

QUESTION: 1

ANSWER:

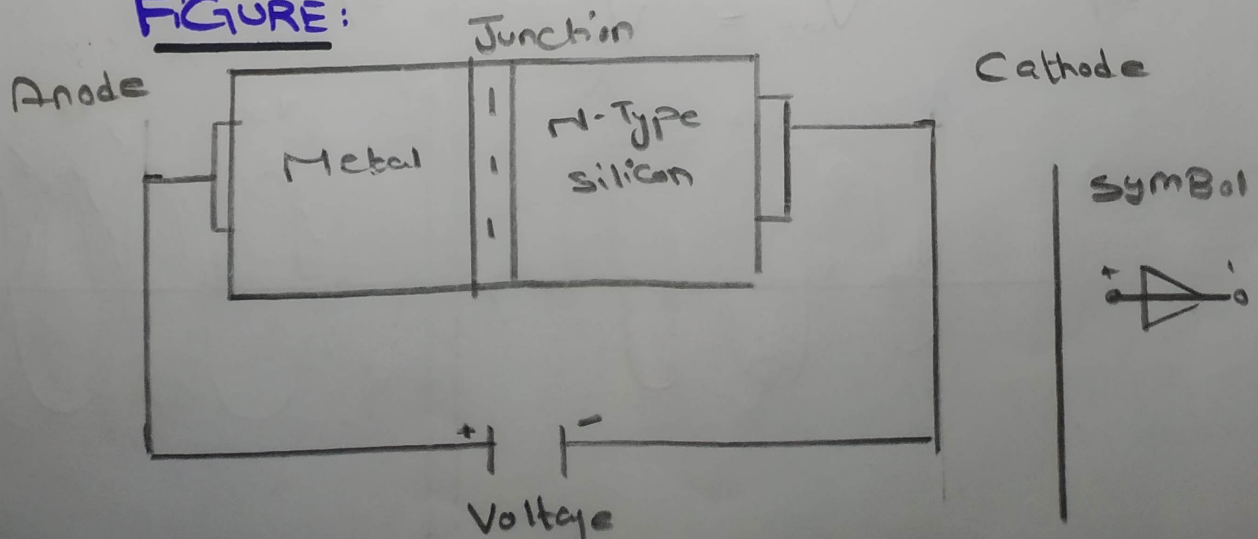
Diode :- A device two terminals, typically allowing the flow of current in one direction.

Function: is to allow an electric current to pass in one direction called diode forward direction while blocking it in opposite direction is reverse direction.

FORMATION:-

A diode is formed by joining two equivalently doped P-Type and N-Type semi-conductor.

FIGURE:



DIFFERENCE:-

HAIF WAVE RECTIFICATION

⇒ One diode is used

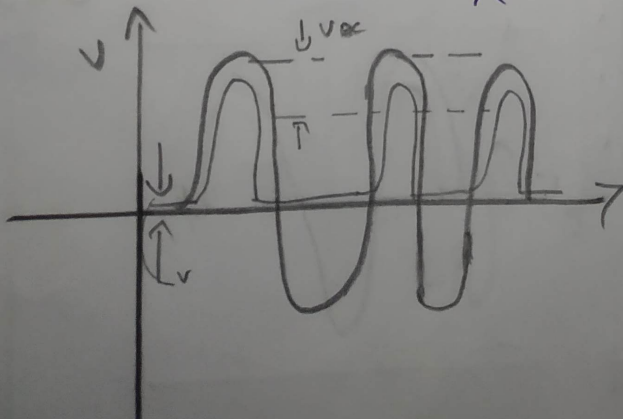
⇒ Ordinary transformer is used

⇒ Efficiency 40.6%

⇒ The value $I = \frac{I_m}{2}$

⇒ It convert half cycle of applied AC signal into dc.

$$\Rightarrow V_{dc} = \frac{V_m}{\pi}$$



FULL WAVE RECTIFICATION

⇒ Two diode or two Junction diode used

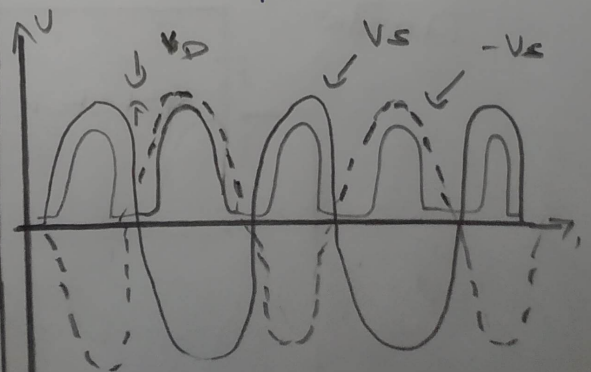
⇒ Centre tap transformer is used

⇒ Efficiency 81.2%

$$\Rightarrow I = \frac{I_m}{\sqrt{2}}$$

⇒ It convert whole cycle.

$$\Rightarrow \frac{2V_m}{\pi}$$



QUESTION: 1 B

ANSWER:-

GIVEN:-

323g of water

$$T_i = 15.0^\circ\text{C}$$

$$\text{Specific heat} = 0.129 \text{ J/g}^\circ\text{C}$$

REQUIRED:-

$$T_f = ?$$

Solution:-

$$-\text{lose heat} = \text{Gain heat}$$

$$- [C_{\text{Au}} (\text{mass}) (\Delta T)] = (C_{\text{H}_2\text{O}}) (\text{mass}) (\Delta T)$$

$$- [6.129 \text{ J/g}^\circ\text{C} (97\text{g}) (T_f - 78.5^\circ\text{C})] = (4.18 \text{ J/g}^\circ\text{C}) (323\text{g}) (T_f - 15^\circ\text{C})$$

$$-125 T_f + 9.82 \times 10^3 = 1.35 \times 10^3 T_f - 2.02 \times 10^4$$

$$3 \times 10^4 = 1.36 \times 10^3 T_f$$

$$T_f = 22.1^\circ\text{C}$$

QUESTION: 2

ISOMETRIC PROCESS:

It is also called constant-volume process.
 ⇒ It is also called isochoric process.
 Constant volume $V = \text{const}$

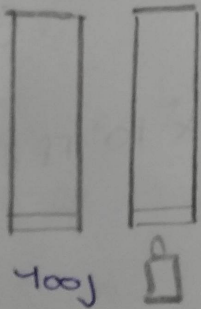
$w = 0$

$Q = U + w$ so that $Q = U$

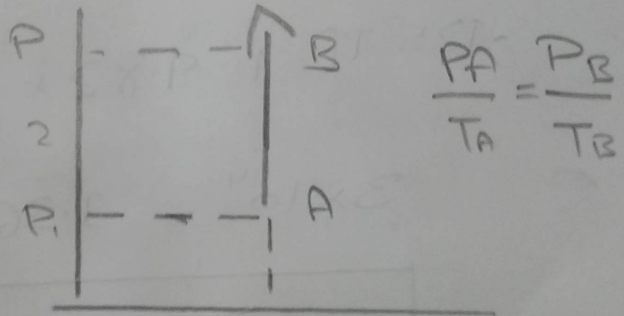


Heat in = increase in internal energy
 Heat out = Decrease in internal energy

EXAMPLE:



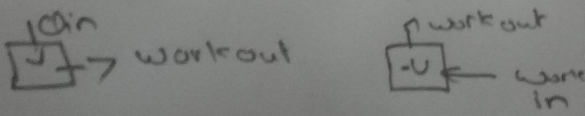
Heat input increase
 P with const V



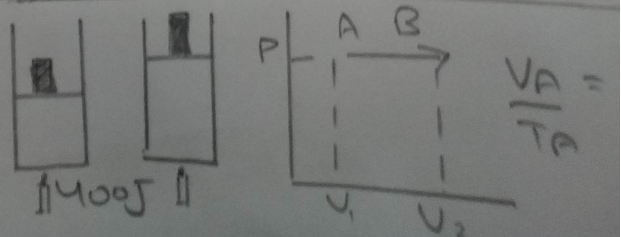
400J input increase
 internal energy by 400J
 and zero work done

Constant Pressure = 0

$Q = U + w$ But $w = PV$



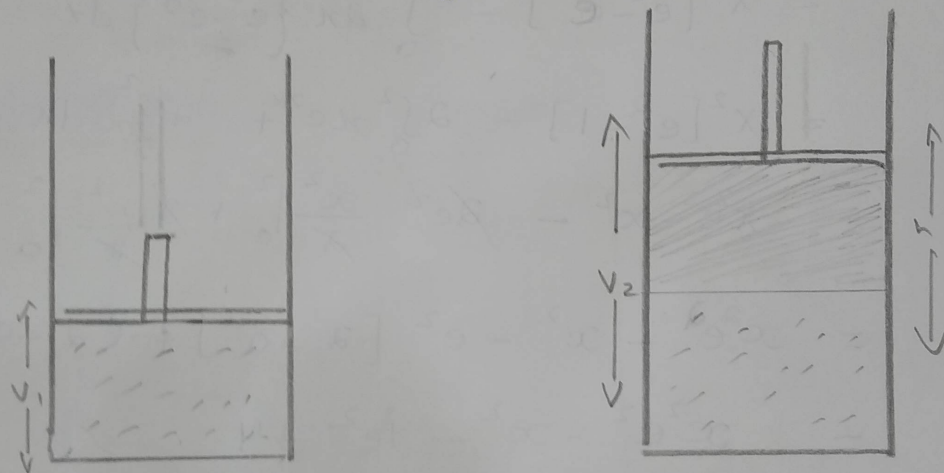
Heat in = w_{out} + increase in internal energy
 + decrease in internal energy



ISOBARIC PROCESS:

Supplied at constant pressure is known isobaric process.

⇒ No Pressure changes takes place during supply of heat of system.



Before Heating

After HEATING

According To First law of thermodynamics:-

P = Pressure
E = Energy
T = Temperature
V = Volume
H = heat

$$Q_P = \Delta E + \text{work}$$

$$Q_P = \Delta E + P\Delta V$$

$$Q_P = E_2 - E_1 + P(V_2 - V_1)$$

$$Q_P = E_2 + PV_2 - E_1 - PV_1$$

$$Q_P = (E_2 + PV_2) - (E_1 + PV_1)$$

$$Q_P = \Delta H$$

$$(E + PV = H)$$

$$Q_P = \Delta E + P\Delta V = \Delta H$$

ISOTHERMAL PROCESS:

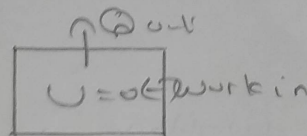
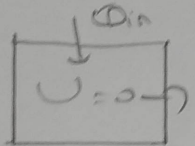
Constant temperature $T = 0$

$$U = 0$$

$$Q = U + W$$

and

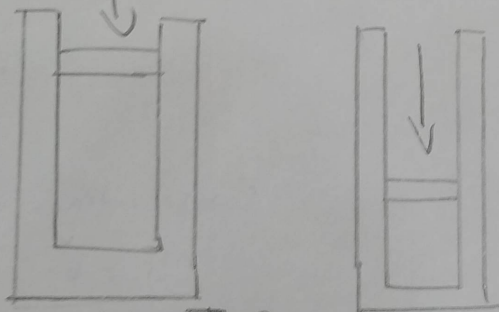
$$Q = W$$



Net heat input = work output

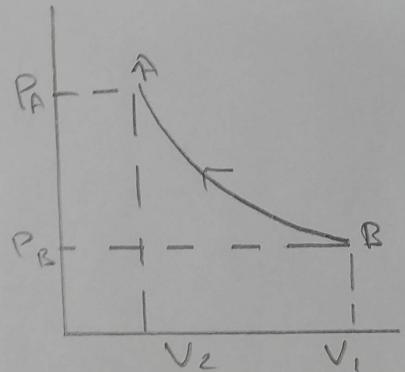
EXAMPLE:

work input = Net heat out



$$U = T = 0$$

$$P_A V_A = P_B V_B$$

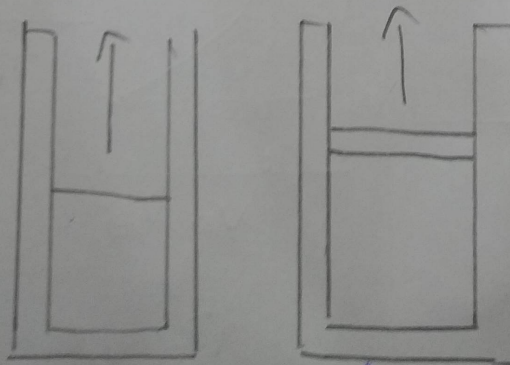


slow temperature

constant temperature

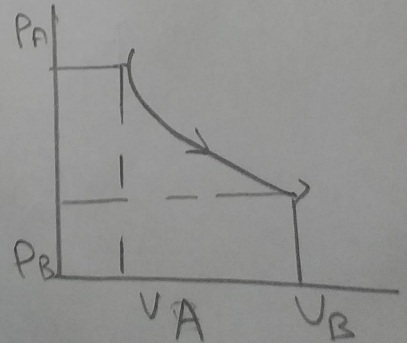
No change in U

EXPANSION:



$$U = T = 0$$

$$W = nRT \ln \frac{V_B}{V_A}$$



$$P_A V_A = P_B V_B$$

QUESTION:- 2(B)

ANSWER:-

GIVEN:-

$$W = 600\text{J}$$

$$T_c = 300\text{K}$$

$$T_H = 500\text{K}$$

REQ:

actual efficiency = ?

work done = ?

Sol:

To find efficiency:-

$$e = 1 - \frac{T_c}{T_H}$$

$$e = 1 - \frac{300\text{K}}{500\text{K}}$$

$$e = 40\%$$

$$\text{Actual } e = 0.5 e_i$$

$$= 20\%$$

$$e = \frac{W}{Q_H}$$

$$W = e Q_H = 0.20 (600\text{J})$$

$$\text{work} = 120\text{J}$$

QUESTION :- 3

ANSWER :- DIFFERENCE

INTERNAL COMBUSTION ENGINE

EXTERNAL COMBUSTION ENGINE

⇒ Combustion takes place inside cylinder

⇒ Combustion takes place outside cylinder

⇒ Temperature is high

⇒ Temperature is lower

⇒ Pressure is very higher.

⇒ Pressure is lower

⇒ It is lighter in weight

⇒ Heavy in the weight

⇒ Efficiency is higher

⇒ Efficiency is lower

⇒ Less time required to start

⇒ more time required to start.

⇒ Pressure generated inside the engine is due to combustion

⇒ Pressure generated inside the engine is due to steam of water.

QUESTION: 3(B)

ANSWER:

Solution:-

$$AB = 0$$

To find P_B

$$P_A V_A = P_B V_B$$

$$P_B = P_A \left(\frac{V_A}{V_B} \right)^{\gamma}$$

$$P_B = 32.4 \text{ atm}$$

$$\text{OR } P_B = 324 \text{ kPa}$$

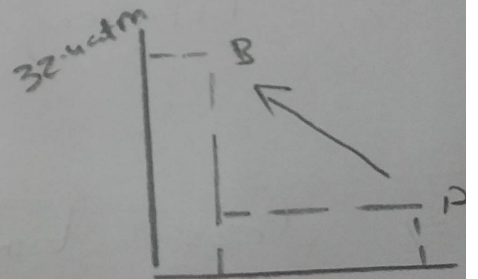
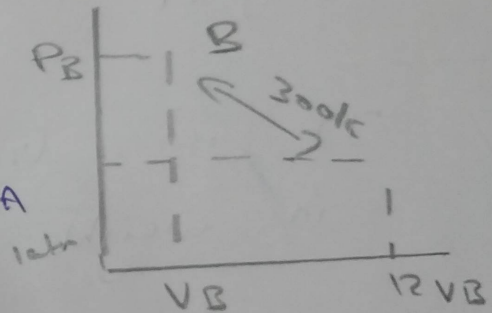
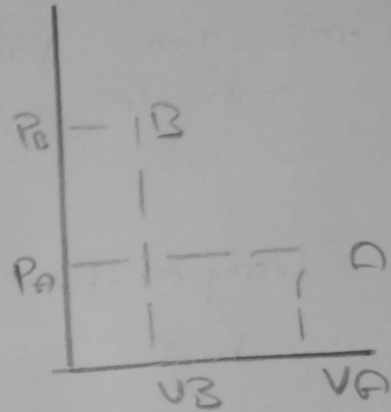
To find T_B

$$\frac{P_A V_A}{T_A} = \frac{P_B V_B}{T_B}$$

$$\Rightarrow \frac{1 \times 12}{300 \text{ K}}$$

$$= \frac{(32.4) (1) V_B}{T_B}$$

$$T_B = 810 \text{ K}$$



QUESTION :- 4

ANSWER :-

CONDUCTION

In conduction the heat transfer takes place between objects by direct contact

The heat transfer takes place due to the difference in temperature

Heat transfer conduction is slow

The heat transfer occurs through a heated solid object

It does not follow the law of reflection refraction

CONVECTION

In convection the heat transfer takes within fluid.

The heat transfer occurs due to difference in density

Heat transfer convection is faster

The heat transfer occurs through intermediate object

It also does not follow both laws.

QUESTION:- 4

ANSWER:-

Solution:-

$$Q_{\text{water}} = -Q_{\text{pb}}$$

$$m_{\text{water}} C_{\text{water}} \Delta T_{\text{water}} = - (m_{\text{pb}} C_{\text{pb}} \Delta T_{\text{pb}})$$

$$125 (4.18) (T_f - 23) = -75 (0.13) (T_f - 435)$$

$$522.5 T_f = 12017.5 = -97.5 T_f + 424.25$$

$$+ 97.5 T_f + 12017.5 = +97.5 T_f + 12017.5$$

$$532.25 T_f = 162258.75$$

$$T_f = 30.50$$

QUESTION: 5

ANSWER:

GIVEN:-

$$\begin{aligned}T_1 &= 15^\circ\text{C} \\ T_2 &= 4^\circ\text{C} \\ L &= 0.25\text{m}\end{aligned}$$

REQUIRED:-

Solution:-

The inner and outer surfaces of flat concrete roof electrically heated home are maintained at specified temperature during night.

Assumption:- 1. Steady operating conditions exist during the entire night since the roof's temperature remain constant.

2. Constant properties can use for roof.

Analysis: Nothing that heat transfer through the roof is condition

$$A = 6m \times 8m$$

$$= 48m^2$$

The steady rate of heat transfer through the roof is determined by

$$Q = \frac{kA(T_1 - T_2)}{L}$$

$$= \frac{(0.8)(48)(25.0)}{0.25}$$

$$= 3840 \text{ kw}$$

$$= 3.84 \text{ kw}$$

⇒ The amount of heat lost through the roof during a 10 hours period is cost determined from

$$Q = Q \Delta T$$

$$= (3.84 \text{ kw})(10h)$$

$$= 38.4 \text{ kw h}$$

So Cost per day = (Amount of energy) (unit cost)

$$= (38.4 \text{ kw h})(\$0.2 / \text{kw h}) = \$7.68$$

$$\text{Cost/month} = \text{Cost/day} \times 30 \text{ days}$$

$$= 7.68 \times 30 = \$230.4$$