c2} = \boxed{0.317 \text{ m}}$$

$$y_{c3} = \boxed{0.451 \text{ m}}$$

At the inlet over a short reach

$$H = y_0 + \frac{v^2}{2g} + K_e \cdot \frac{v^2}{2g}$$

$$v_1 = 1.142 \text{ m/s.}$$

$$H_1 = y_0 + \frac{v^2}{2g} + K_e \cdot \frac{v^2}{2g}$$

$$= 0.3 + \frac{(1.142)^2}{2 \times 9.81} + 0.5 \cdot \frac{(1.142)^2}{2 \times 9.81}$$

$$= \boxed{0.399 \text{ m}}$$

$$H_2 = \boxed{0.699 \text{ m}}$$

$y_0$ (m)	$Q$ ( $m^3/s$ )	$y_c$ (m)
0.3	0.299	0.166
0.6	0.785	0.317
0.9	1.330	0.451

by putting value of  $y_0$  will get the corresponding discharge.

$$Q_1 = 2.92(0.3) \left[ \frac{1.2(0.3)}{1.2} + 2(0.3) \right]^{2/3}$$

$$= 0.299 \text{ m}^3/\text{s}$$

$$Q_2 = 0.785 \text{ m}^3/\text{s}$$

$$Q_3 = 1.330 \text{ m}^3/\text{s}$$

critical depth

$$y_c = \left( \frac{q^2}{g} \right)^{1/3} \quad \text{--- (A)}$$

$$q = \frac{Q}{B} \quad \text{--- (B)}$$

By putting value in equation B

$$y_1 = \frac{Q_1}{B} = \frac{0.299}{1.4} = 0.213$$



Increase

The armor layer is shown in figure 3 taken from Raiker and Day (2009)

